

# From Exclusive to Inclusive and Back Again: The Most Elastic Interactions of Neutrinos At MINERvA

Daniel Ruterbories, for the MINERvA collaboration

Fermilab Joint Experimental-Theoretical Physics Seminar

March 3<sup>rd</sup> 2017



Quasi-

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# Road Map

Some of the **BIG** questions

$\delta_{cp}$ ,  $\nu$  mass hierarchy

Where cross sections play a  
role

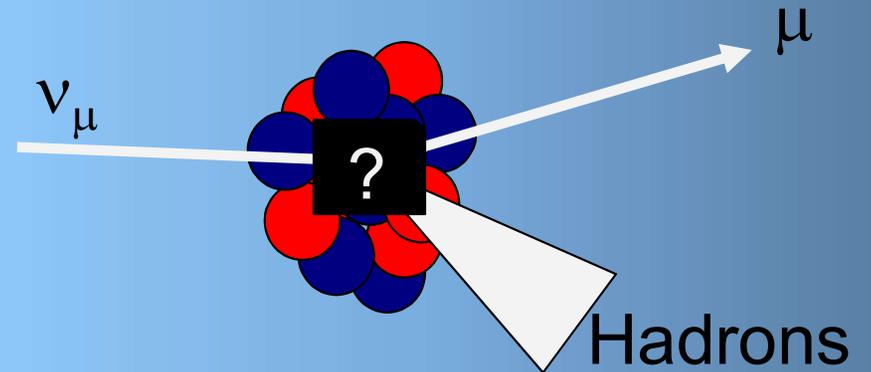
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Simulating the nucleus and interactions with neutrinos



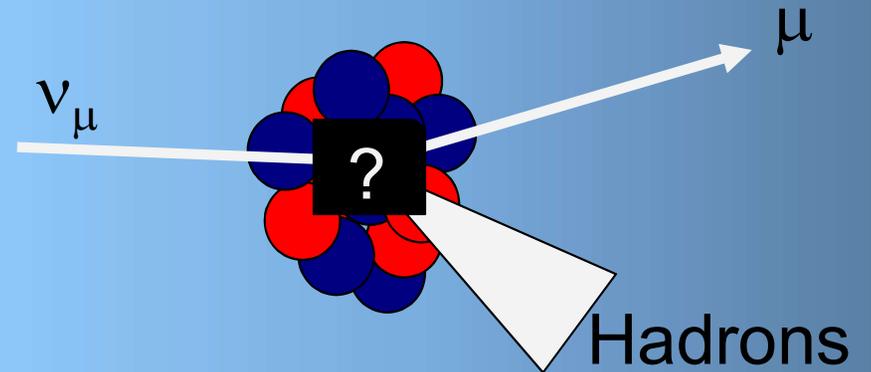
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Previous MINERvA quasi-elastic (QE) and inclusive results

What did we learn?

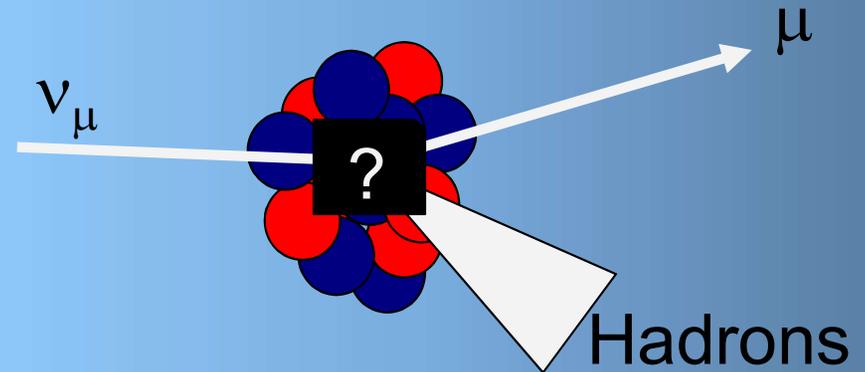
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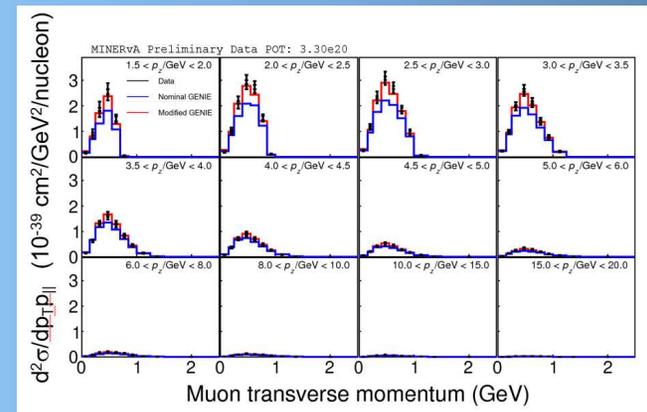
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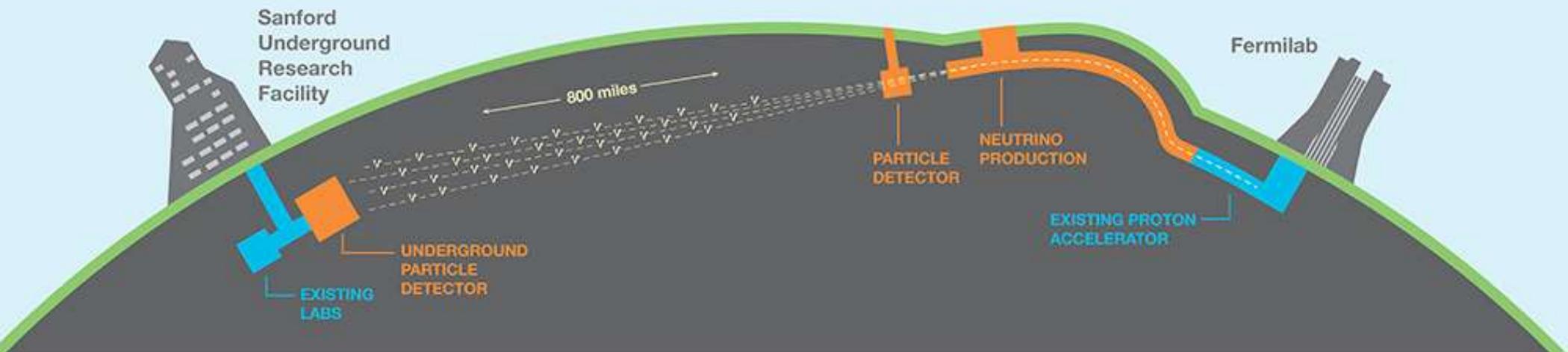
New result today!



# Neutrino Oscillations and big questions

- Do neutrinos violate CP?
- Contribution to the baryon asymmetry seen in the universe.

## DUNE



# What do you need?

$$P(\nu_\alpha \rightarrow \nu_\beta) \approx 1 - \sin^2 2\theta \sin^2 \left( \frac{\Delta m^2 L}{E_\nu} \right)$$

First and foremost you need an accurate measure of the rate

$$N = \Phi \sigma$$

Ingredients:

## 1. Flux predictions

- Different between the near and far detector

Near detector

...

Far detector

Width  $O(1\text{km})$

Width =  $O(1\text{m})$

$p^+$

$<1\text{ km}$

100s of km

# What do you need?

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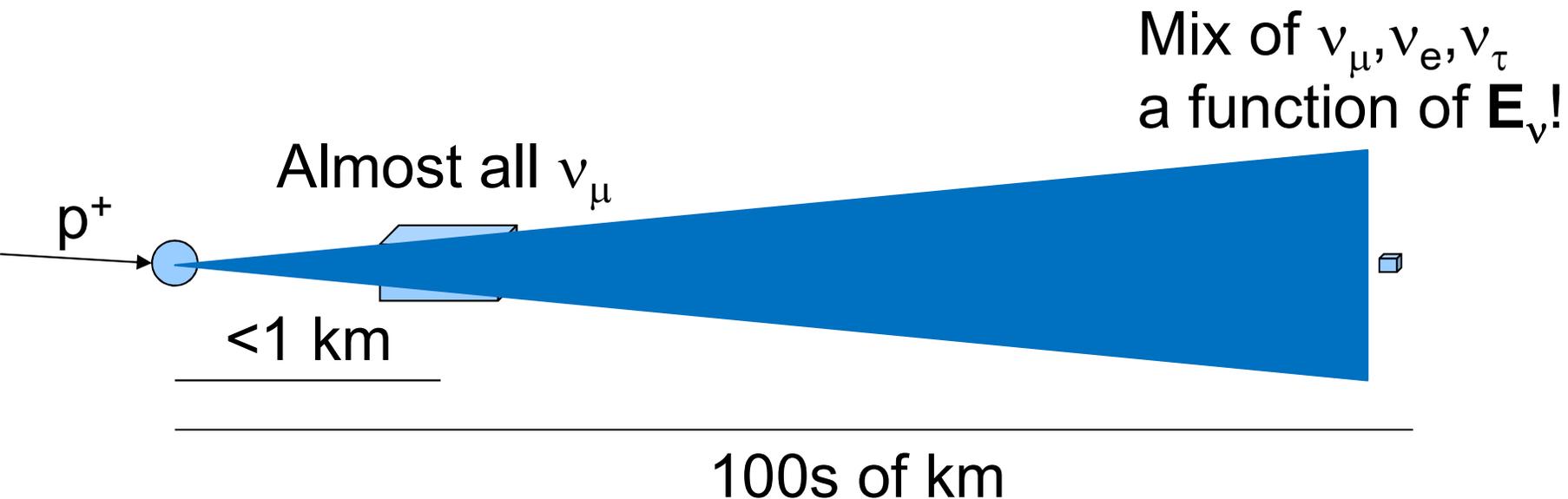
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Ingredients:

2. Precise cross sections of background and signal processes

TABLE IV. Percentage change in the number of one-ring  $\mu$ -like events before the oscillation fit from  $1\sigma$  systematic parameter variations, assuming the oscillation parameters listed in Table III and that the antineutrino and neutrino oscillation parameters are identical.

Source of uncertainty (number of parameters)	$\delta n_{\text{SK}}^{\text{exp}} / n_{\text{SK}}^{\text{exp}} (\%)$
ND280-unconstrained cross section (6)	10.0
Flux and ND280-constrained cross section (31)	3.4
Super-Kamiokande detector systematics (6)	3.8
Pion FSI and reinteractions (6)	2.1
Total (49)	11.6

# What do you need?

$$P(\nu_\alpha \rightarrow \nu_\beta) \approx 1 - \sin^2 2\theta \sin^2 \left( \frac{\Delta m^2 L}{E_\nu} \right)$$

First and foremost you need an accurate measure of the rate

$$N = \Phi \sigma$$

Ingredients:

3. Precise understanding of acceptance

Is your model only constrained by a  $2\pi$  detector  
and you have a  $4\pi$  detector?

# What do you need?

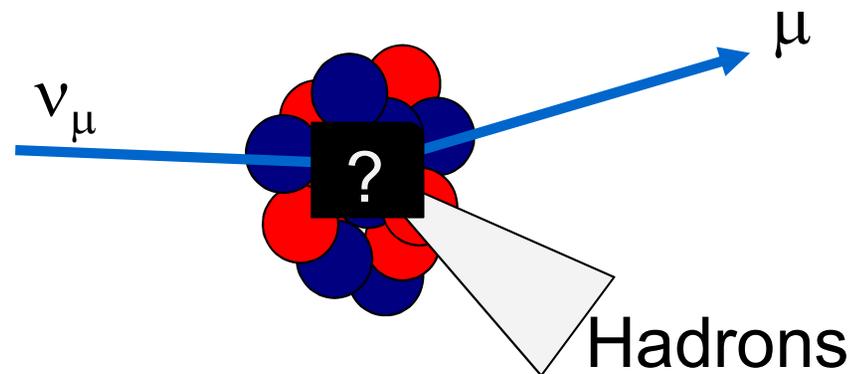
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First and foremost you need an accurate measure of the rate

$$N = \Phi \sigma$$

Ingredients:

3. Nuclear effects and A-dependence?



# What do you need?

$$P(\nu_\alpha \rightarrow \nu_\beta) \approx 1 - \sin^2 2\theta \sin^2 \left( \frac{\Delta m^2 L}{E_\nu} \right)$$

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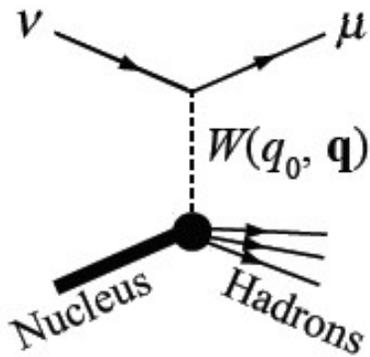
$$N = \Phi \sigma$$

Ingredients:

- 1) Flux prediction
- 2) Precise cross sections of background and signal processes**
- 3) Precise understanding of acceptance
- 4) Nuclear effects** and A-dependence

# What else do you need?

$$P(\nu_\alpha \rightarrow \nu_\beta) \approx 1 - \sin^2 2\theta \sin^2 \left( \frac{\Delta m^2 L}{E_\nu} \right)$$



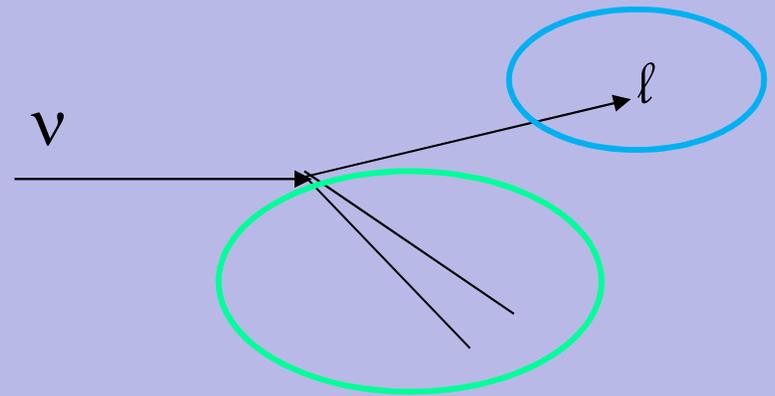
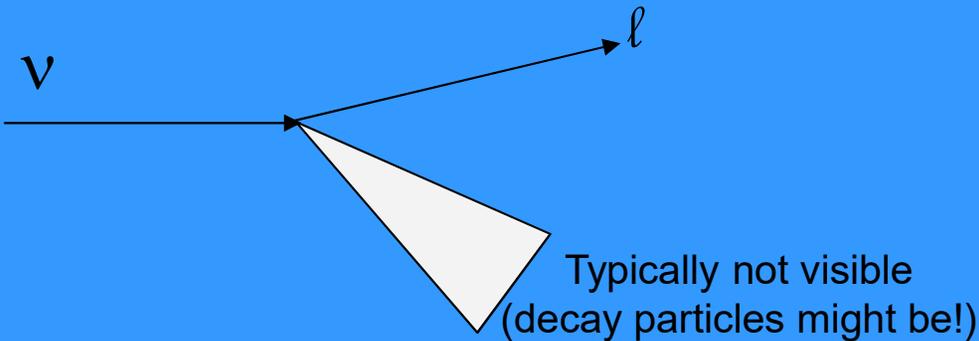
What is  $\underline{E}_\nu$ ?

$$E_\nu = E_\mu + E_{hadrons}$$

Cherenkov Detectors

“Fully-active” Detectors

$$E_{\nu, QE} = \frac{M_n^2 - (M_p - E_b)^2 - M_\mu^2 + 2(M_p - E_b)E_\mu}{2(M_p - E_b - E_\mu + P_\mu \cos(\theta_\mu))}$$



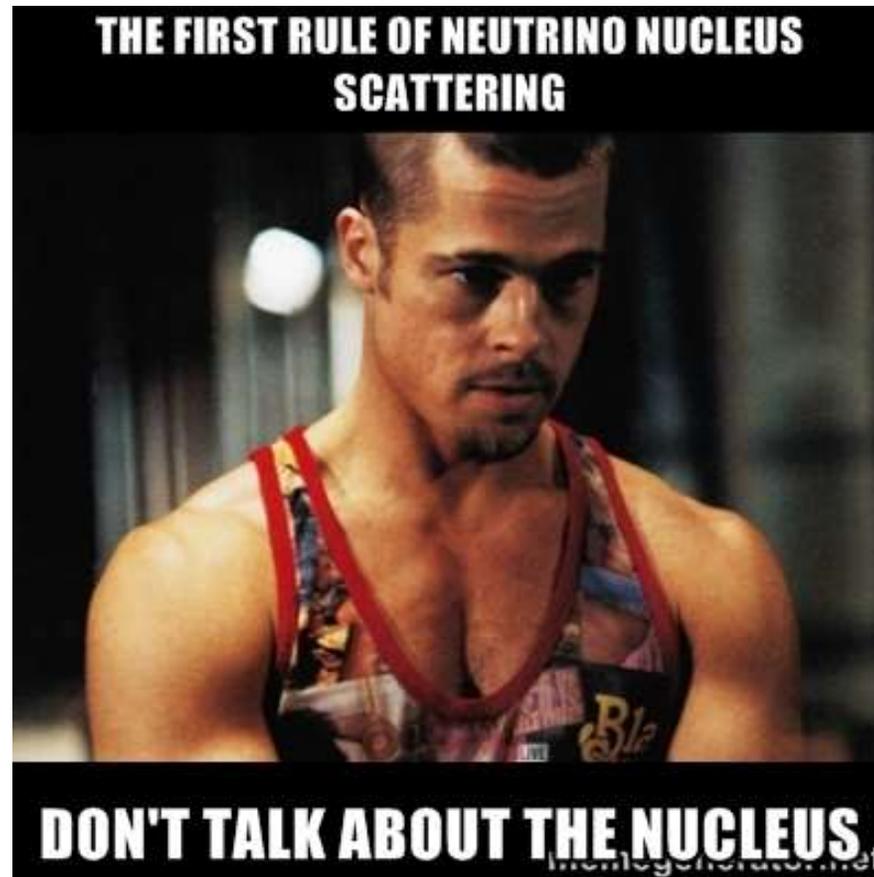
**THE FIRST RULE OF NEUTRINO NUCLEUS  
SCATTERING**



**DON'T TALK ABOUT THE NUCLEUS**  
memegenerator.net

See Kevin McFarland's office

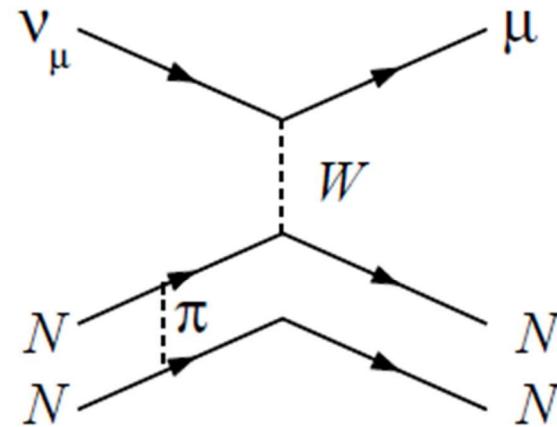
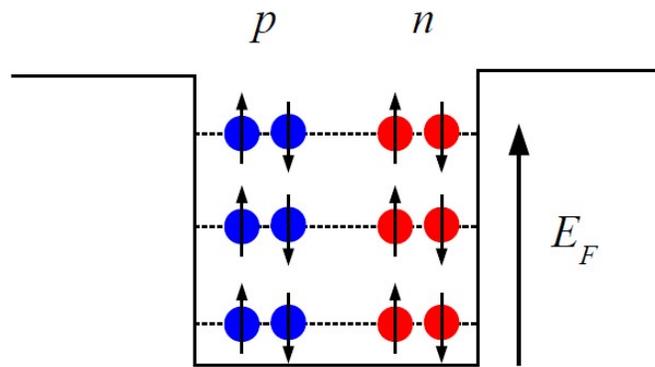
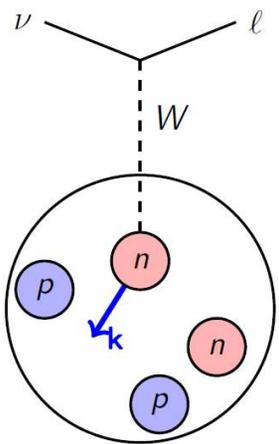
# Well, let's break some rules!



See Kevin McFarland's office

# Nucleons are not free and independent particles!

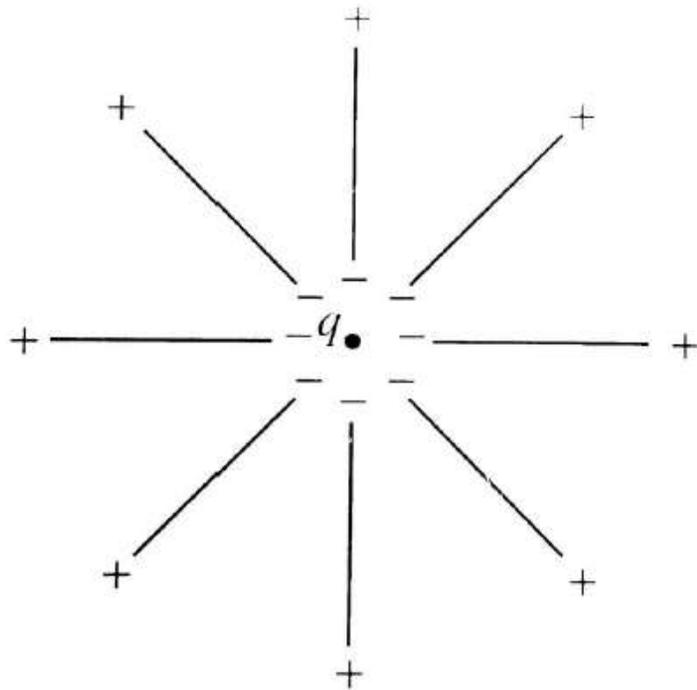
- Bound and definitely not independent from their fellow nucleons
- So what... we simulate the nucleons as a **Relativistic Fermi Gas (RFG)**
  - Quasi-free nucleons in a mean field
  - Includes Fermi motion, binding energy, Pauli Blocking



Will refer to the multi-nucleon effects generically as 2p2h

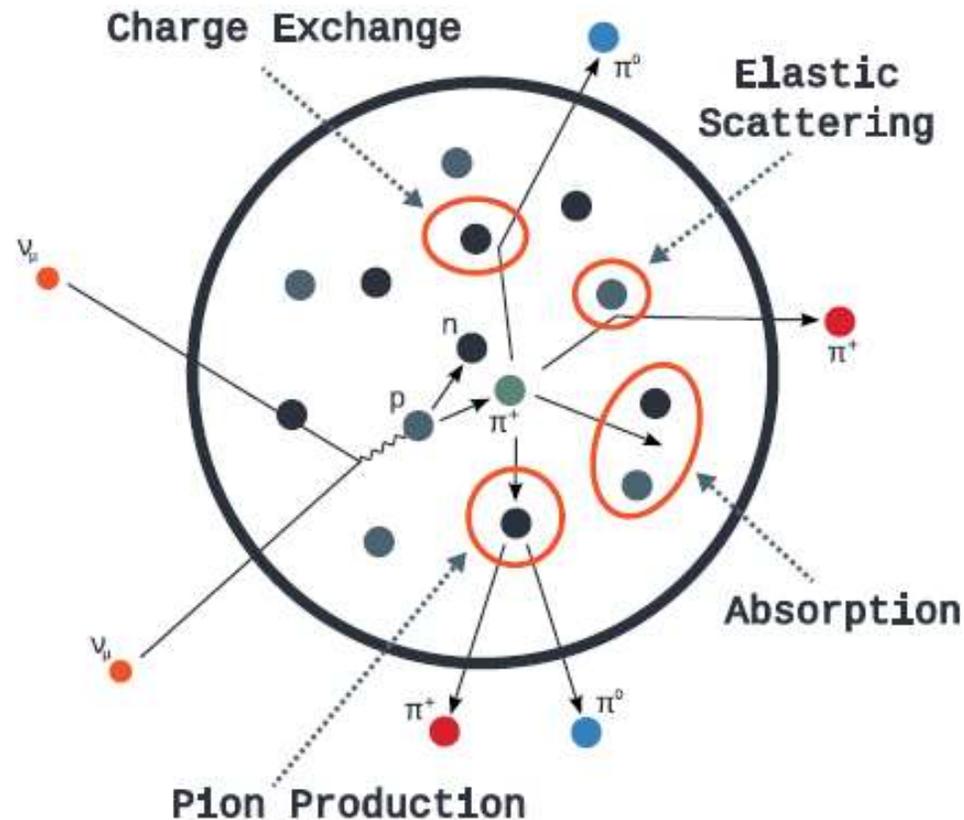
# Nuclear Screening

- Polarization of the nucleus screens electroweak coupling of the W



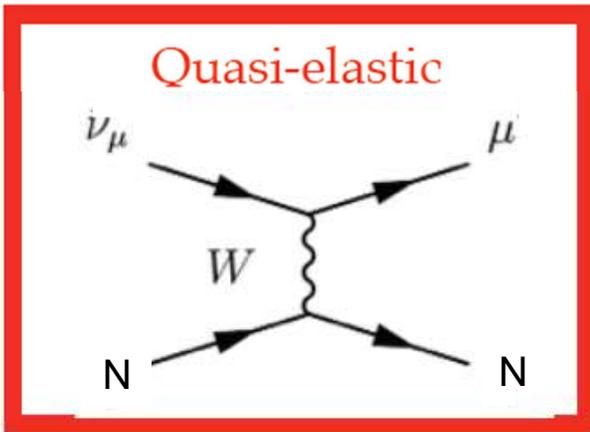
- A common analogy is screening of electric charge in a dielectric
- Calculated using **R**andom **P**hase **A**pproximation (RPA)
- Effect on cross section: Suppression at low four momentum transfer  **$Q^2$**

# Final State Interactions

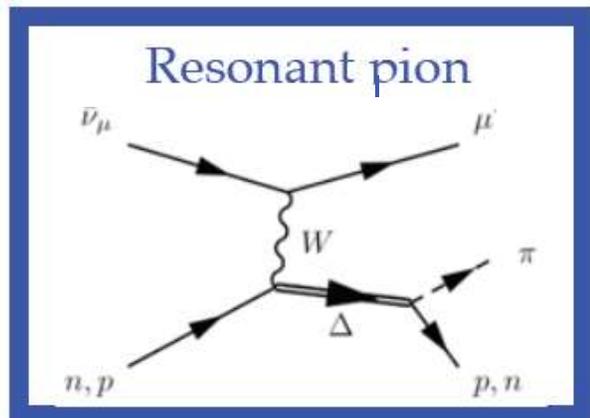
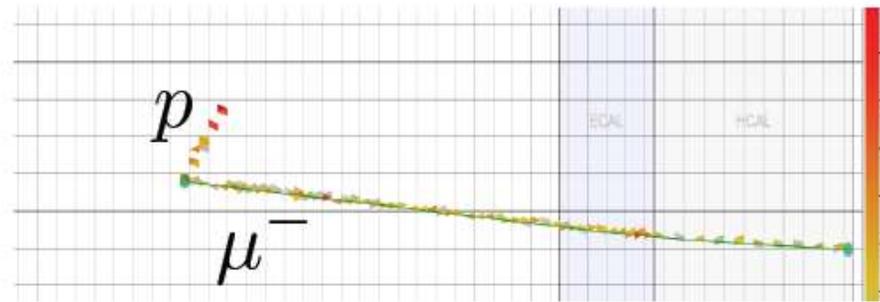


- Signal  $\leftrightarrow$  Background migrations
- Energy sharing between pions and nucleons
- Particles in the detector, and thus energy deposited, is modified

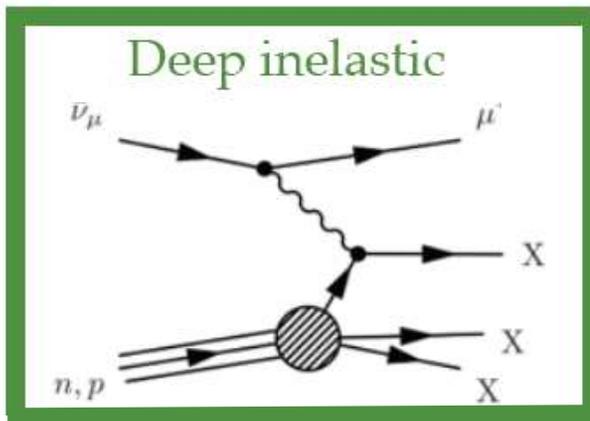
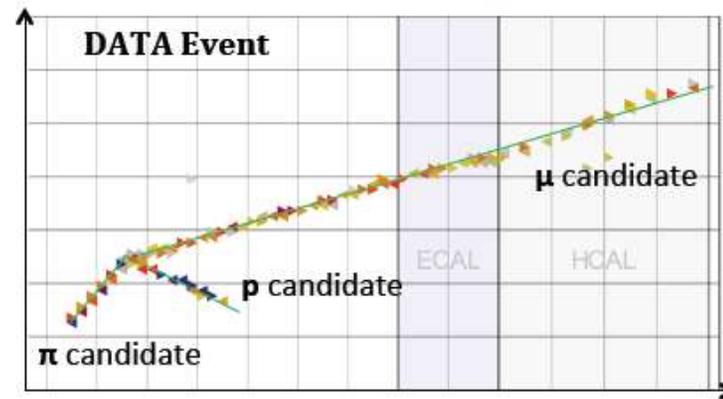
# Three General Types of Interactions



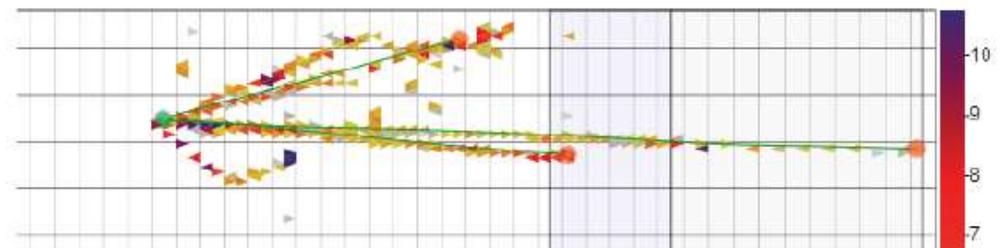
**QE**



**RES**



**DIS**

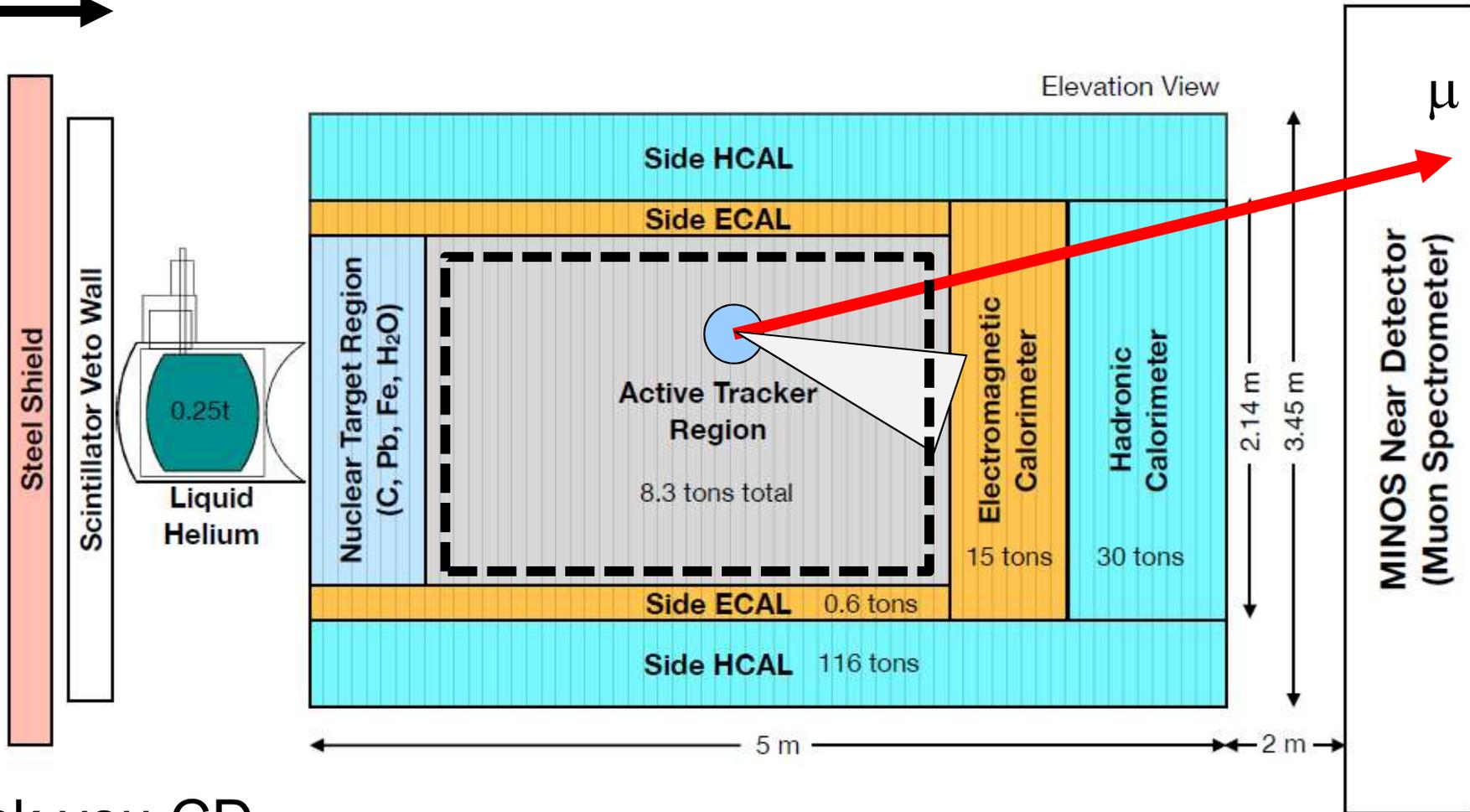


Increasing  $W$

# MINERvA Detector

Thanks MINOS  
for your near  
detector data!!

Neutrino Beam  
Thanks AD!!



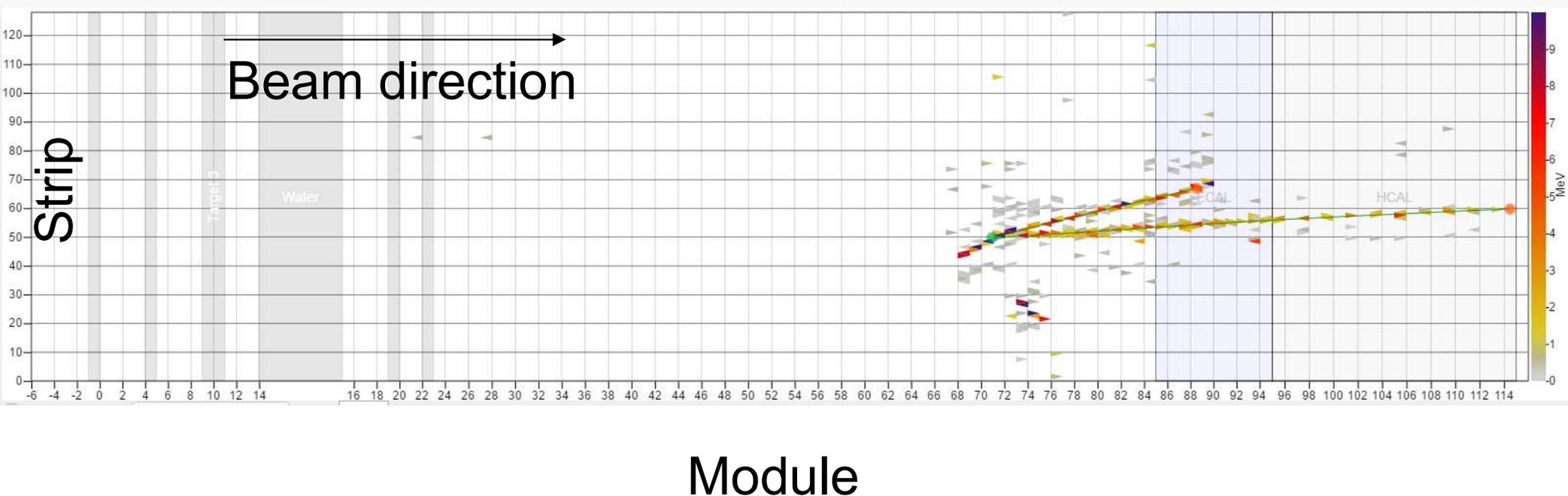
Thank you CD  
for the computing  
resources!!

# What does MINERvA say about quasi-elastic processes?

- **Strategy 1** – Use summed hadronic energy

Selection based on cutting out high recoil events

constrain background using the hadronic recoil energy

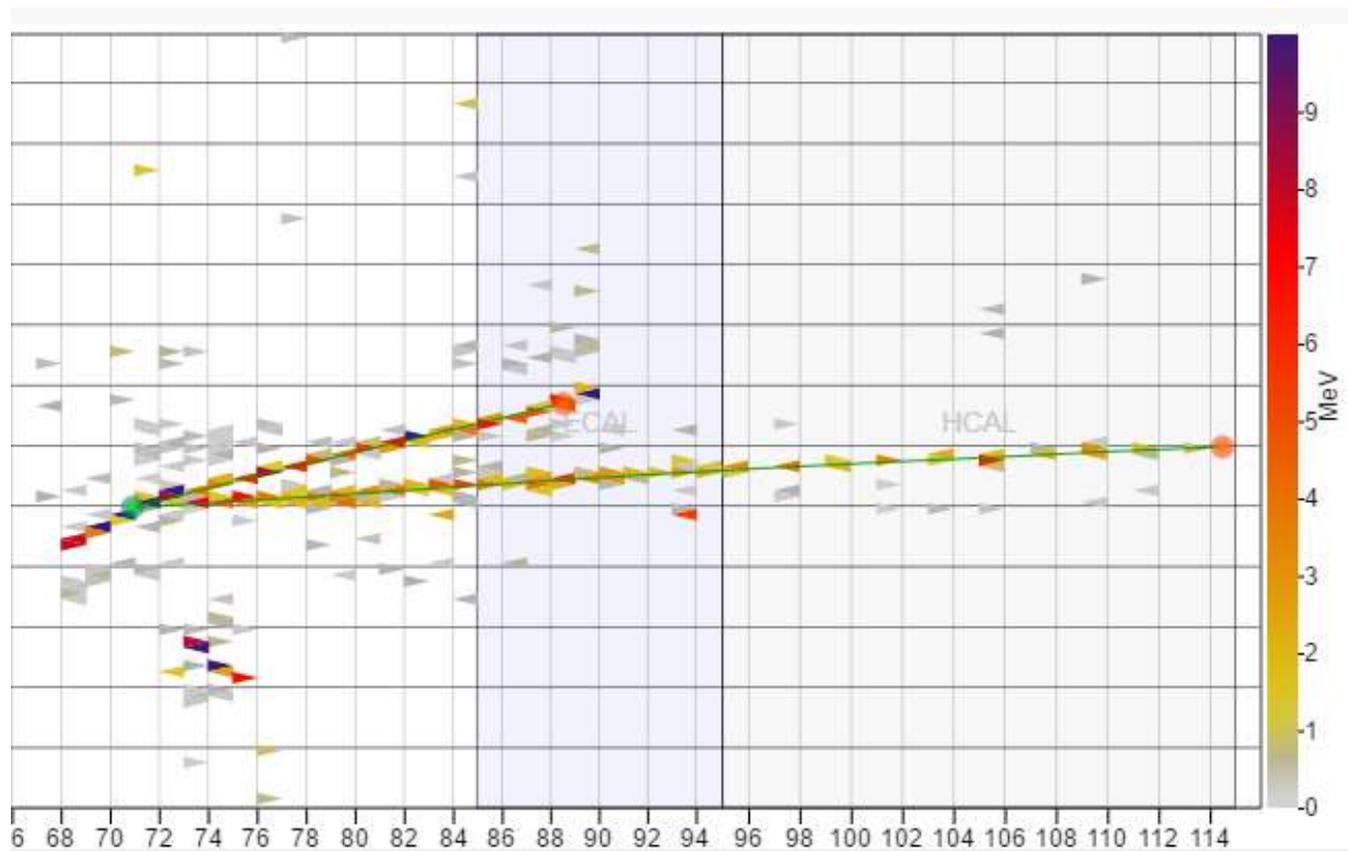


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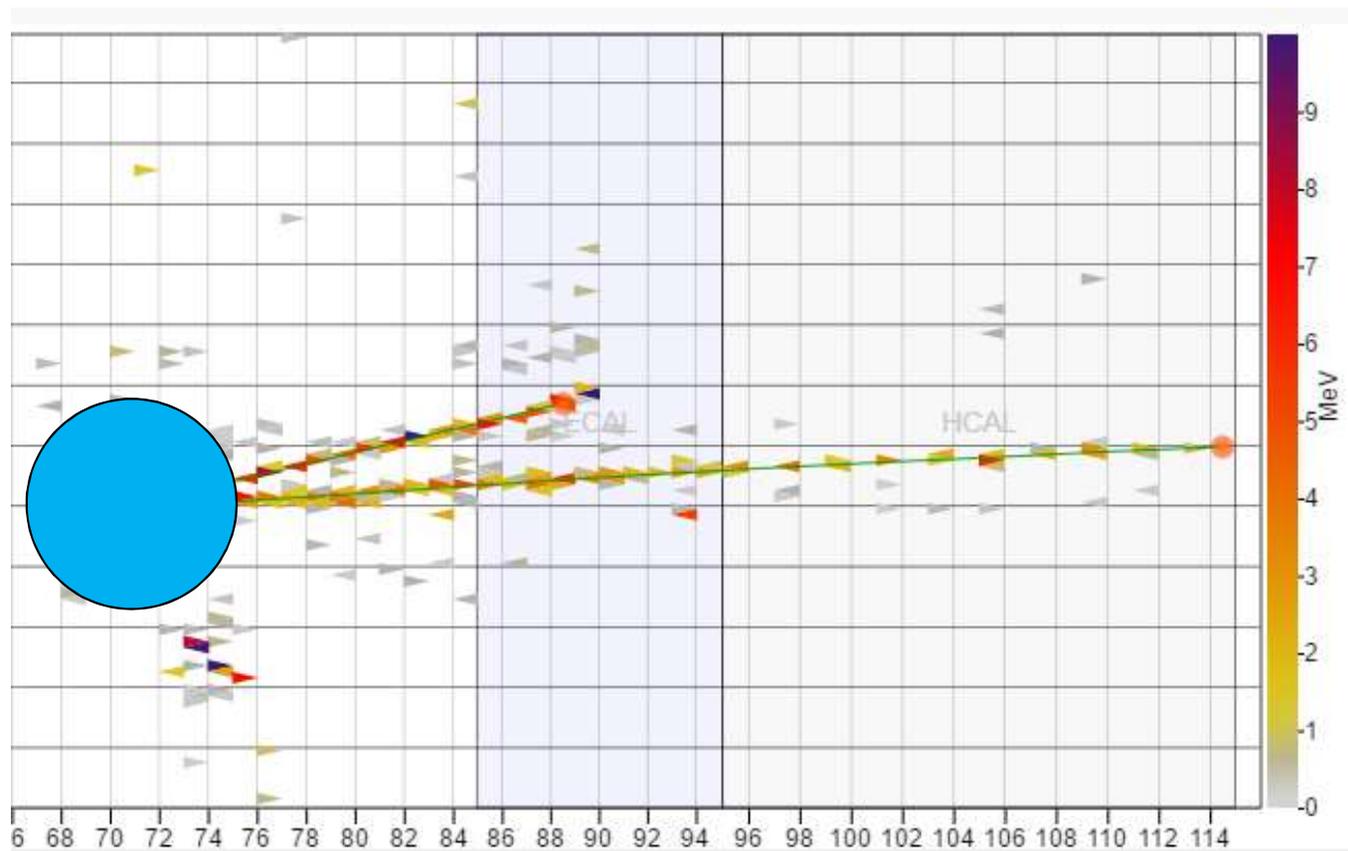


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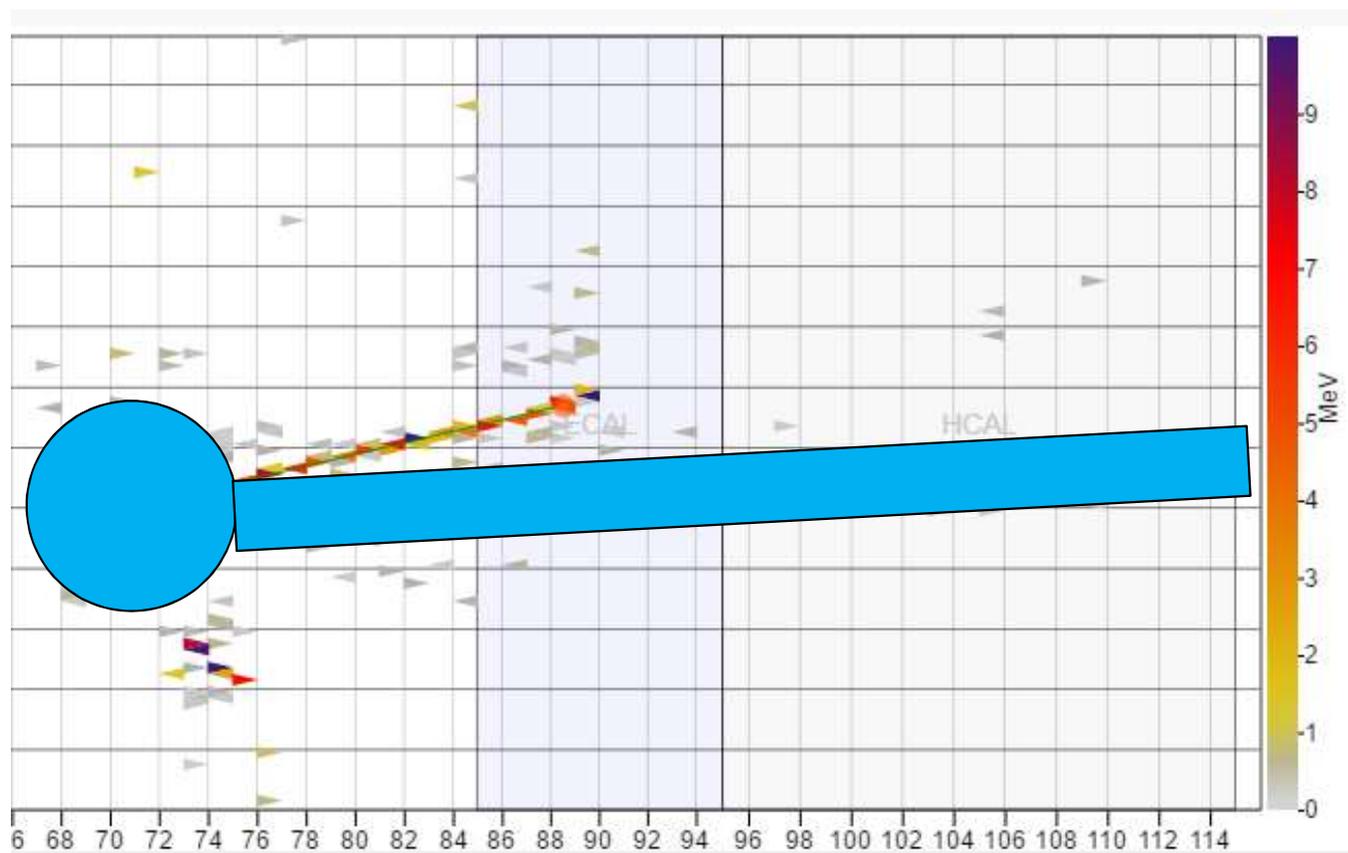


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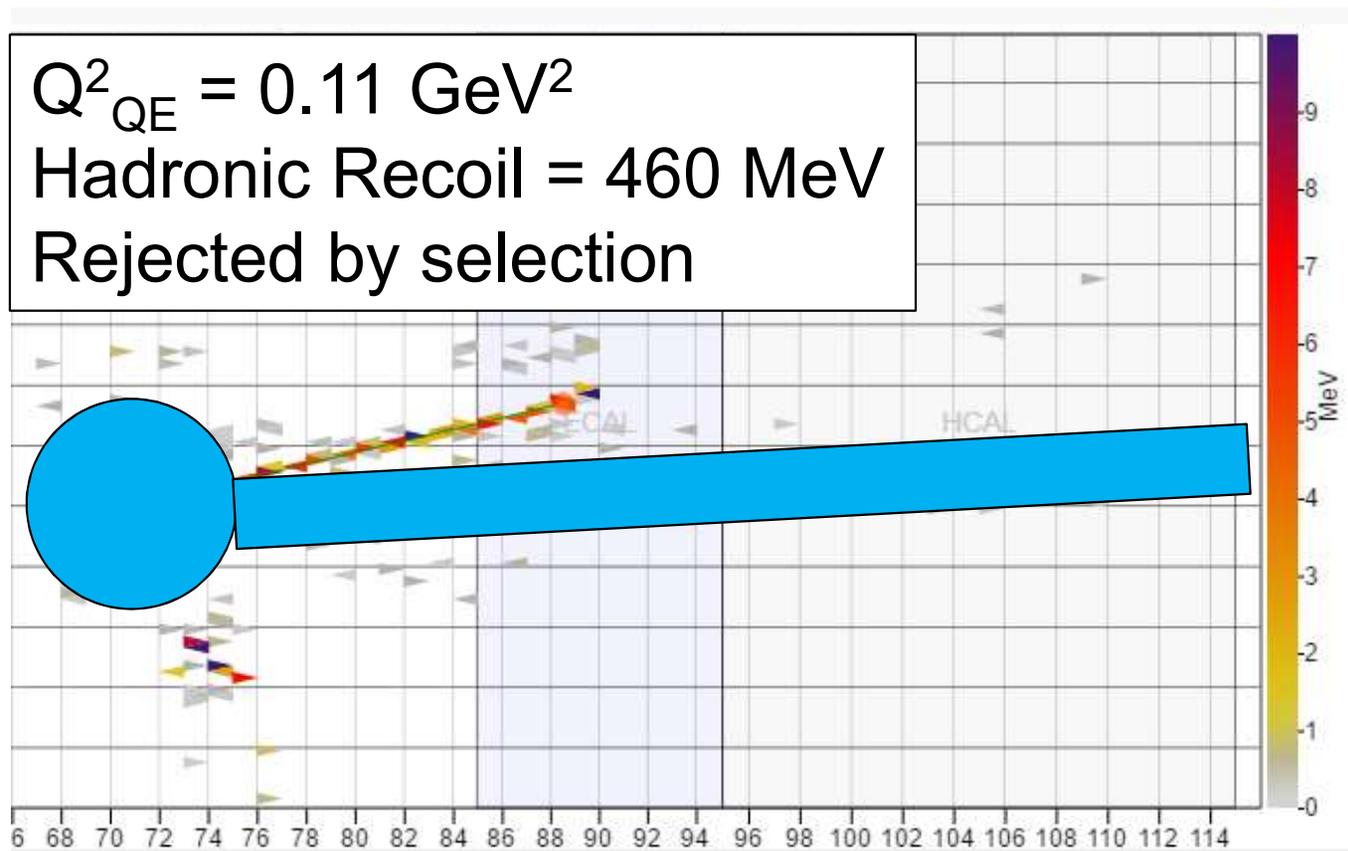
constrain background using the hadronic recoil energy



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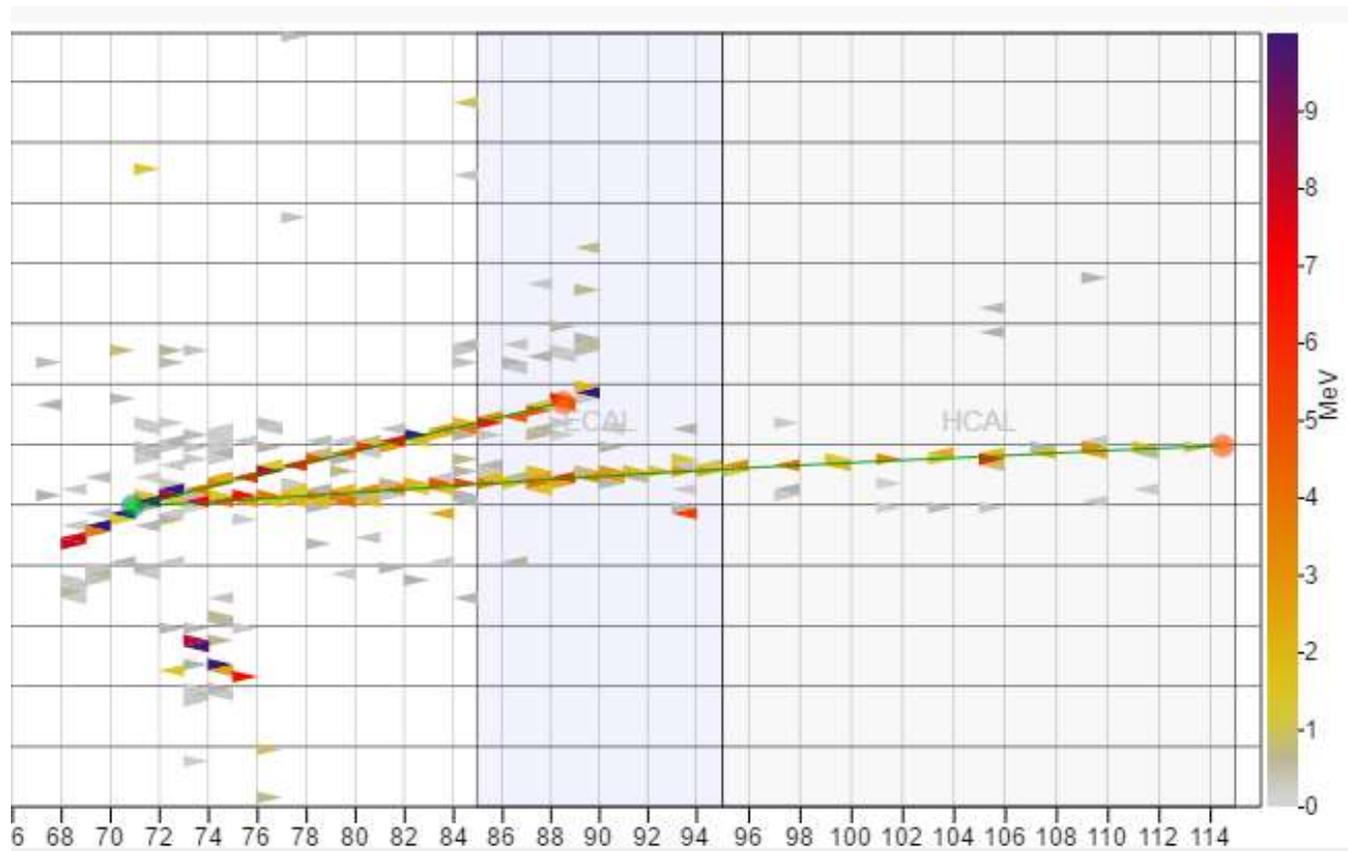
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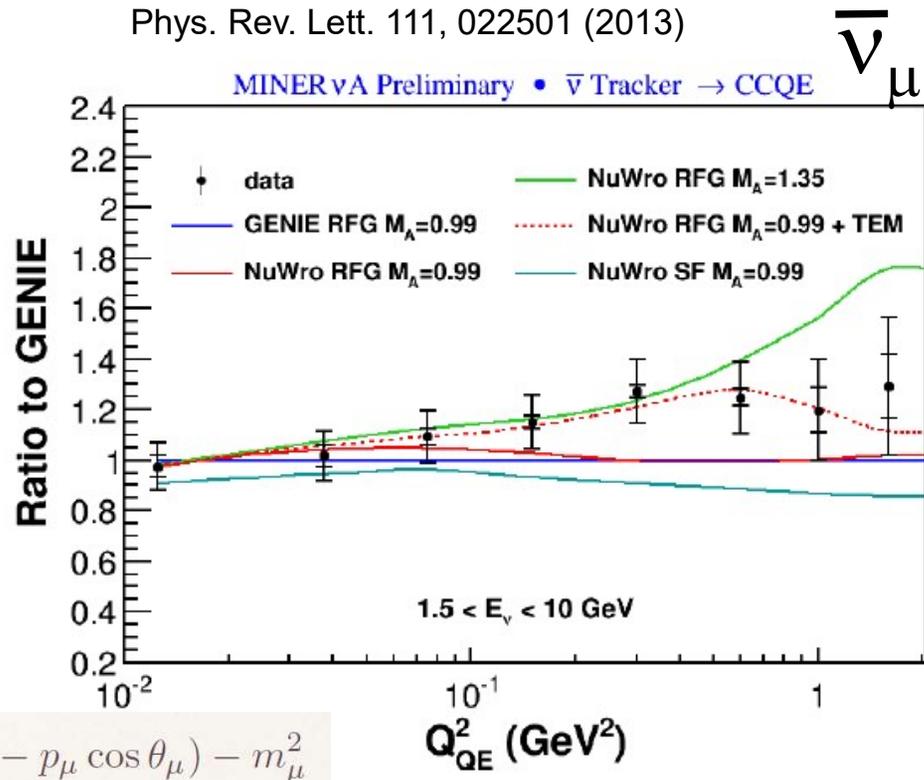
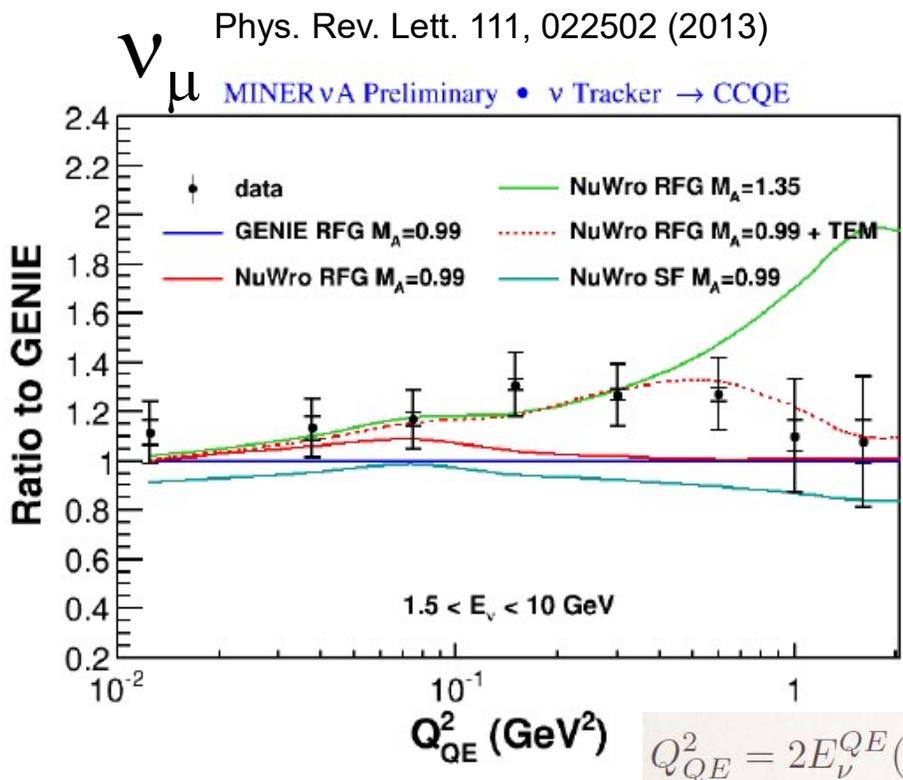


# What does MINERvA say about quasi-elastic processes?

- **Strategy 2** –Track pions and protons
- Select events based on particle identification
- Constrain pion background using side band fits



# Our first QE Results (updated to latest flux)

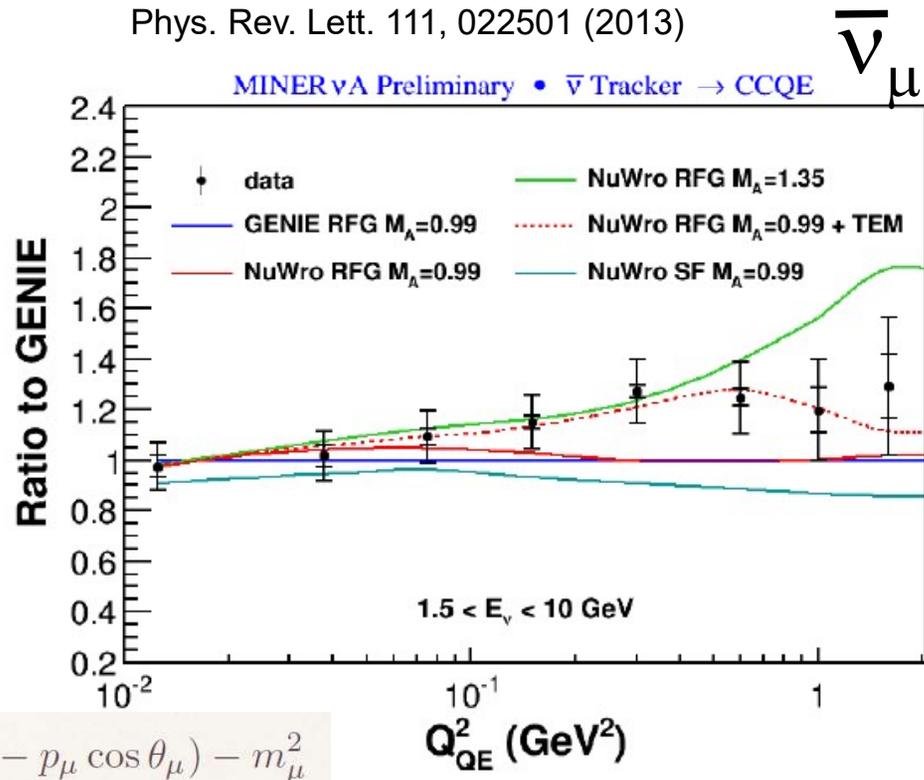
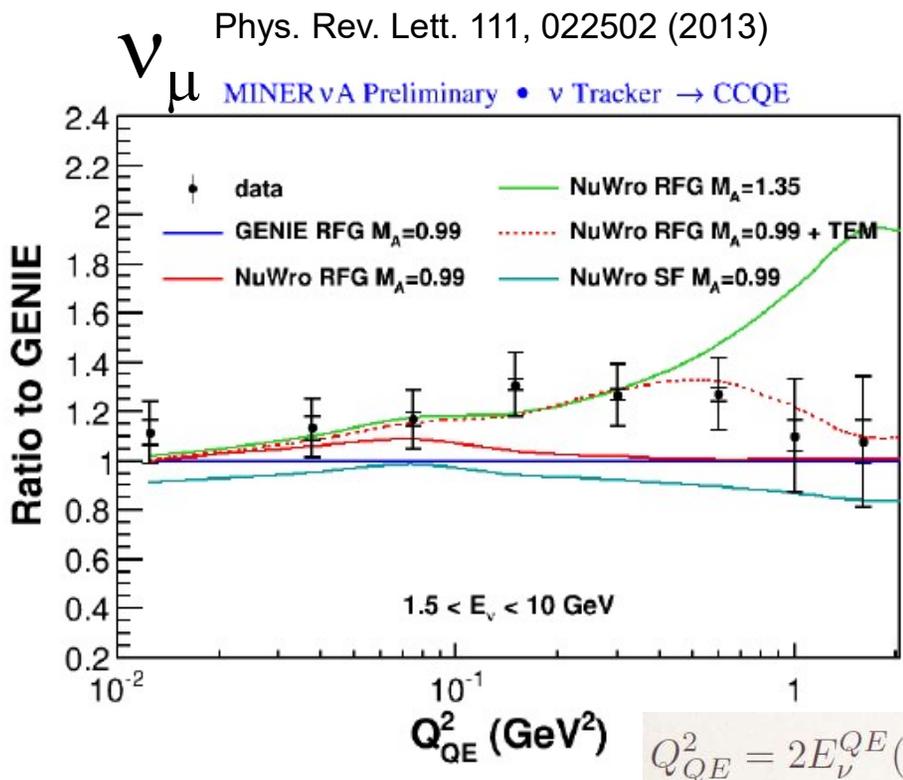


$$Q^2_{QE} = 2E_{\nu}^{QE}(E_{\mu} - p_{\mu} \cos \theta_{\mu}) - m_{\mu}^2$$

Both results prefer a model with a 2p2h-like enhancement

TEM – Transverse Enhancement Model is an empirical model fit to electron-nucleon scattering

# Our first QE Results (updated to latest flux)

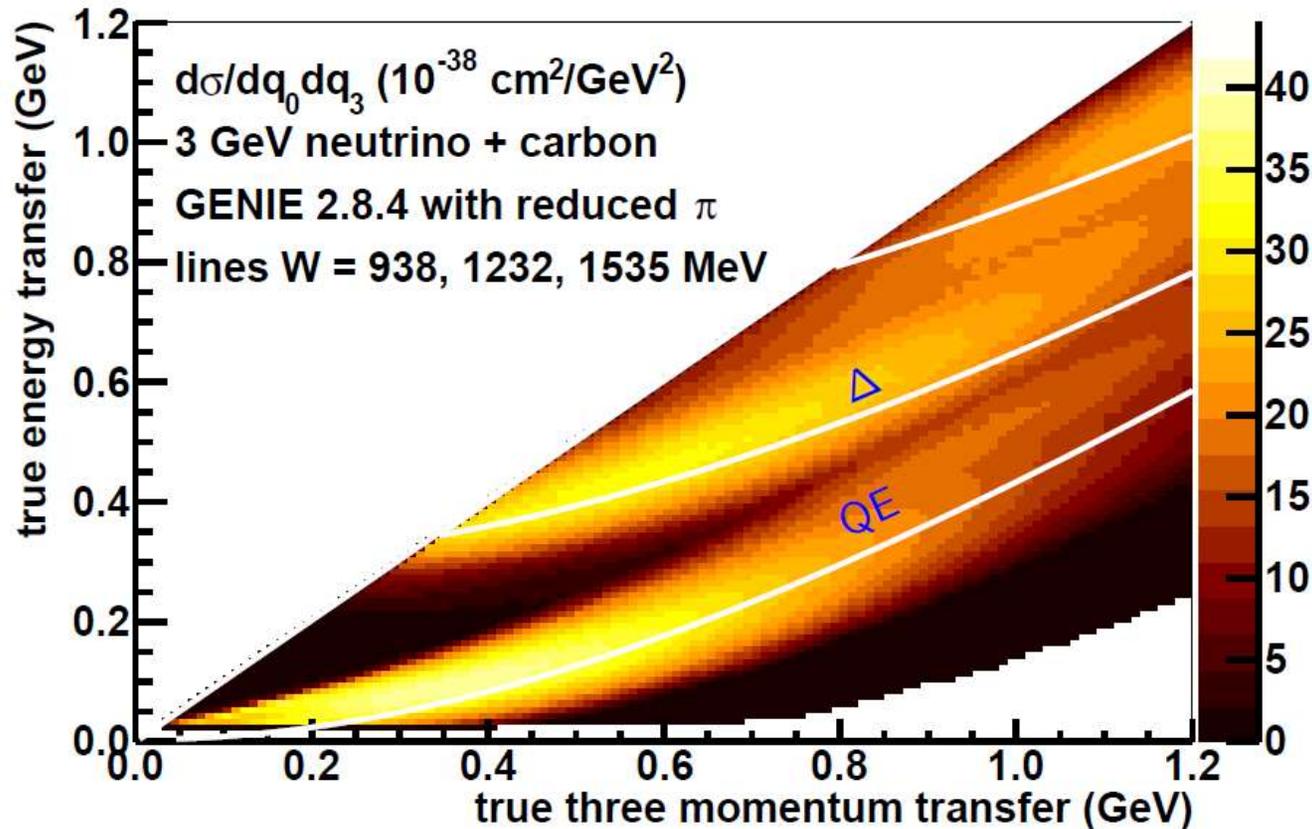


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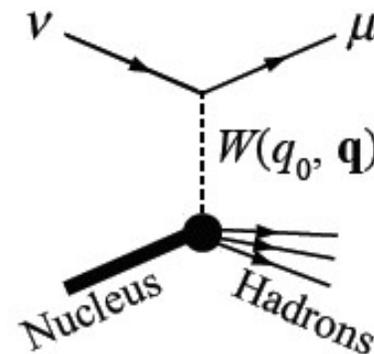
Both results prefer a model with a 2p2h-like enhancement

- Fills in low  $Q^2$  RPA suppression
- Increases cross section in the  $0.1 < Q^2 < 1 \text{ GeV}^2$  region
- Does not increase like the modified  $M_A$  curve does at high  $Q^2$

# A more inclusive approach



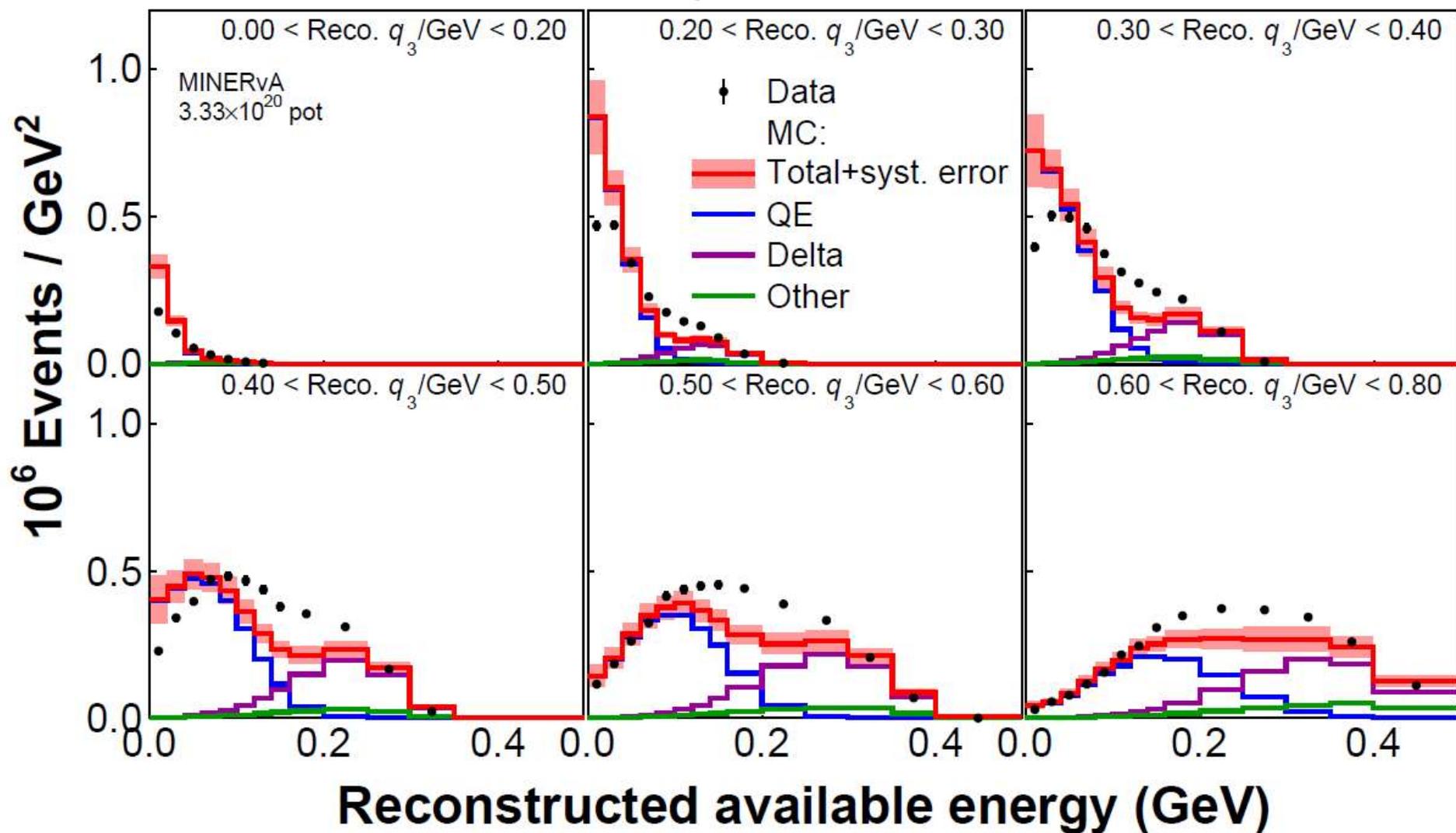
Unlike the other analyses this analysis uses information of the lepton and hadronic system together



# Selected Events – Nominal GENIE

## w/ reduced $\pi$

Phys. Rev. Lett. 116, 071802 (2016)



GENIE: [Nucl.Instrum.Meth.A614 (2010) 87-104], arXiv:1510.05494[hep-ph]

2p2h: PRC 70, 055503 (2004); PRC 83, 045501 (2011)

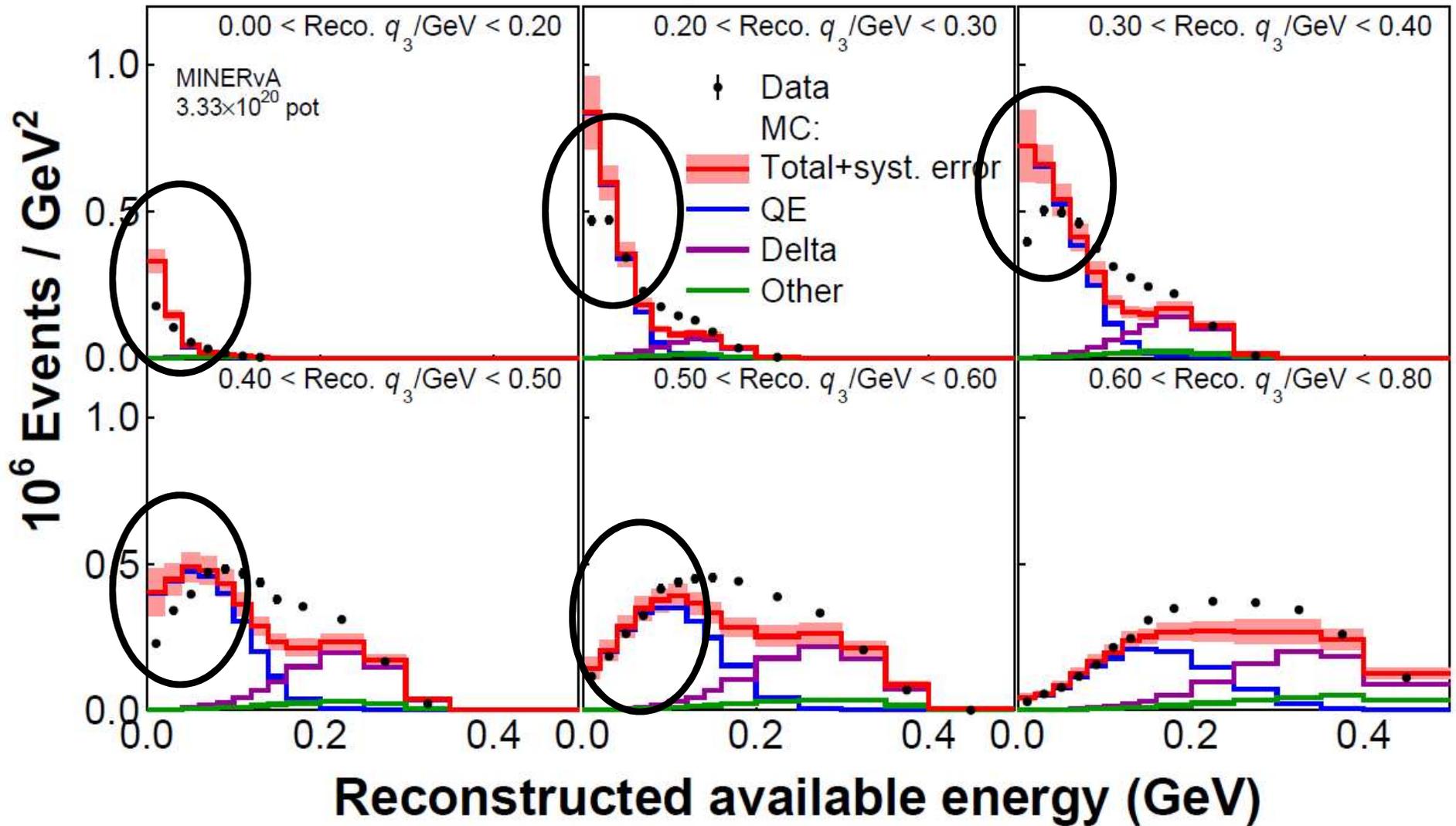
RPA: PRC 70, 055503 (2004); PRD 88, 113007 (2013)

Reduced pion: Eur. Phys. J. C (2016) 76: 474

# Selected Events – Nominal GENIE

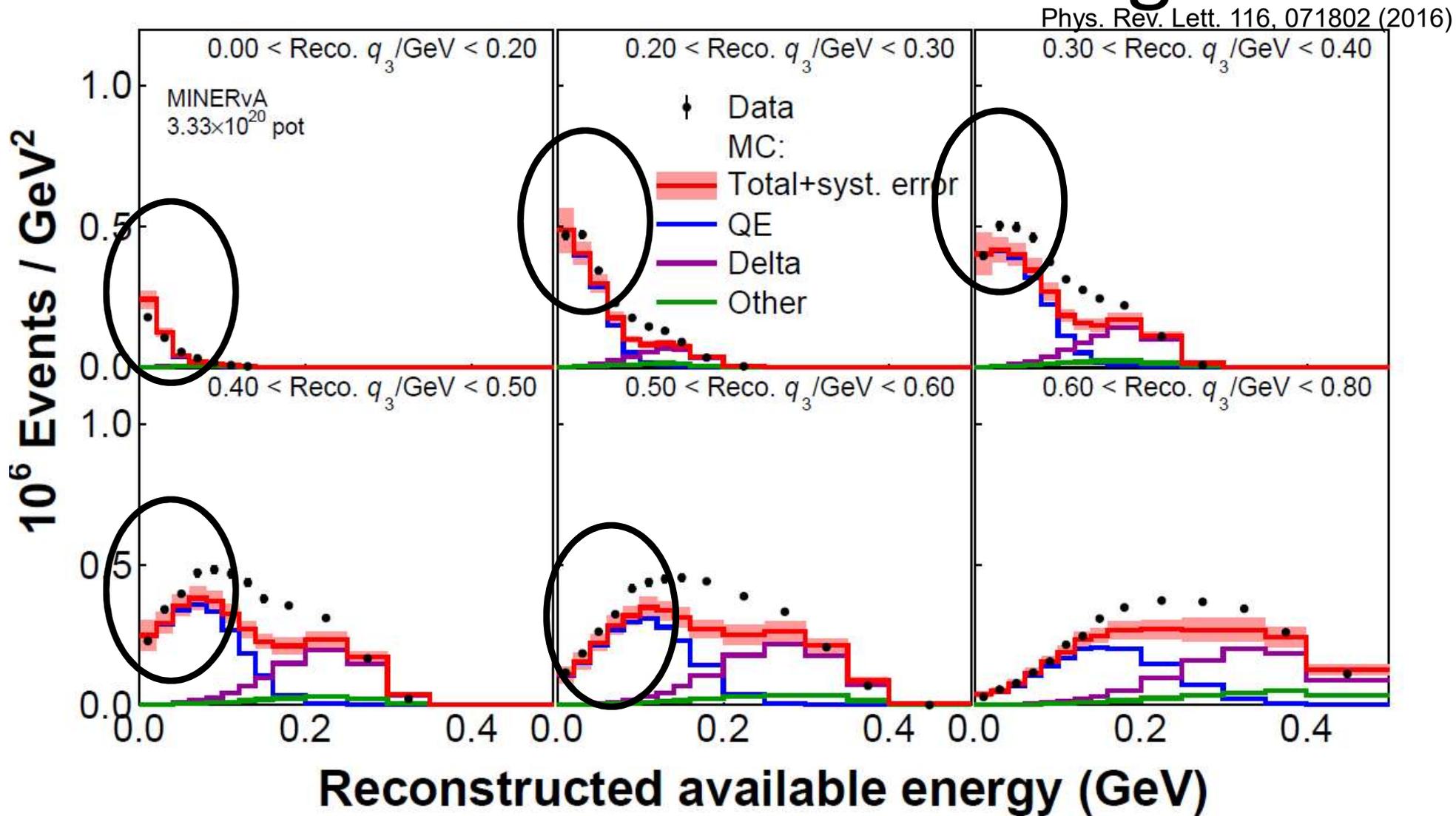
## w/ reduced $\pi$

Phys. Rev. Lett. 116, 071802 (2016)



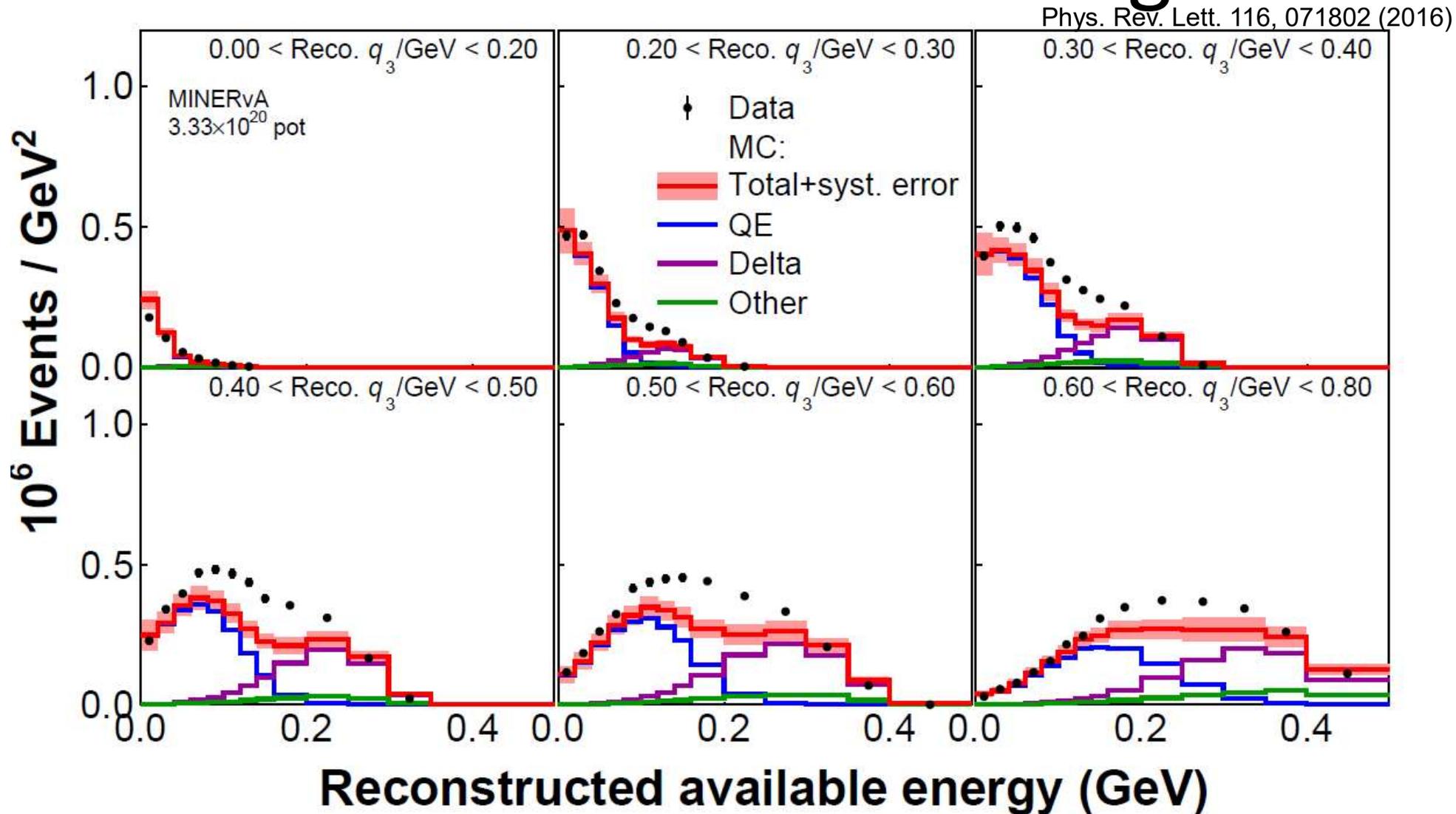
# Selected Events

## Add in Nuclear Screening



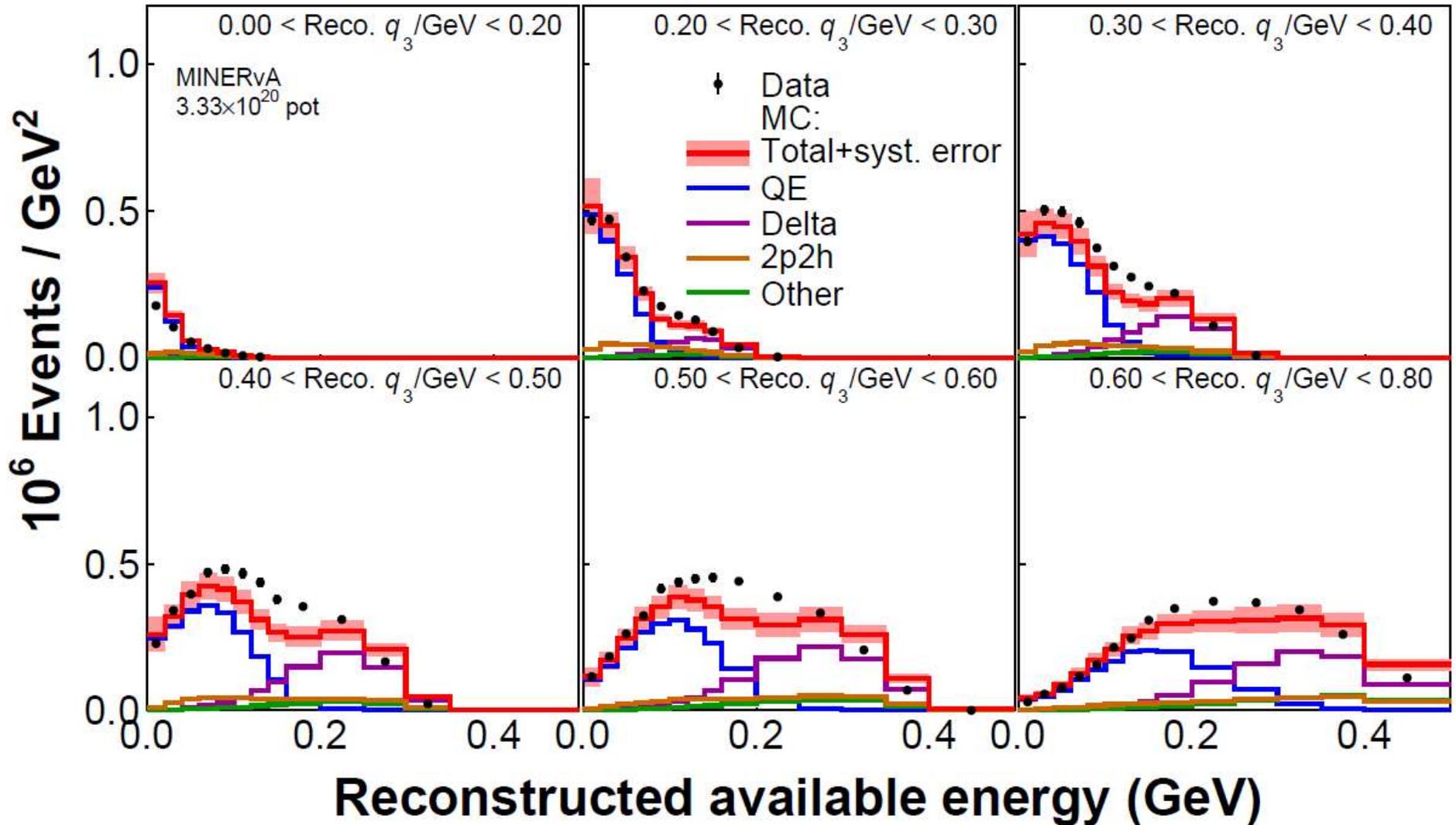
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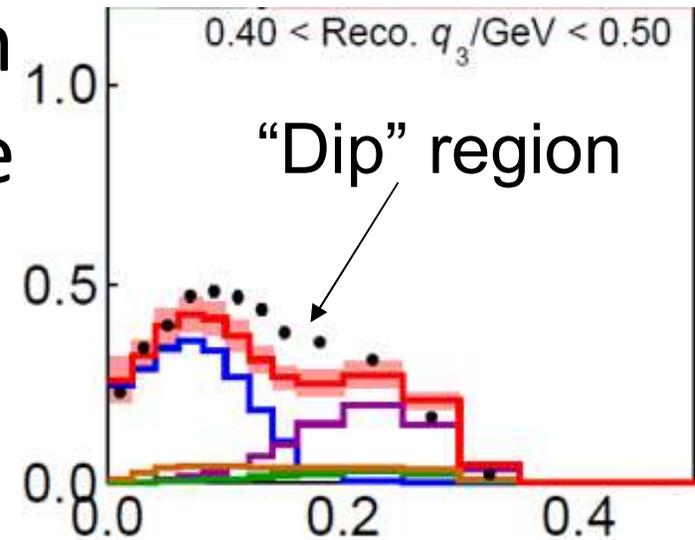
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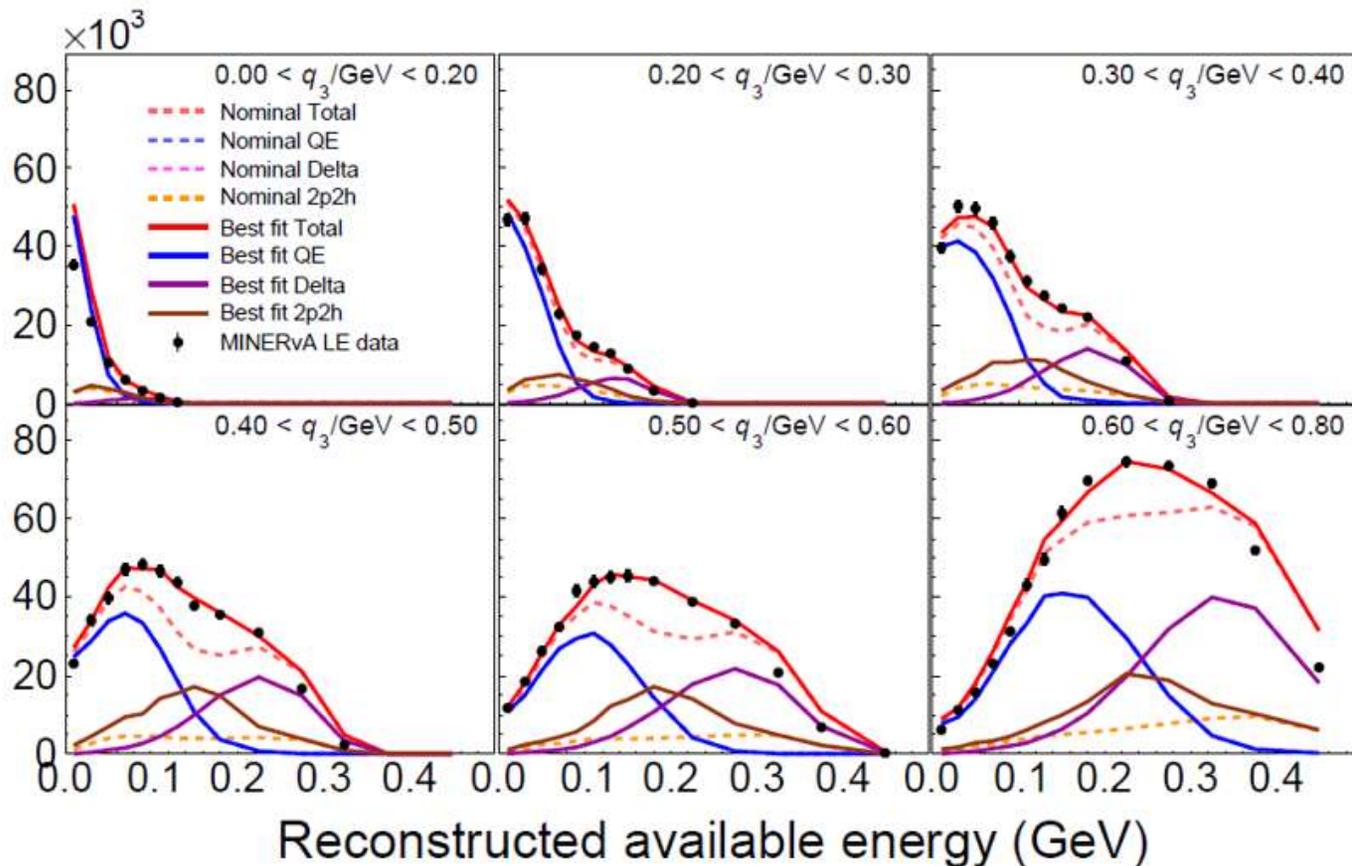
# Takeaway

- Nuclear screening and 2p2h go a long way to explain the data
- BUT, not enough.
  - The dip region between QE and resonant pion production still show the simulation is not representing the data.
- So, what to do....



# The low recoil fit

- Fit a 2D Gaussian in true  $(q_0, q_3)$  as a reweighting function to the 2p2h contributions to get the best agreement
- Does not scale true QE or resonant production.



# Back to exclusives!

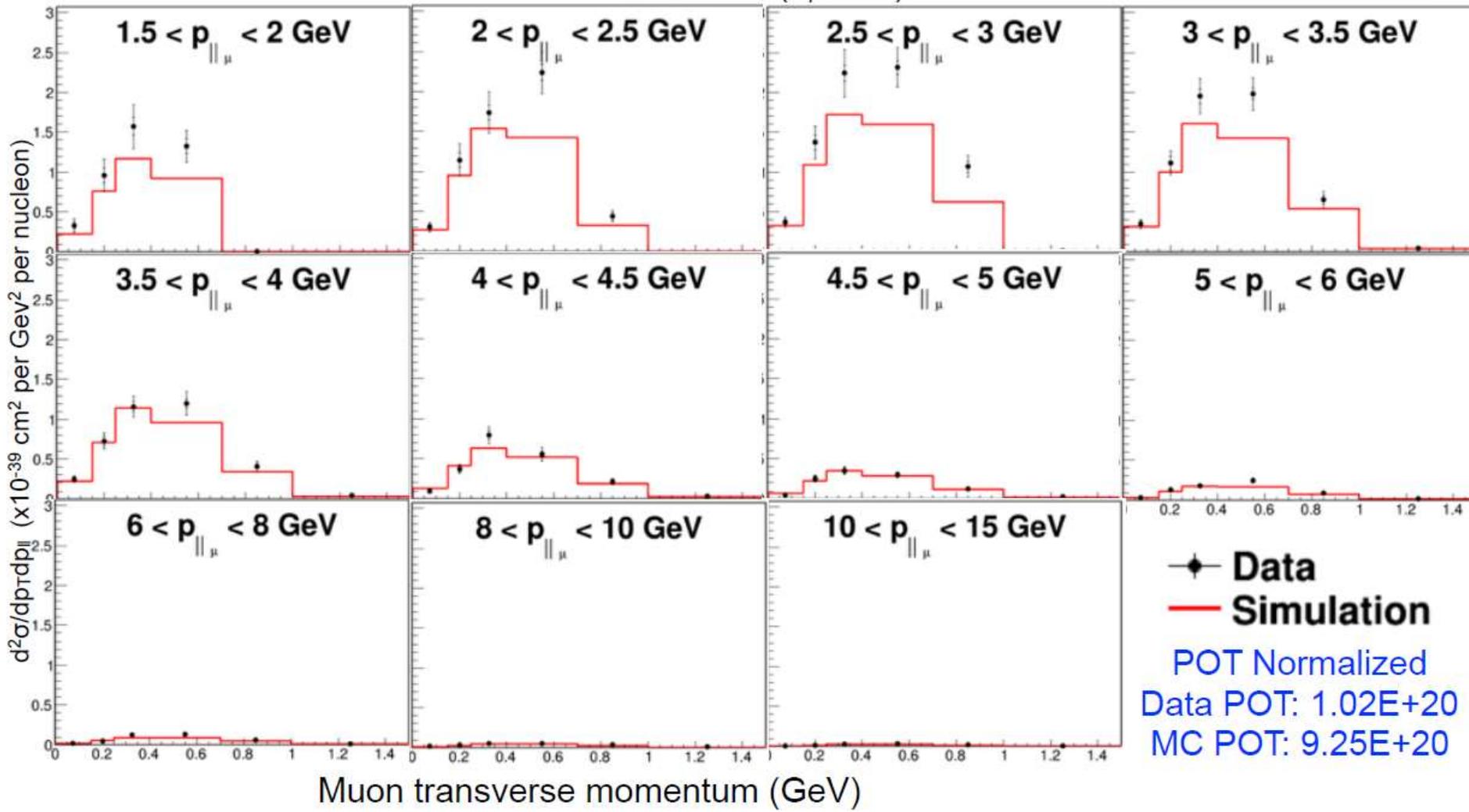
- We now have a **modified simulation** which represents our inclusive data quite well
- Revisit the anti-neutrino result shown at JETP seminar June 17<sup>th</sup>, 2016
- Unveil the new neutrino result

Strategy 1

# Double Differential in $P_t P_{||}$

$\bar{\nu}$  QE-like ( $\theta_\mu < 20^\circ$ )

MINERvA Preliminary



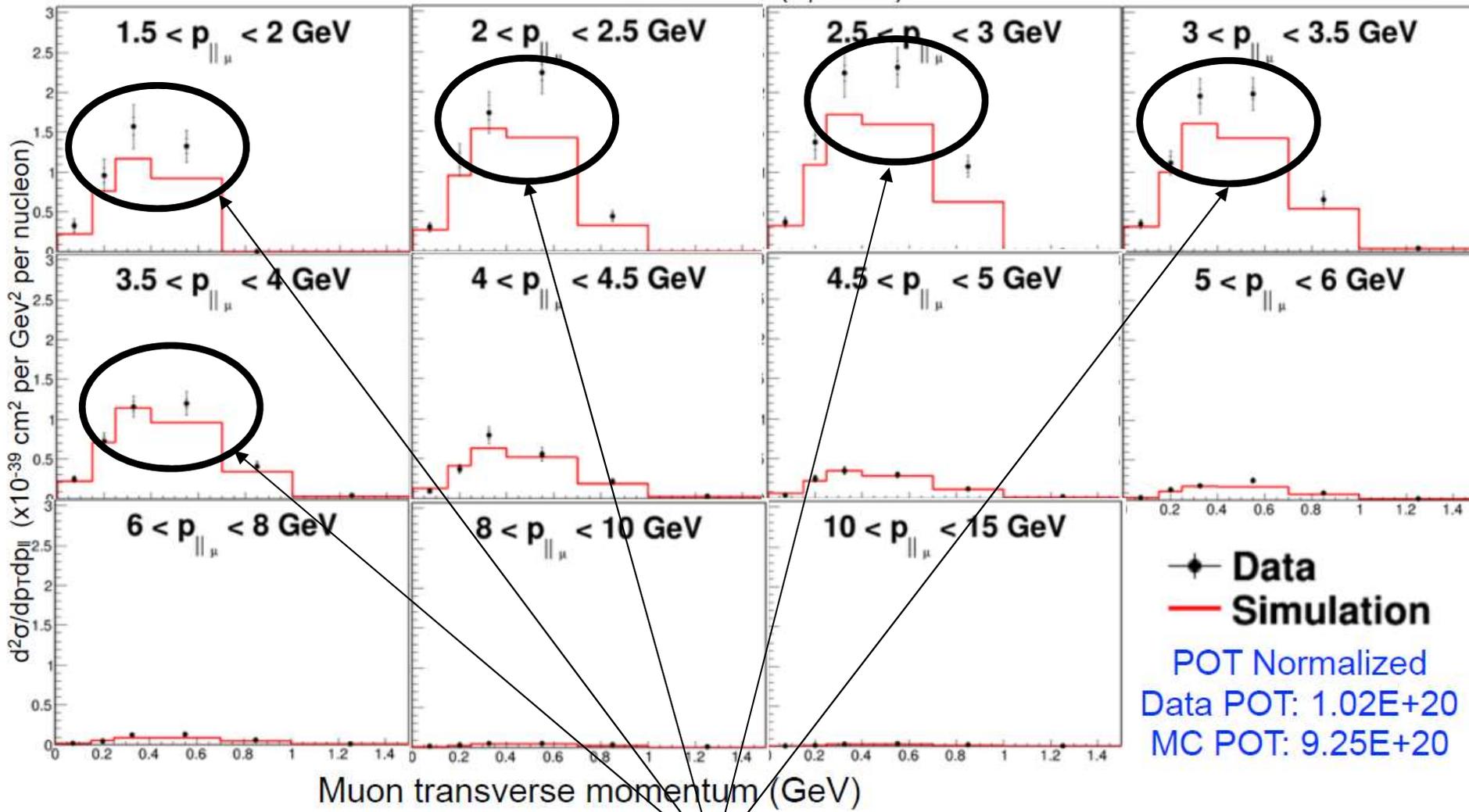
# Antineutrino Result

# Strategy 1

# Double Differential in $P_t P_{||}$

$\bar{\nu}$  QE-like ( $\theta_\mu < 20^\circ$ )

MINERvA Preliminary

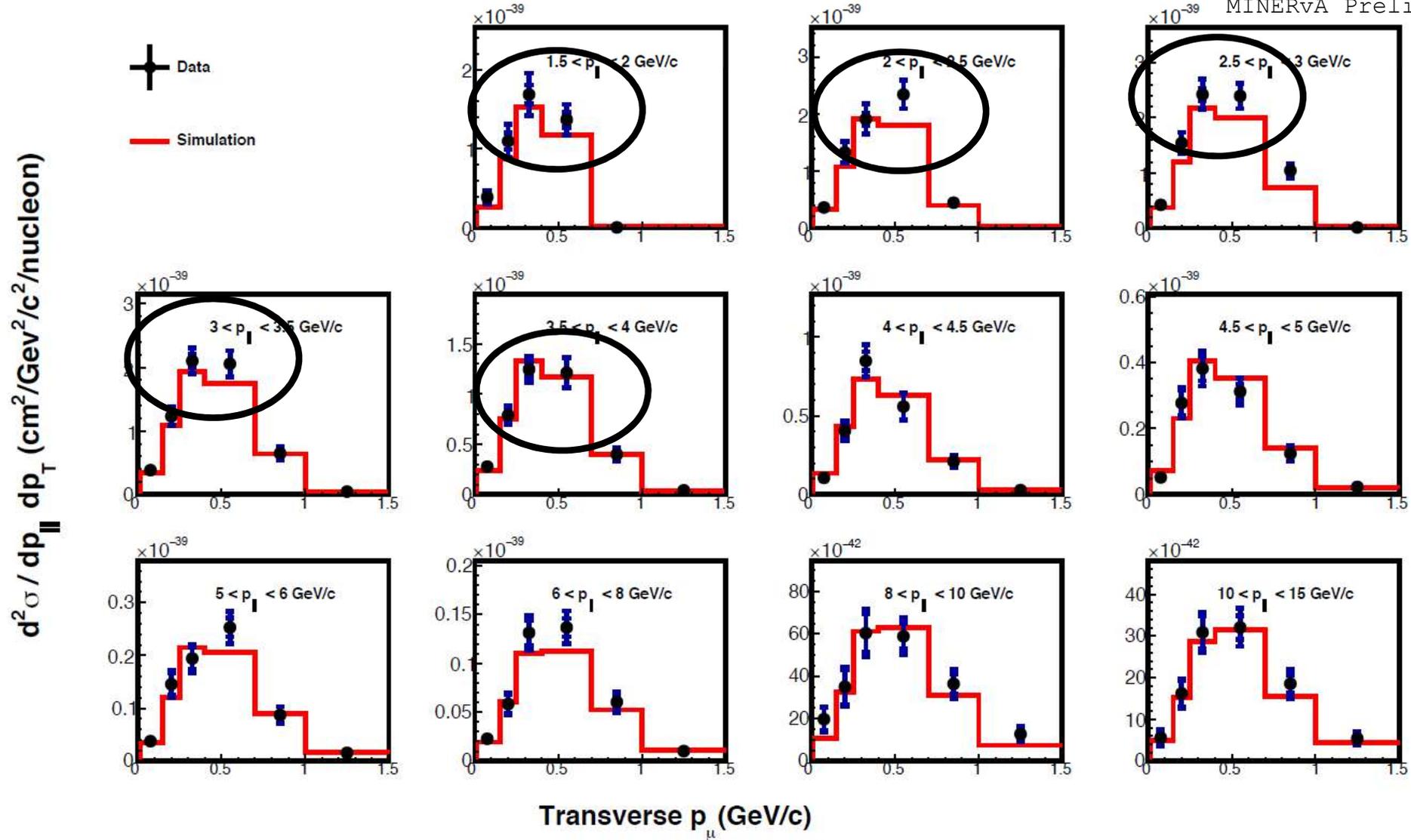


Excess at  $\sim 0.5$  GeV  $P_t$  roughly maps back to the excess regions in the inclusive NEUTRINO analysis – oh that's interesting

# Strategy 1

# Apply the reweight

MINERvA Preliminary



The reweight from the inclusive neutrino fit gives improved agreement in the anti-neutrino result!

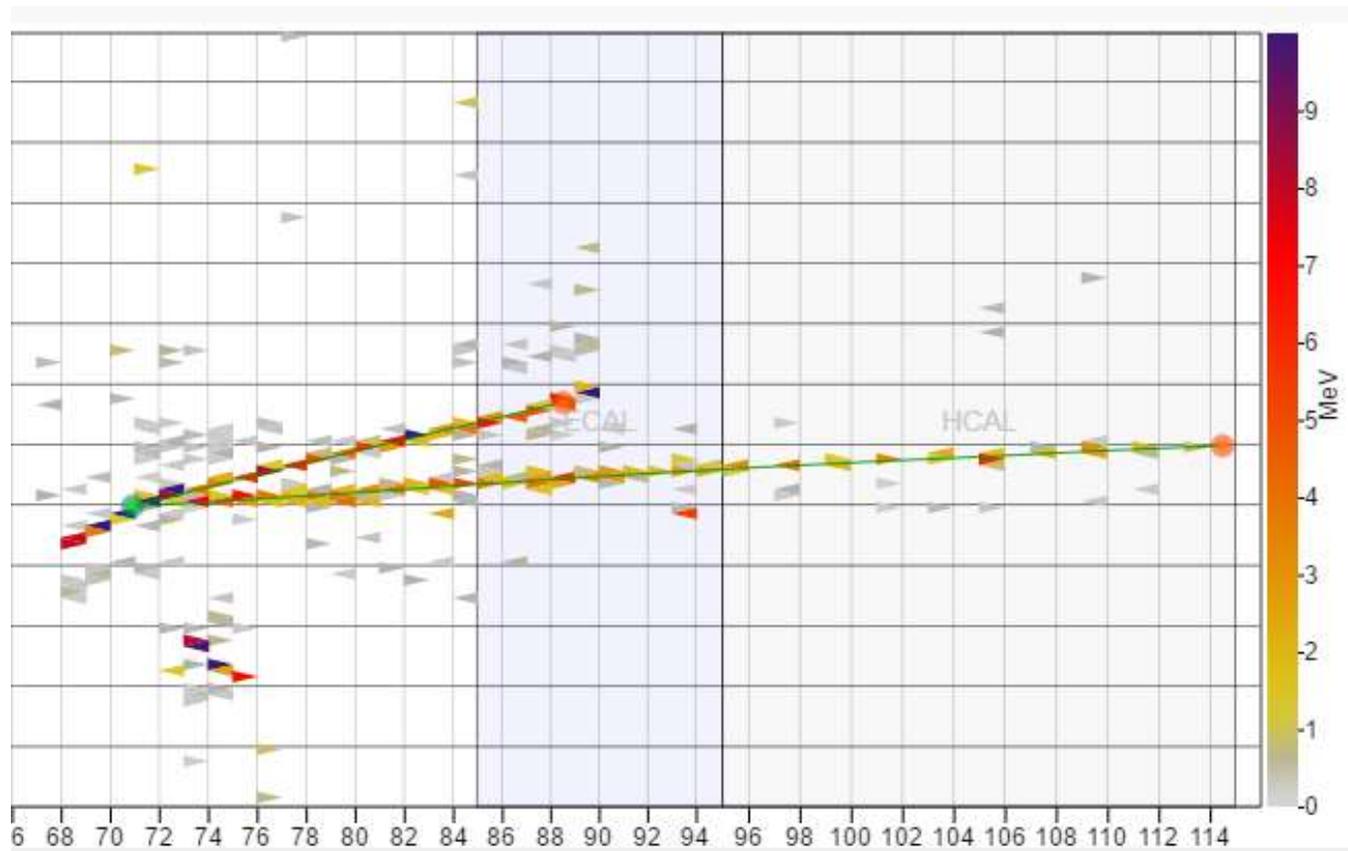
# New Neutrino Results for today

Double Differential  $p_t p_{||}$  cross section

Differential cross sections in  $E_{\nu, QE}$  and  $Q^2_{QE}$

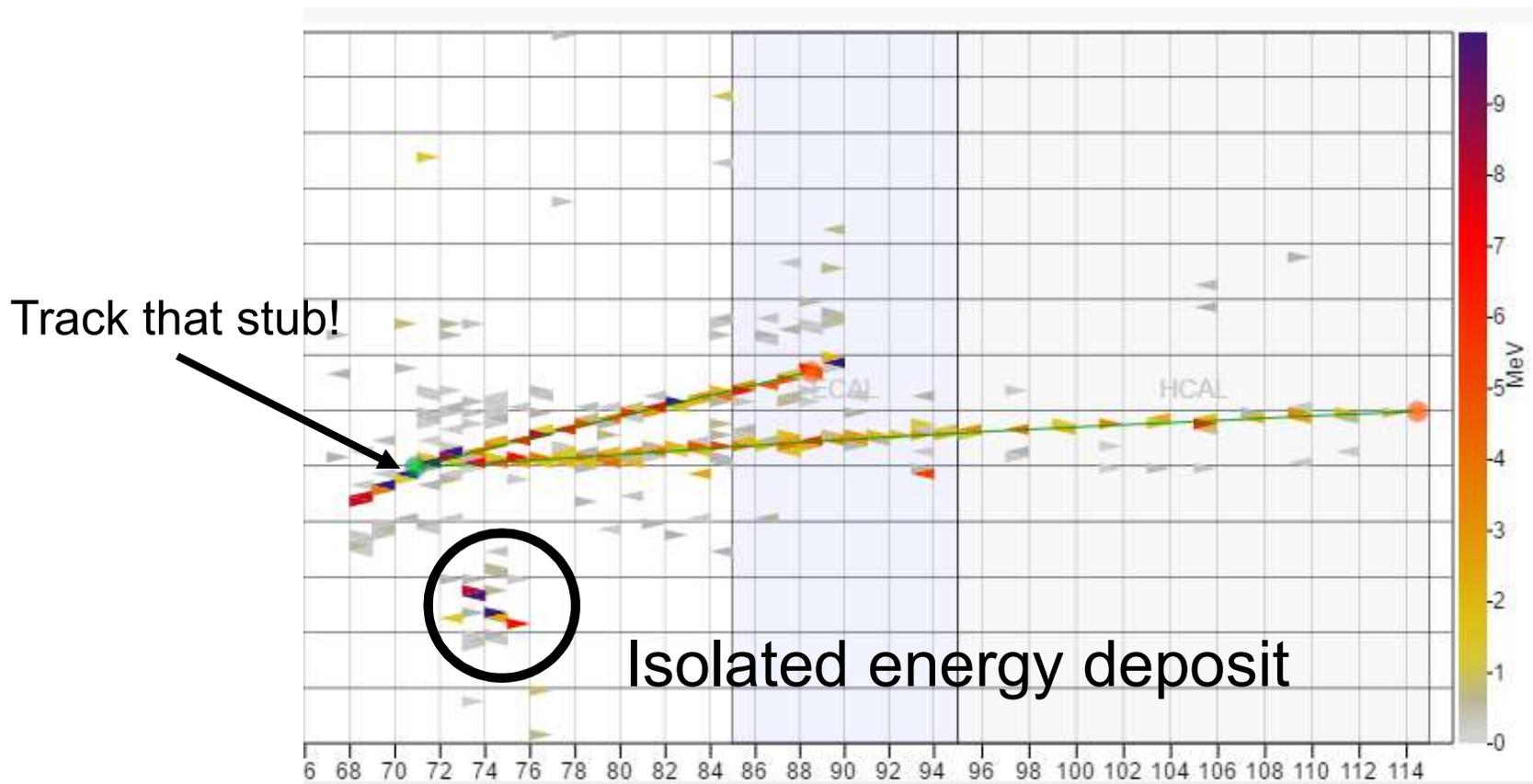
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- Strategy 2 –Track pions and protons
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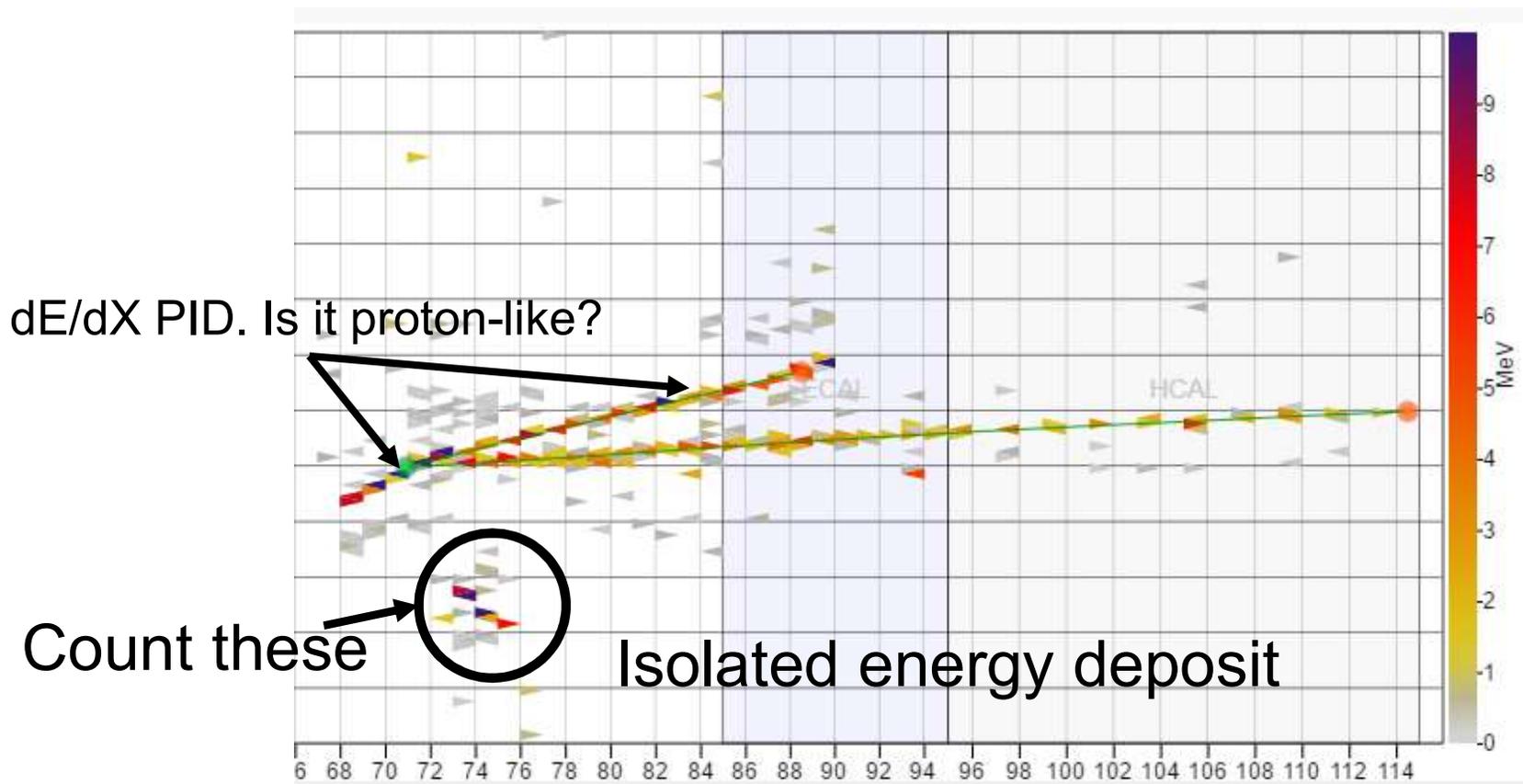
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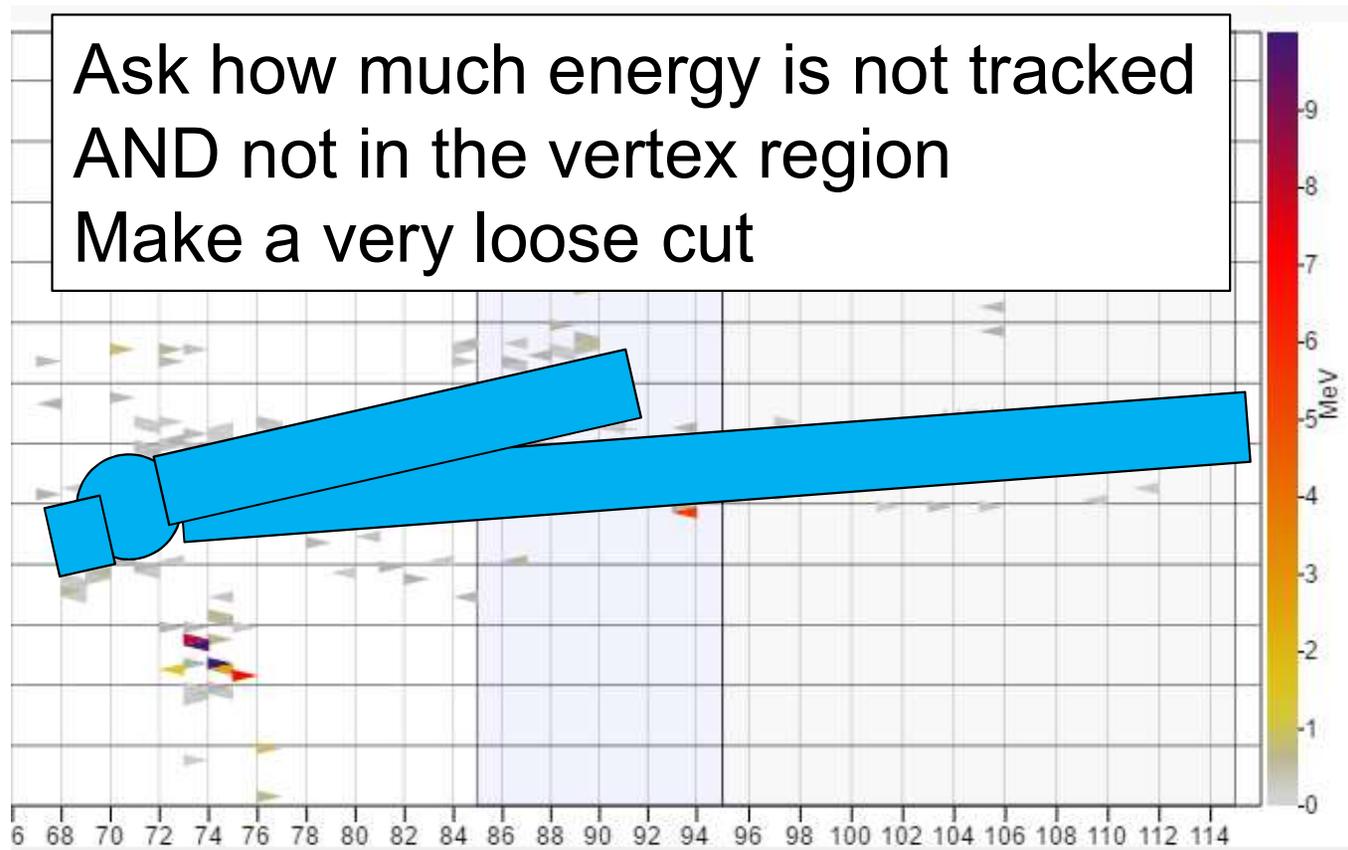
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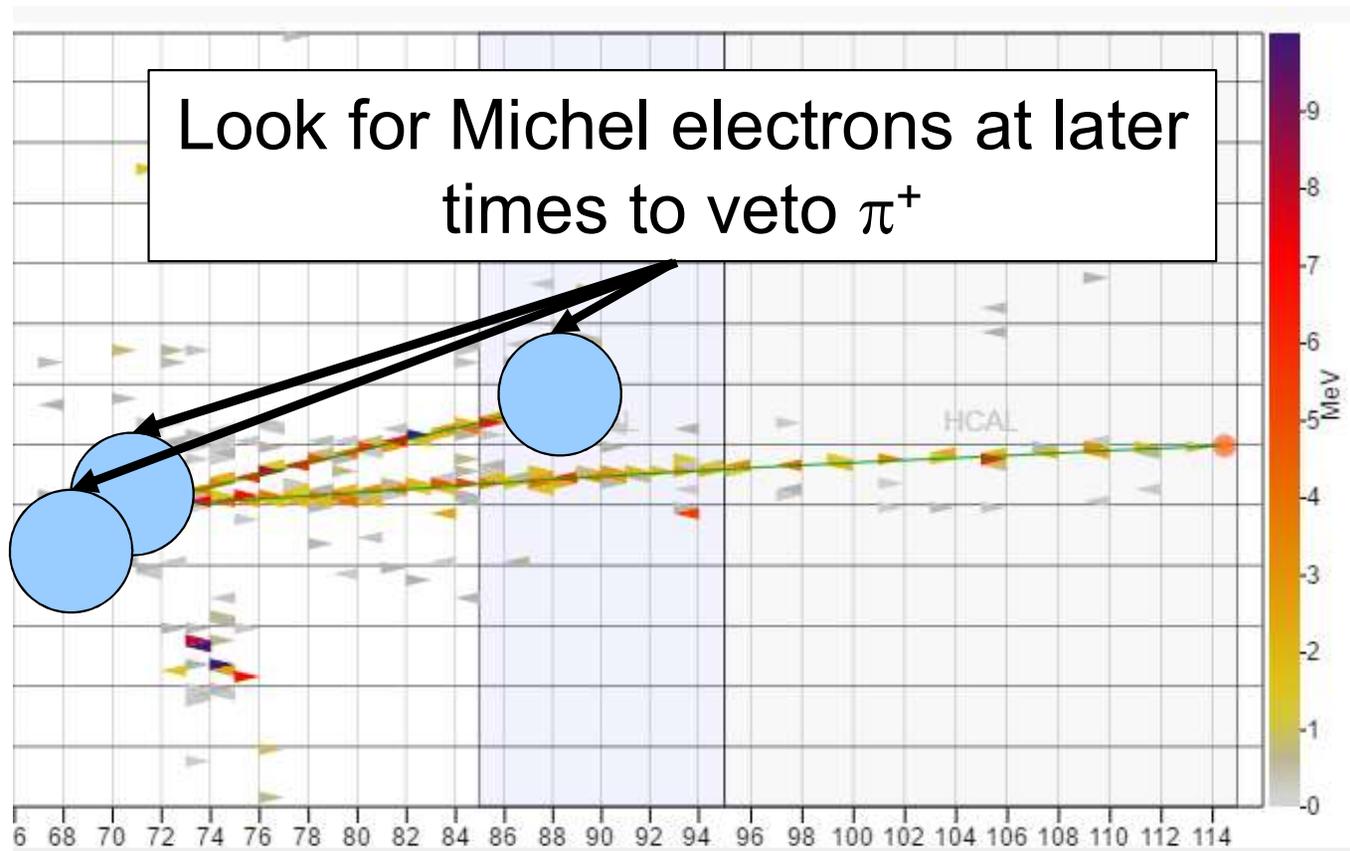
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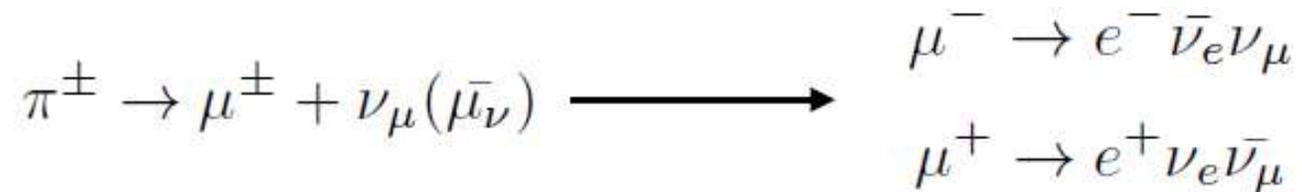
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# An aside.

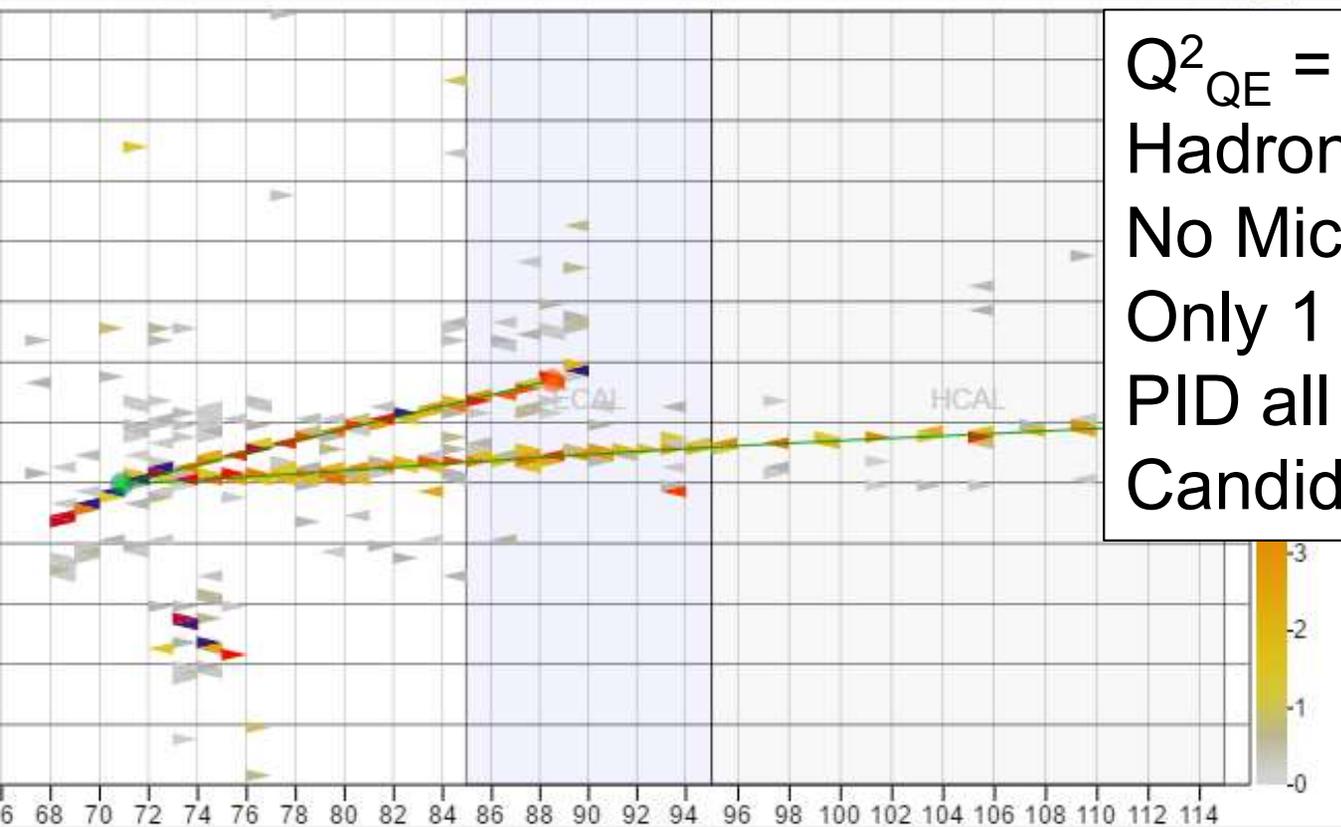
- Much harder for an anti-neutrino analysis
- Anti-neutrino interactions produce predominantly  $\pi^-$  which decay to  $\mu^-$  which typically capture



- Therefore, no Michel electrons, bummer.

# What does MINERvA say about quasi-elastic processes?

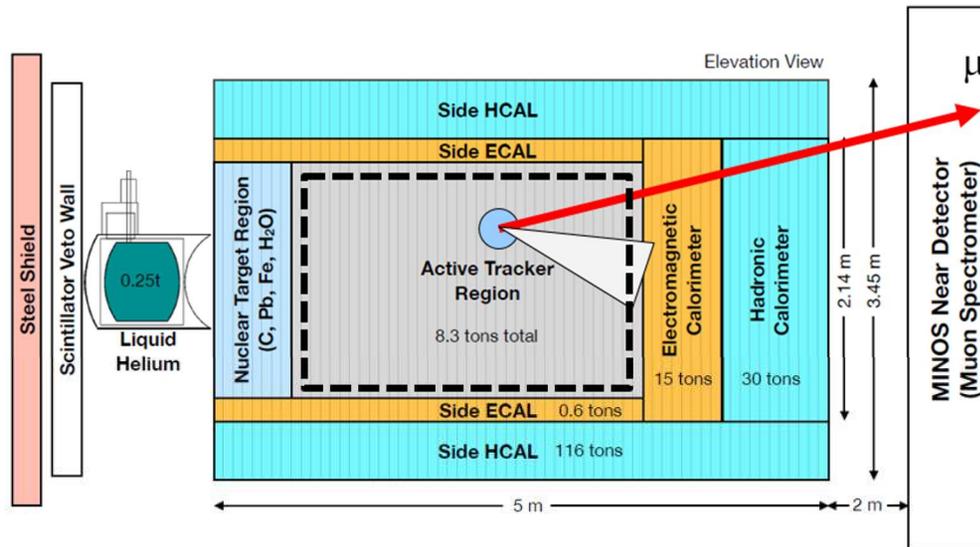
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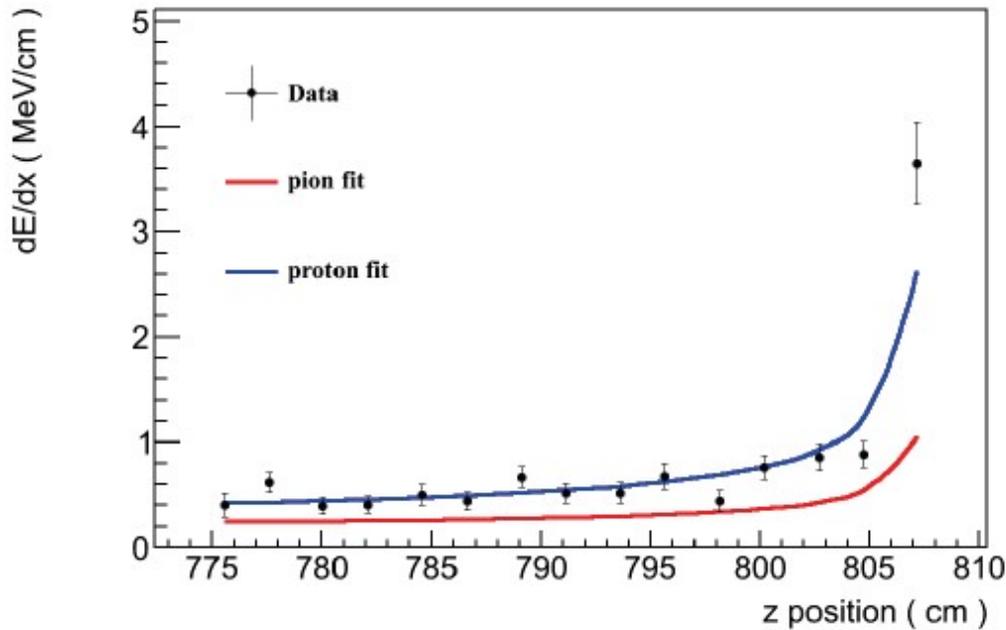
$Q^2_{QE} = 0.11 \text{ GeV}^2$   
Hadronic Recoil = 198 MeV  
No Michel electrons  
Only 1 isolated energy deposit  
PID all proton-like  
Candidate!!!

# Signal definition

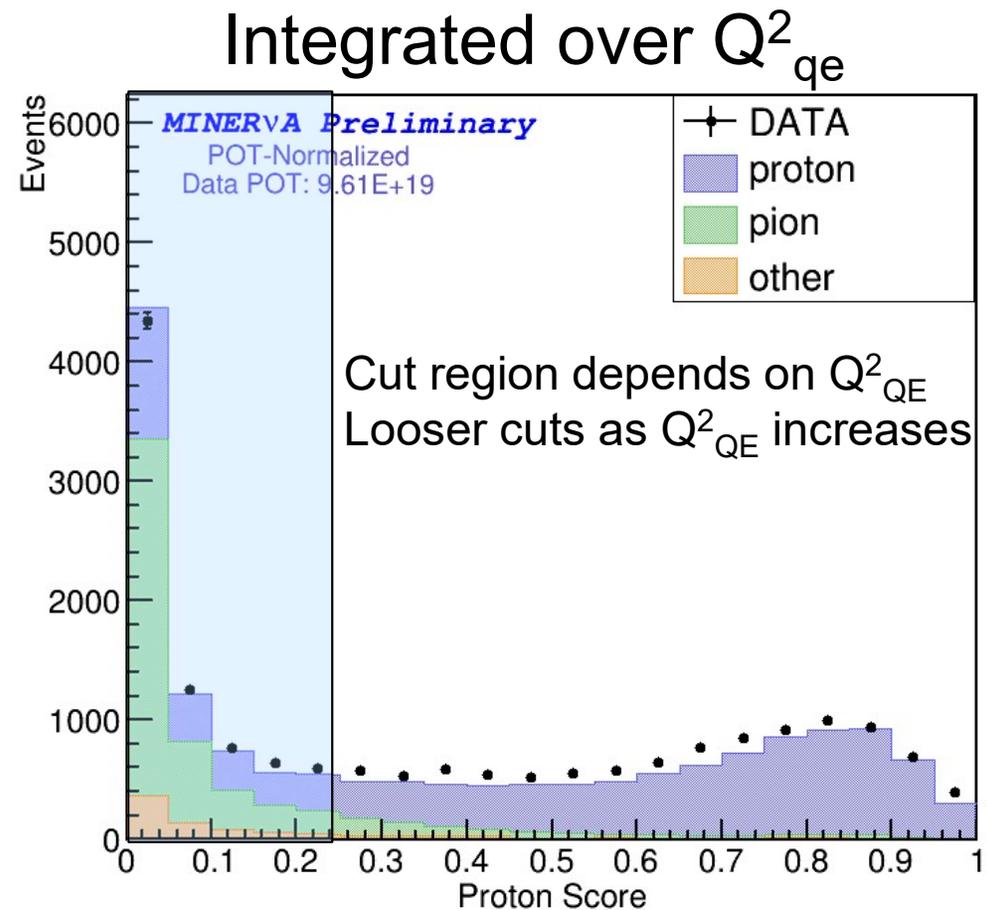
- QE-Like – Defined by particles exiting the nucleus
  - Any number of nucleons of all energy
  - **No pions**, heavy baryons etc
- Additional constraints
  - True muon angle  $< 20.0$  degrees because of the MINERvA-MINOS acceptance



# PID broken down by particle

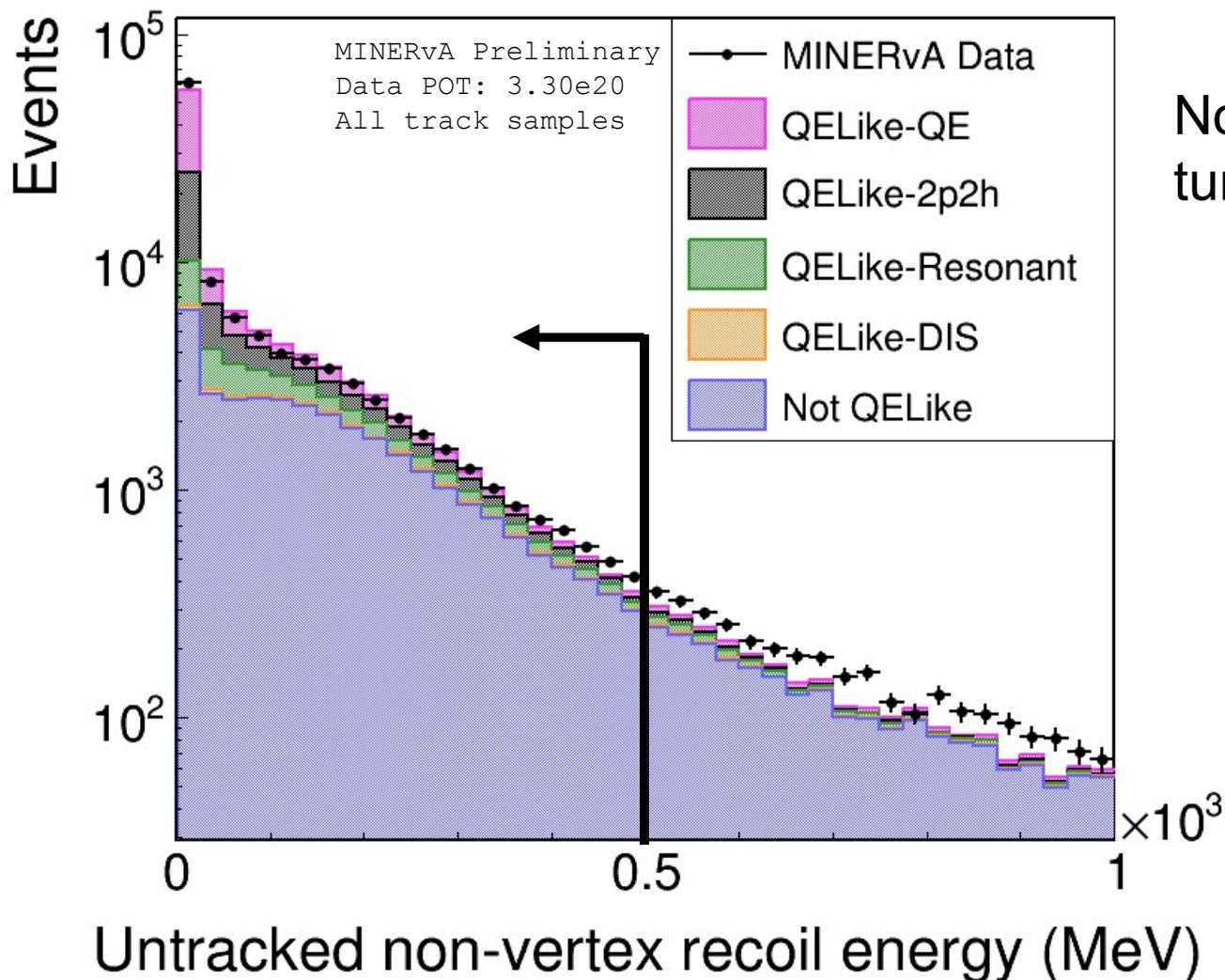


- This is applied to all tracks which are not the muon
- Loosen cut as  $Q^2_{QE}$  increases because protons are harder and interact more



# Hadronic Recoil

- Very loose cut on the untracked energy outside the vertex region.
- Sample here passes the rest of the selection.



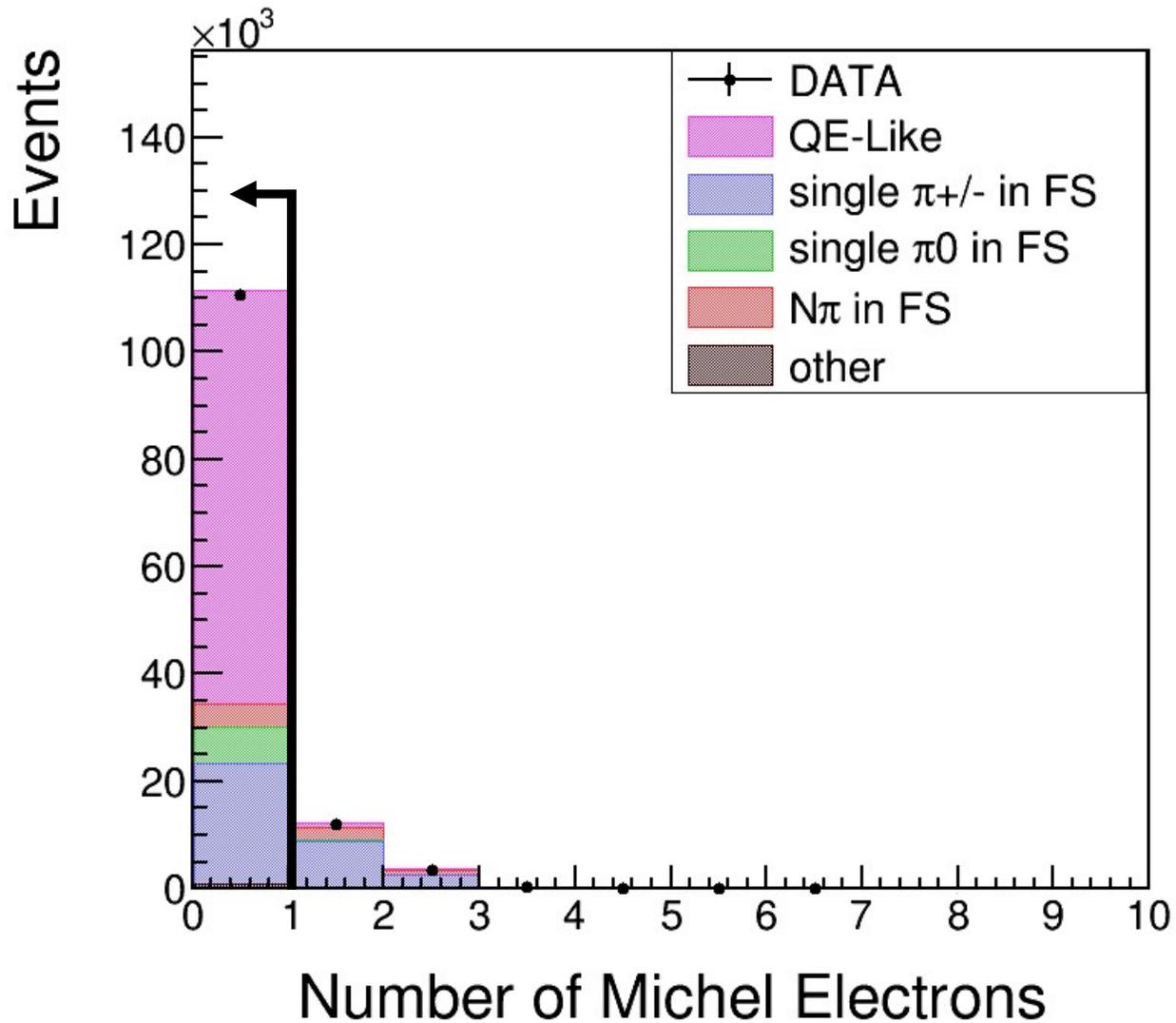
No background  
tuning applied

# Also....

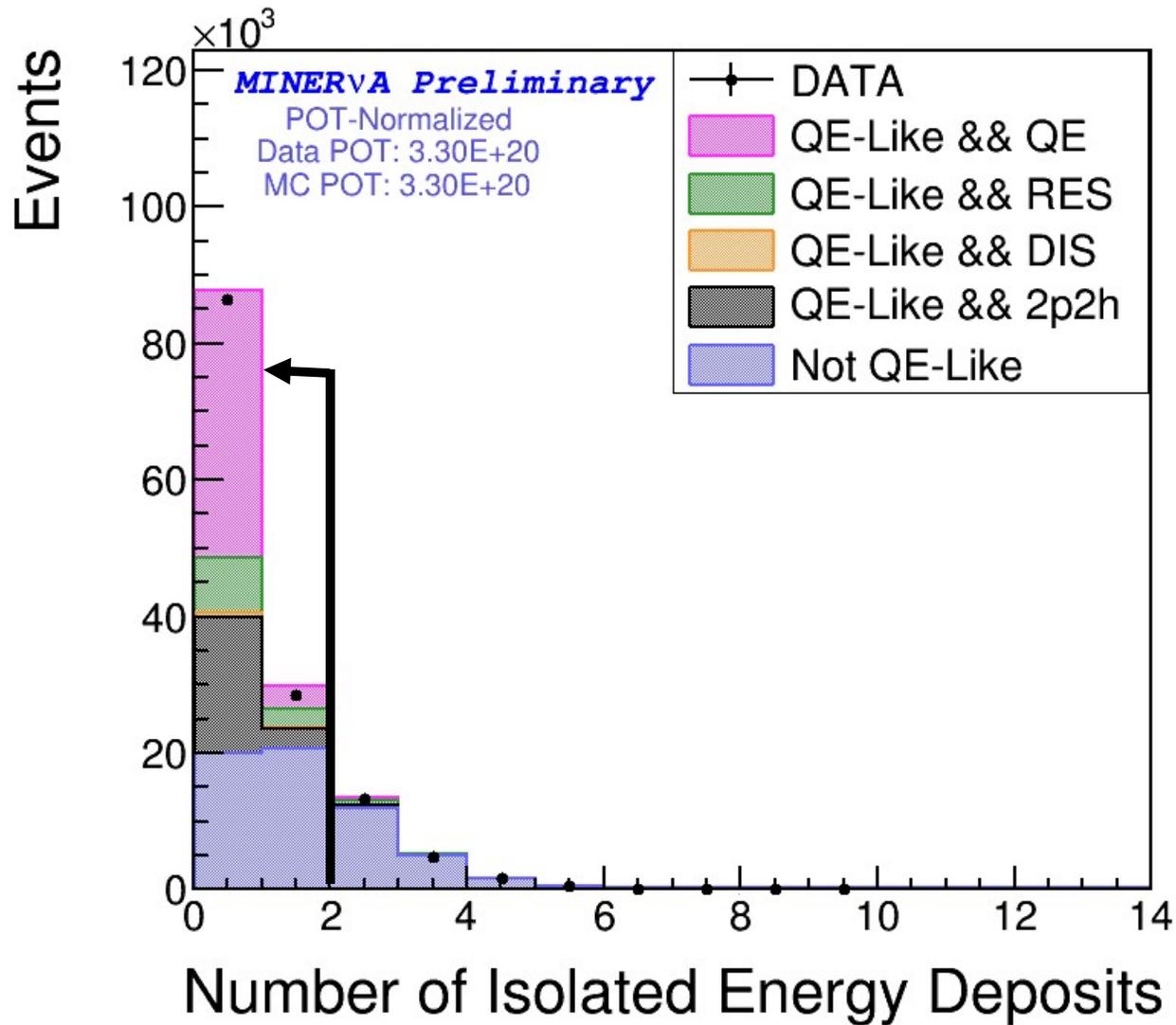
## The Sidebands

- Reject events with Michel electrons
  - Reject events with 2 or more isolated clusters of energy
- 
- In addition:
    - MINOS restricts our acceptance to about 20 degrees. Make a cut rejecting the VERY few events with angles greater than 20 degrees.

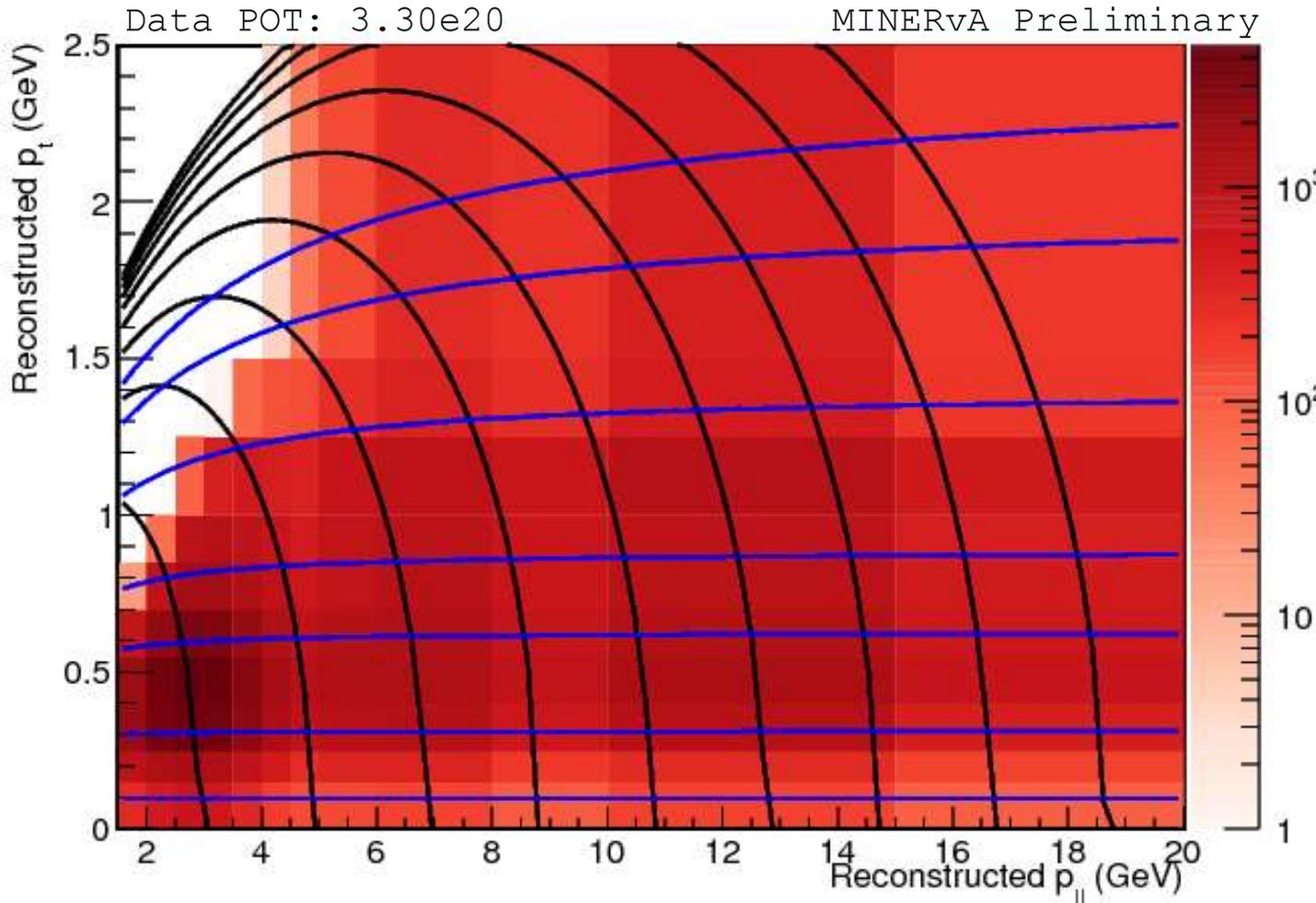
# Number of Michel Electrons



# Isolated energy deposits



# Final Selected Sample



$10^3$  1-track sample  
62159 events  
 $10^2$  2+track sample  
46074 events  
10  
1

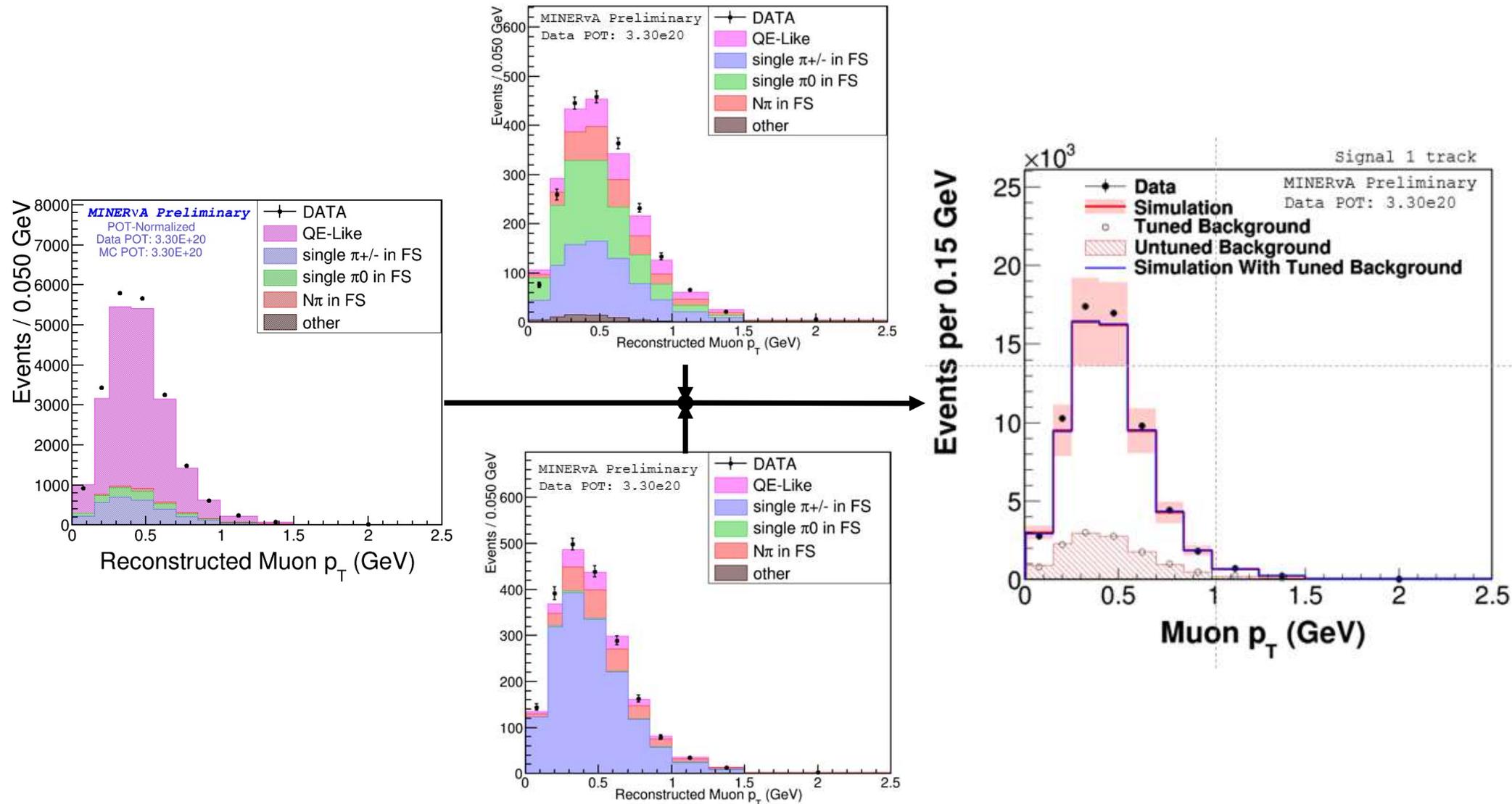
Lines of constant  $E_{\nu,qe}$  [3,7,11,15,19]

Lines of constant  $Q^2_{qe}$  [0.01,0.1,0.4,0.8,2.0,4.0,6.0] 56

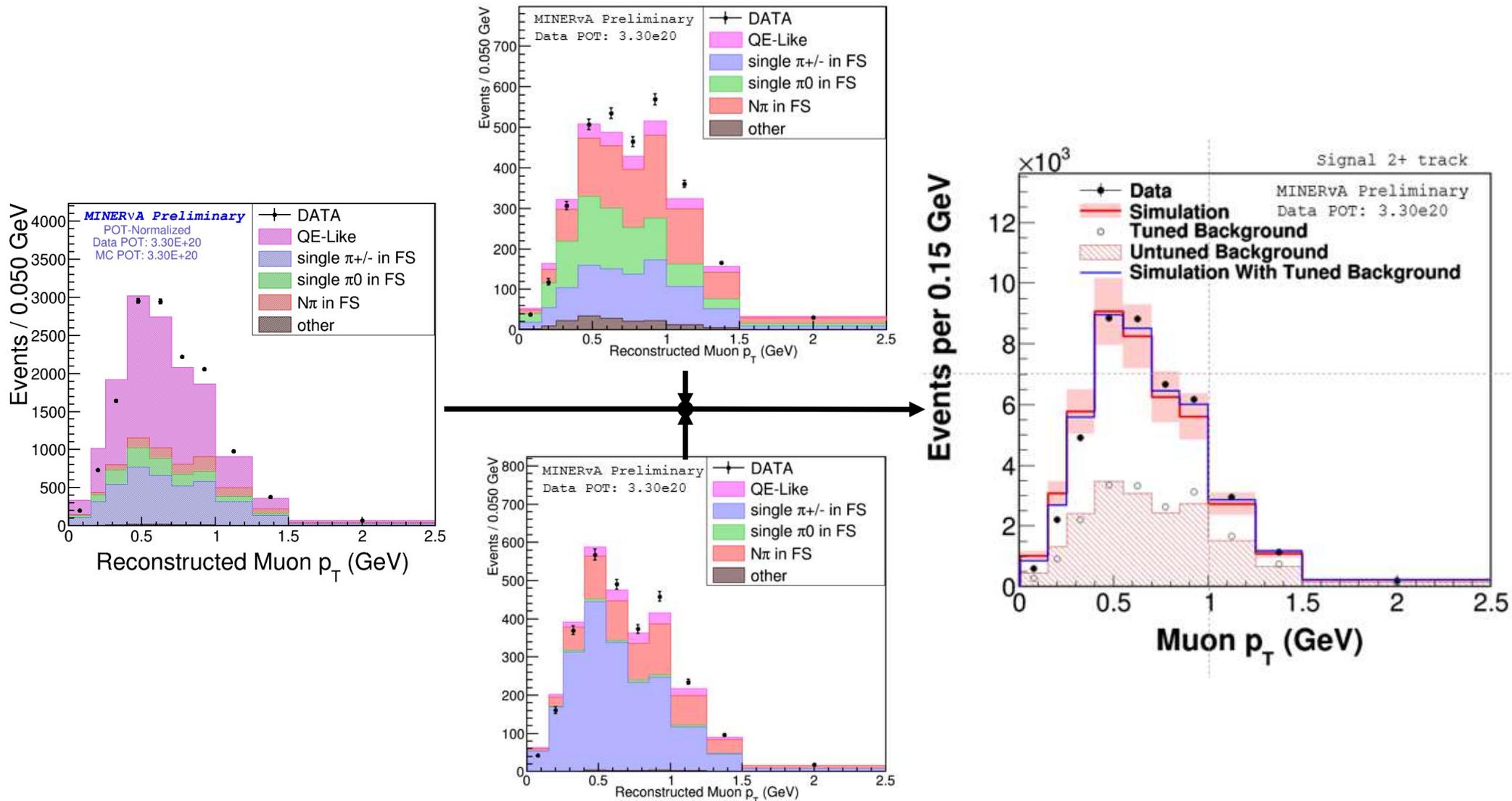
# Background Subtraction Methodology

- Two side band samples:
  - Isolated energy deposits and Michel electron
- Idea is one constrains charged pions and the other neutral pions
- Extract scaling factors to apply to  $\pi^{+/-}$  and  $\pi^0$ 
  - In  $p_t$ , bin-by-bin or sum of bins depending on statistics

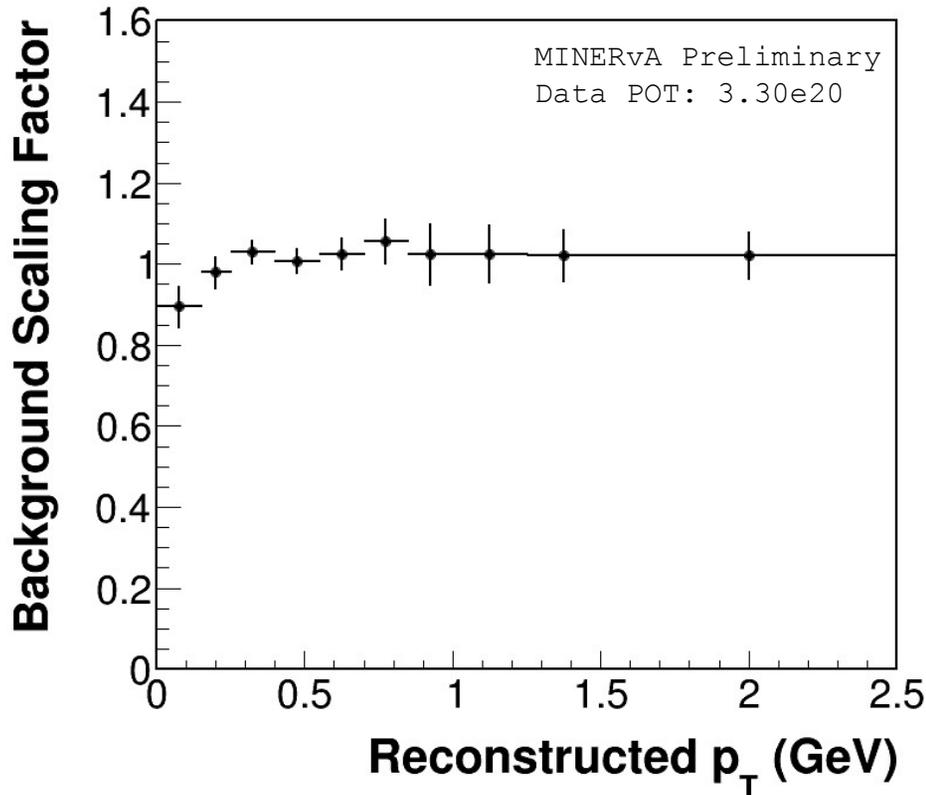
# Selection and background constraint: 1-track sample



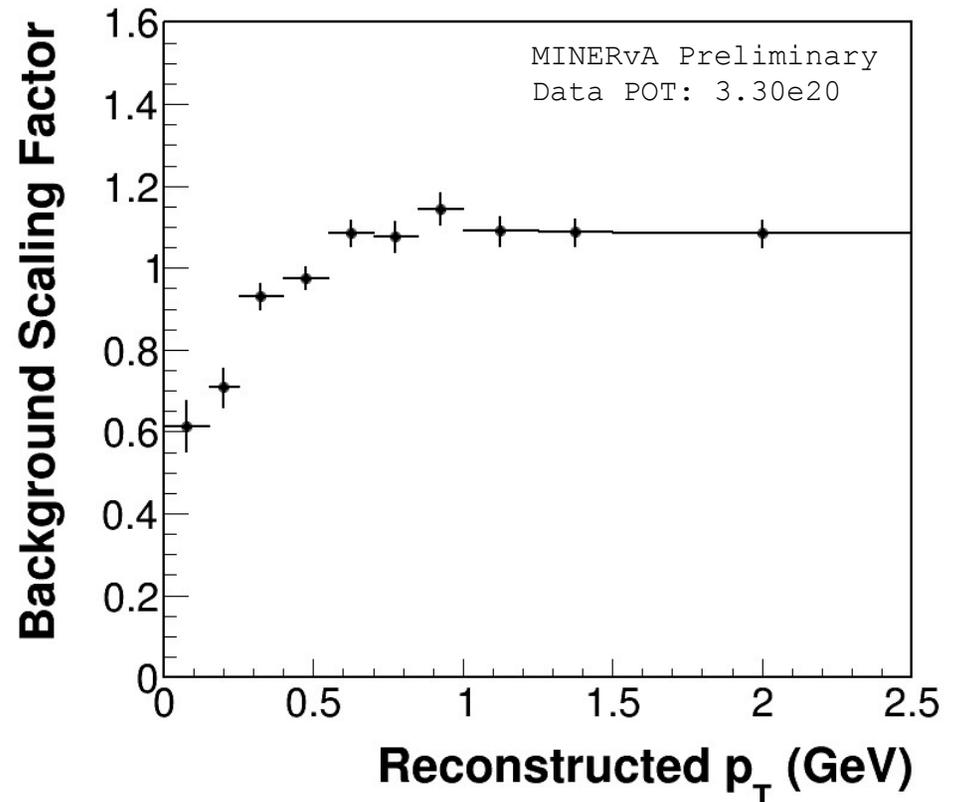
# Selection and background constraint: 2+-track sample



# Scaling Factors

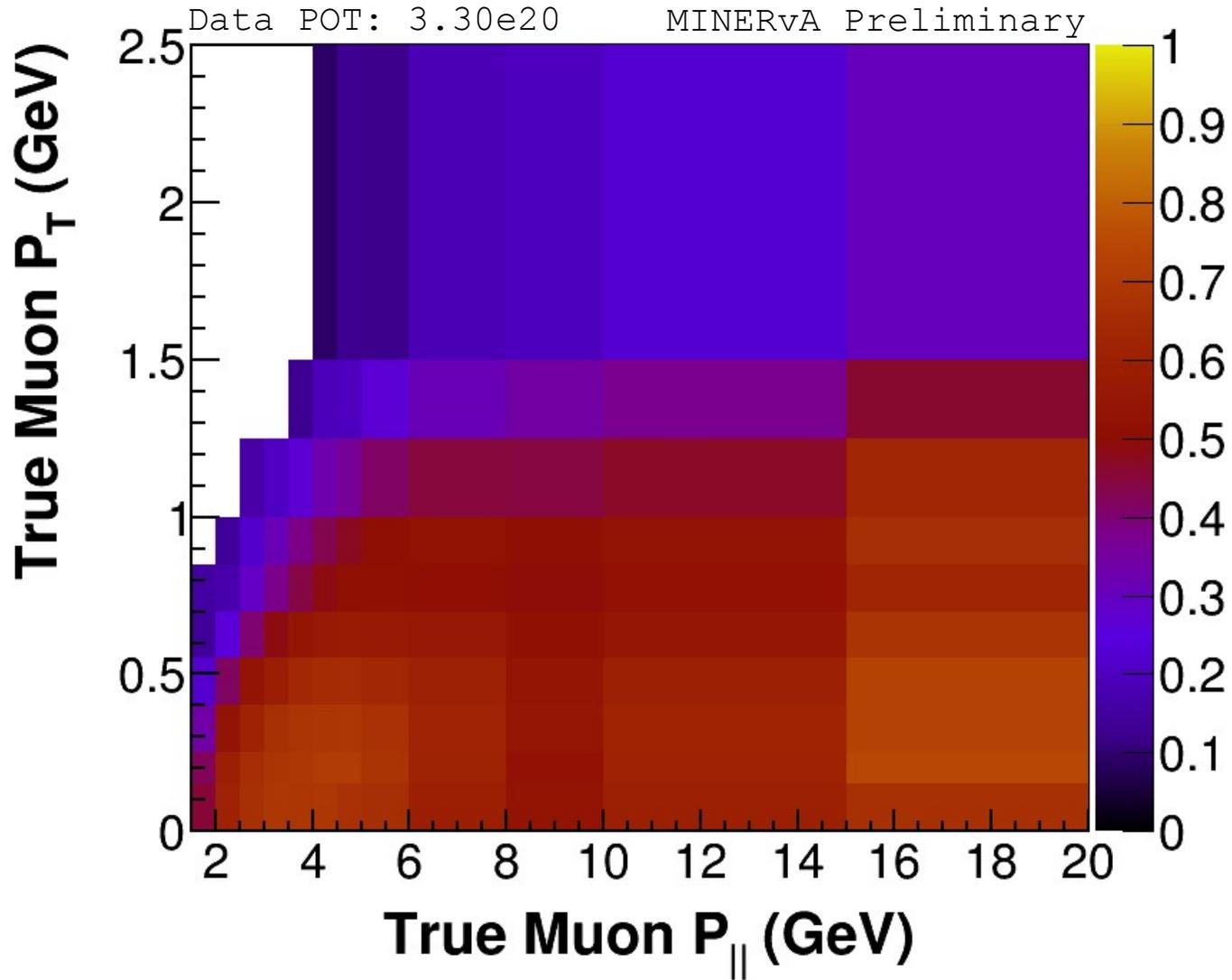


1-track sample

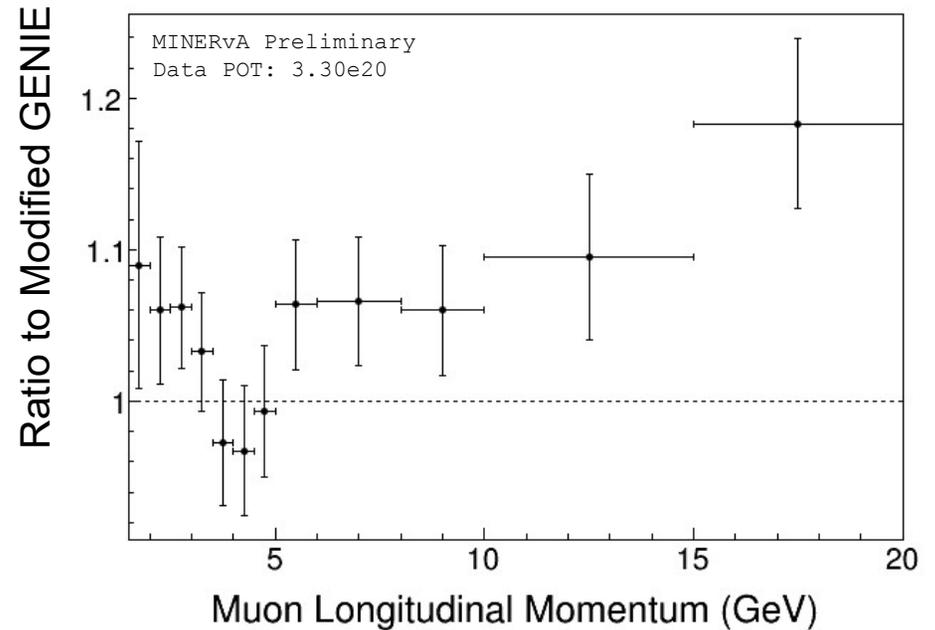
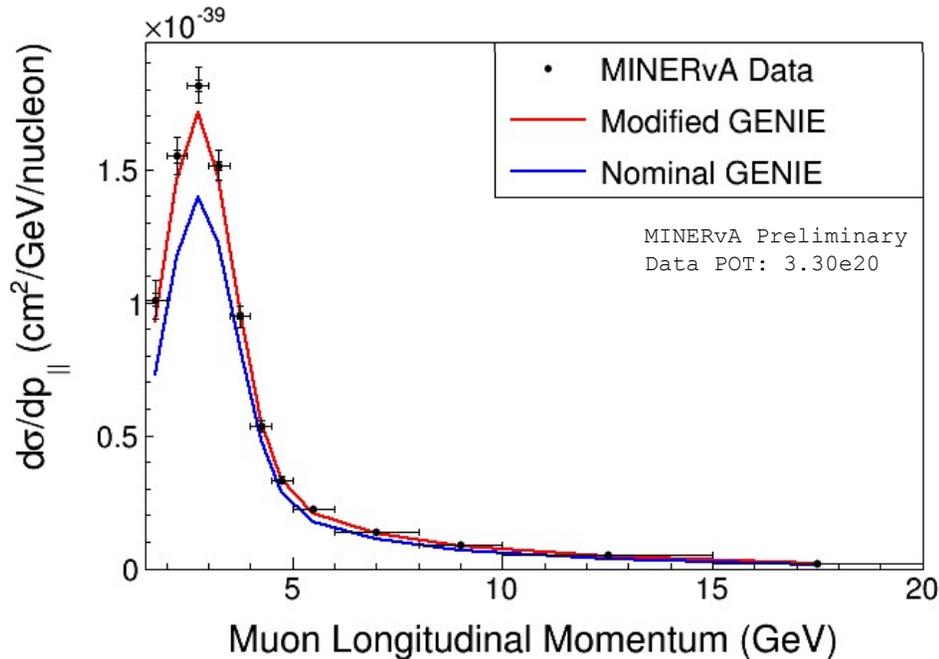


2+-track sample

# Efficiency

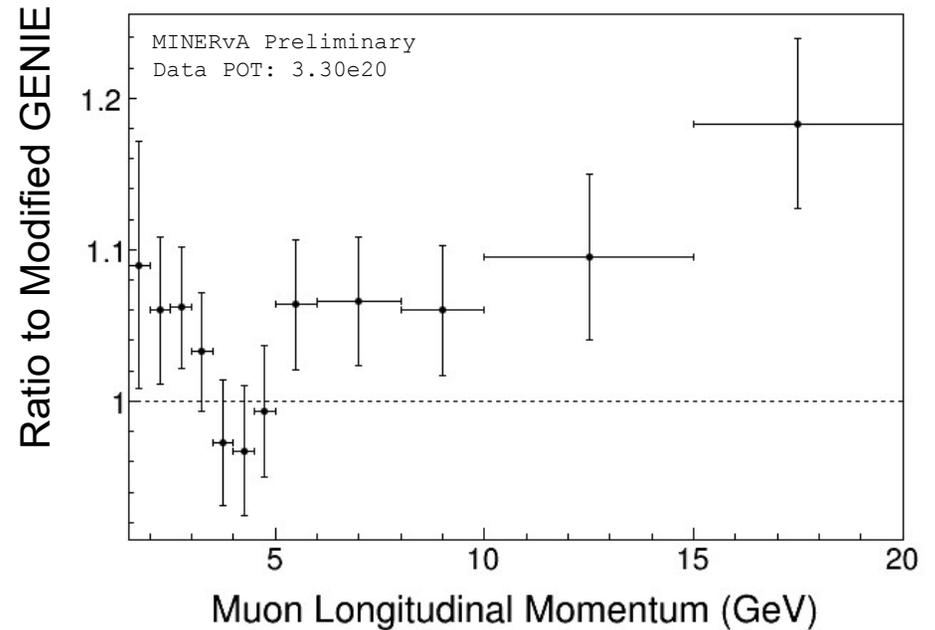
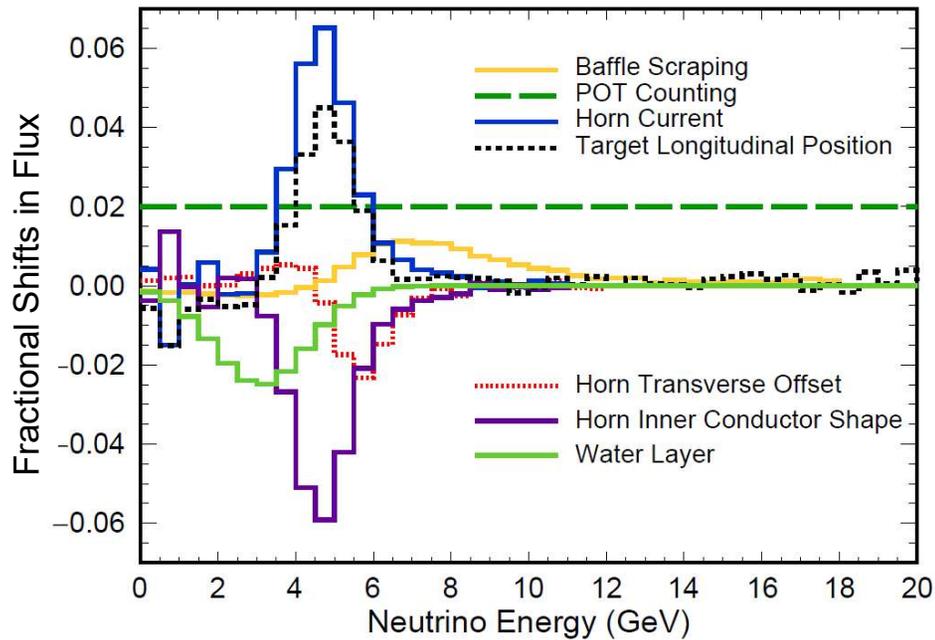


# Quickly look at 1D versions



- In the  $\sim 3-5$  GeV region the flux focusing systematics dominate
- This is right at the falling edge of the flux peak

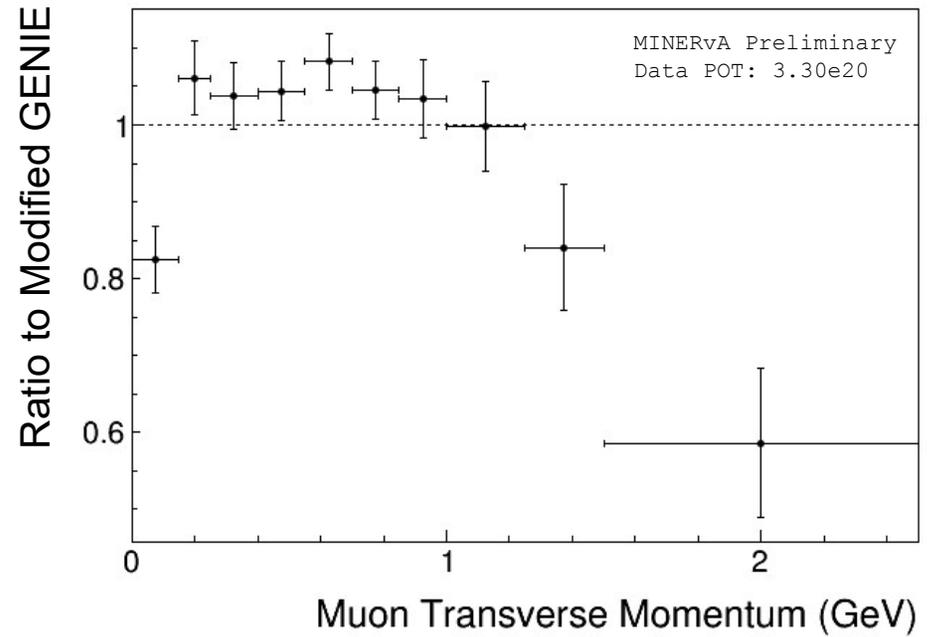
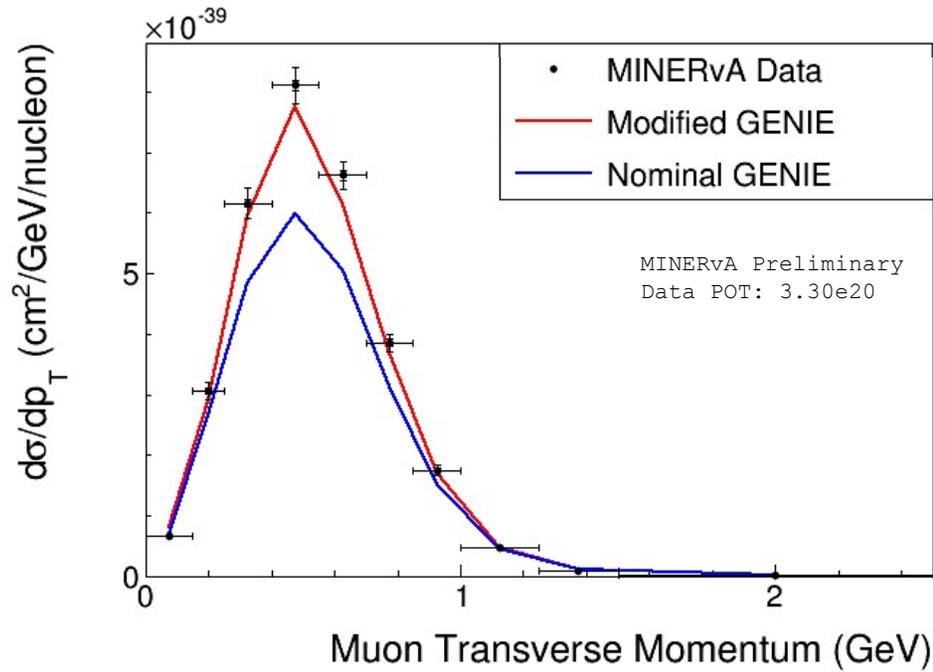
# Quickly look at 1D versions



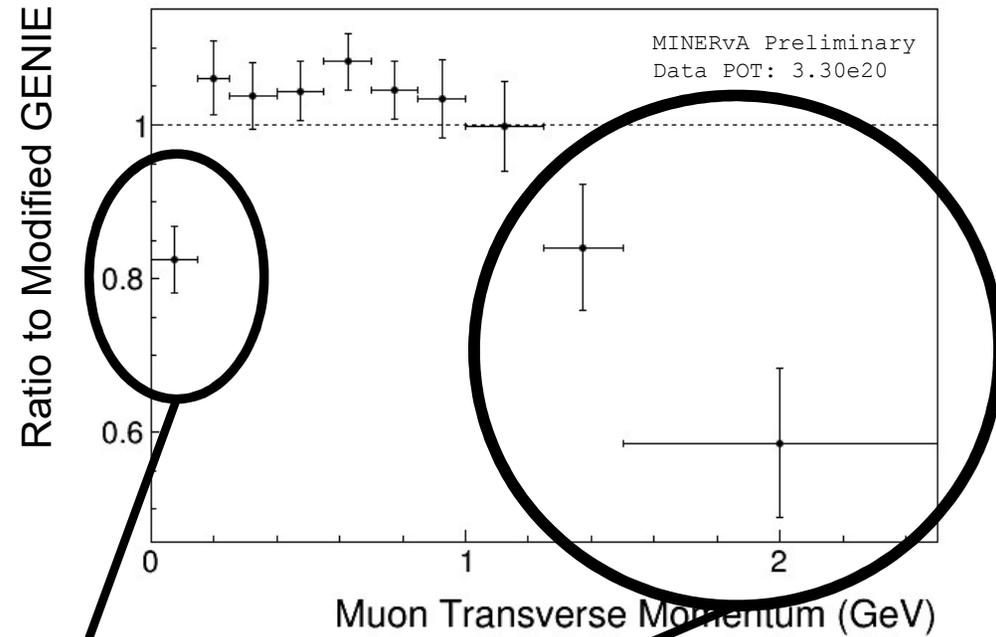
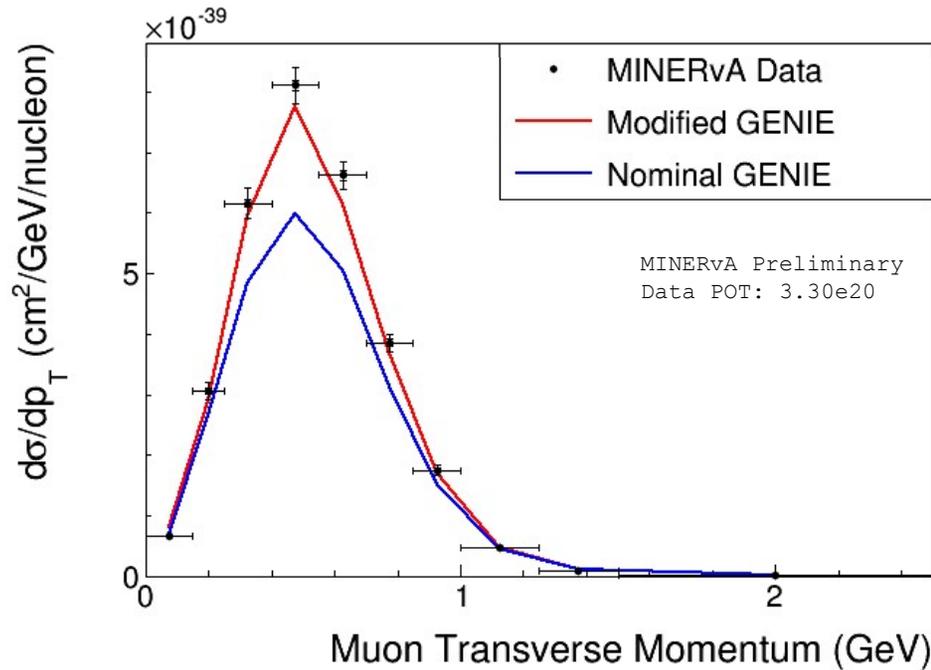
Phys. Rev. D 94, 092005 (2016)

The focusing uncertainties are sufficient to cover this deviation

# Quickly look at 1D versions

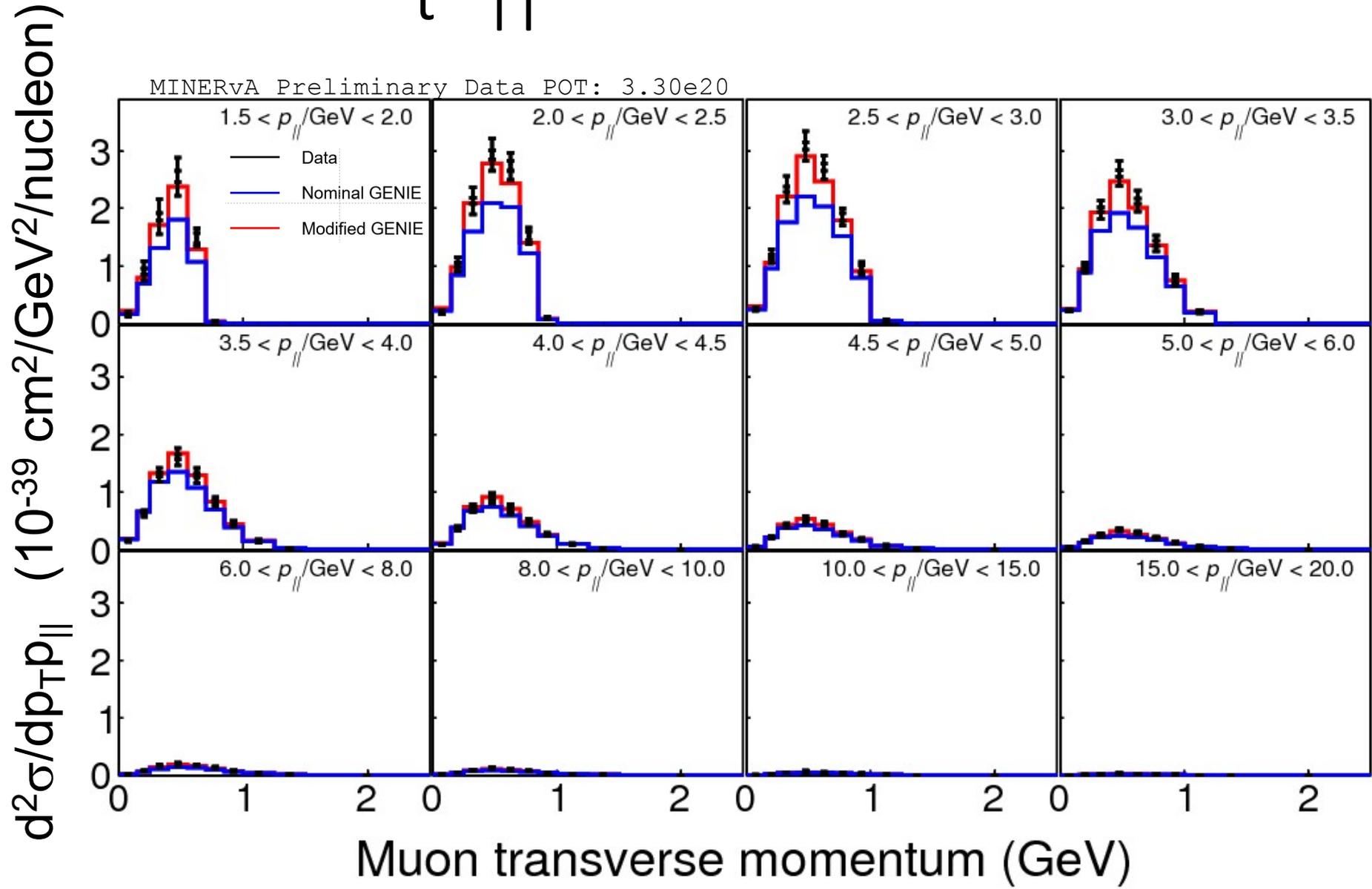


# Quickly look at 1D versions

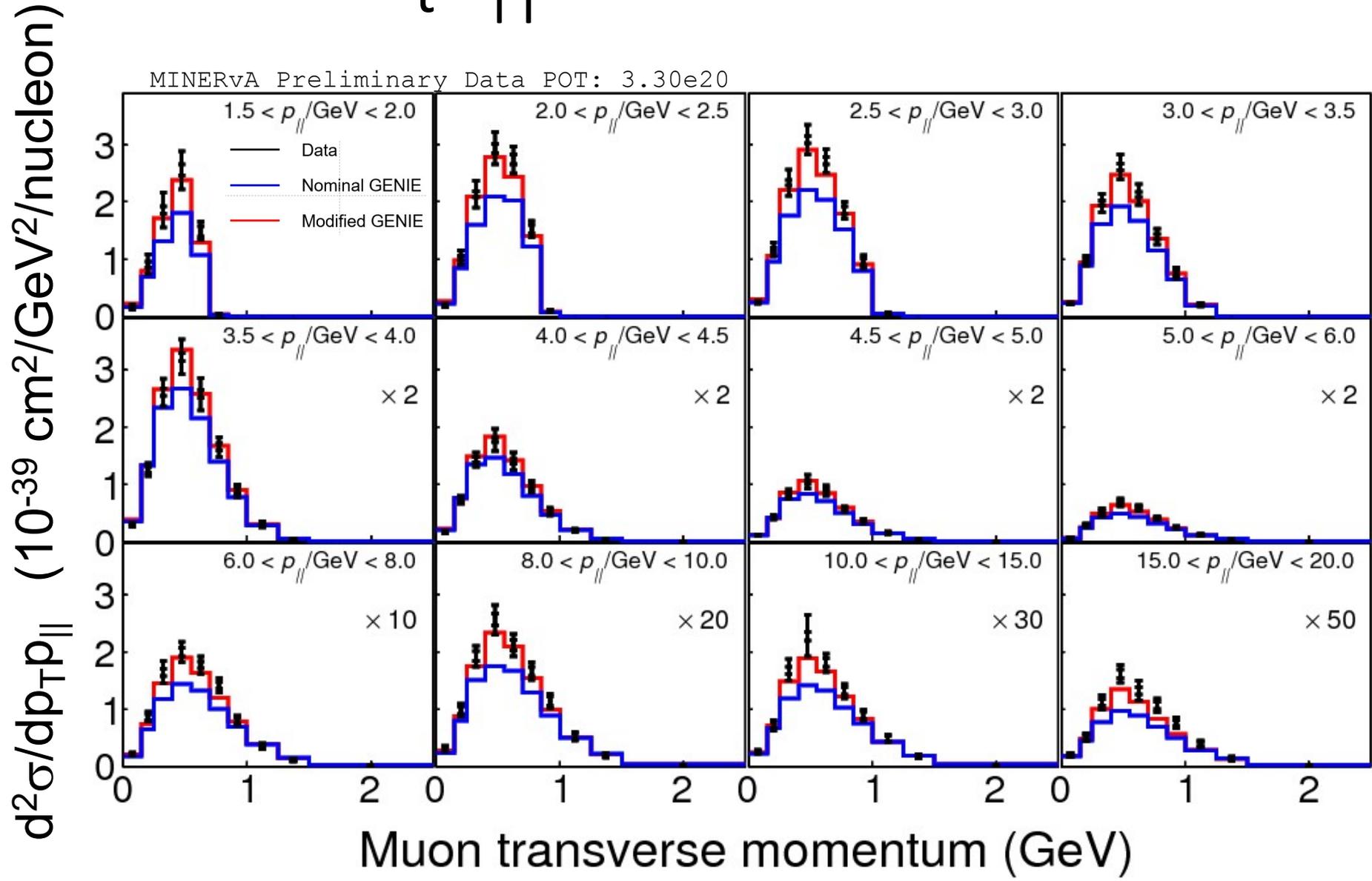


Let's go look at these in the 2D cross section

# $P_t P_{||}$ Cross Section



# $P_t P_{||}$ Cross Section



# Systematic Uncertainties

—	Data	- - - - -	Statistical
—	Low Recoil Fit	—	Flux
—	FSI Models	—	Muon Reconstruction
—	Interaction Models	—	Others

- **Low Recoil fit** – Do the fit but varying only  $nn$  or  $np$  or QE components. Add in quadrature. Dominant in mid  $P_t$  bins which have the highest fraction of 2p2h events

# Systematic Uncertainties

—	Data	- - - - -	Statistical
—	Low Recoil Fit	—	Flux
—	FSI Models	—	Muon Reconstruction
—	Interaction Models	—	Others

## ■ Muon Reconstruction-

- 11MeV shift from MINERvA material assay
- 30 MeV shift from energy deposition per cm
- 2% for energy by range MINOS
- 0.6% > 1GeV or 2.5% <1GeV if measured by curvature
- Added in quadrature

# Systematic Uncertainties

—	Data	- - - - -	Statistical
—	Low Recoil Fit	—	Flux
—	FSI Models	—	Muon Reconstruction
—	Interaction Models	—	Others

- **FSI Models**- what particles get out of the nucleus and energy sharing between nucleons and pions
- Dominated by pion absorption
  - Background—>signal migration strength

# Systematic Uncertainties

—	Data	- - - - -	Statistical
—	Low Recoil Fit	—	Flux
—	FSI Models	—	Muon Reconstruction
—	Interaction Models	—	Others

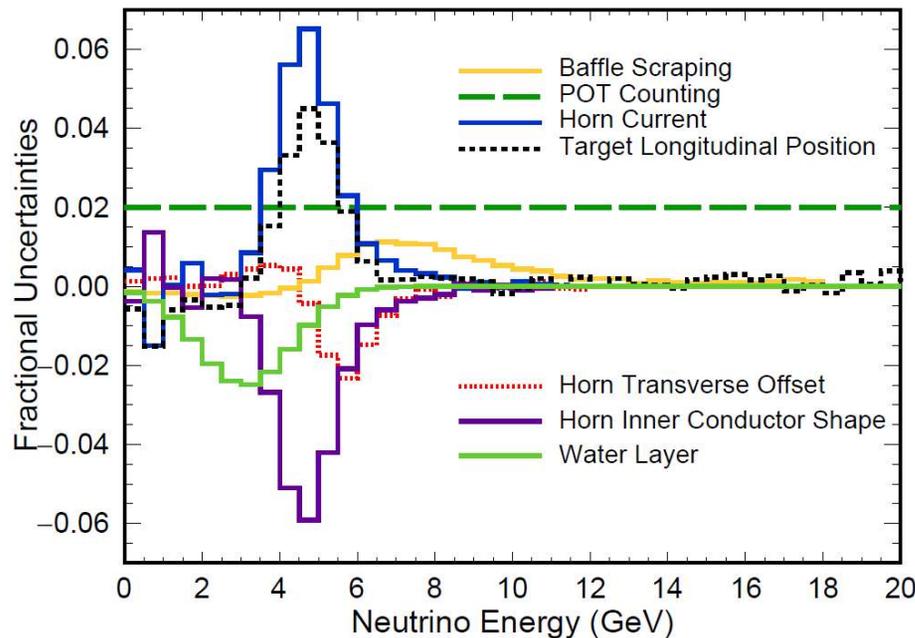
- **Interaction Models** – These are the GENIE model parameters' uncertainties.
- In general small (good!) but as  $p_T$  increases the data constraint on backgrounds isn't as good and we start depending on the model more

# Systematic Uncertainties

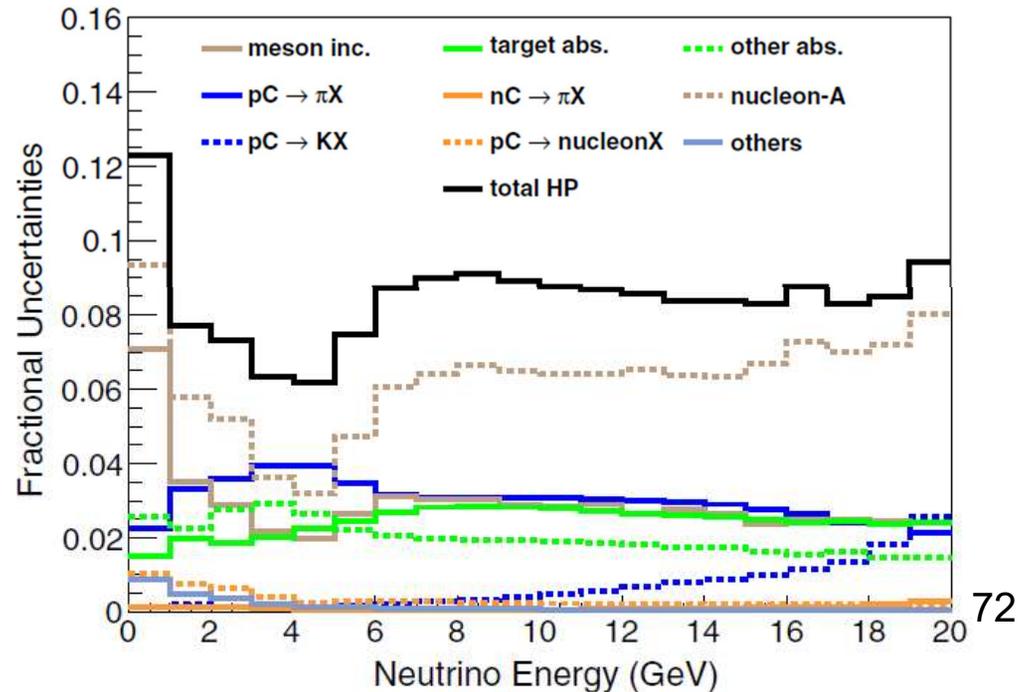


## ■ Flux – See Phys. Rev. D 94, 092005 (2016)

### Focusing Uncertainties



### Hadron Production Uncertainties



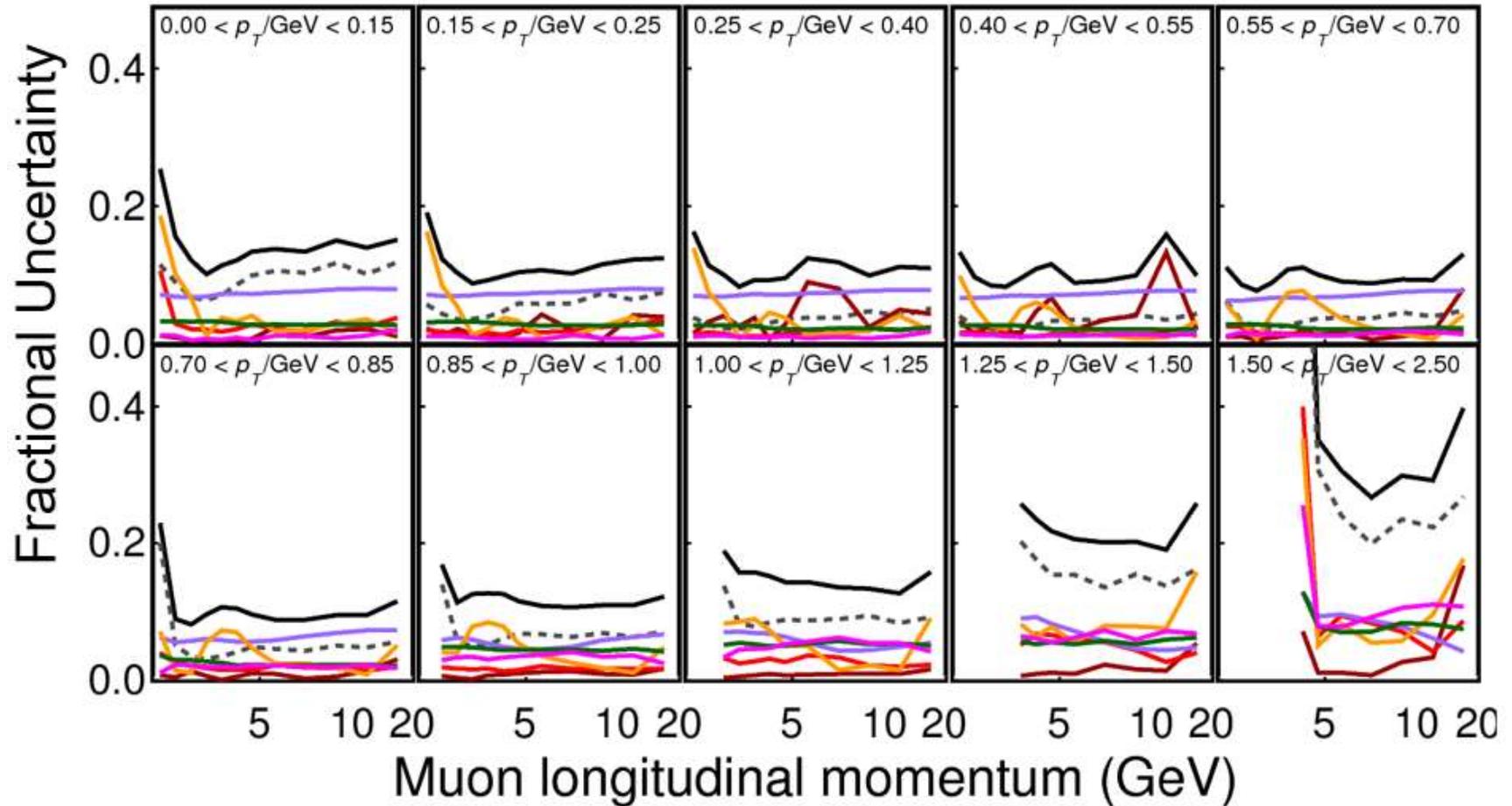
# Systematic Uncertainties

————	Data	-----	Statistical
————	Low Recoil Fit	————	Flux
————	FSI Models	————	Muon Reconstruction
————	Interaction Models	————	Others

- **Others** – Summation of many small uncertainties
- Includes – **particle response in detector**, energy of hits, number of targets, matching efficiencies between MINOS and MINERvA, Bethe-Bloch.

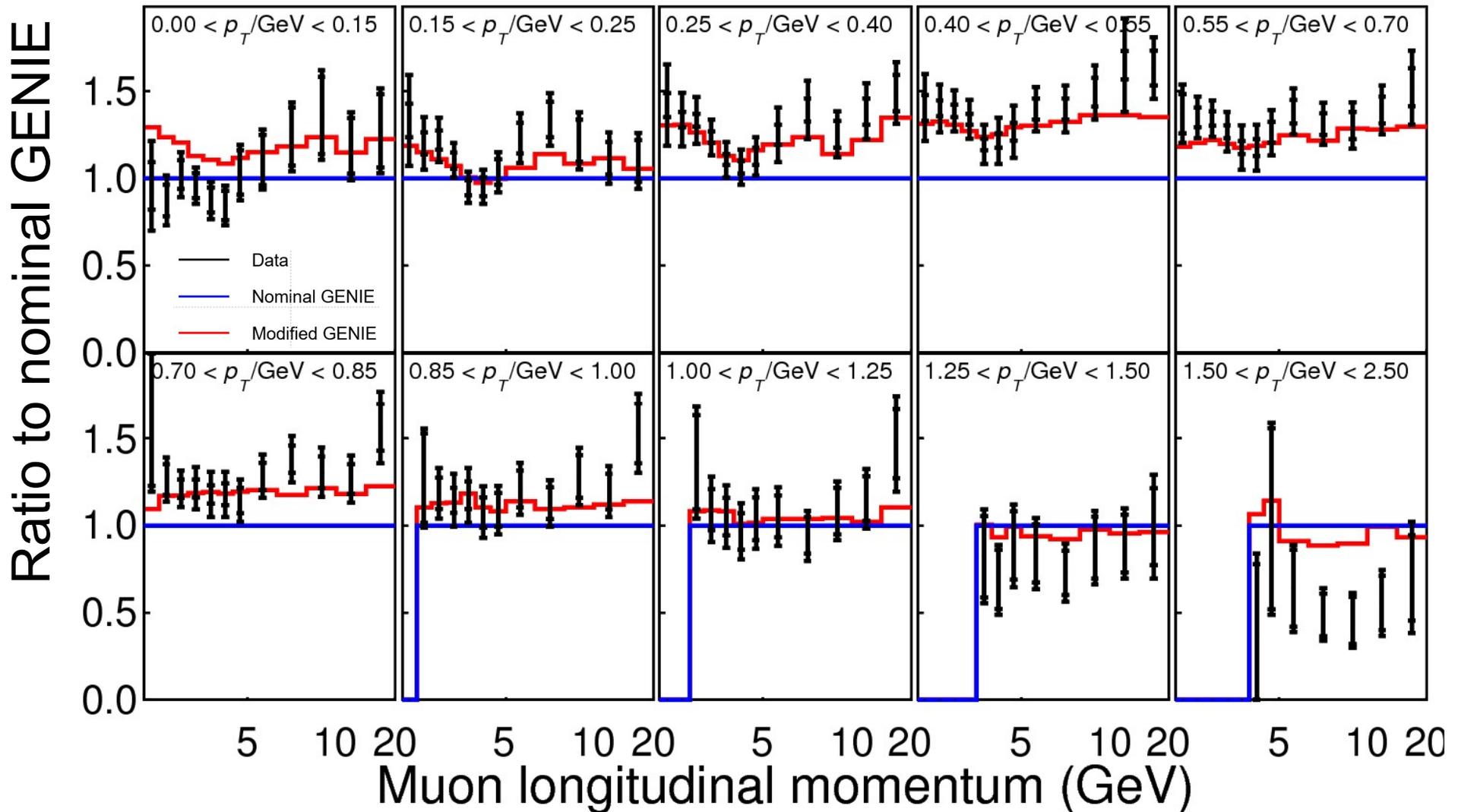
# Systematic Uncertainties

MINERvA Preliminary Data POT: 3.30e20



# Comparison To Nominal GENIE

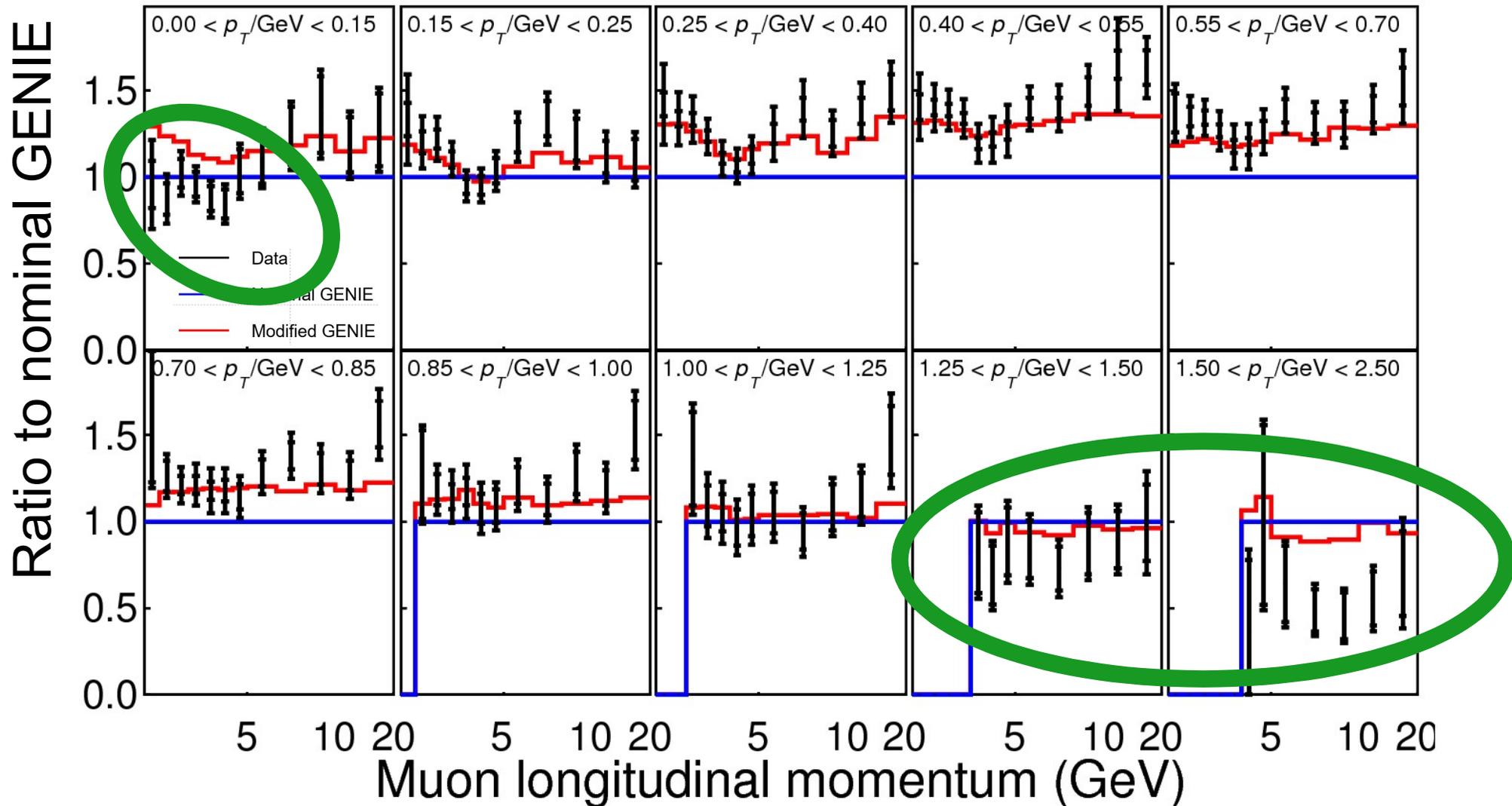
MINERvA Preliminary Data POT: 3.30e20



Modified GENIE     $\chi^2=170$  (stat.+sys, 120 dof)  
 Nominal GENIE     $\chi^2=220$  (stat.+sys, 120 dof)

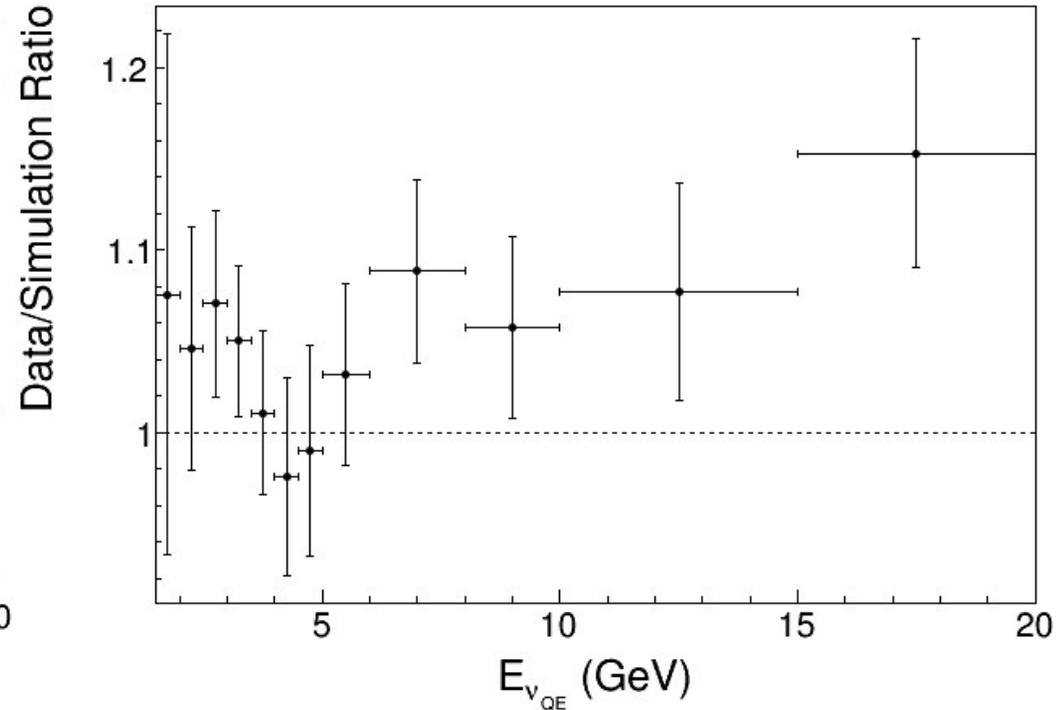
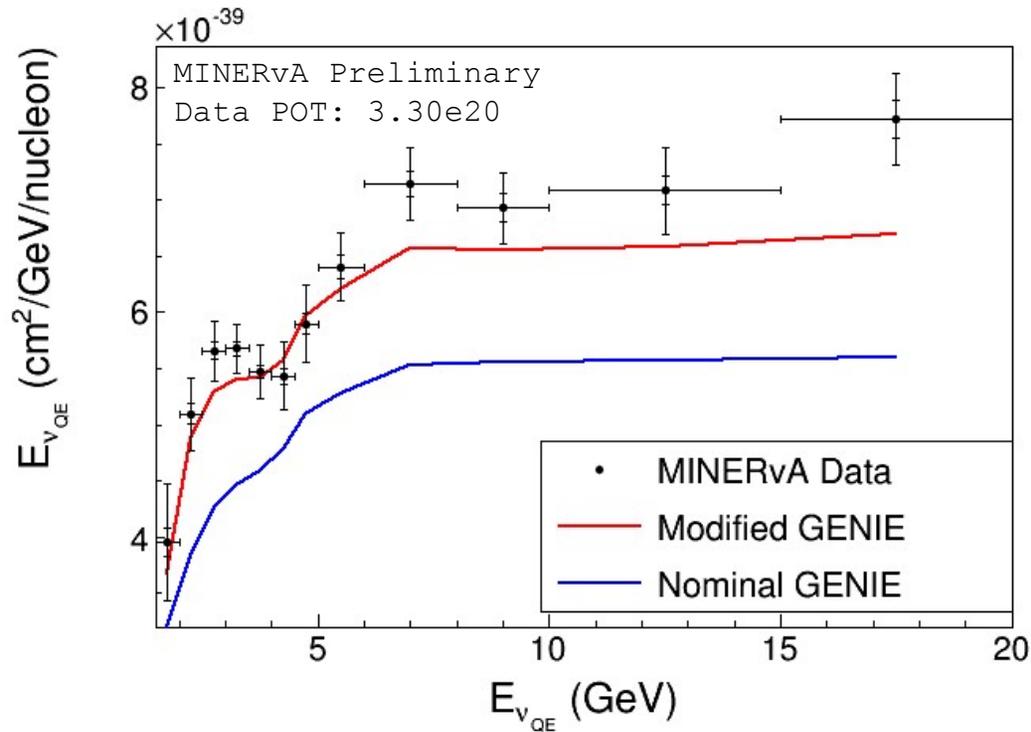
# Comparison To Nominal GENIE

MINERvA Preliminary Data POT: 3.30e20



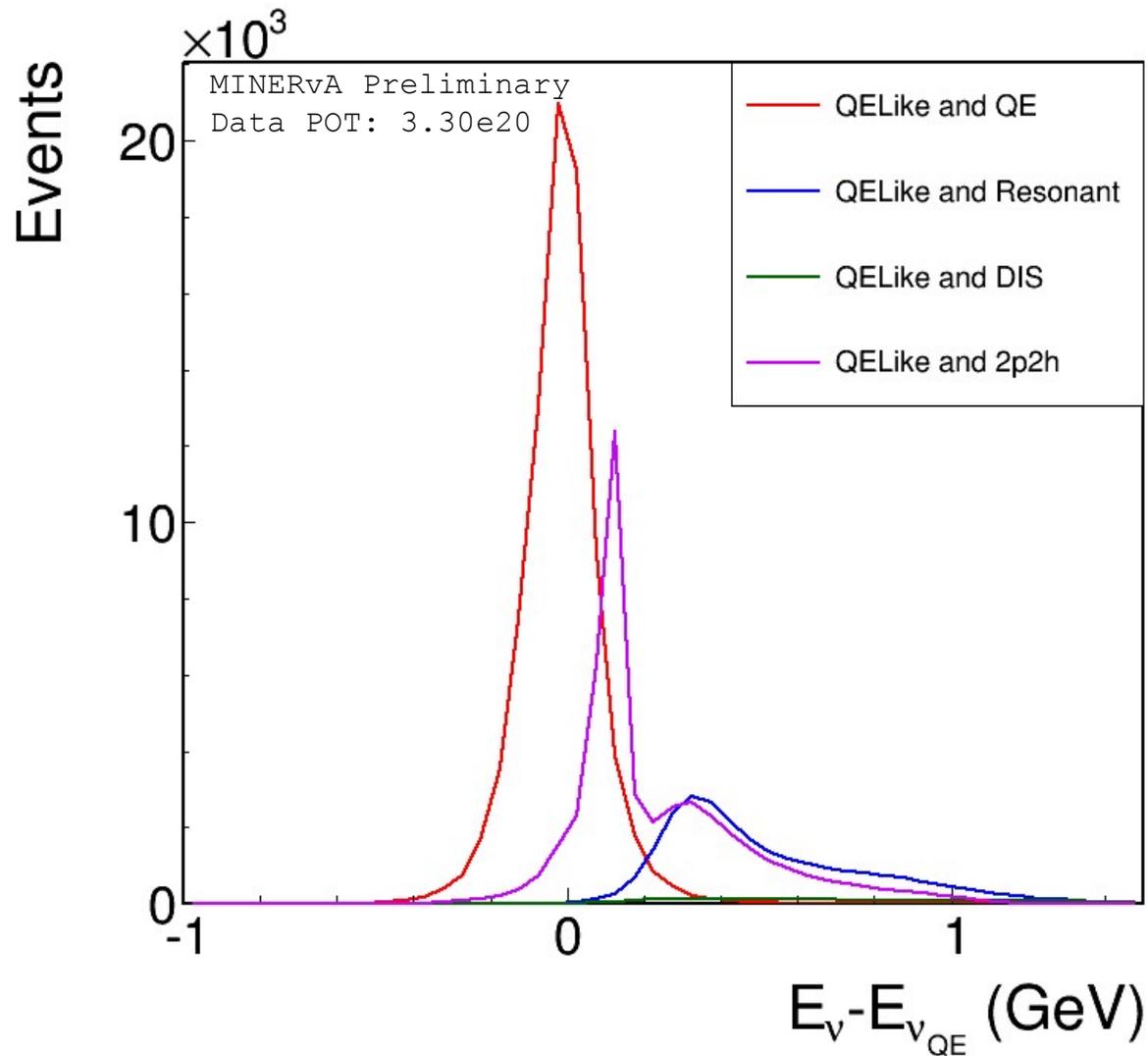
Two interesting regions which will pop up later in the  $Q^2_{QE}$  section

# " $\sigma$ " ( $E_{\nu, \text{QE}}$ )



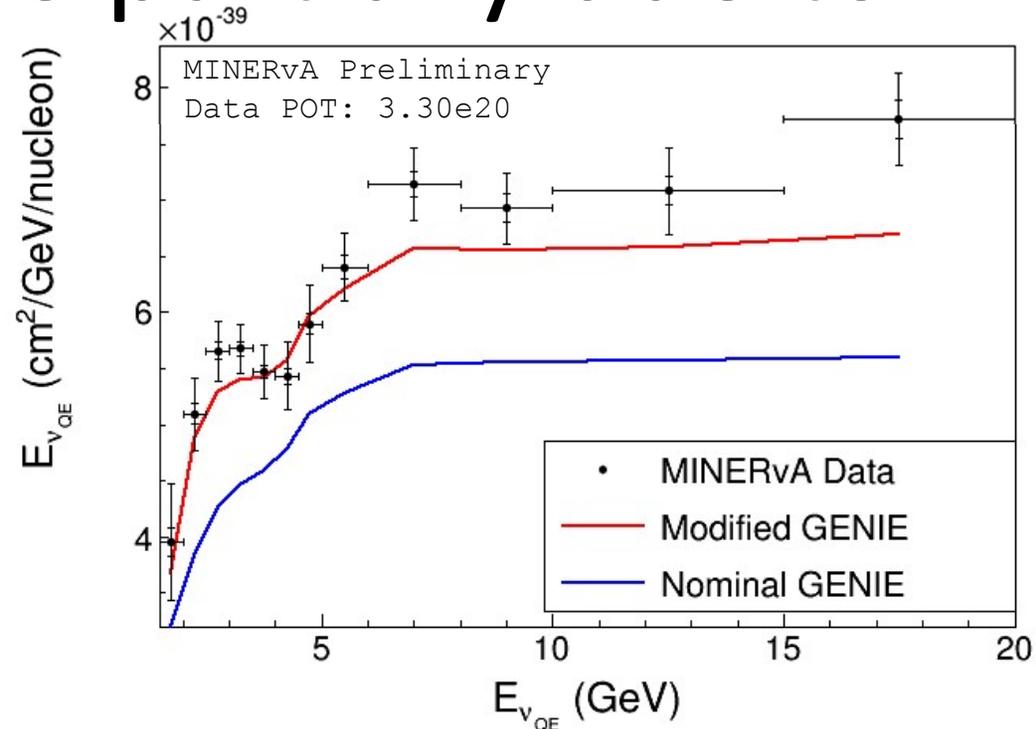
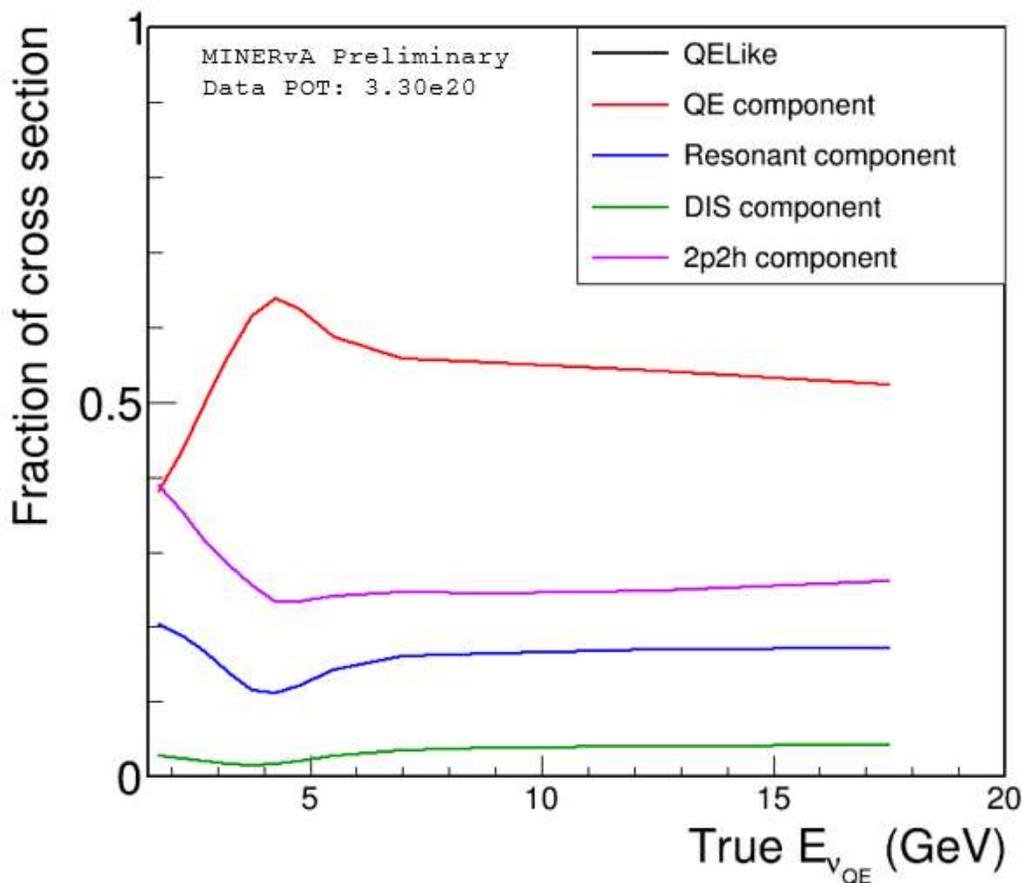
- This is NOT true  $E_{\nu}$
- But, we normalize in bins of true  $E_{\nu}$
- What is the difference?

# QELike-components: $E_\nu - E_{\nu, QE}$



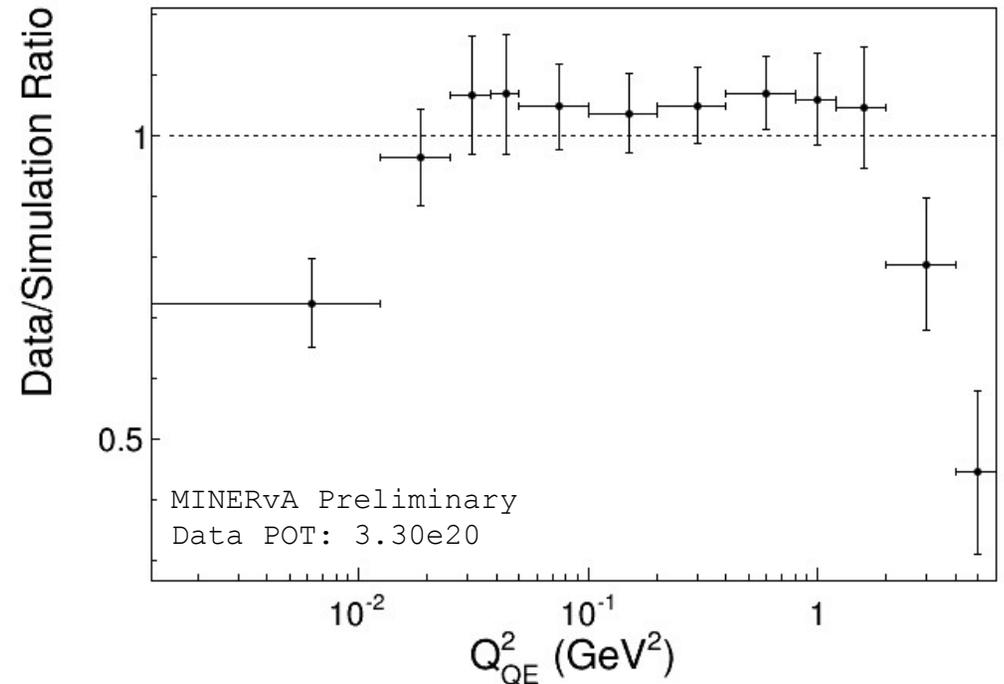
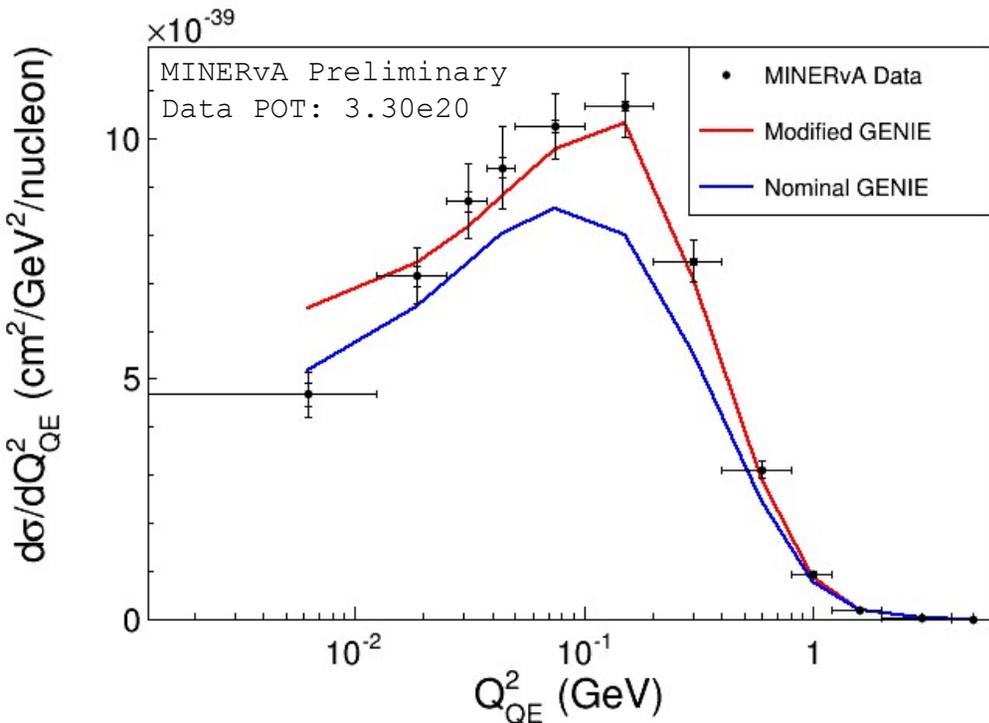
# What's the wiggle partially due to?

Rapidly changing fractions of non-QE components with biased  $E_{\nu, \text{QE}}$



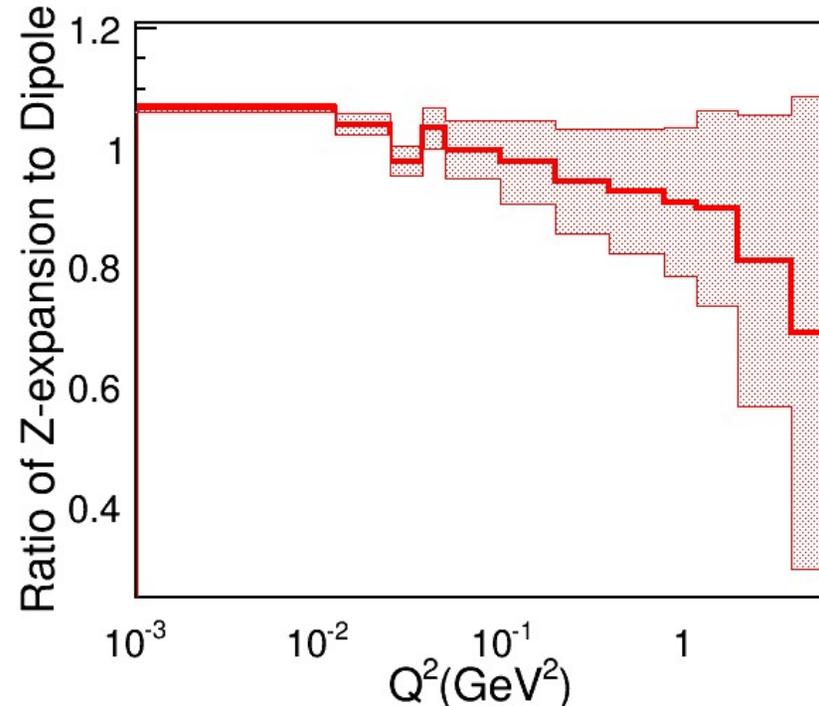
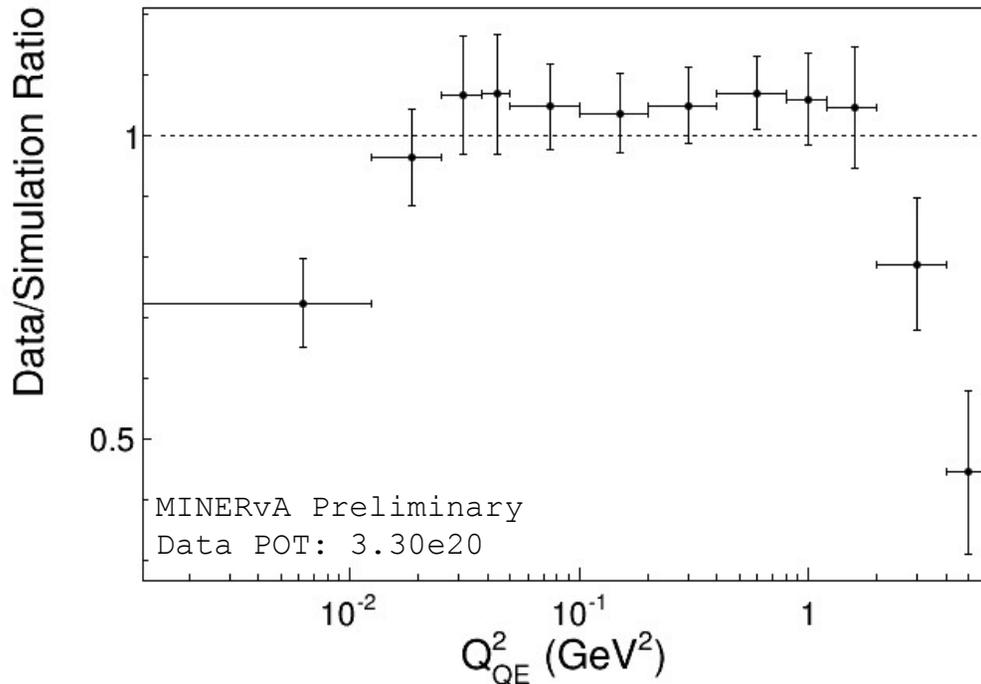
Why only partially? We see a wiggle, smaller, in  $p_{\parallel}$ . This is thought to be part of a mismodeling of the falling edge of the focusing peak.

# $Q^2_{QE}$ Cross Section



- The low  $Q^2_{QE}$  bin shows up in the low recoil analysis as well.
- The high  $Q^2_{QE}$  discrepancy is potentially due to the dipole axial form factor we use.

# Z-expansion of Form Factors

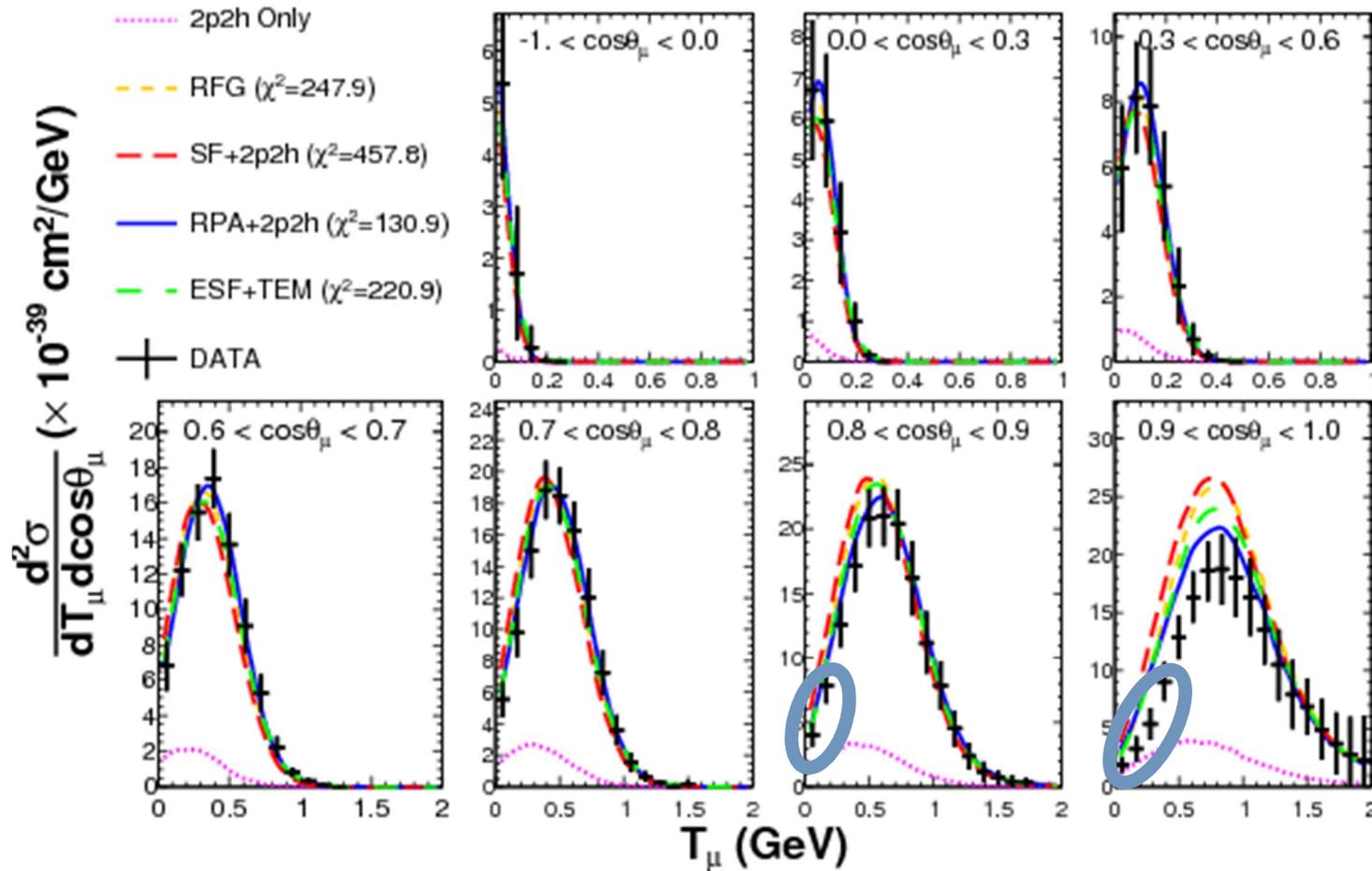


Phys.Rev. D84, 073006 (2011)

Phys.Rev. D93, 113015 (2016)

- Z-expansion is a model independent axial form factor
- This is interesting, but it not a 1 to 1 comparison
- The Z-expansion plot is true  $Q^2$  and true QE

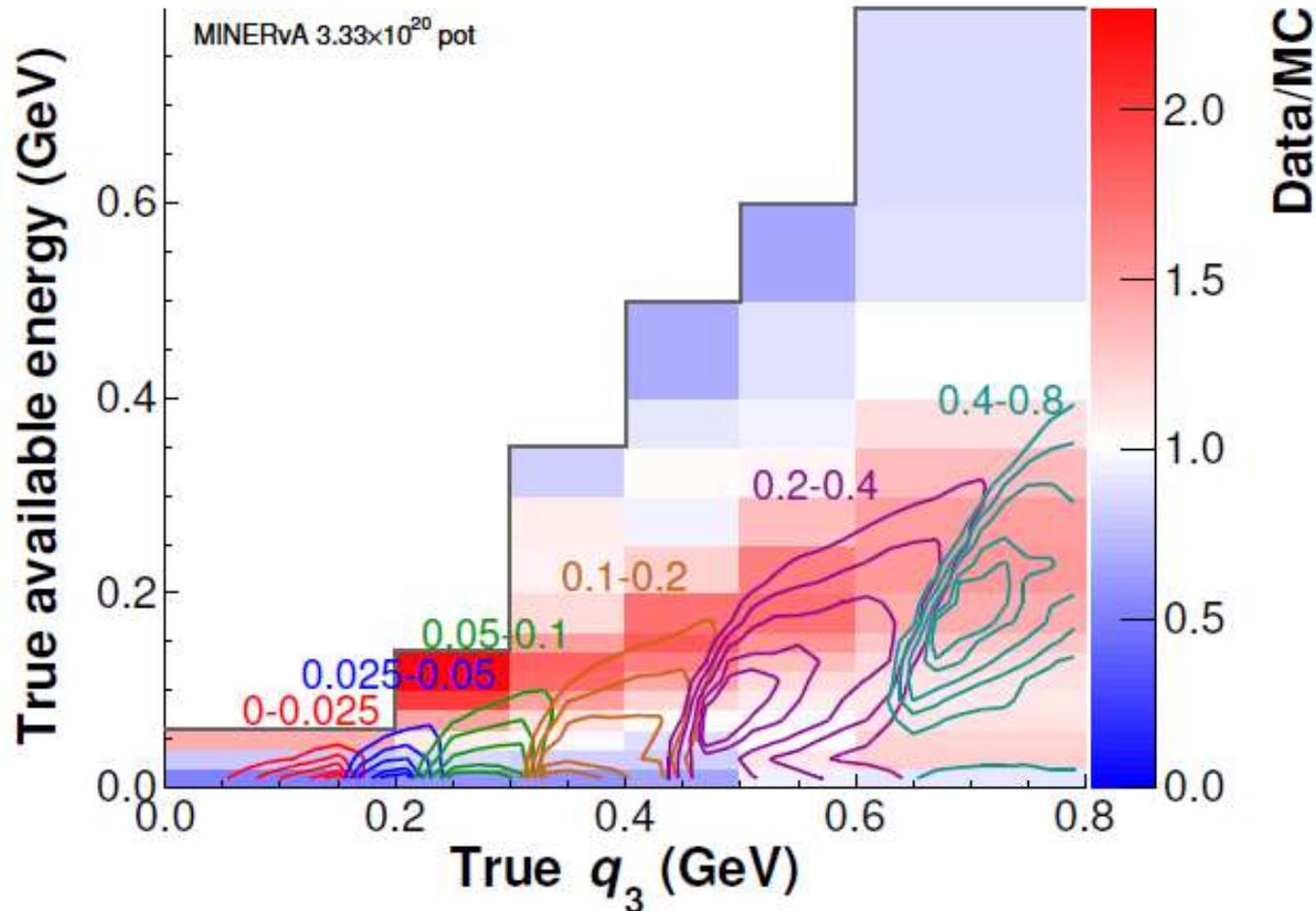
# Where does our low $Q^2_{QE}$ reside in MiniBooNE phase space?



Phys. Rev. D 93, 072010 (2016)  
 Phys. Rev. D 81, 092005 (2010)

Assumes contribution is all CCQE

# Where does this reside in our inclusive result?



GENIE predicts about 1/3 of the rate in the  $p_T/p_{||}$  bins are from true QE. The result above also see these contributions (along the diagonal) Low  $Q^2$  predictions of the non-QE component are difficult.

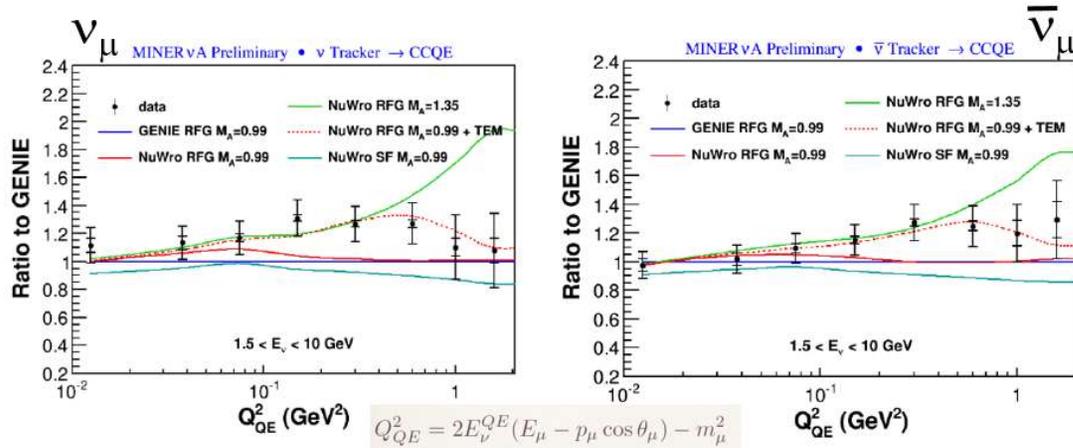
# Recap

- As we utilize better models our agreement with data improves, but there is still work to be done!
- The  $p_T$   $p_{||}$  result will be useful to the model building community, with new components necessary to better reproduce the data
- MINERvA can access larger  $Q^2$  which is interesting when comparing to the Z-expansion
- $E_{\nu, QE}$  is a variable which depends on your model.
  - Better get that model correct!

# Looking to the future

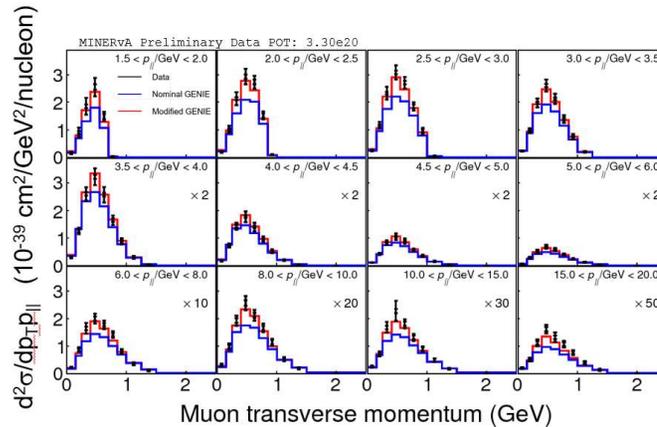
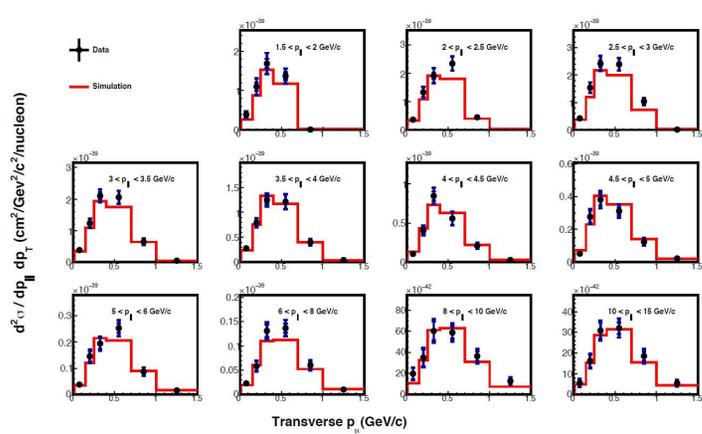
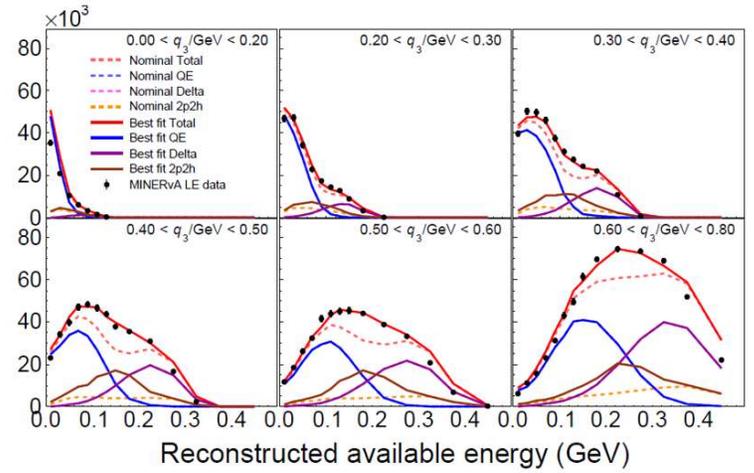
- MINERvA has a very large dataset from the NOvA era neutrino run. What can we do?
  - Explore that higher  $Q^2_{QE}$  space which is currently limited in statistics
  - Slice the data in more ways.
- Continue to utilize better models as they become available. Test them.
- Continue to study FSI and A-dependence using our C, Fe, Pb targets.

# Conclusions



We need 2p2h-like models  
in our simulation!

We have a model + ad hoc corrections to  
describe the inclusive data



This is CC0 $\pi$  – just like the primary signal region in T2K

Works on neutrino  
**AND** antineutrino  
exclusive channels!

We have a prescription which can be directly applied to oscillation experiments.

# Backups

# Previous CCQE(like) Results

# Old CCQE Results Model Comp

$$\chi^2$$

	Both Modes	Neutrinos	Antineutrinos
GENIE	40.5	27.6	24.0
<i>NuWro</i> ( $M_A = 0.99$ )	52.6	38.1	26.9
<i>NuWro</i> ( $M_A = 1.35$ )	56.8	50.9	25.4
<i>NuWro</i> ( $M_A = 0.99$ ) <i>TEM</i>	26.8	21.1	7.6
<i>NuWro</i> ( $M_A = 0.99$ ) <i>SLF</i>	44.8	39.5	27.8
<i>NuWro</i> ( $M_A = 0.99$ ) <i>RPA</i>	101.8	109.8	39.6

# Reconstruction Variables

- $q_0 \equiv \nu = \text{Calorimetric Hadronic Energy}$
- $E_\nu = E_\mu + q_0$
- $Q^2 = 2E_\nu(E_\mu - p_\mu \cos\theta_\mu) - M_\mu^2$
- $q_3 \equiv |\mathbf{q}| = \sqrt{Q^2 - q_0^2}$

$$E_{\text{avail}} = \sum (\text{Proton and } \pi^\pm \text{ KE}) + (\text{Total } E \text{ of other particles except neutrons})$$

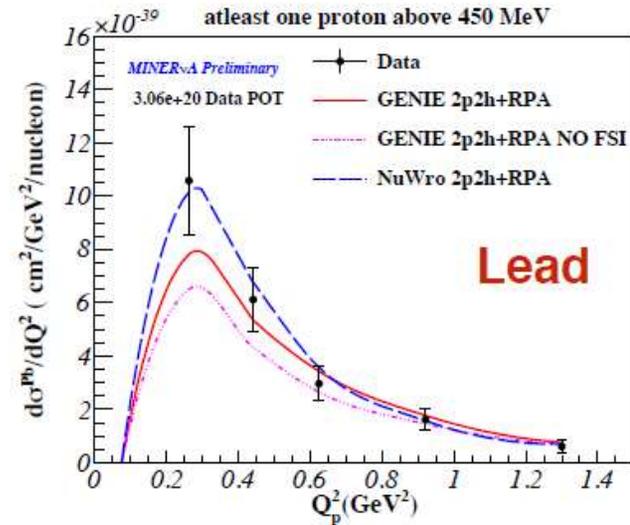
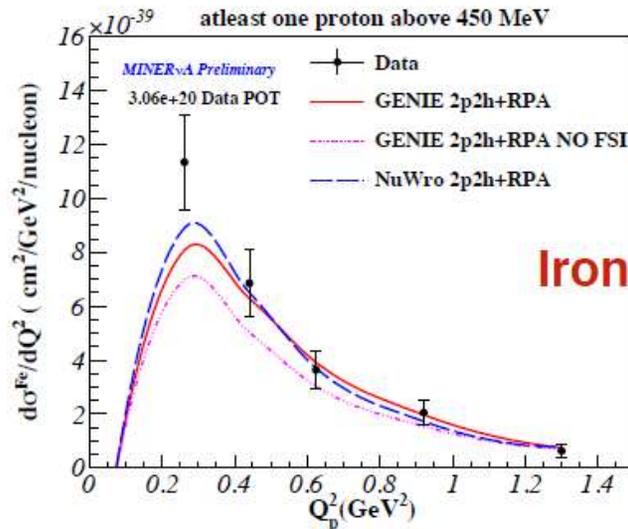
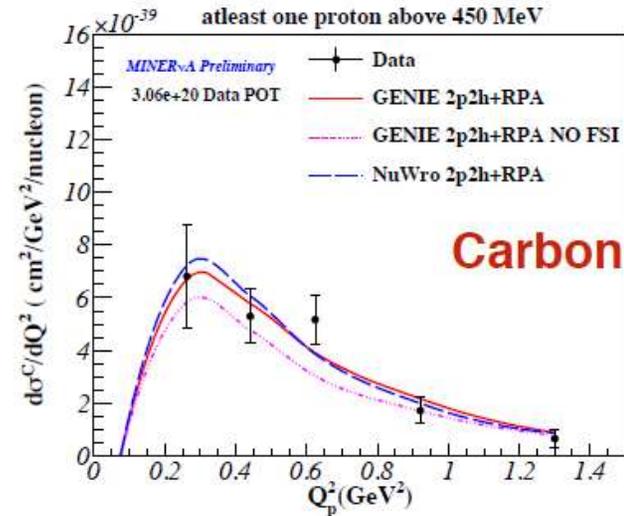
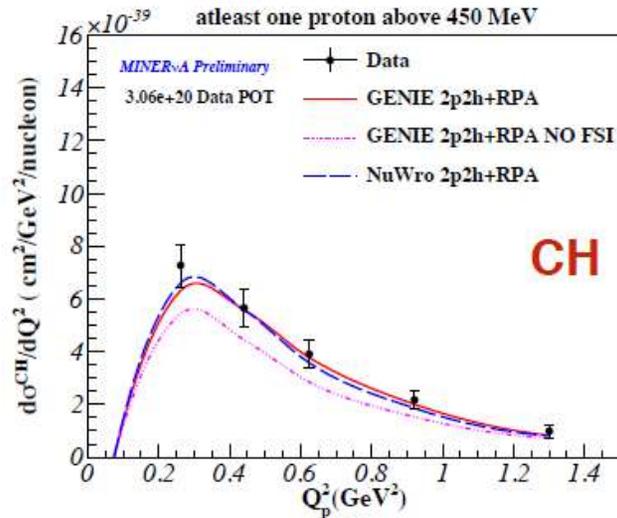
# How about the hadron side of things?

- Select two track events in the tracker and also isolate a sample in the nuclear targets
- Does not require a MINOS match – because...

$$Q^2 = (M')^2 - M_p^2 + 2M'(T_p + M_p - M')$$

- Nuclear targets provide A-dependent measurements on C, Fe, Pb

# What does the proton say?



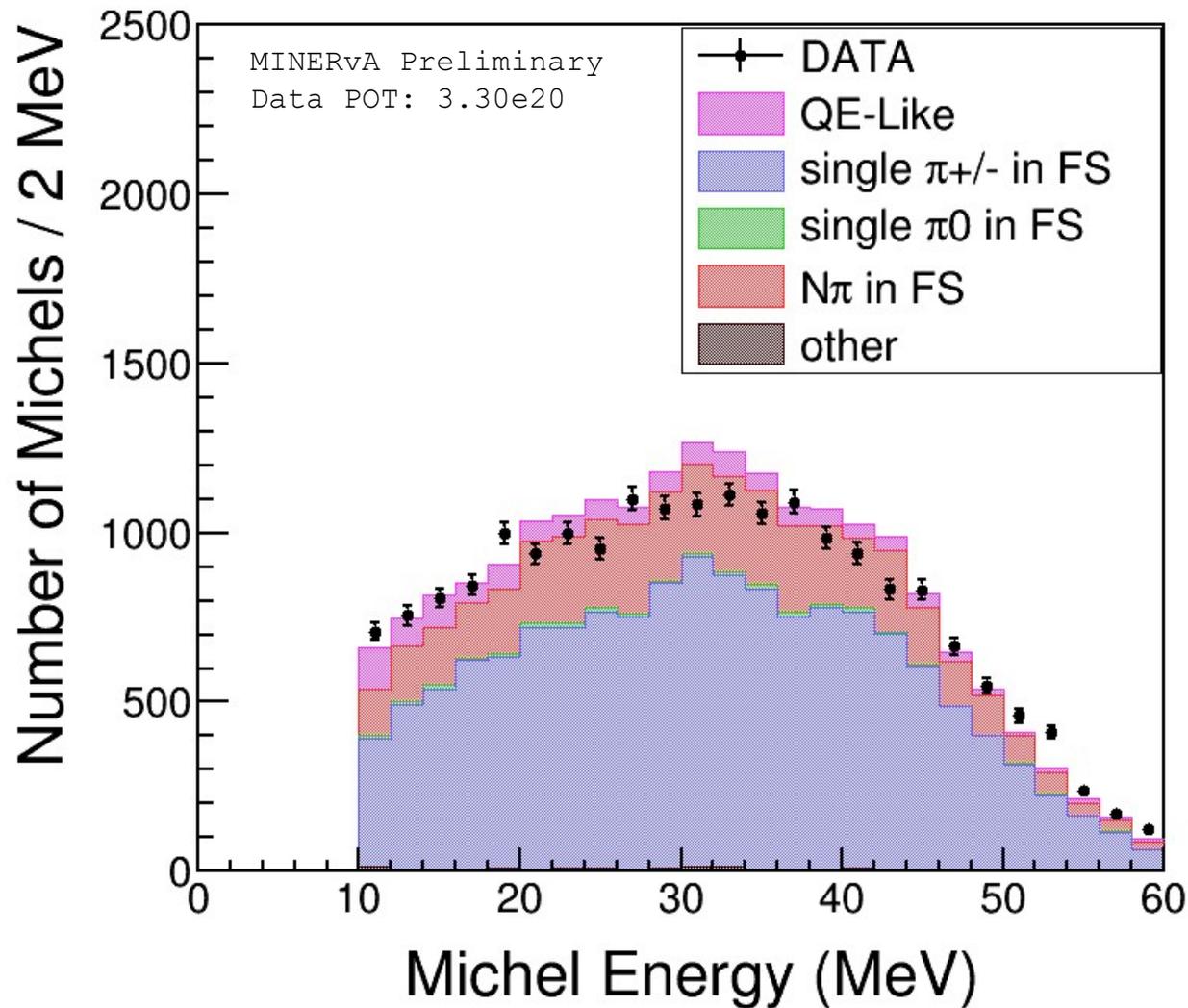
# It says...

- GENIE 2p2h+RPA models an analysis off the CH target in the track and the C target in the nuclear region
- A dependence simulation in NuWro better represents the data

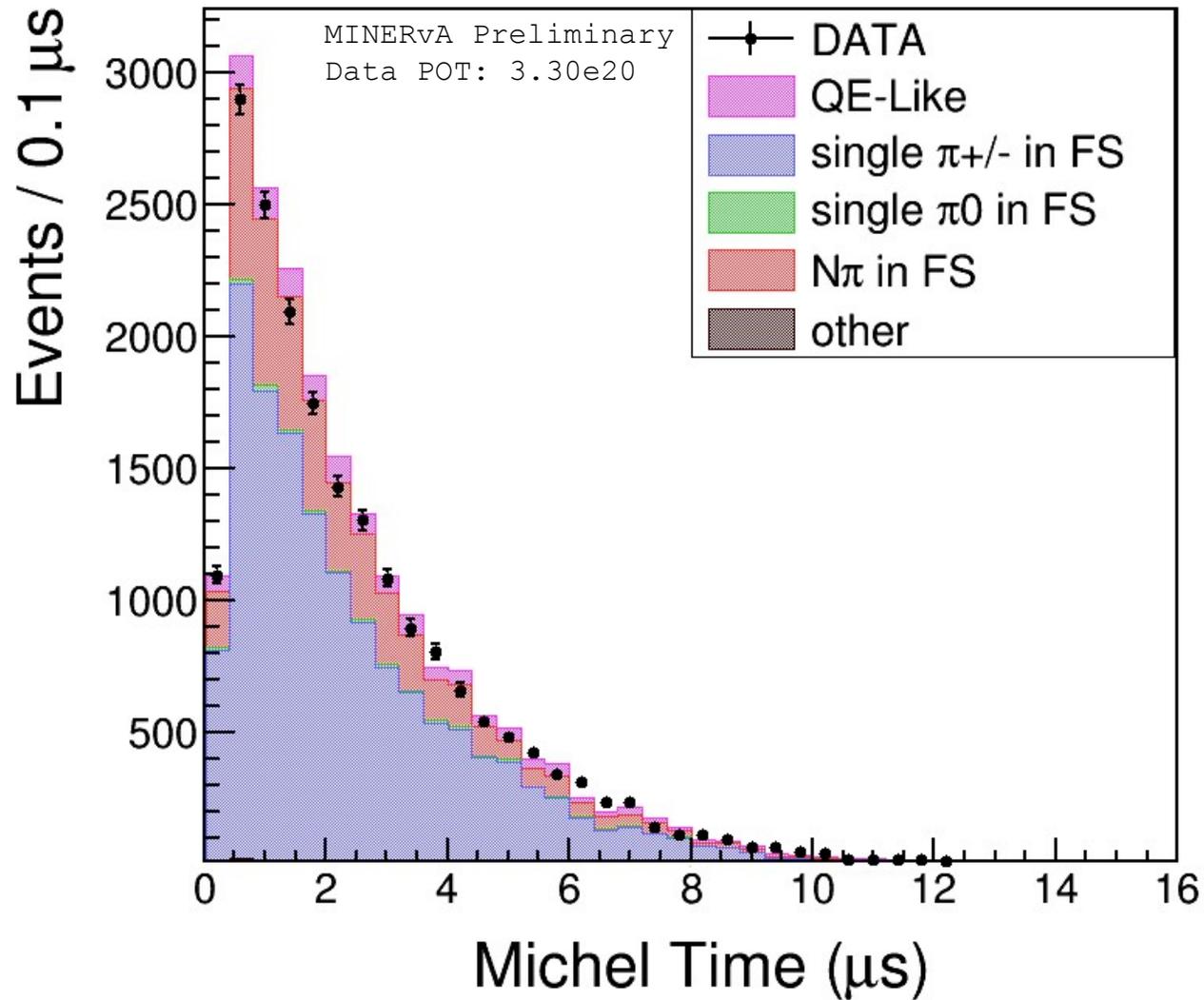
	carbon	iron	lead
GENIE	5.9/5	19.9/5	17.5/5
NuWro	6/5	14.6/5	11.1/5

Michel

# Michel Energy Spectrum

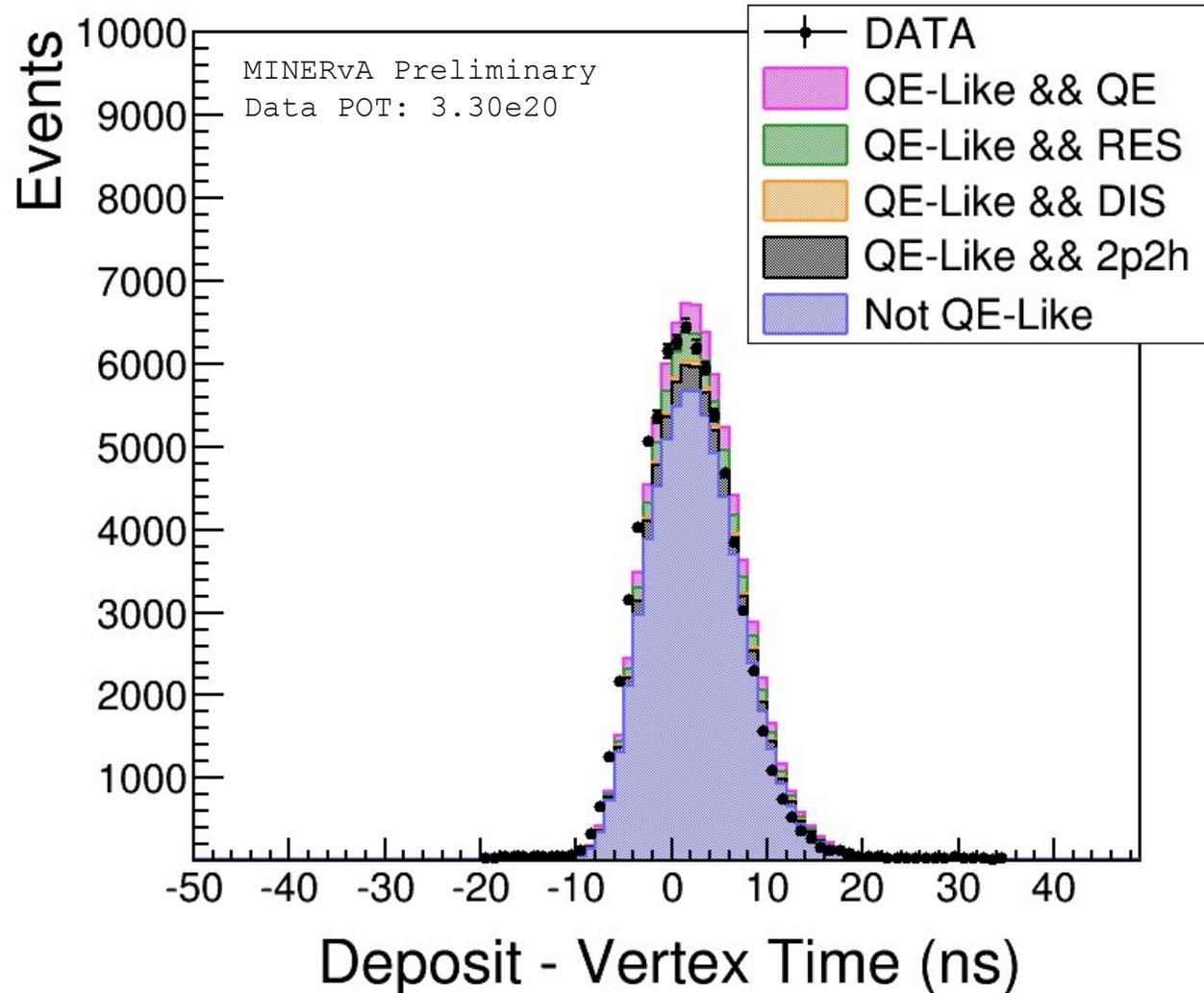


# Michel Decay Time



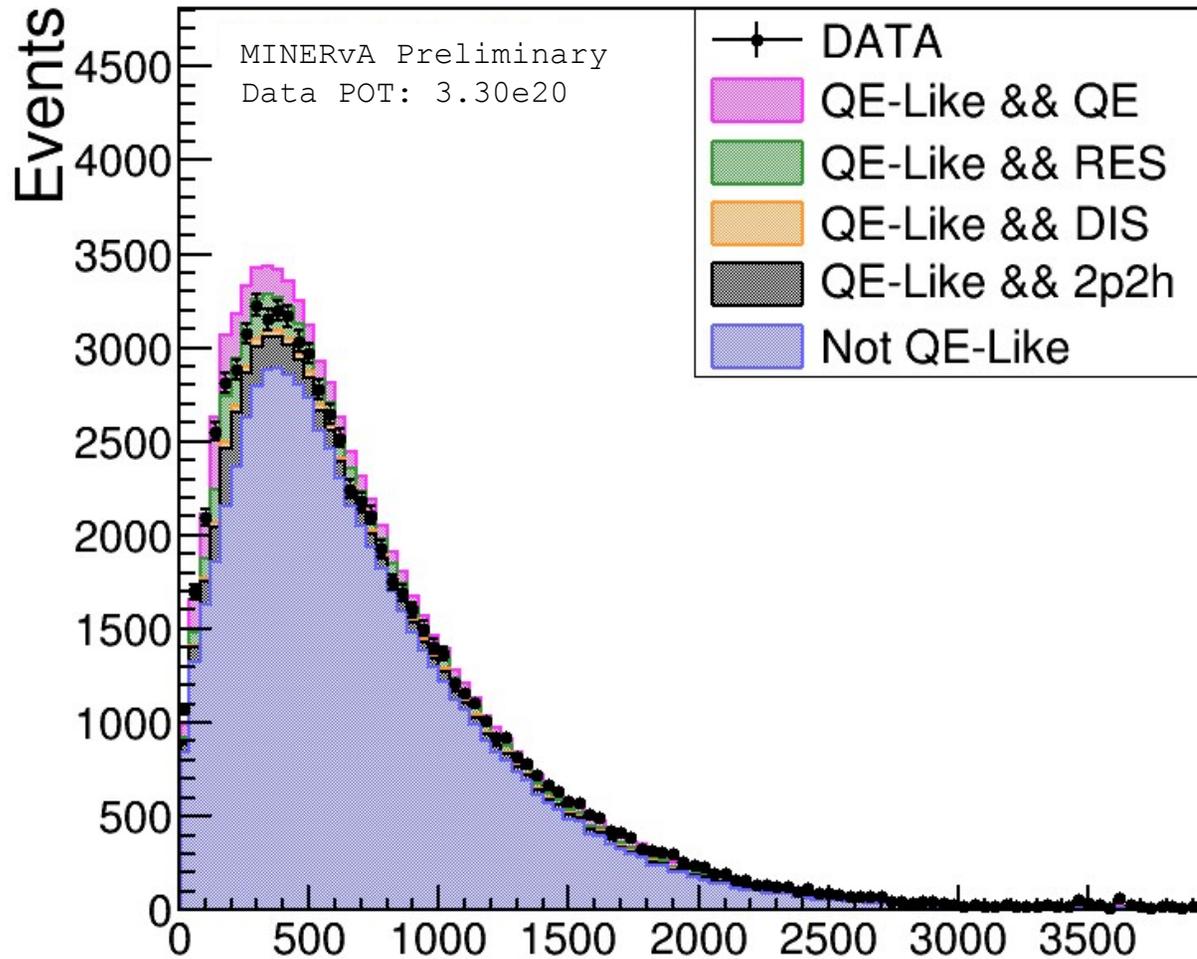
# Isolated Energy Deposits

# Time difference between deposit and vertex



Sample passes all non-isolated deposit related cuts  
Sample here is 1+ deposits  
( the signal sample would keep the 1 deposit case)

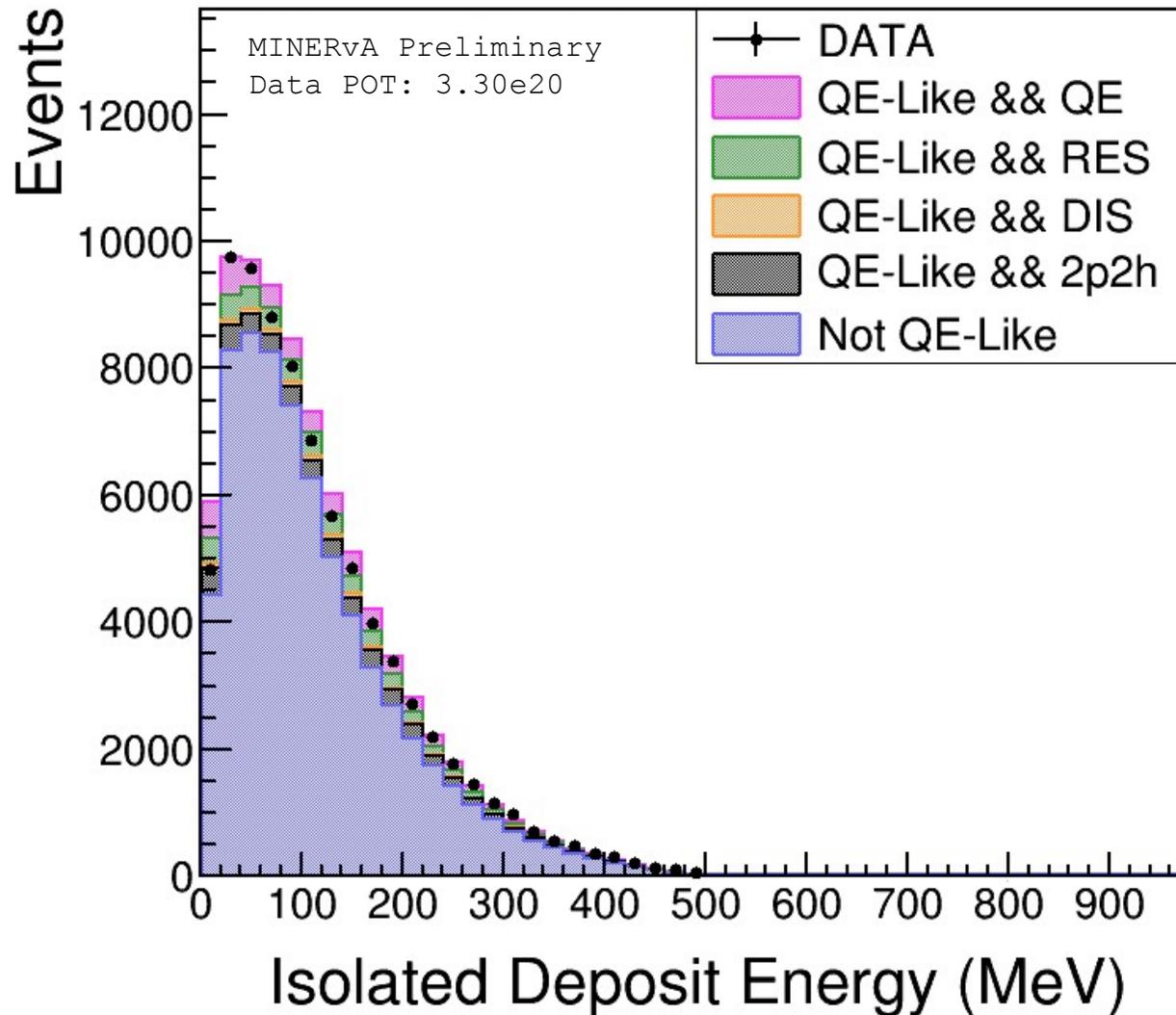
# Distance from the vertex to the deposit



Distance Between Deposit and Vertex (mm)

Sample passes all non-isolated deposit related cuts  
Sample here is 1+ deposits  
( the signal sample would keep the 1 deposit case)

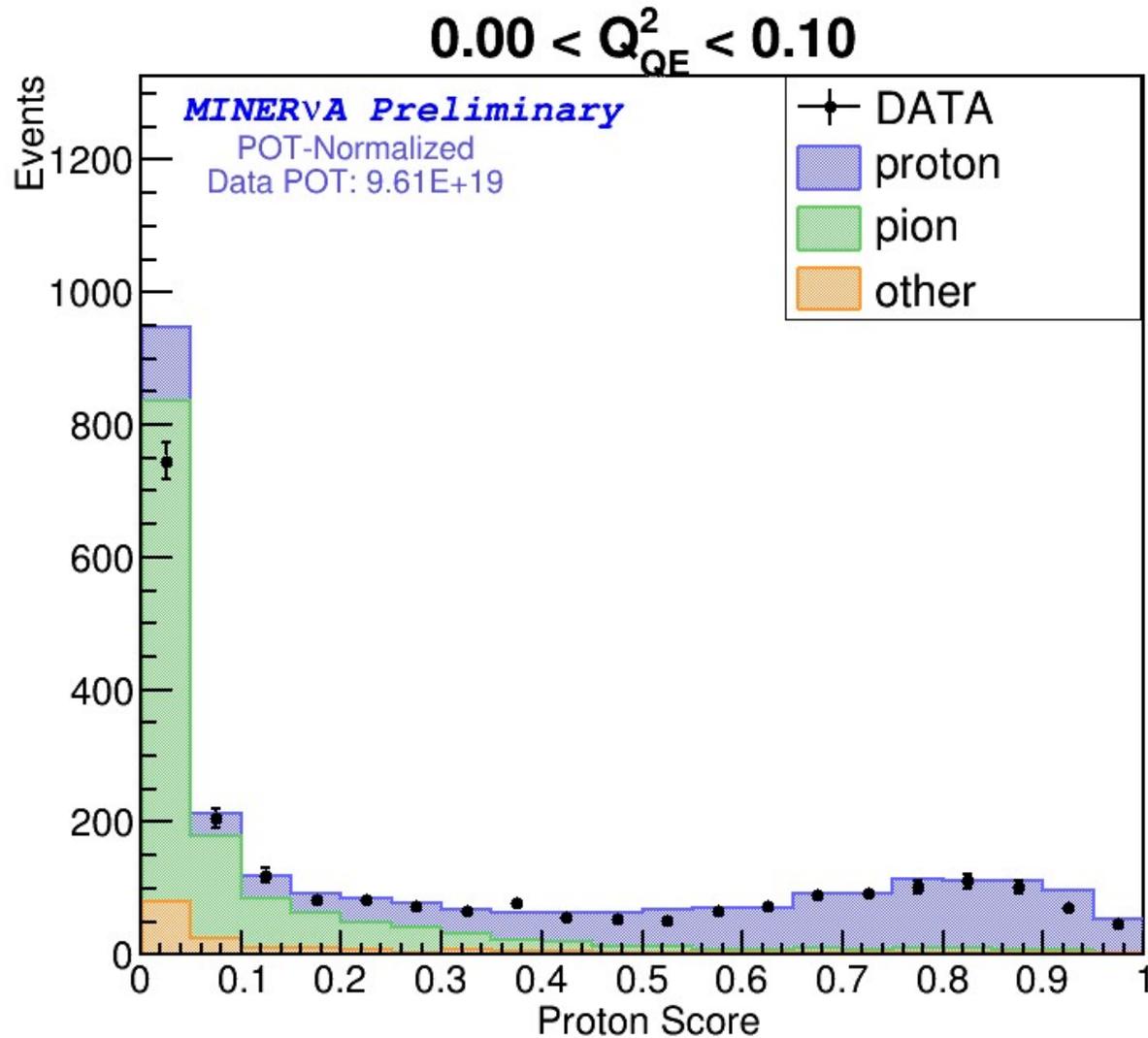
# Isolated deposit's energy



Sample passes all non-isolated deposit related cuts  
Sample here is 1+ deposits  
( the signal sample would keep the 1 deposit case)

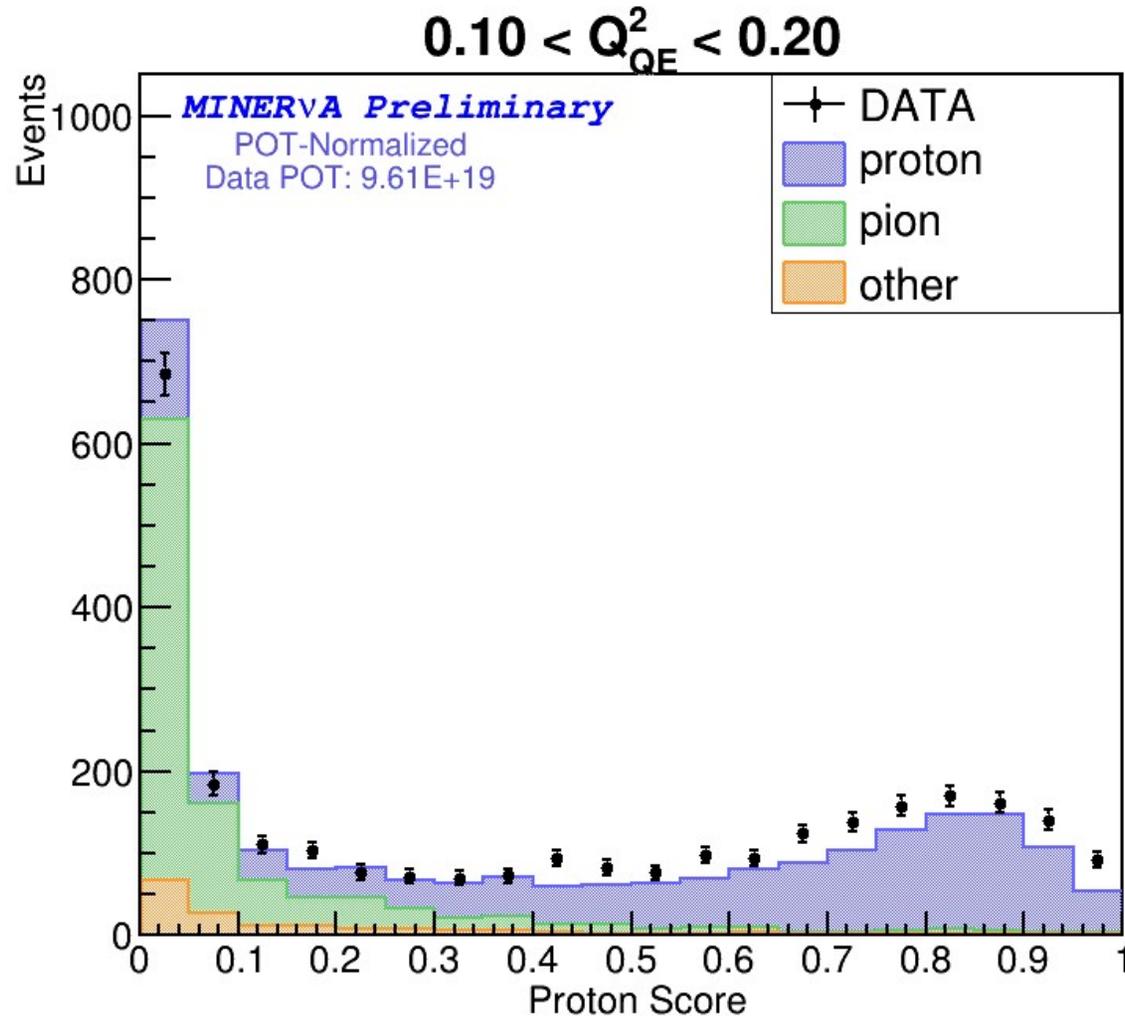
# PID

# PID broken down by particle



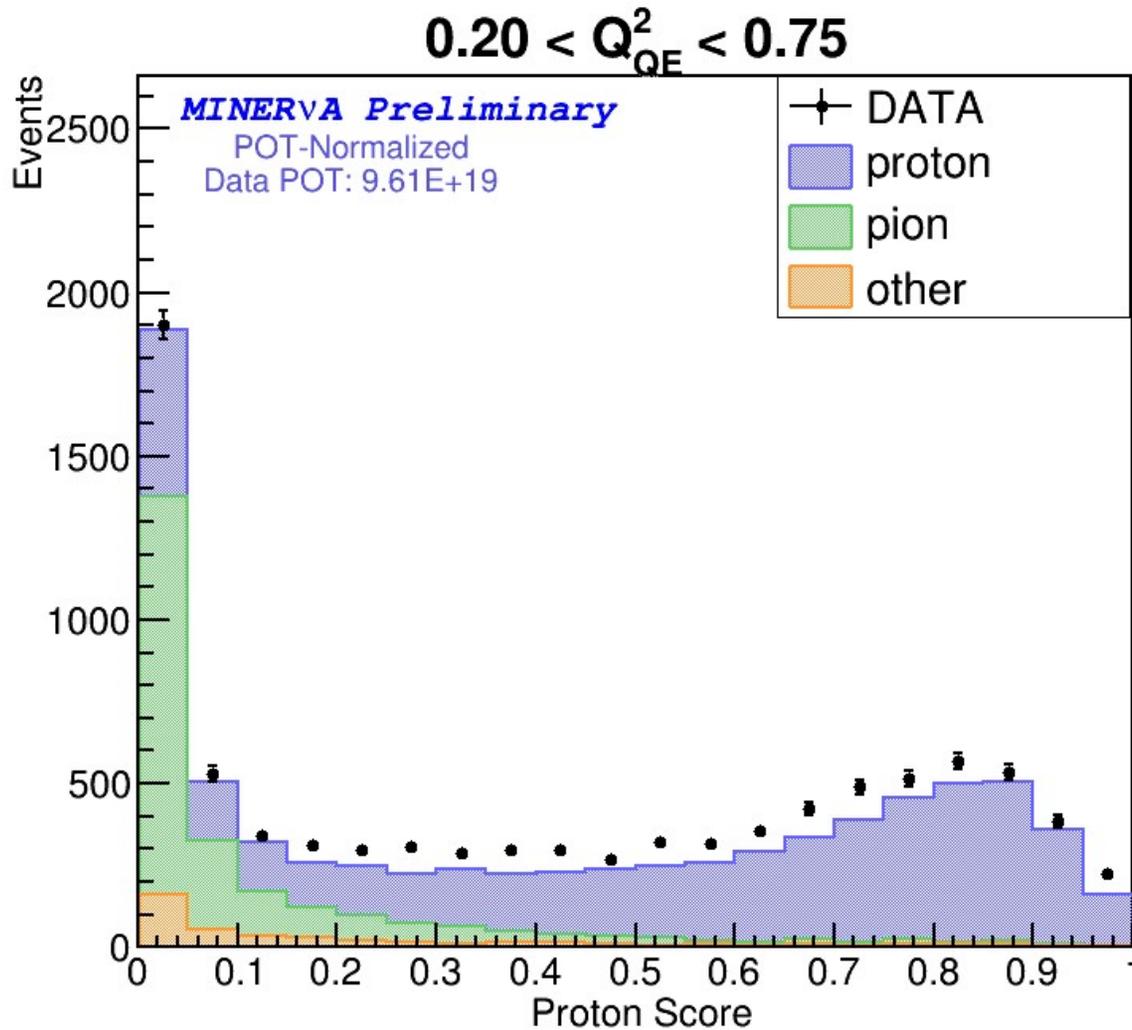
Full event selection except for PID cut, 2-tracks only,

# PID broken down by particle



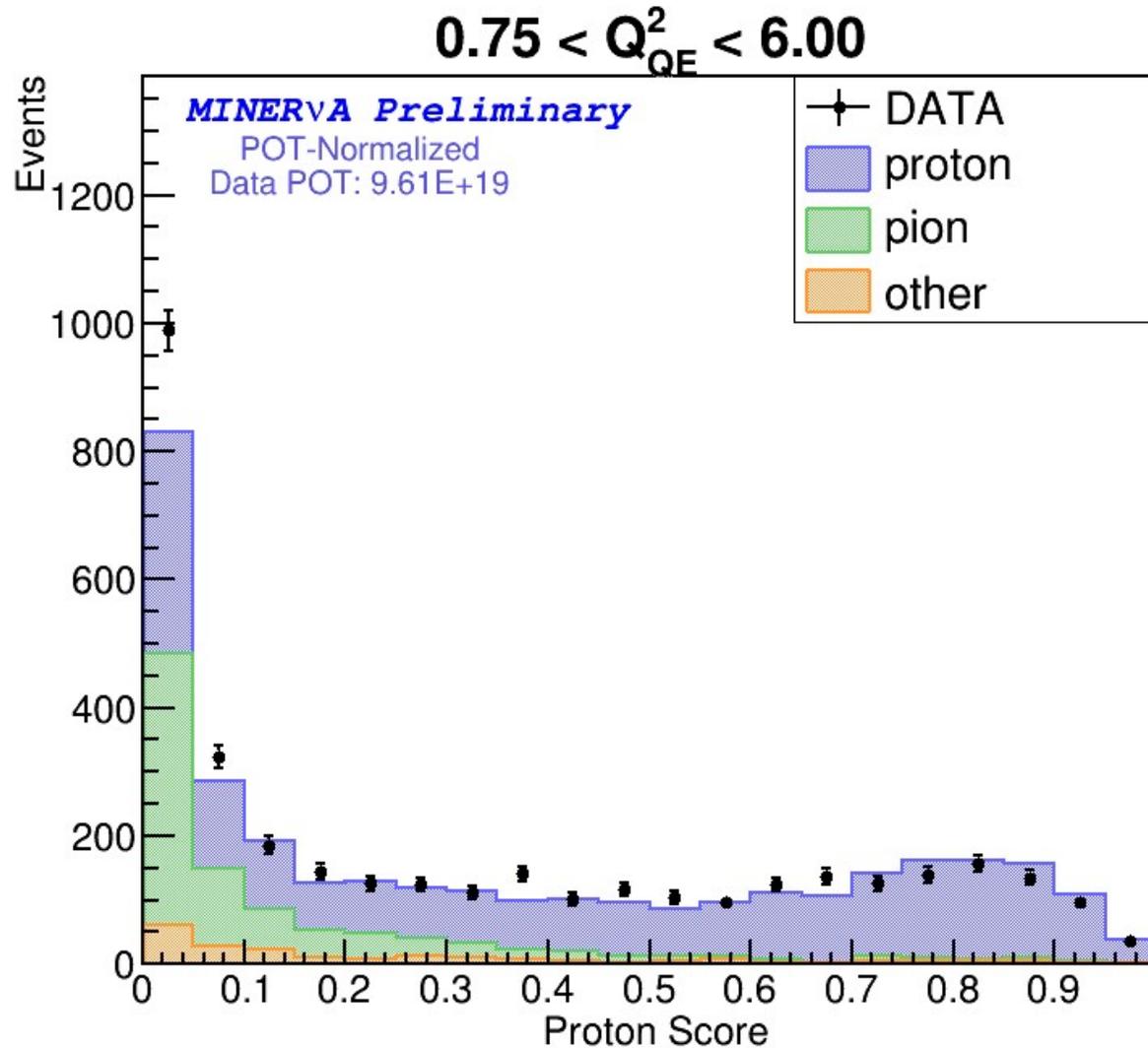
Full event selection except for PID cut, 2-tracks only,

# PID broken down by particle



Full event selection except for PID cut, 2-tracks only,

# PID broken down by particle

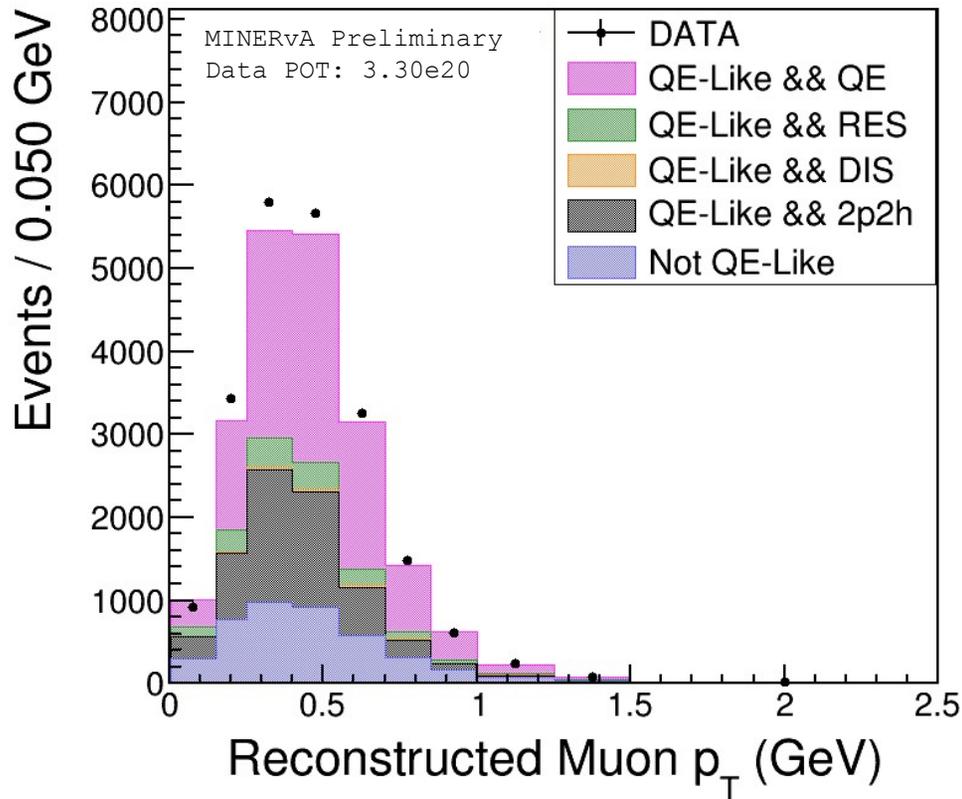


Full event selection except for PID cut, 2-tracks only,

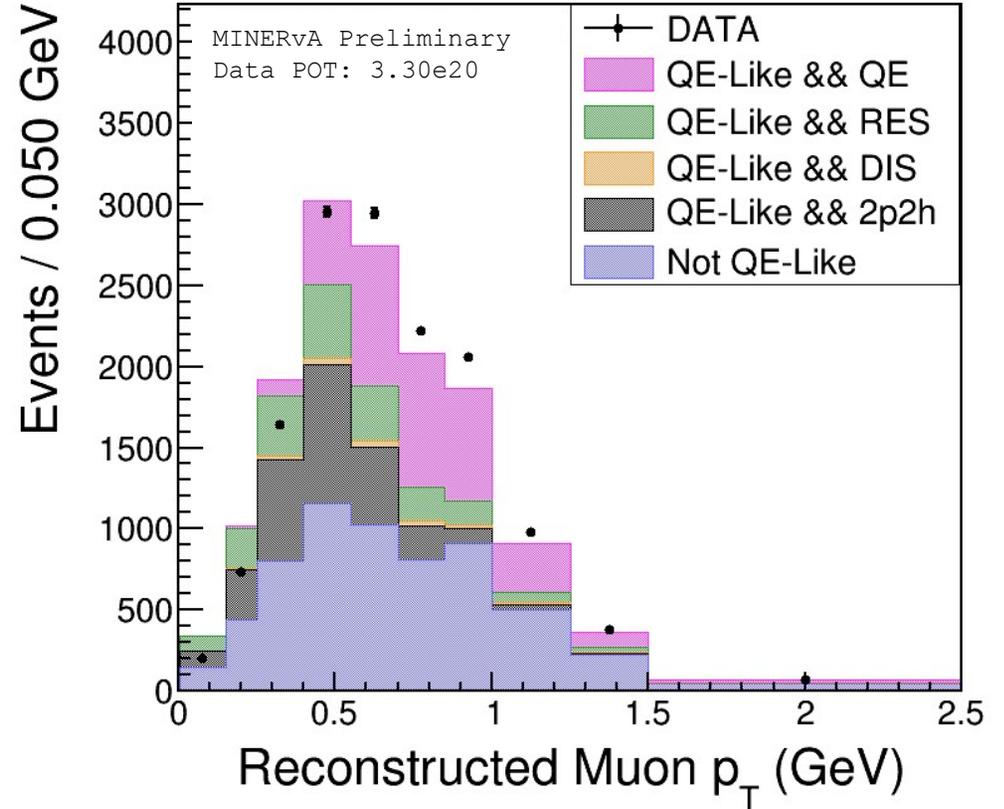
# Background Constraint

# Signal Before Tuning

Sample passes ALL selection criteria



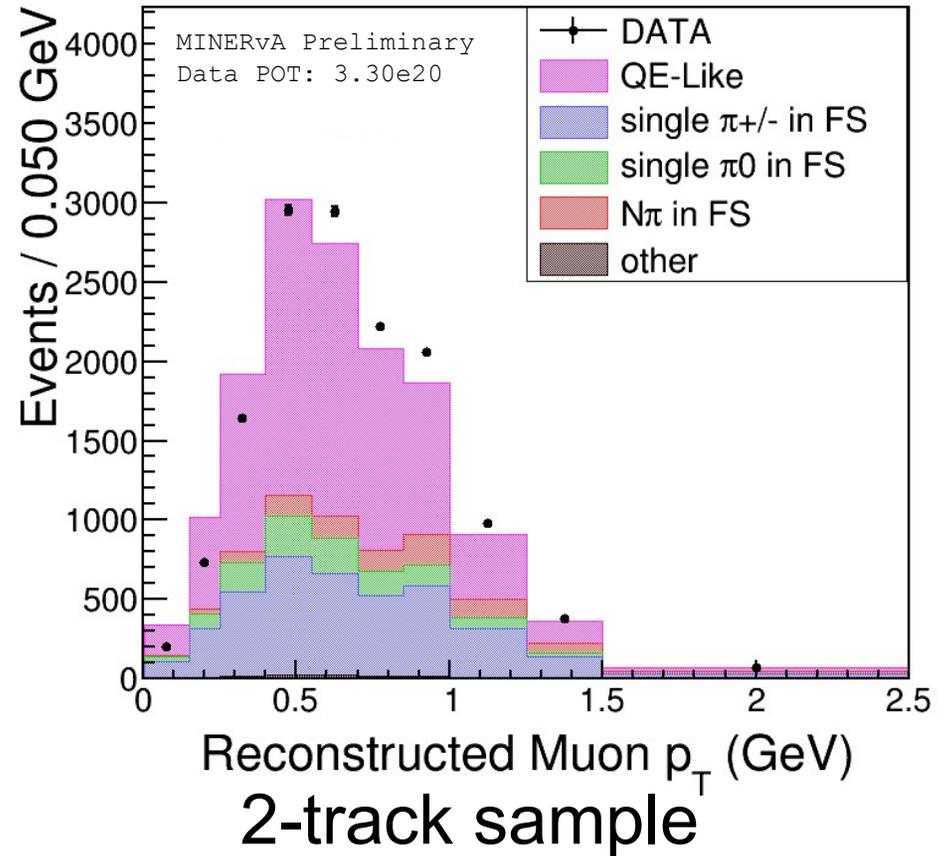
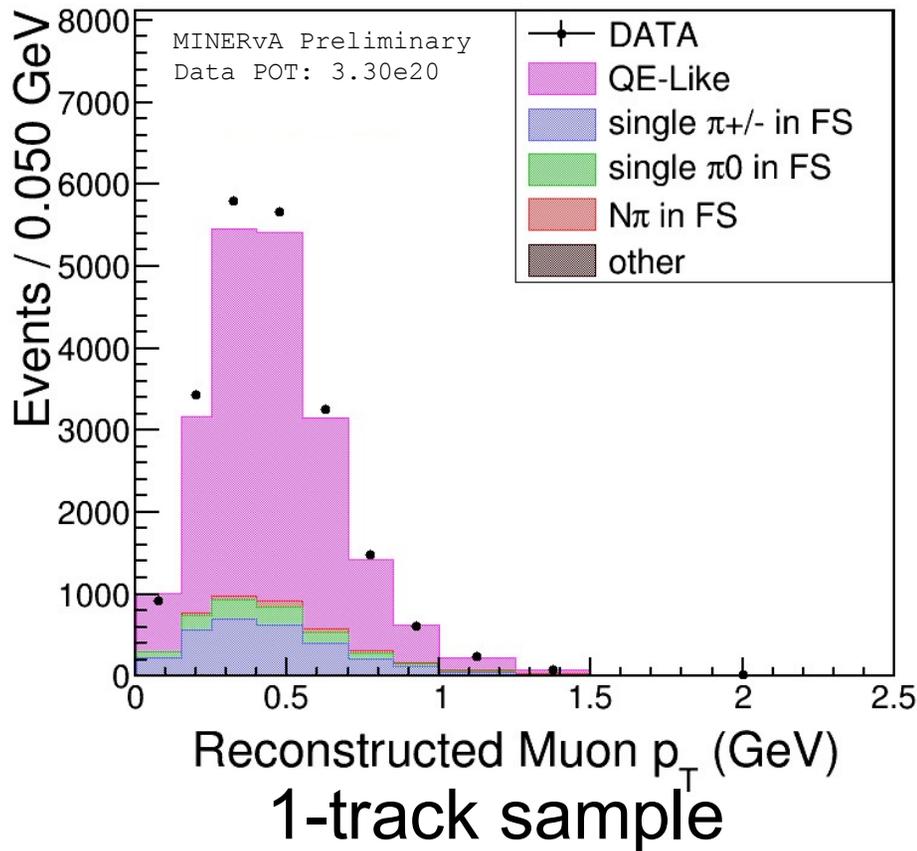
1-track sample



2-track sample

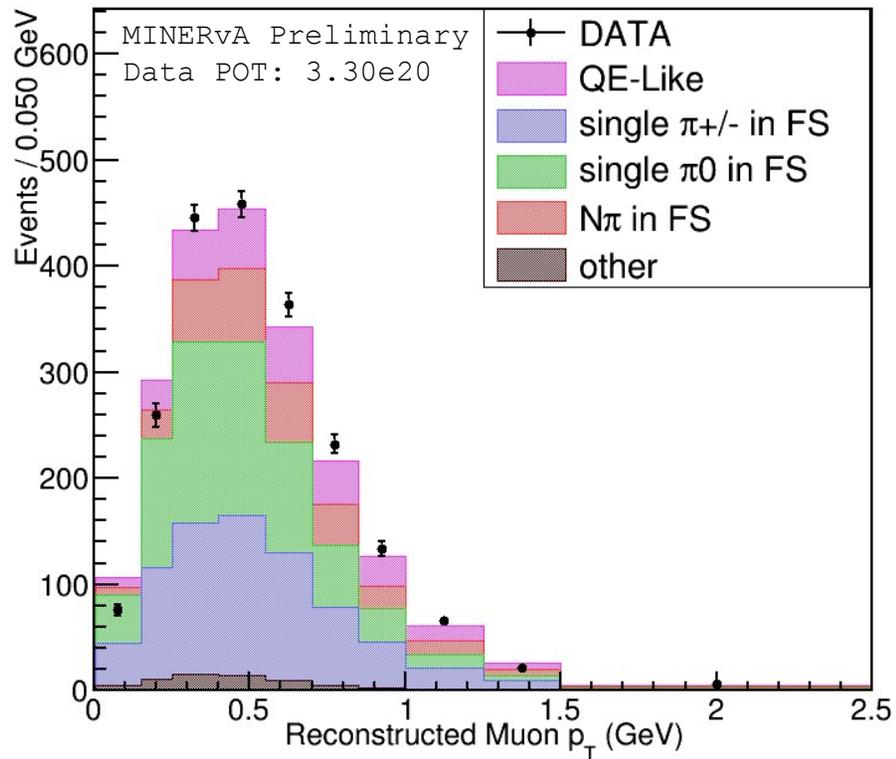
# Signal Before Tuning

Sample passes ALL selection criteria

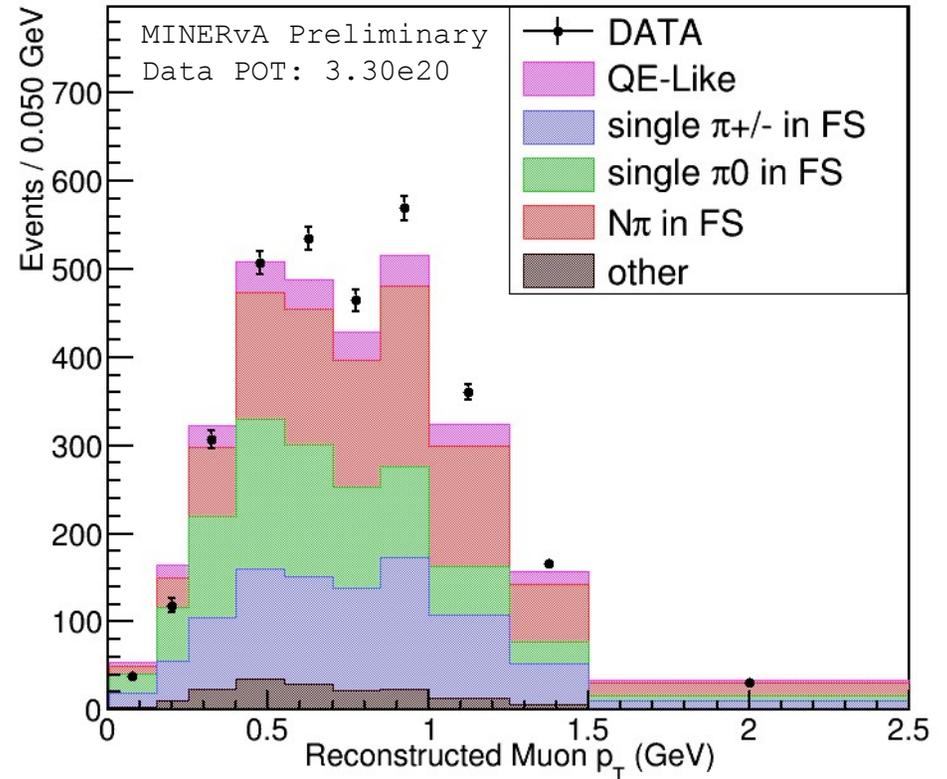


# Sideband Inputs

Sample passes ALL other cuts but has 2 or more isolated clusters



1-track sample

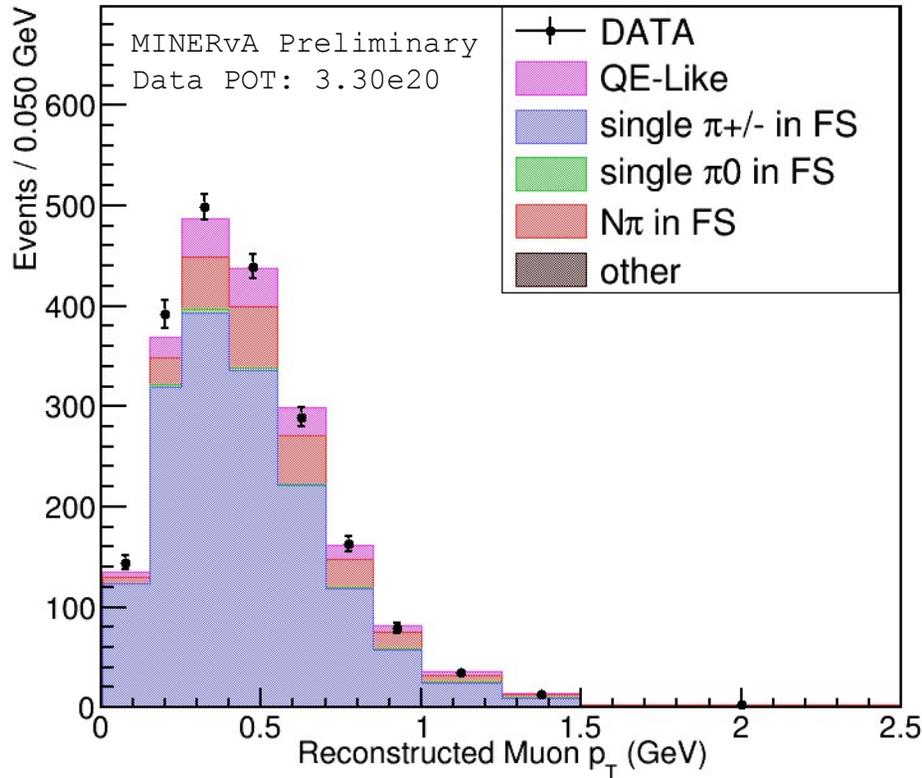


2-track sample

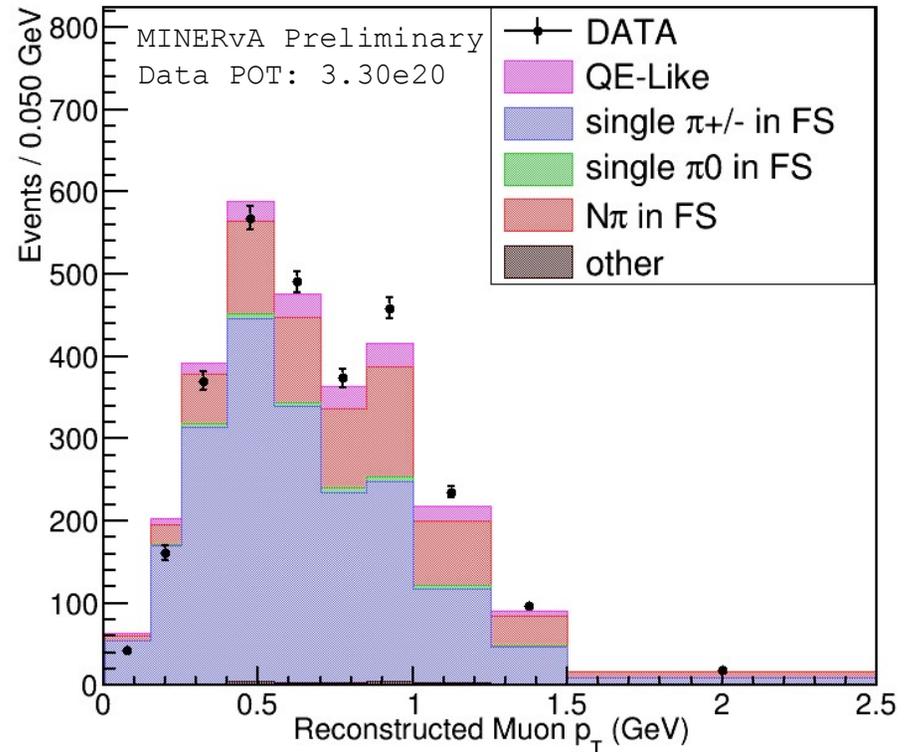
Jump at 0.8-1.0 GeV  $P_T$  in the 2-track sample is because of the PID cut which stops cutting in that region and beyond

# Sideband Inputs

Sample passes ALL cuts but has an associated Michel

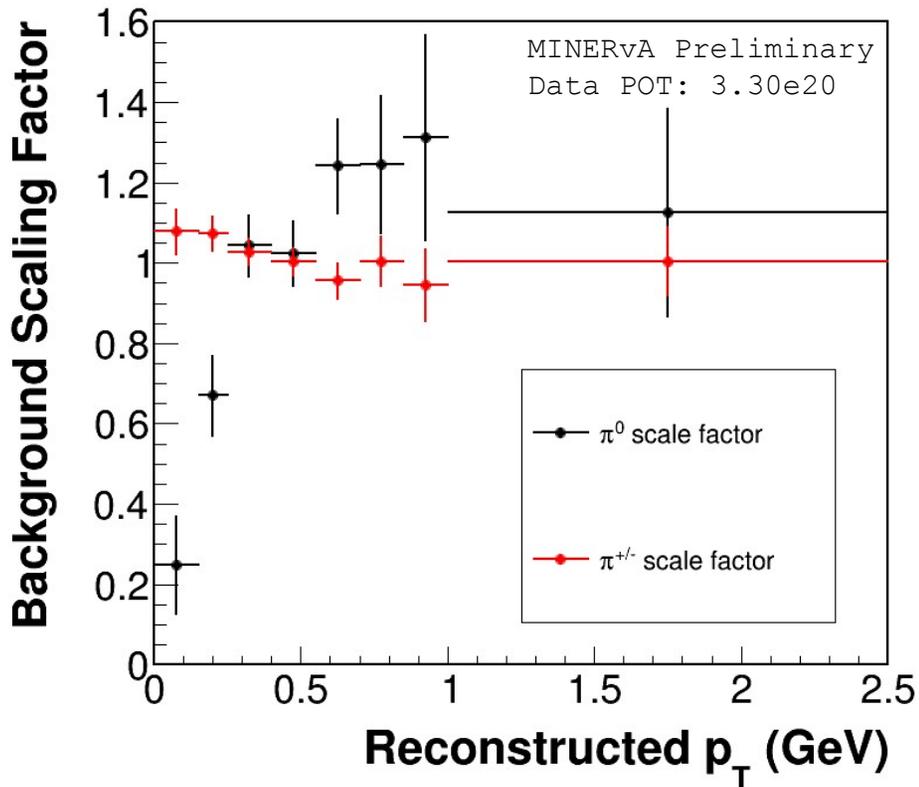


1-track sample

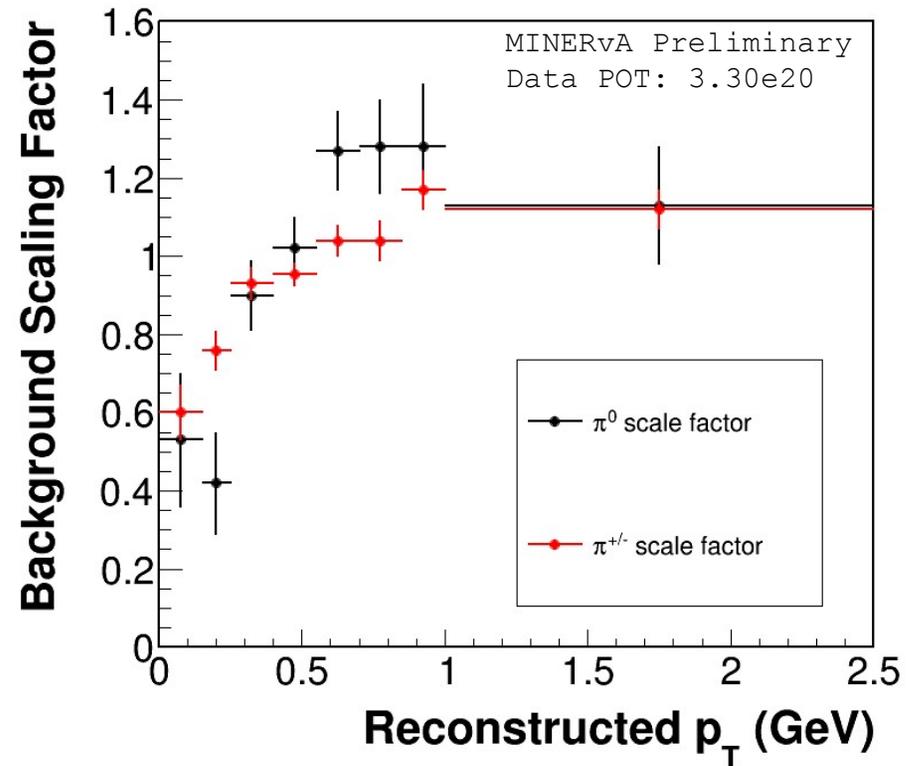


2-track sample

# Scaling Factors

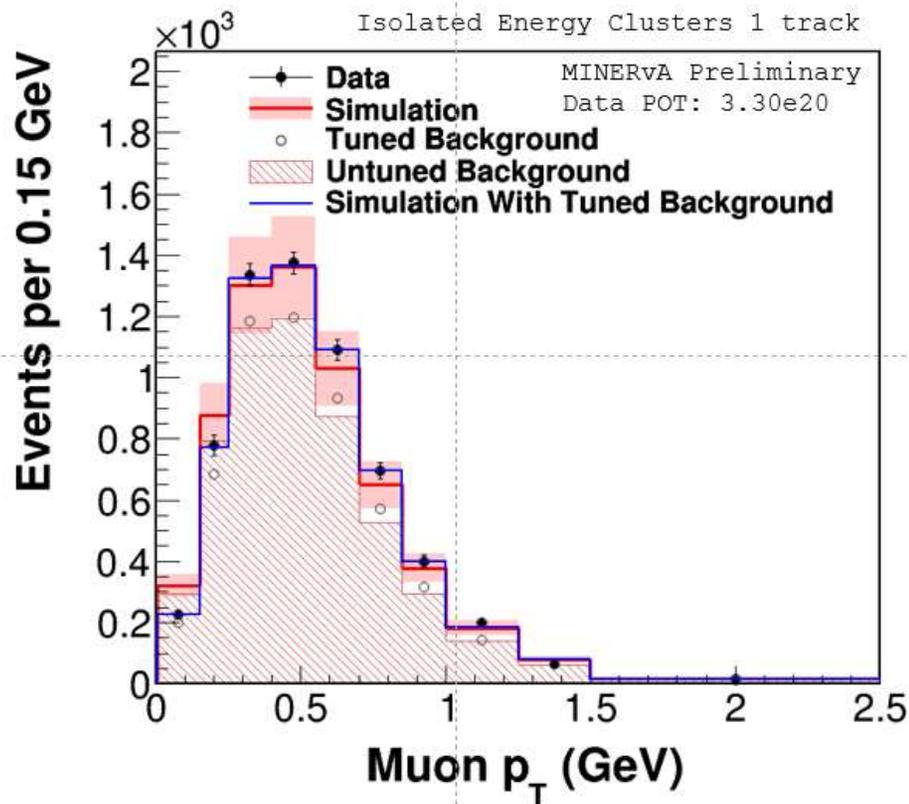


1-track sample

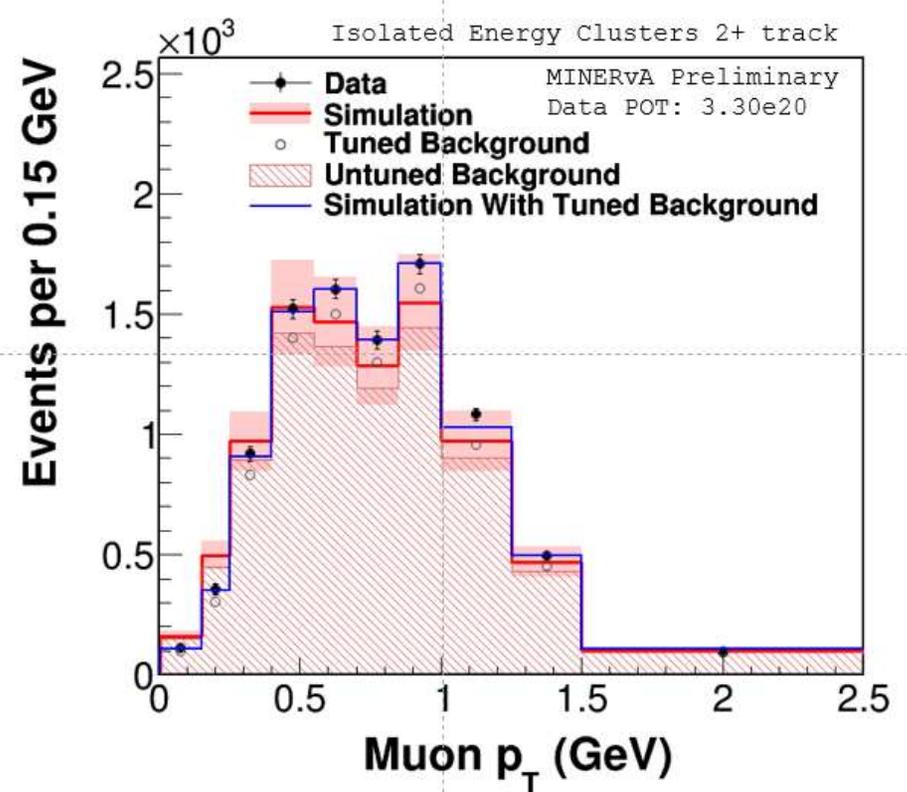


2-track sample

# Tuned Sideband Isolated Energy Deposits

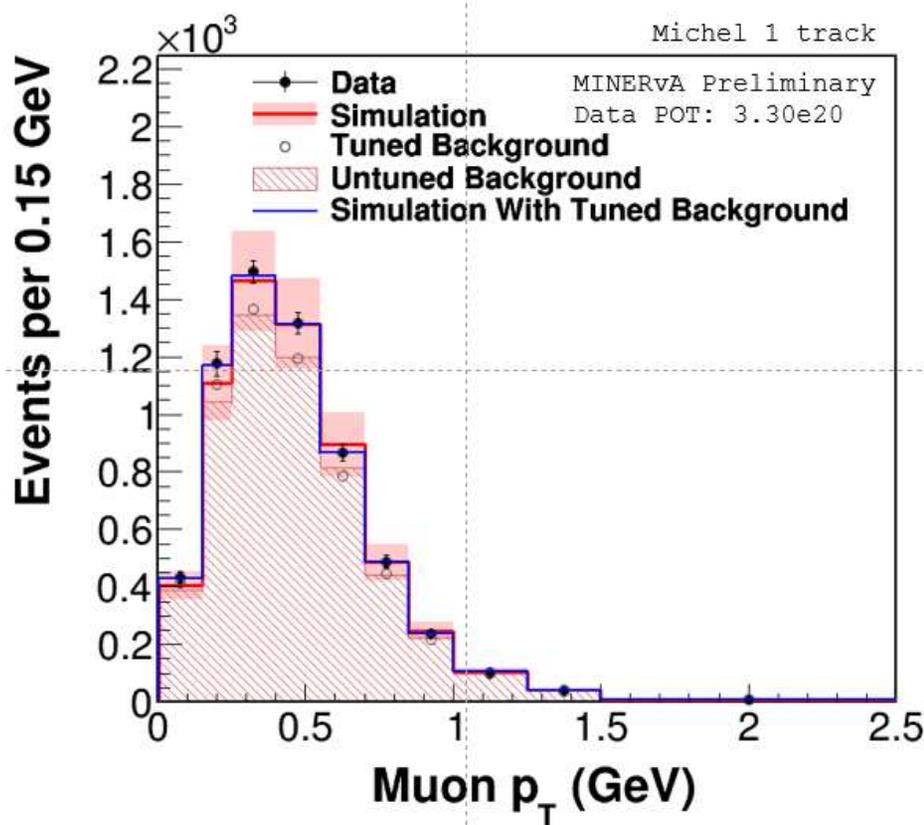


1-track sample

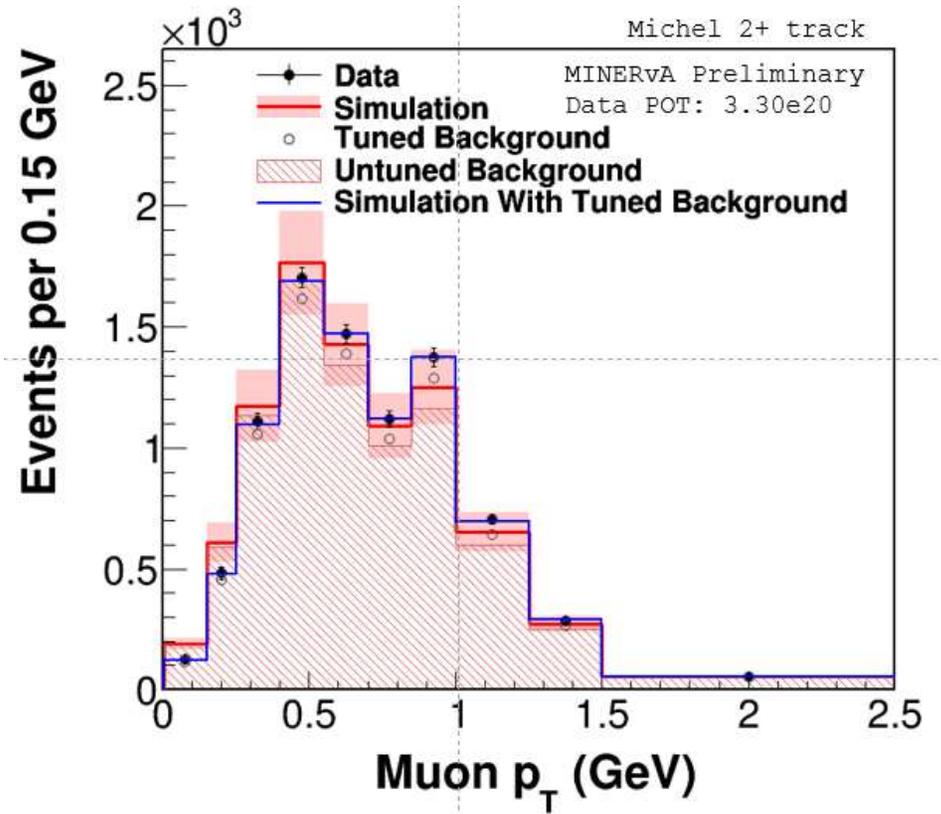


2-track sample

# Tuned Sideband Michels

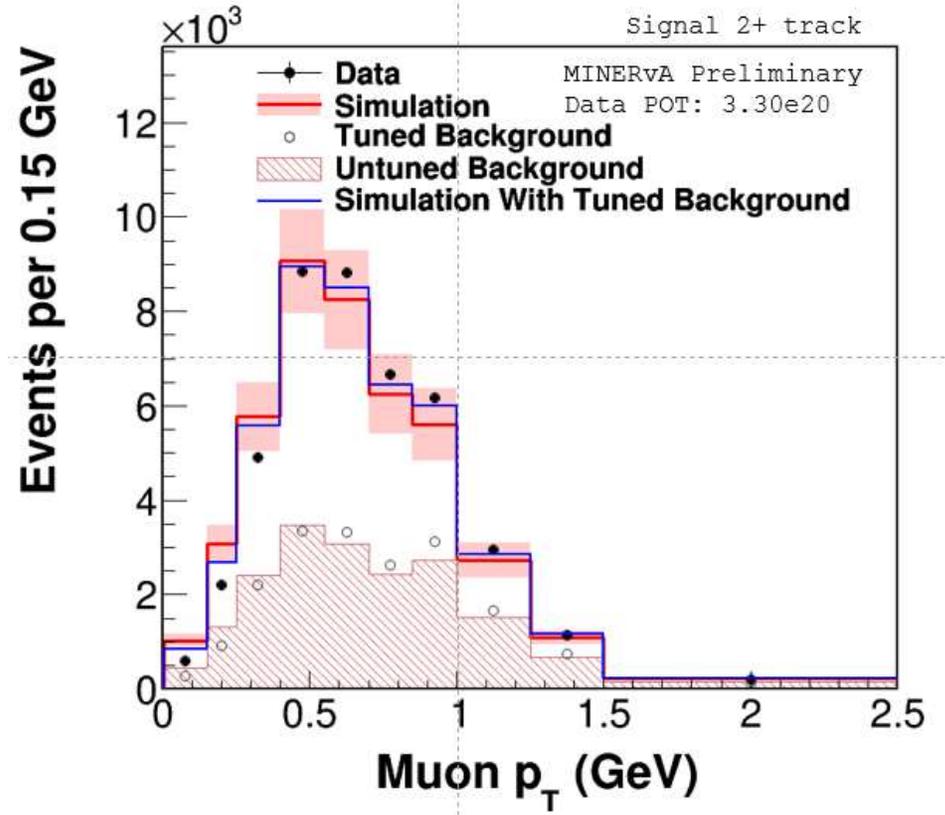
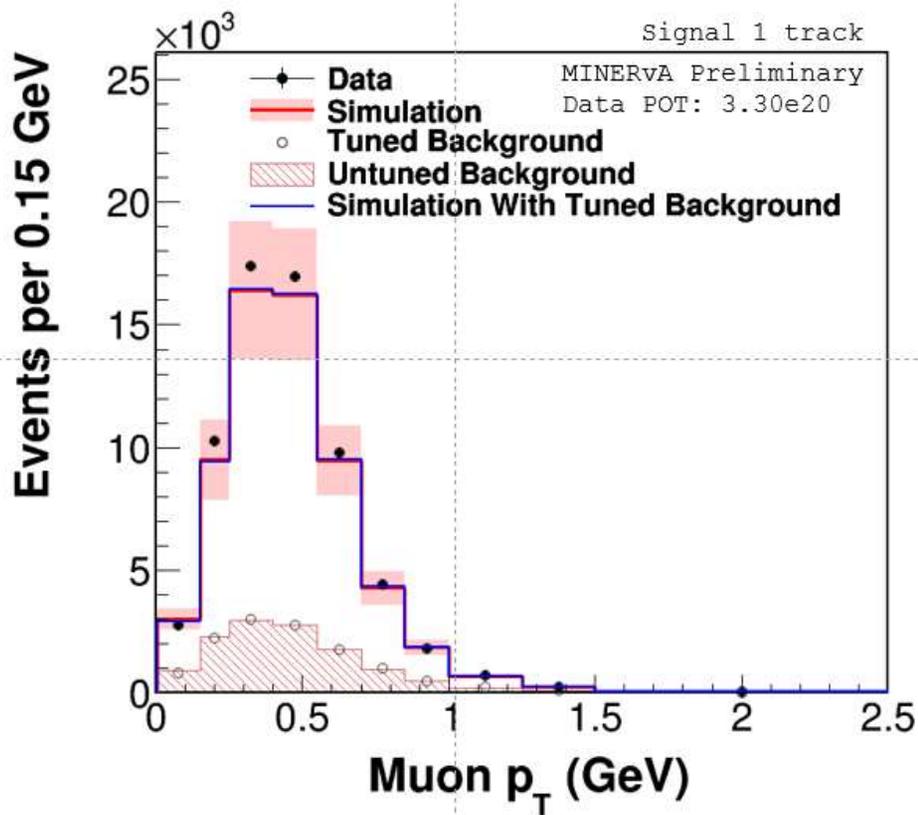


1-track sample

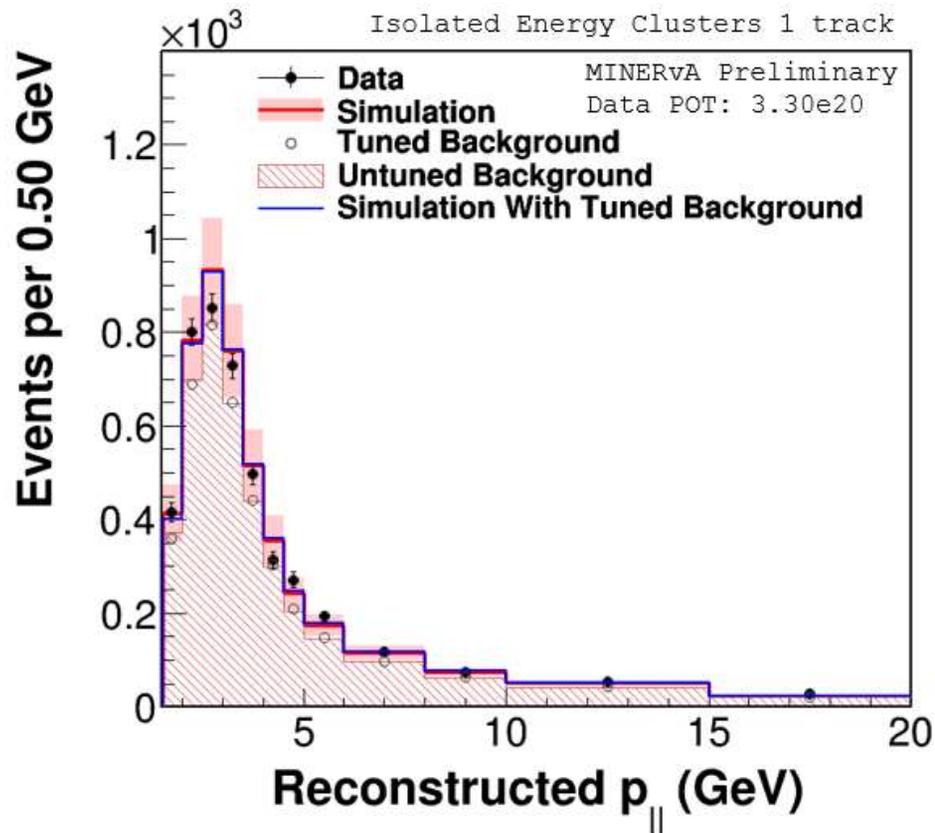


2-track sample

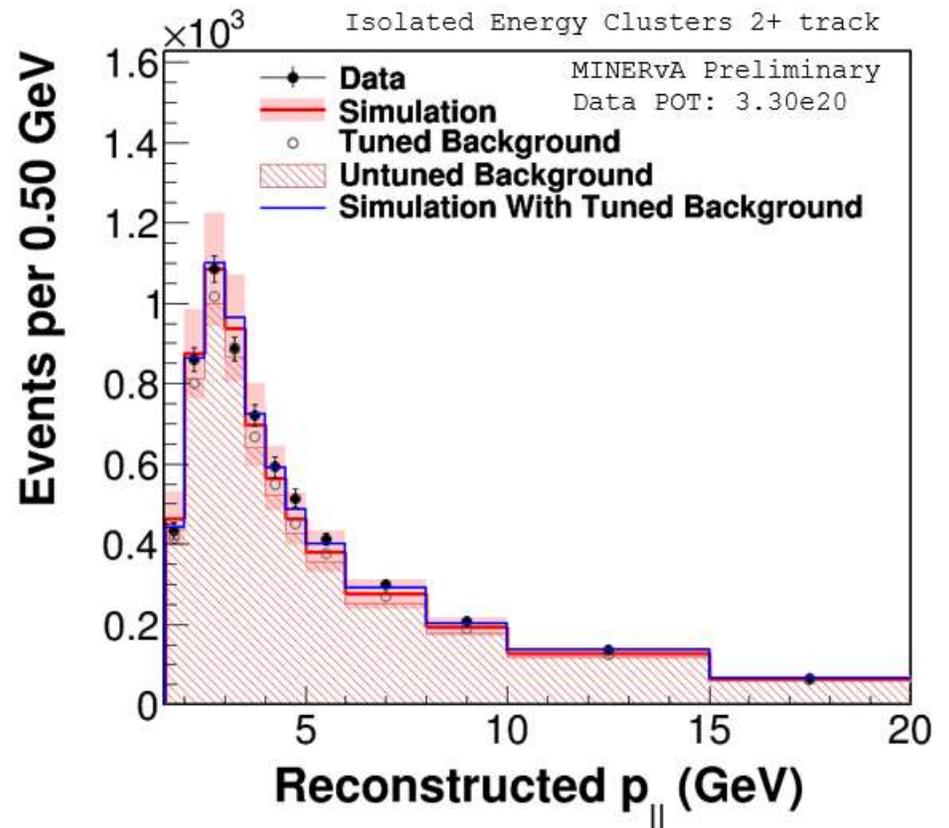
# Tuned Signal Sample



# Tuned Sideband Isolated Energy Deposits

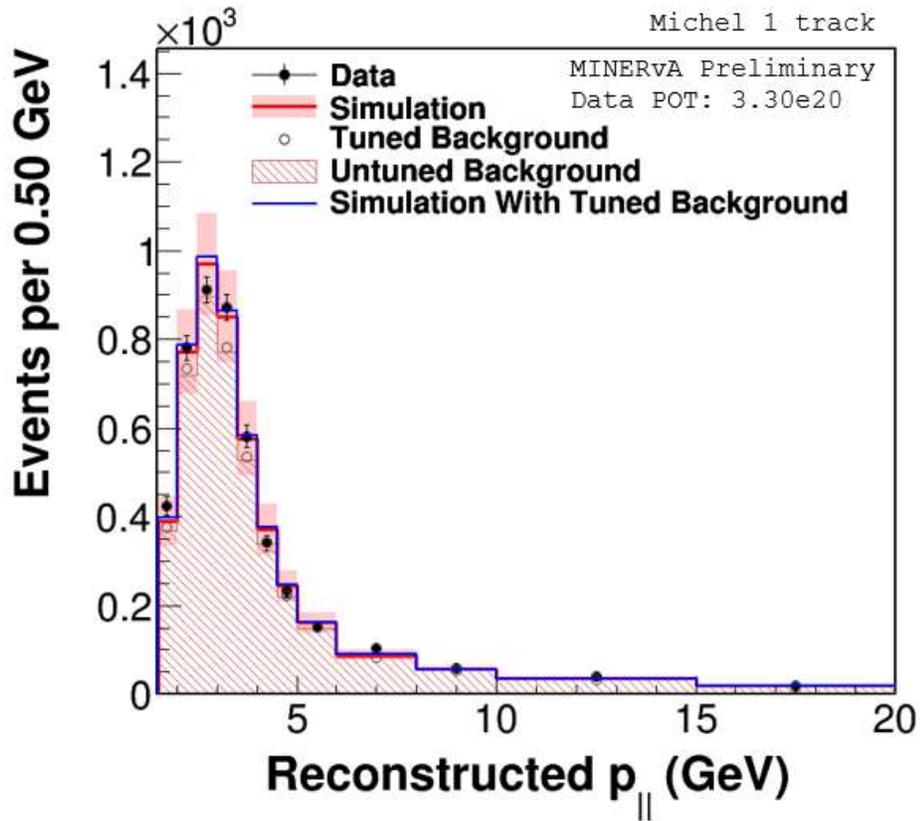


1-track sample

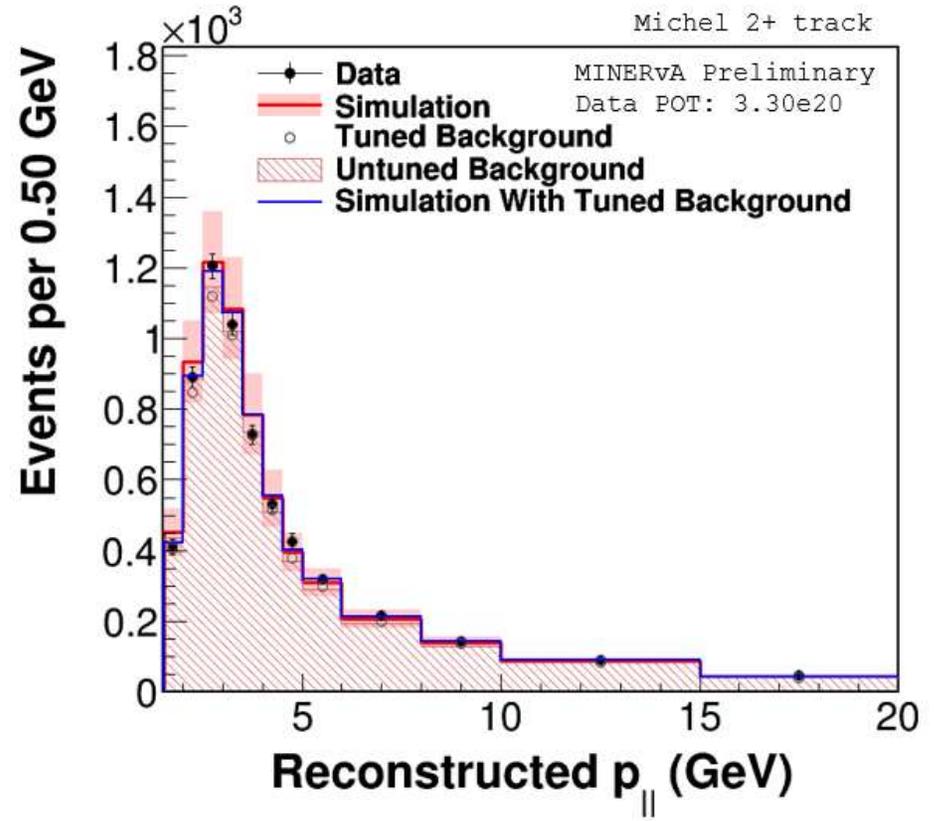


2-track sample

# Tuned Sideband Michels

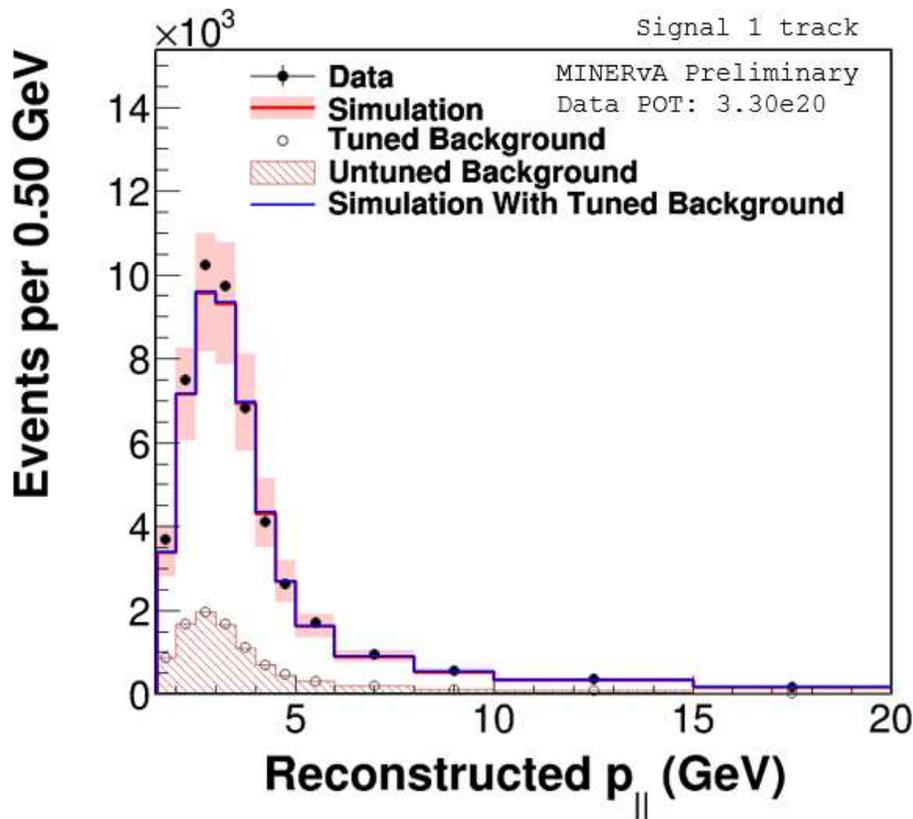


1-track sample

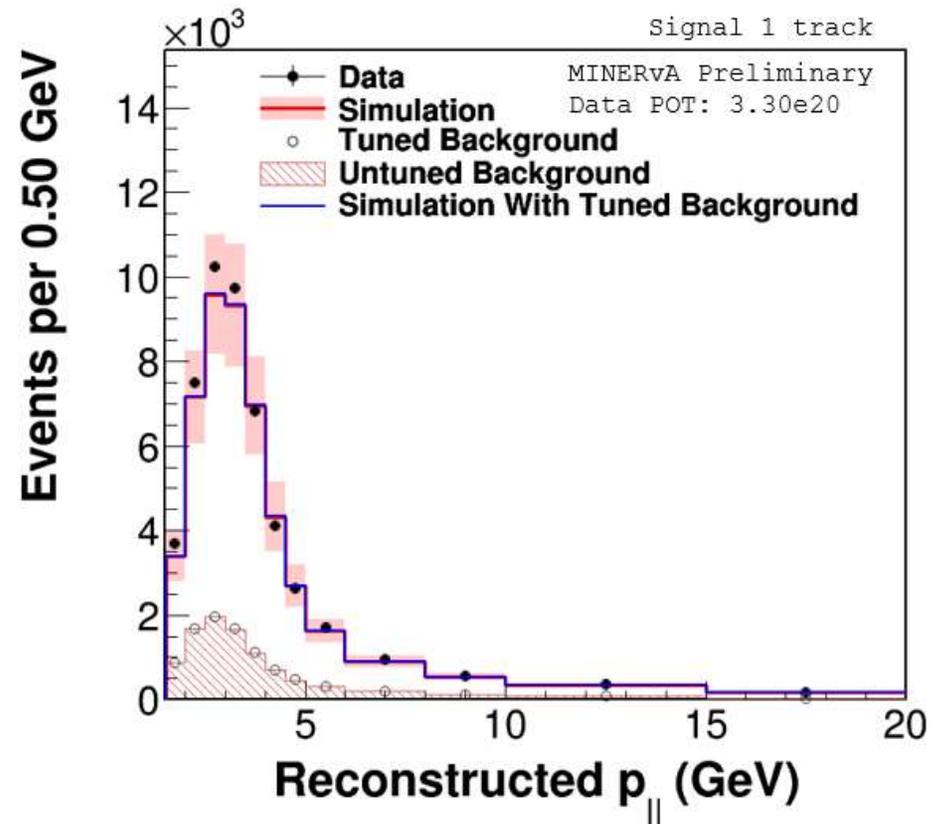


2-track sample

# Tuned Signal Sample



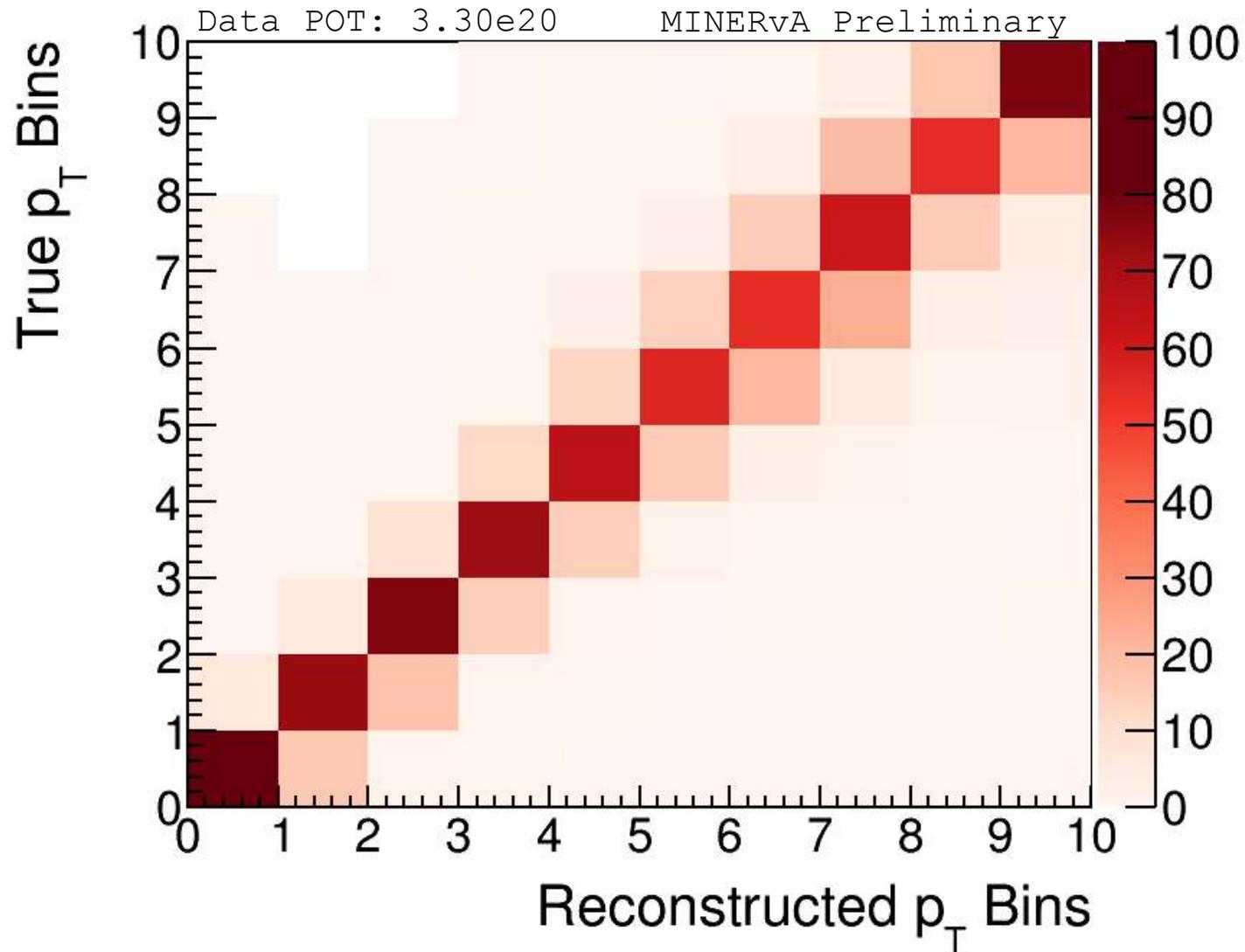
1-track sample



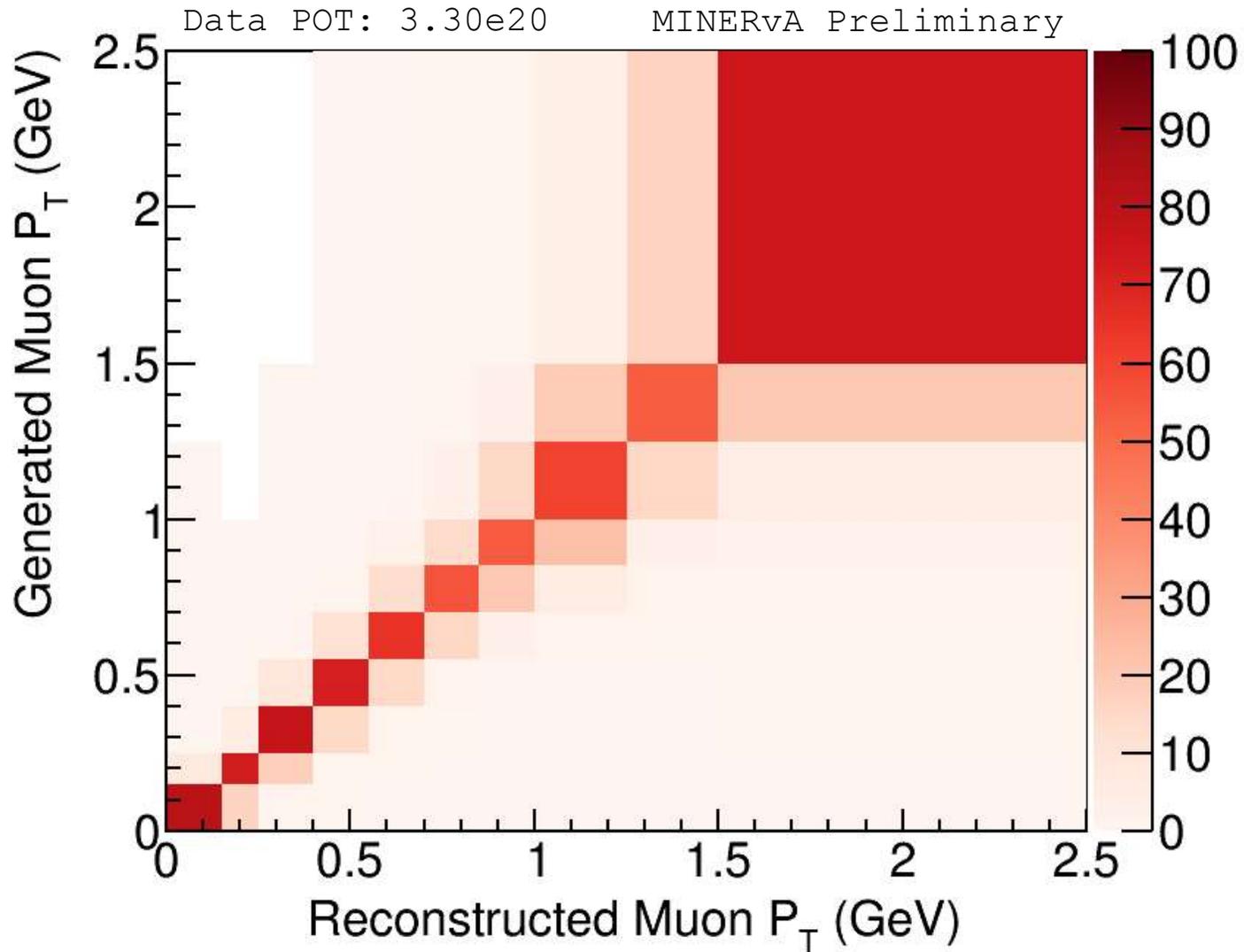
2-track sample

# Migration

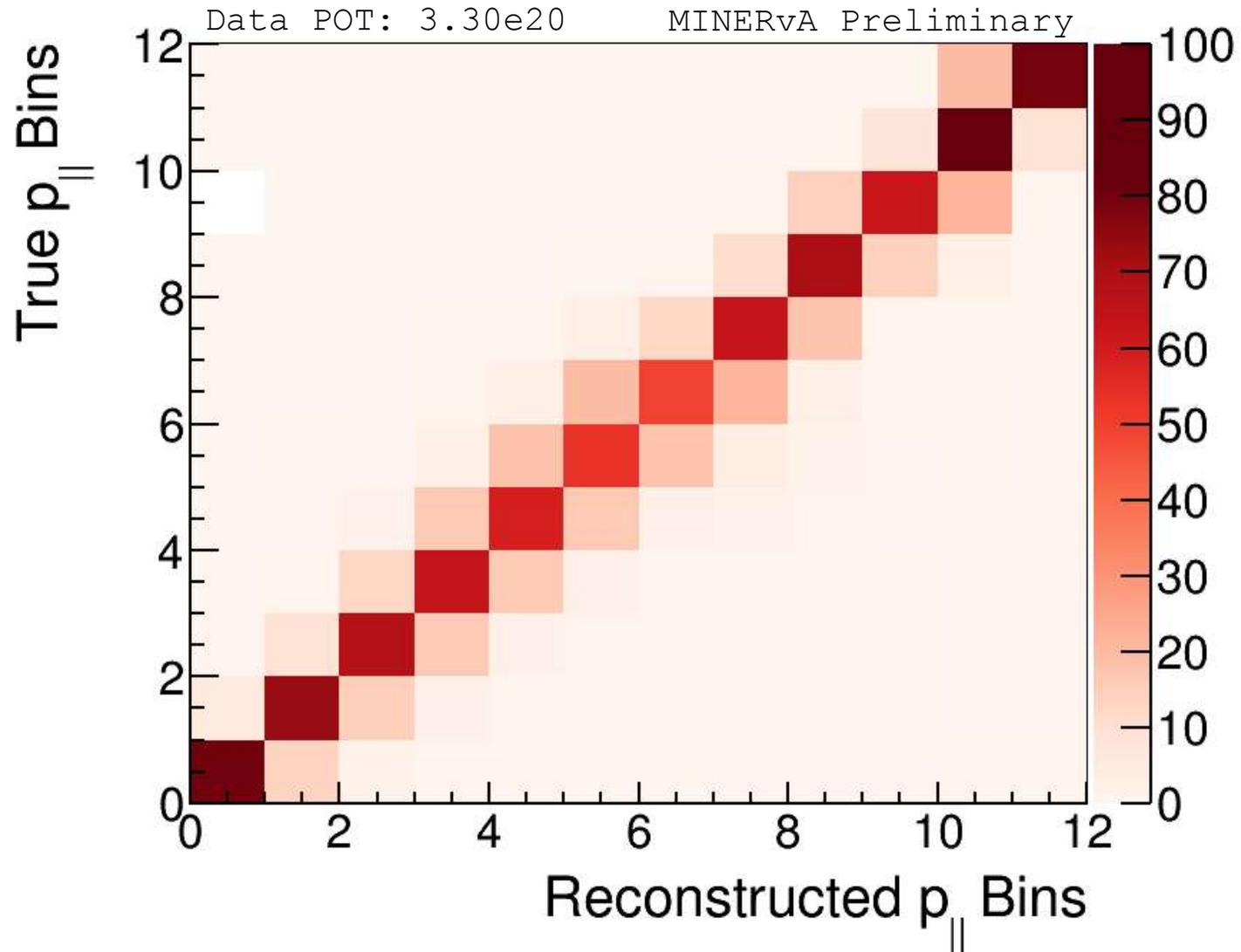
# Migration Matrix $P_t$



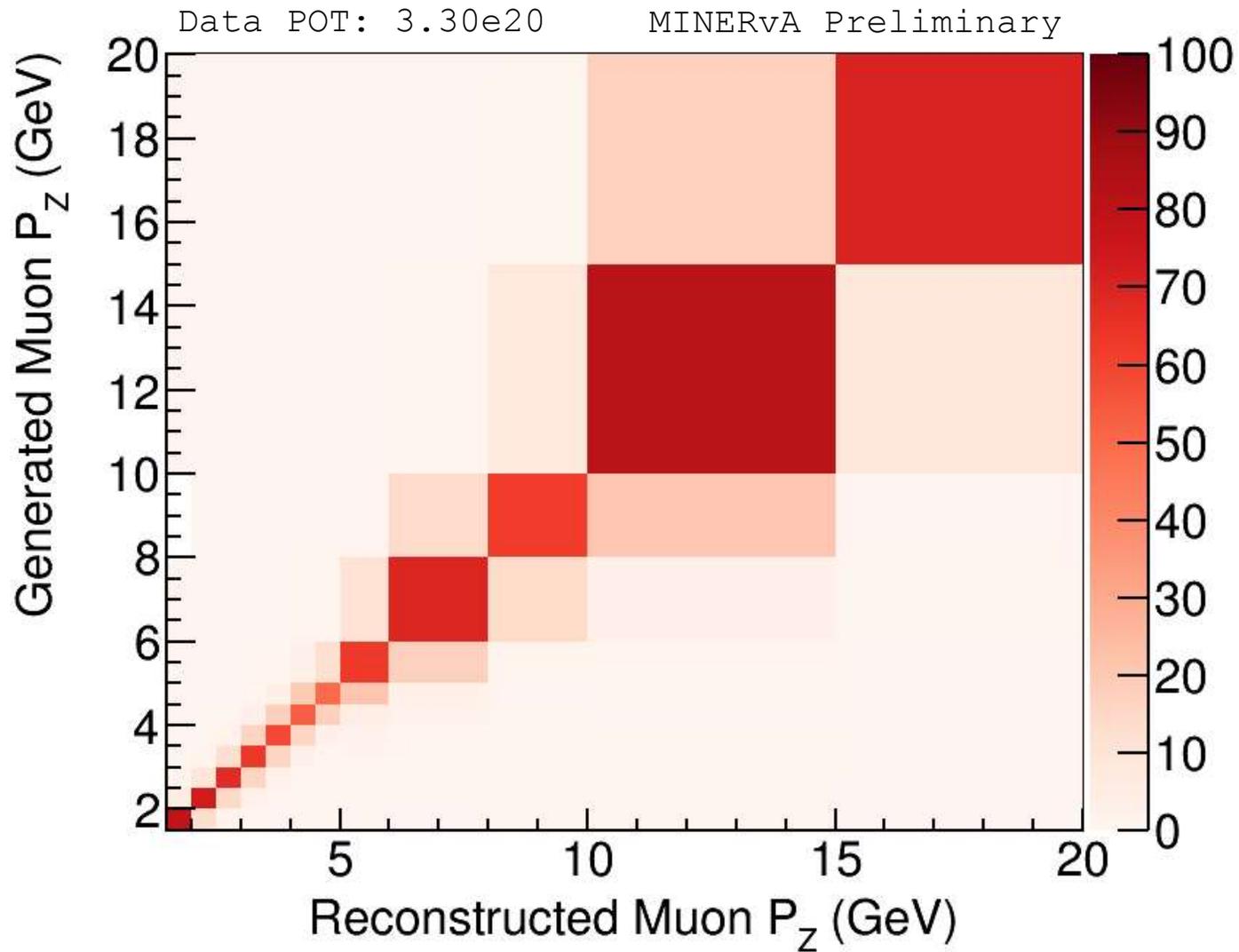
# Migration Matrix $P_t$



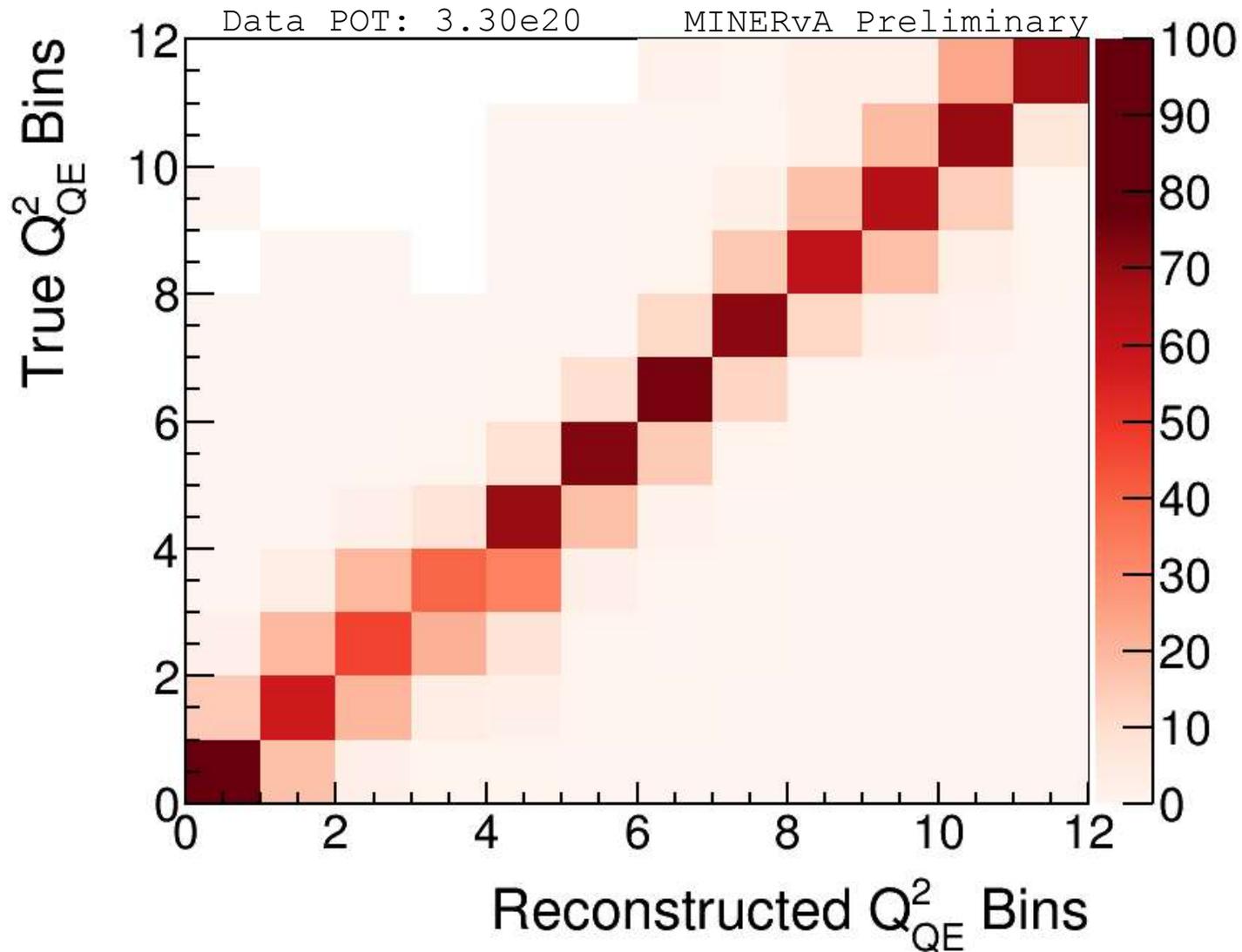
# Migration Matrix $P_{||}$



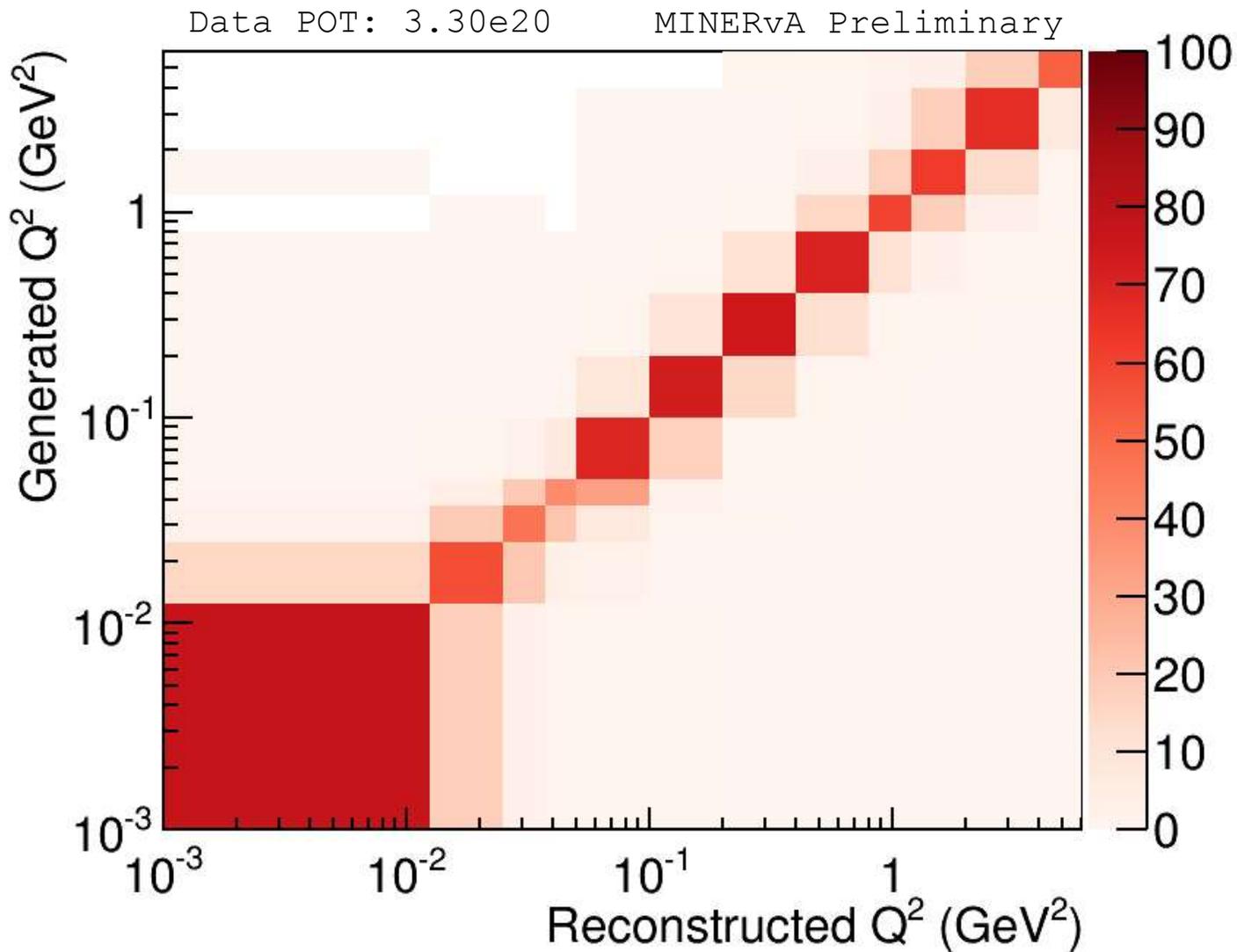
# Migration Matrix $P_{||}$



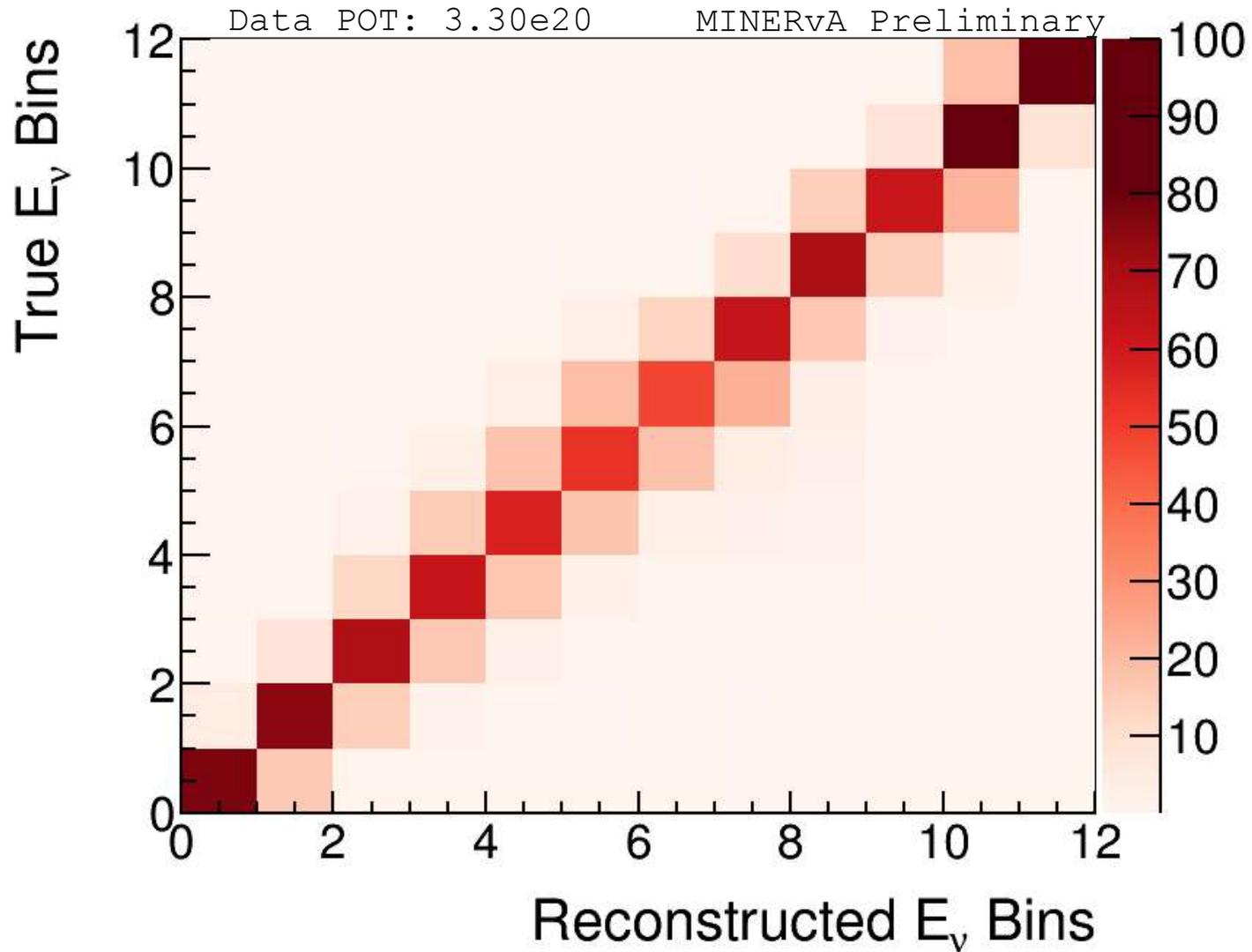
# Migration Matrix $Q^2_{QE}$



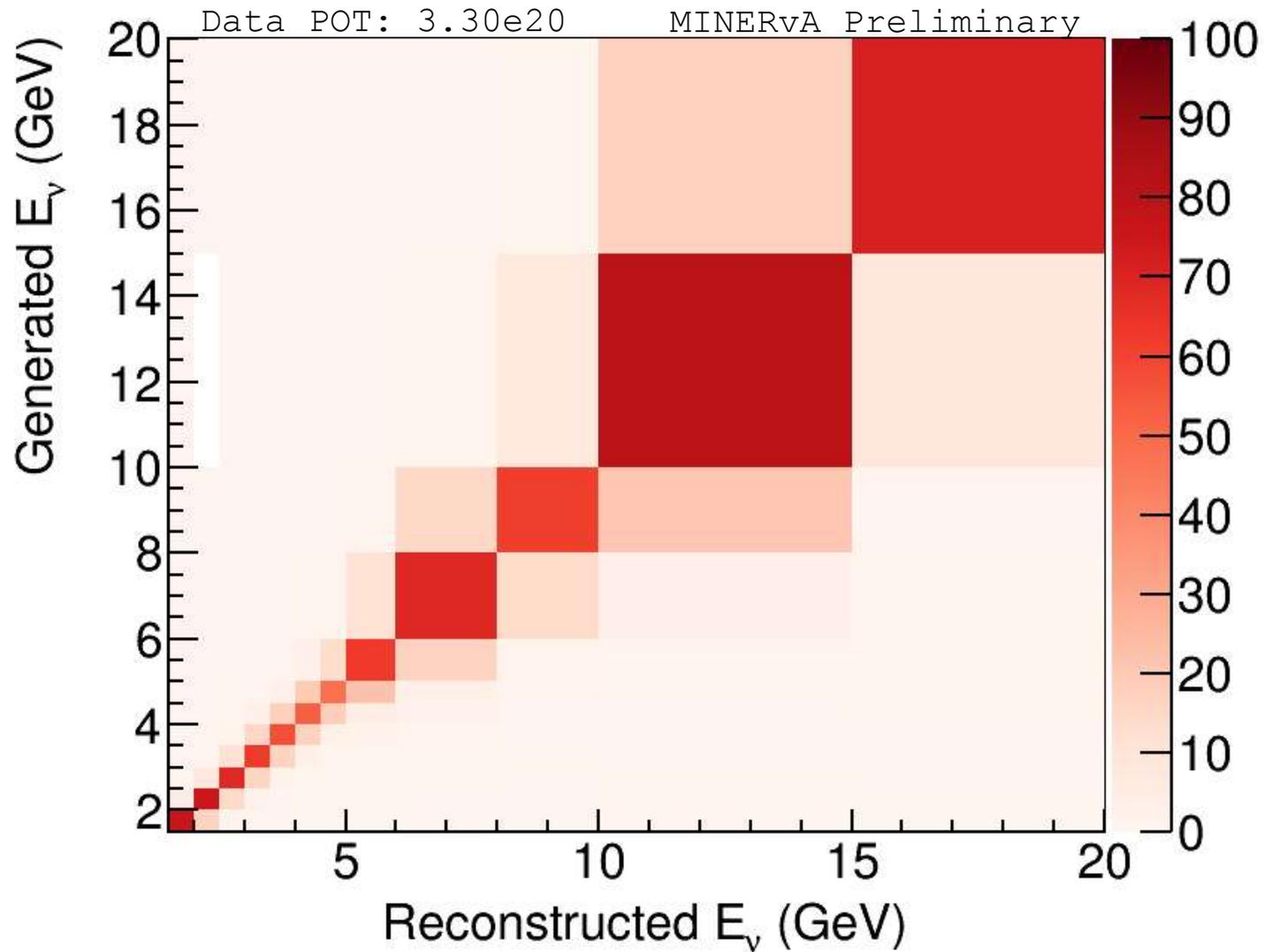
# Migration Matrix $Q^2_{QE}$



# Migration Matrix $E_\nu$

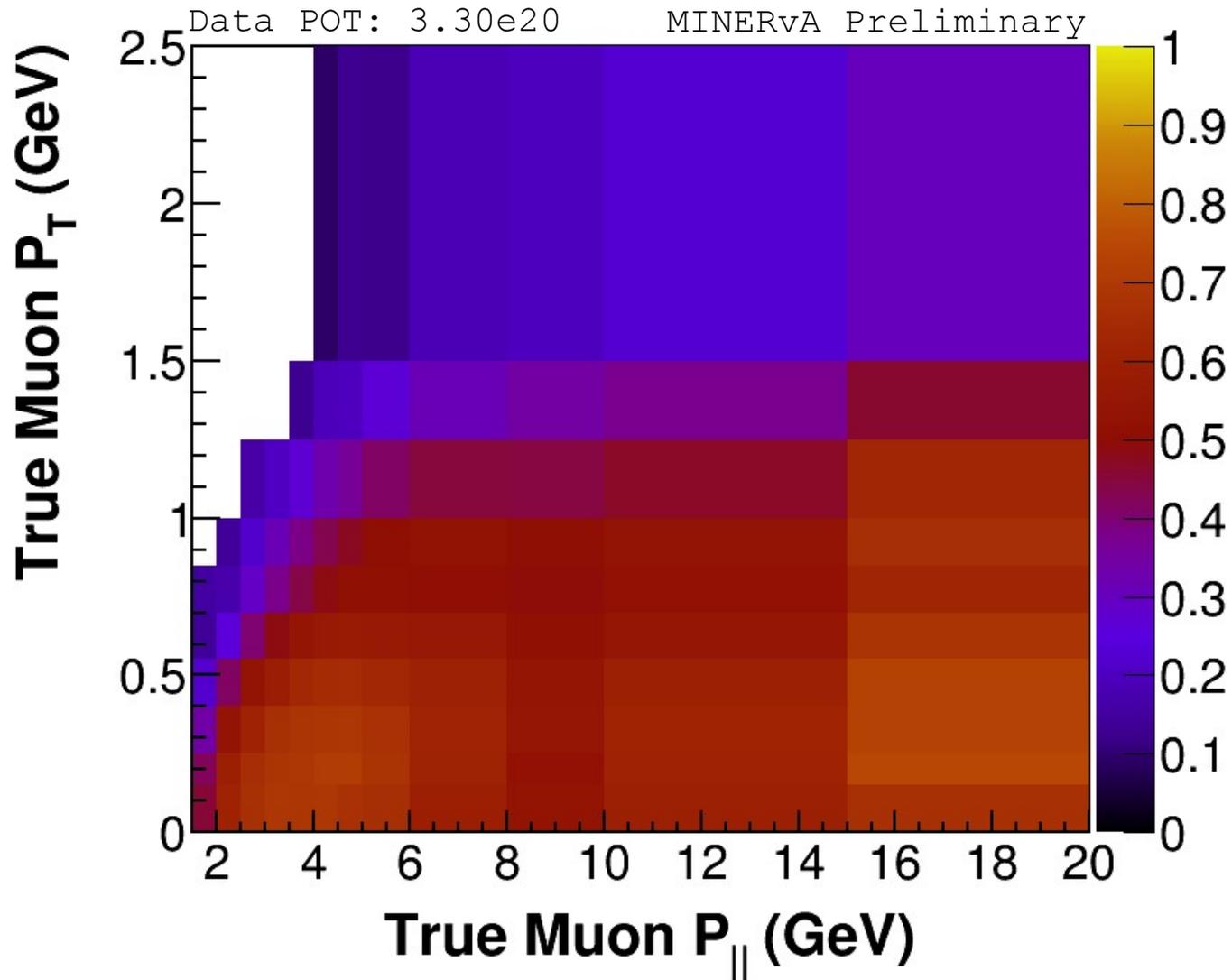


# Migration Matrix $E_\nu$

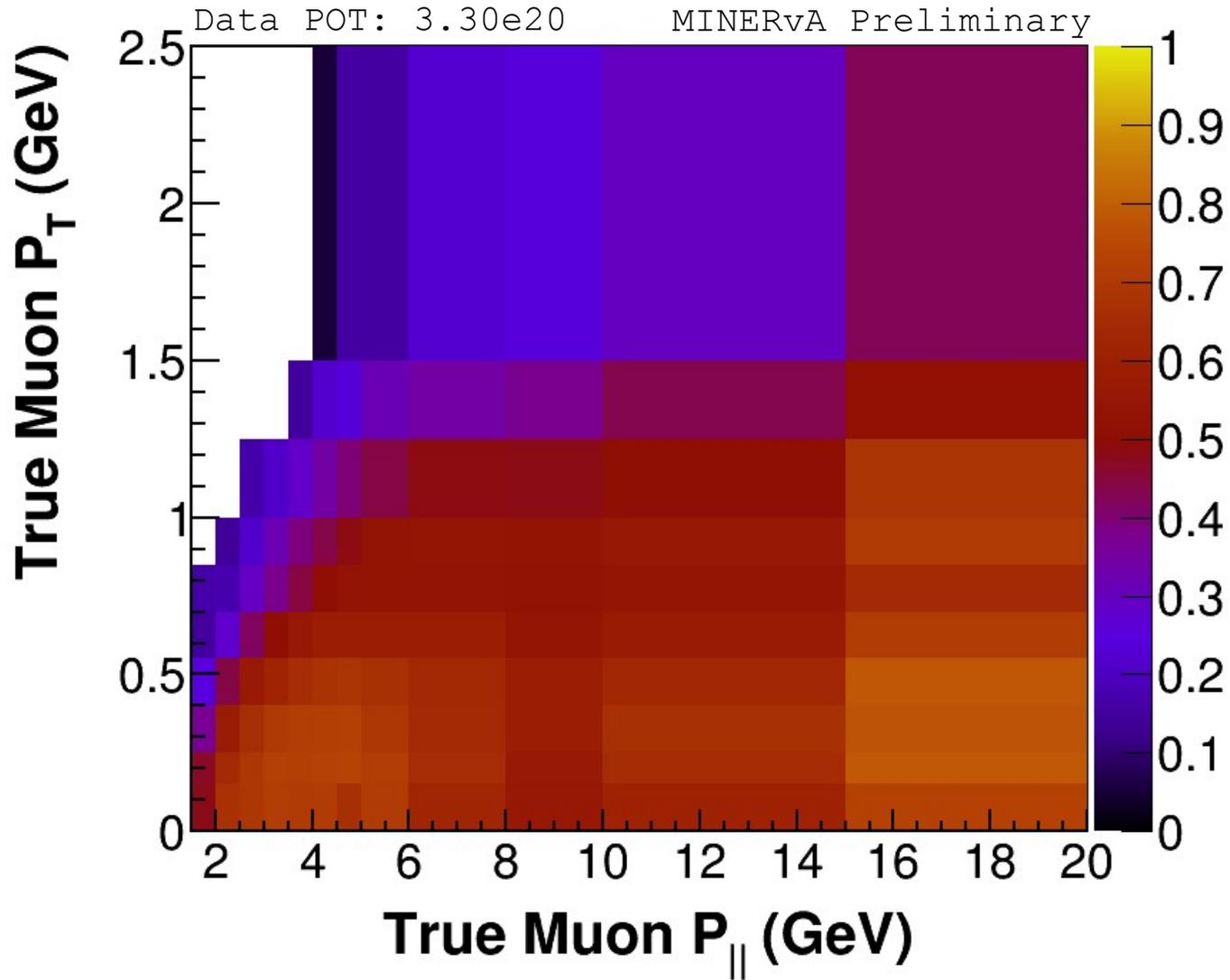


# Efficiency and Purity

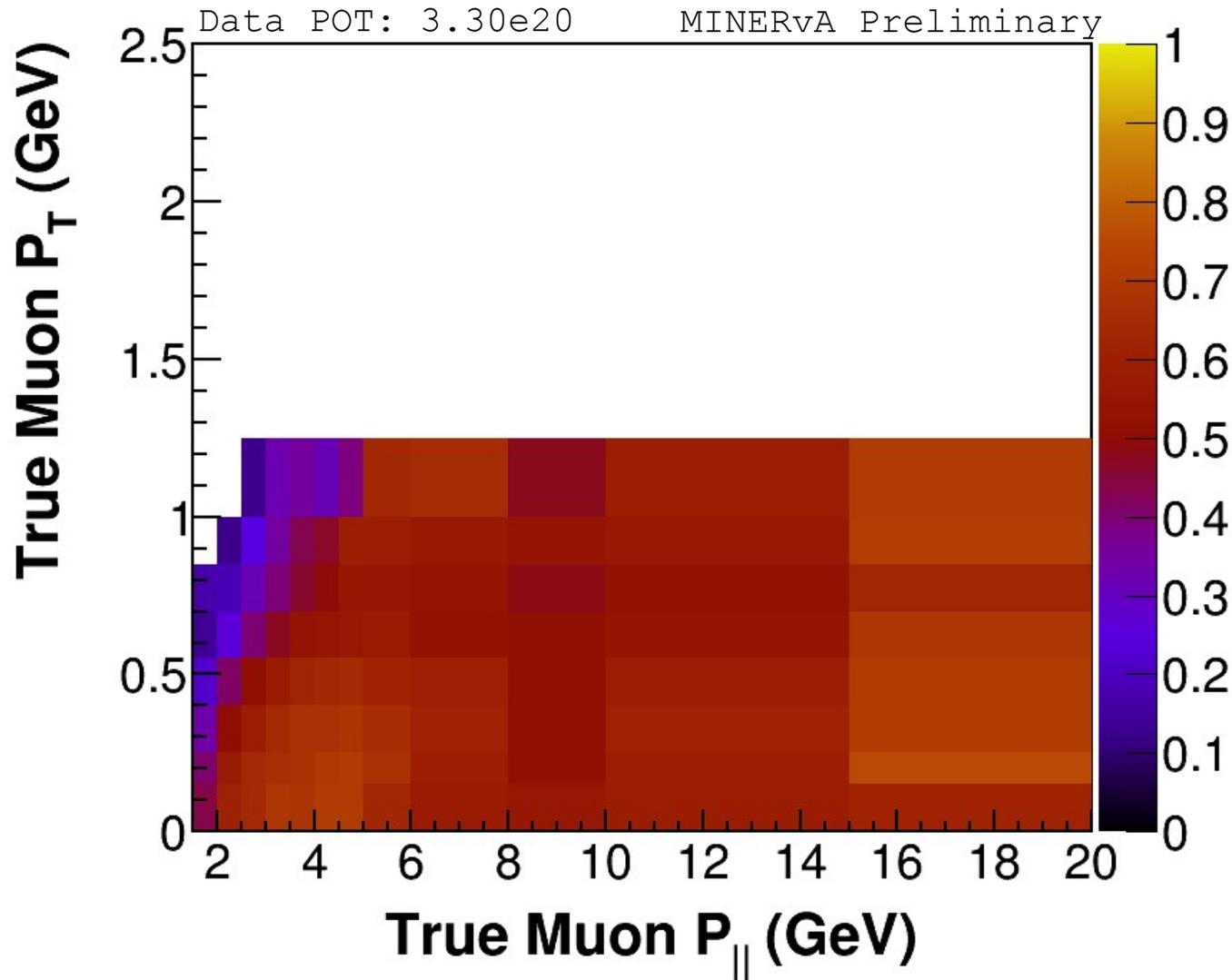
# Efficiency - QELike



# Efficiency- QE

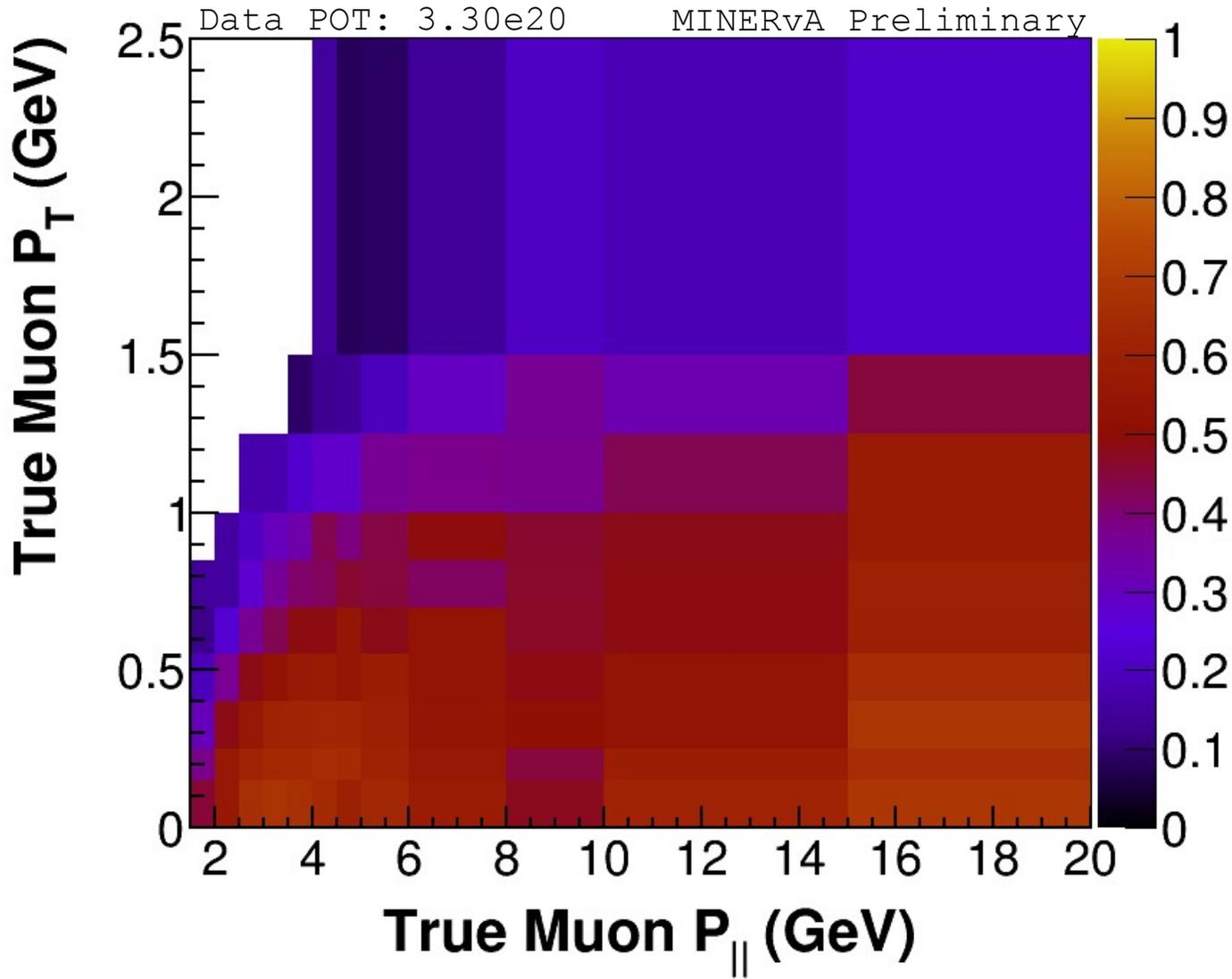


# Efficiency – QELike – 2p2h

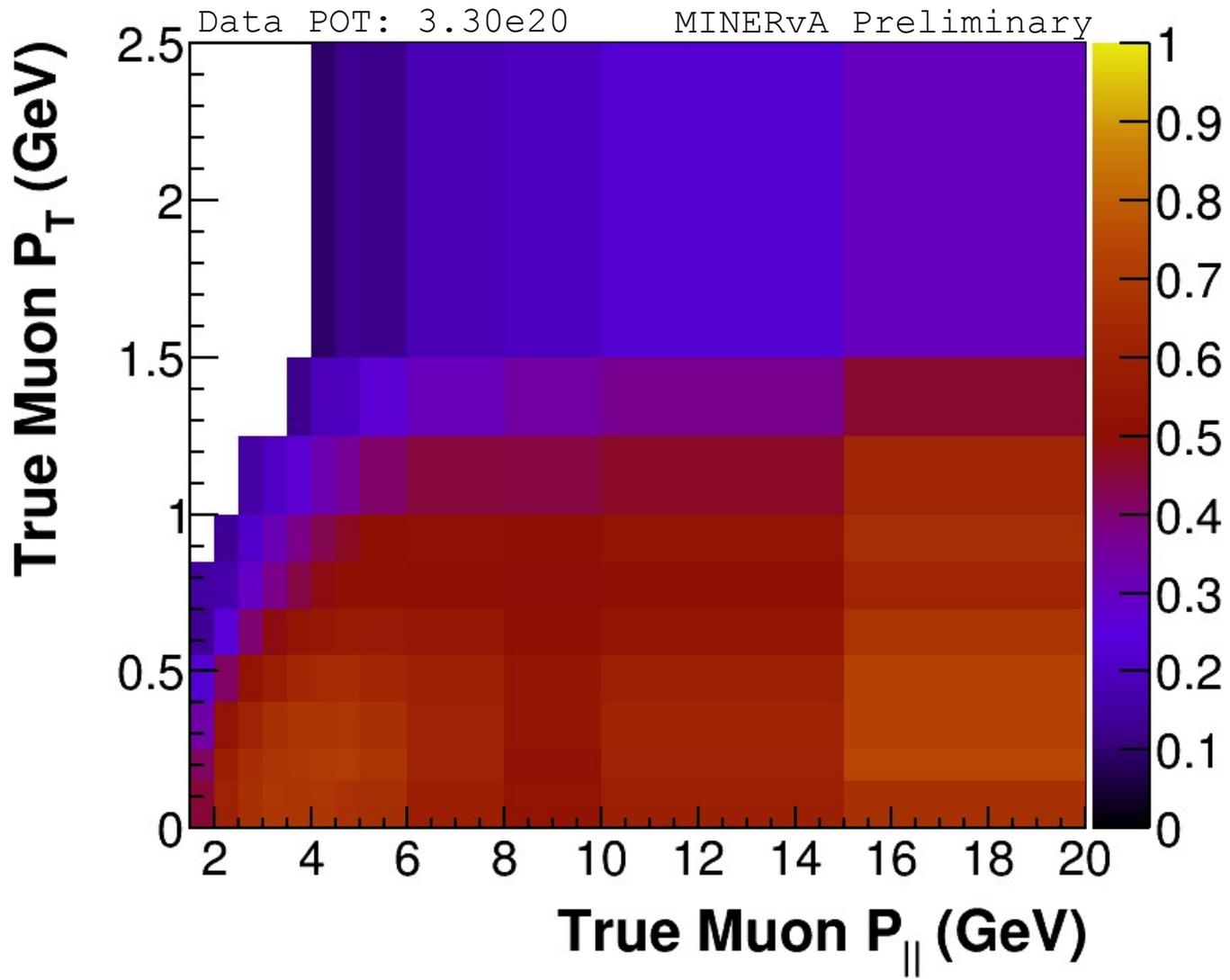


The cutoff is due to the model cutting out at  $q_3 = 1.2$  GeV<sub>130</sub>

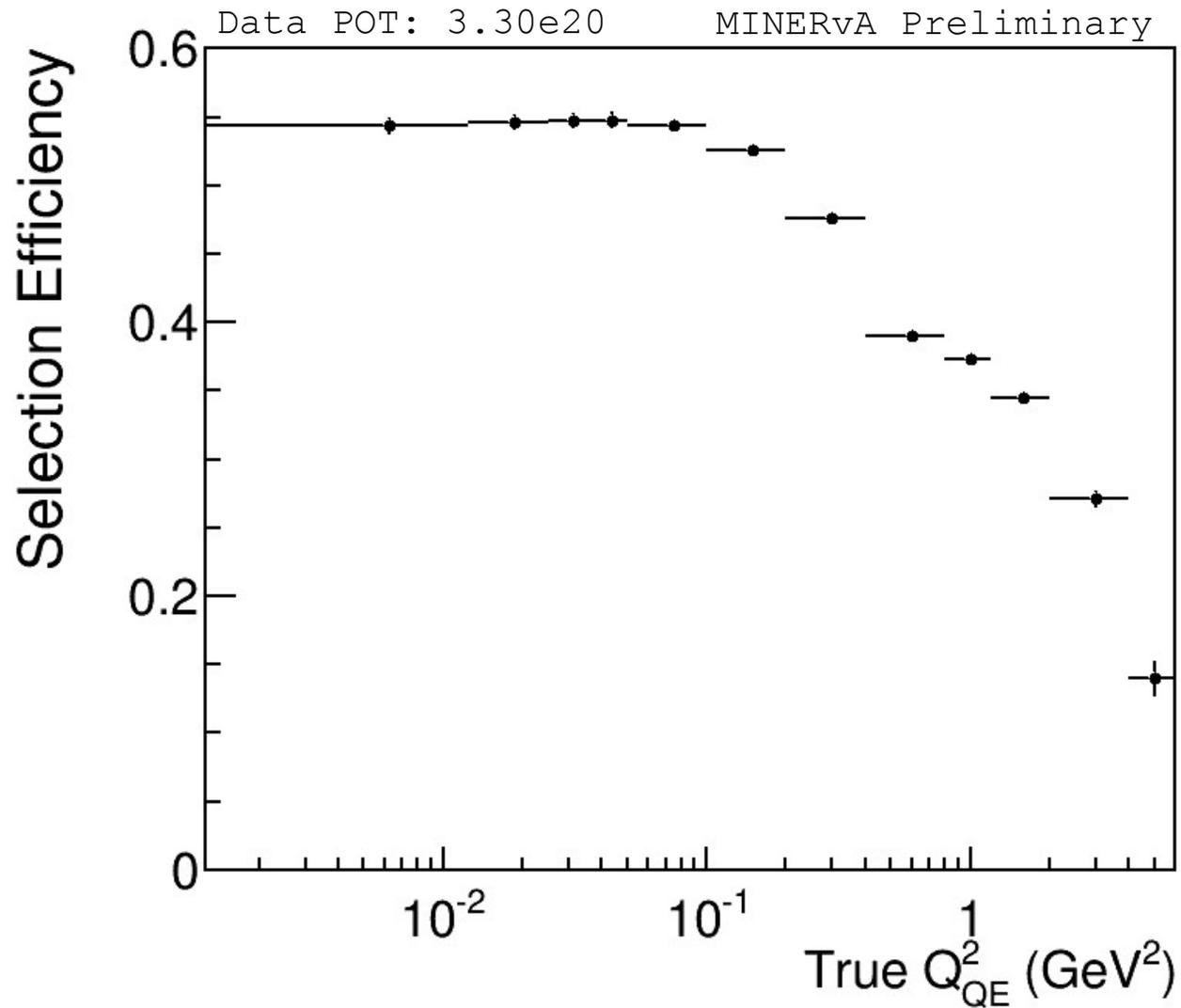
# Efficiency – QELike - Resonant



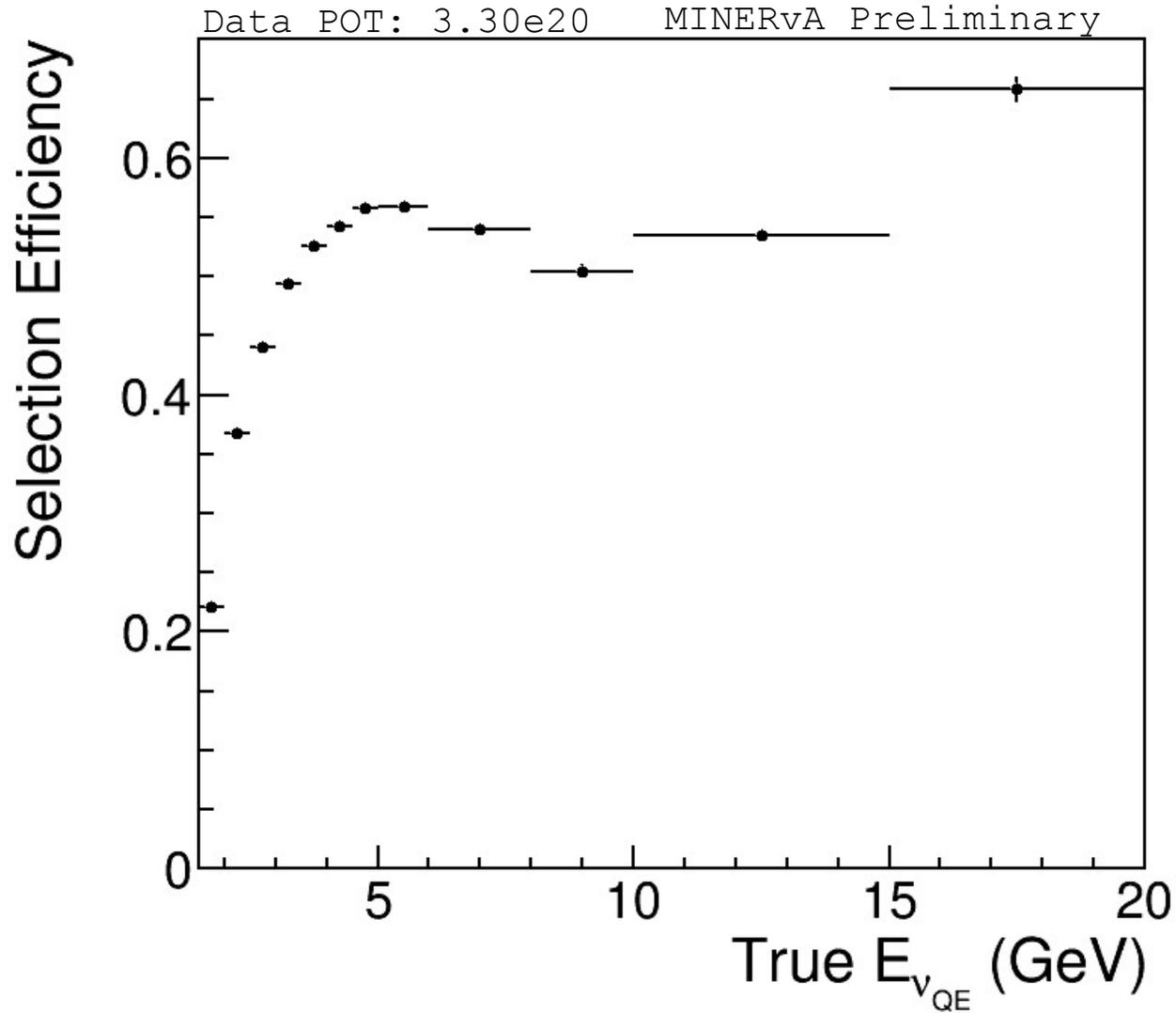
# Purity



# Efficiency – $Q^2_{QE}$



# Efficiency – $E_{\nu, QE}$

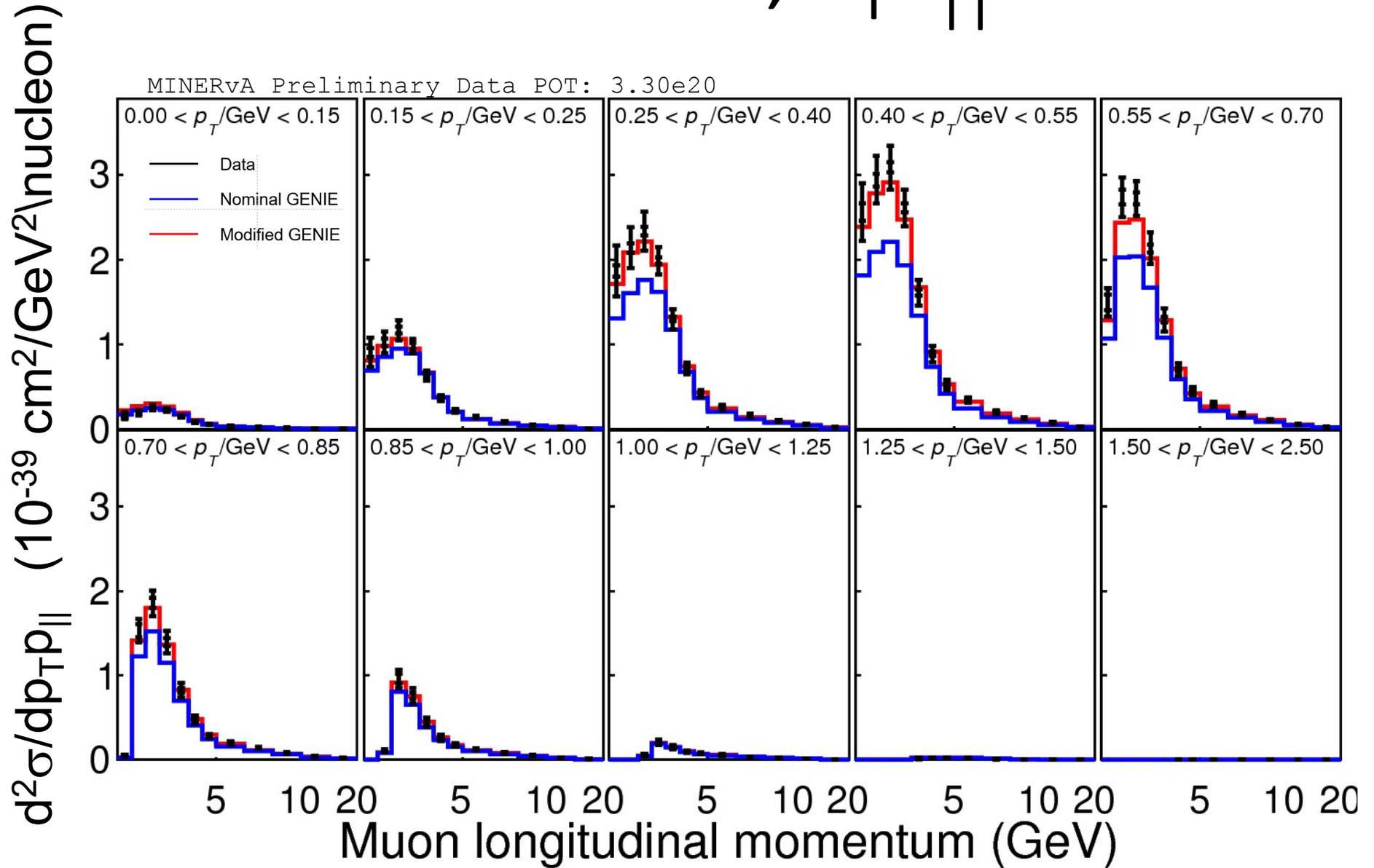


# Results

# Signal definition

- QELike – Defined by final state particles
  - Any number of nucleons of all energy
  - No pion, heavy baryons etc
  - No gammas  $> 10\text{MeV}$
- Additional constraints
  - True muon angle  $< 20.0$
- We do not simulate radiative CCQE but will not cut it out of the sample in data (mostly collinear with muon)
  - Basically we assume selection efficiency of this process is the same as everything else...

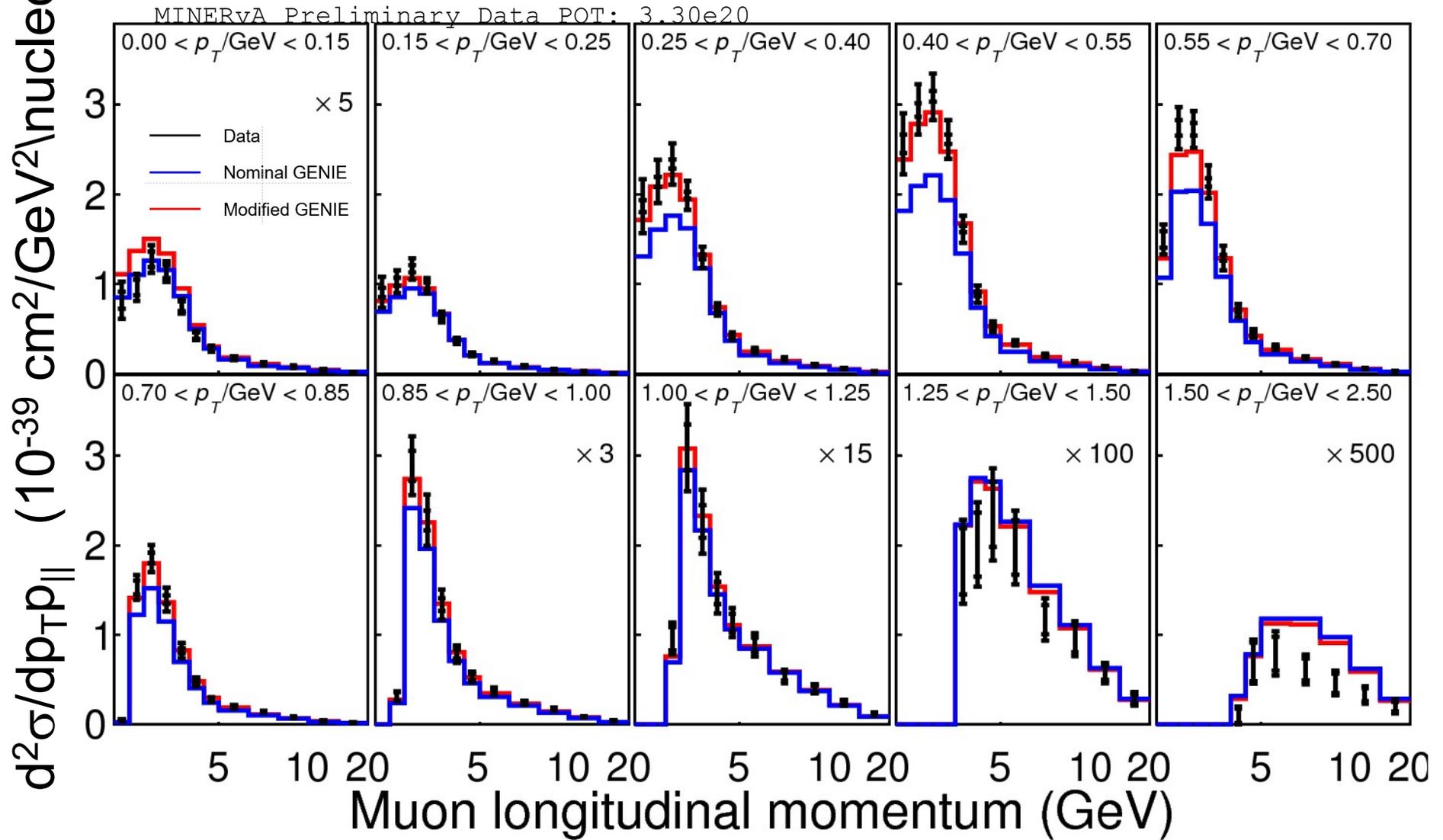
# Result #1, $P_T P_{||}$



Note: x-axis is not linear. High  $P_{||}$  is squashed to allow everyone to see the lower  $P_{||}$

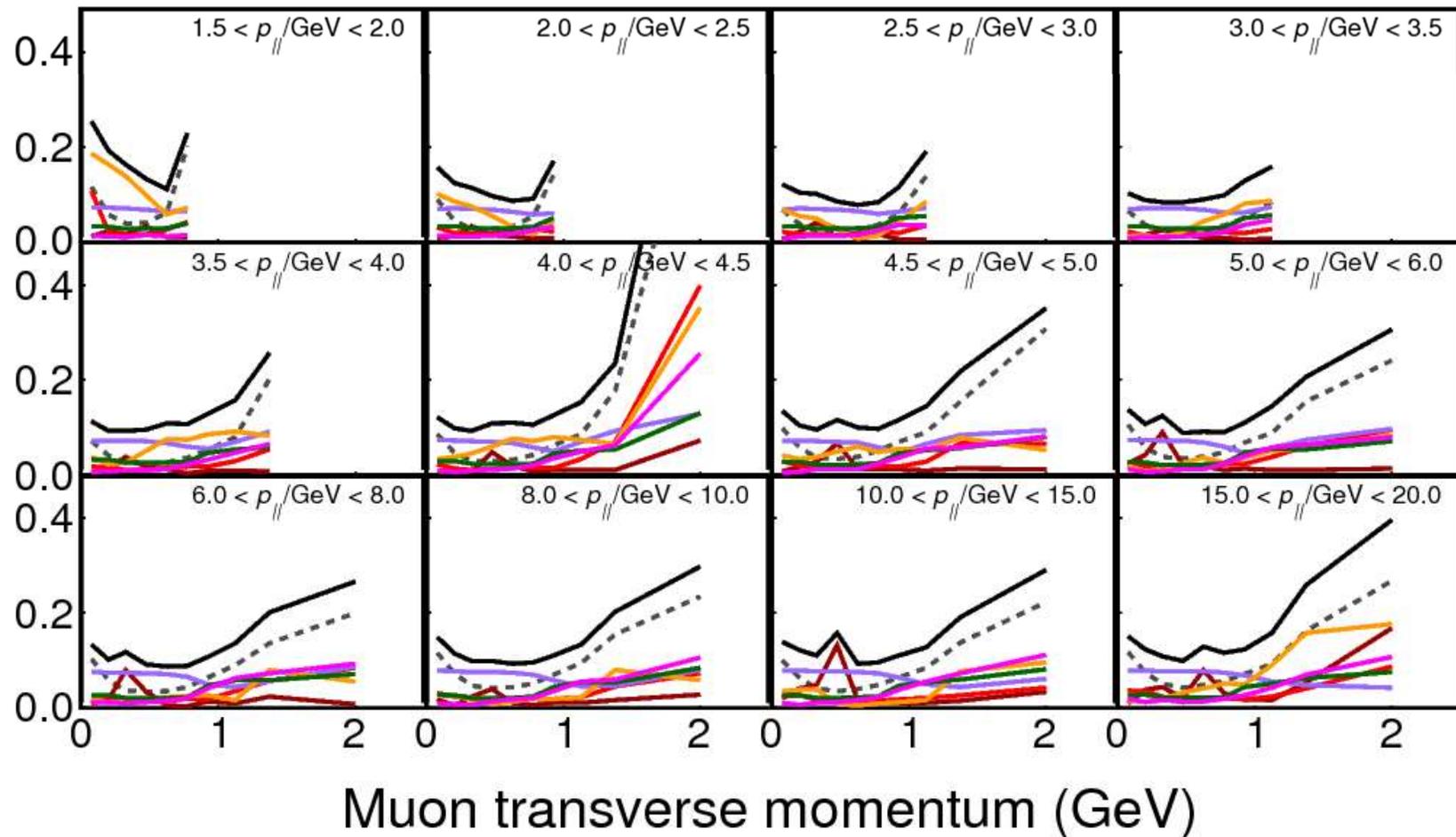
# Result #1 $P_T P_{||}$

Note the sometimes large xN



Note: x-axis is not linear. High  $P_{||}$  is squashed to allow everyone to see the lower  $P_{||}$

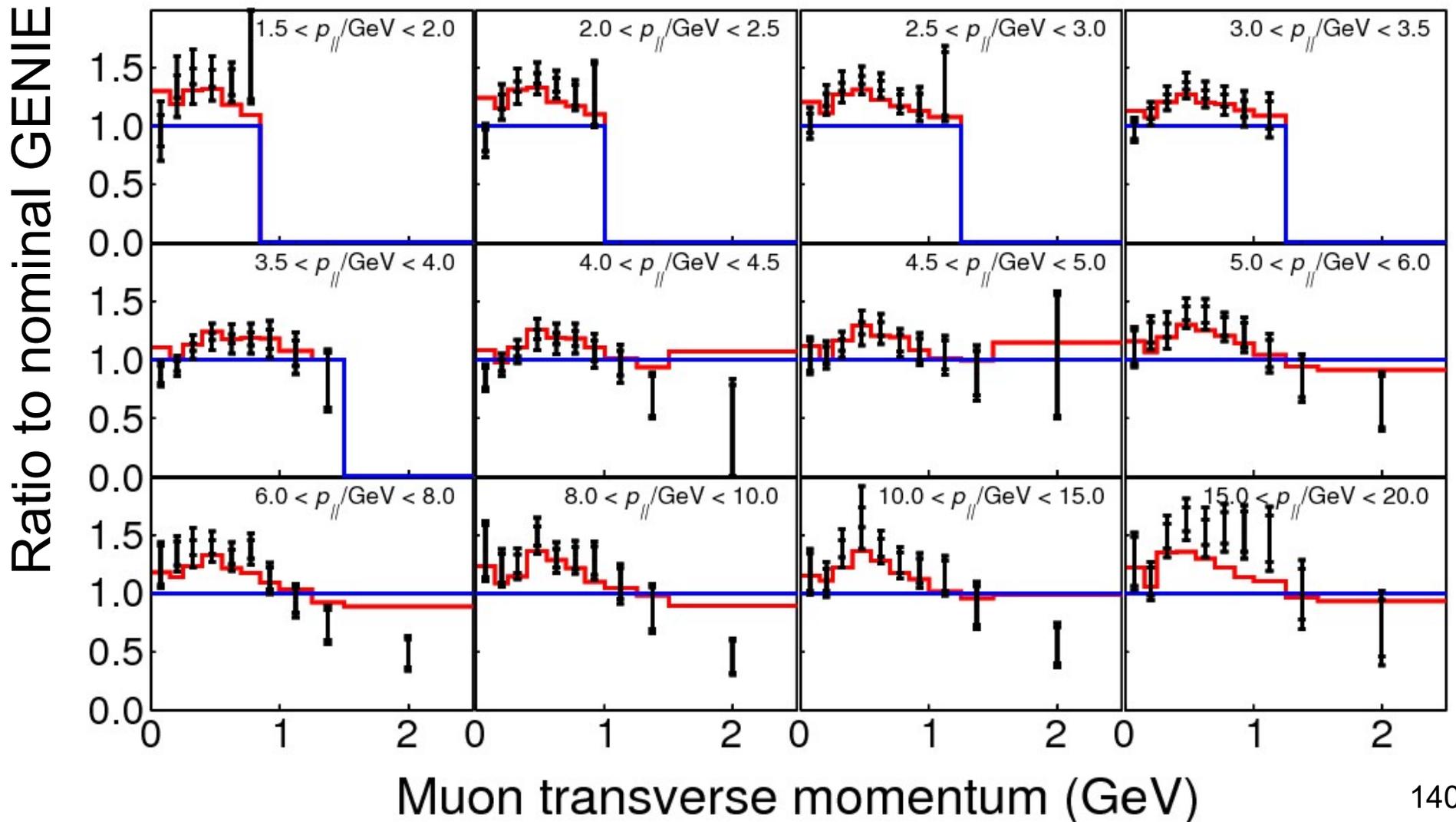
# Systematics



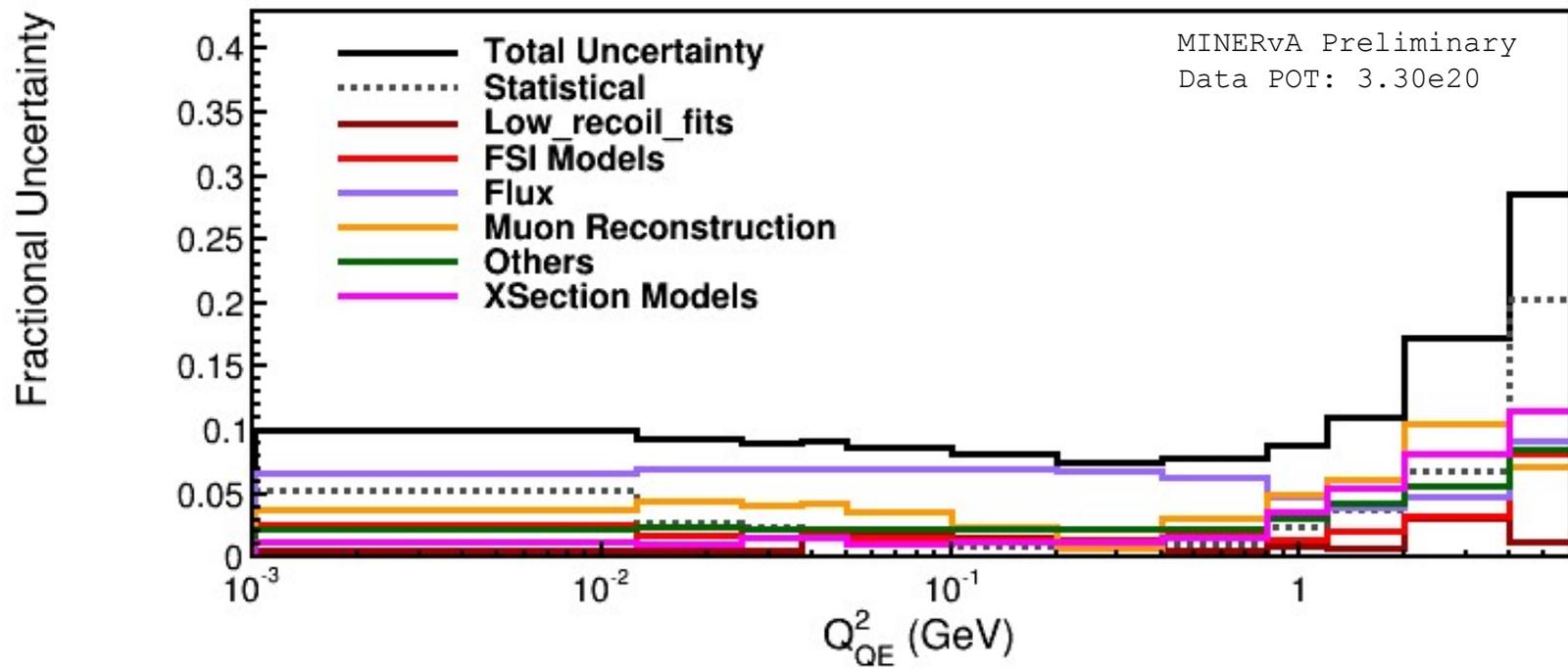
# Comparison

— Data    — Modified GENIE    — Nominal GENIE

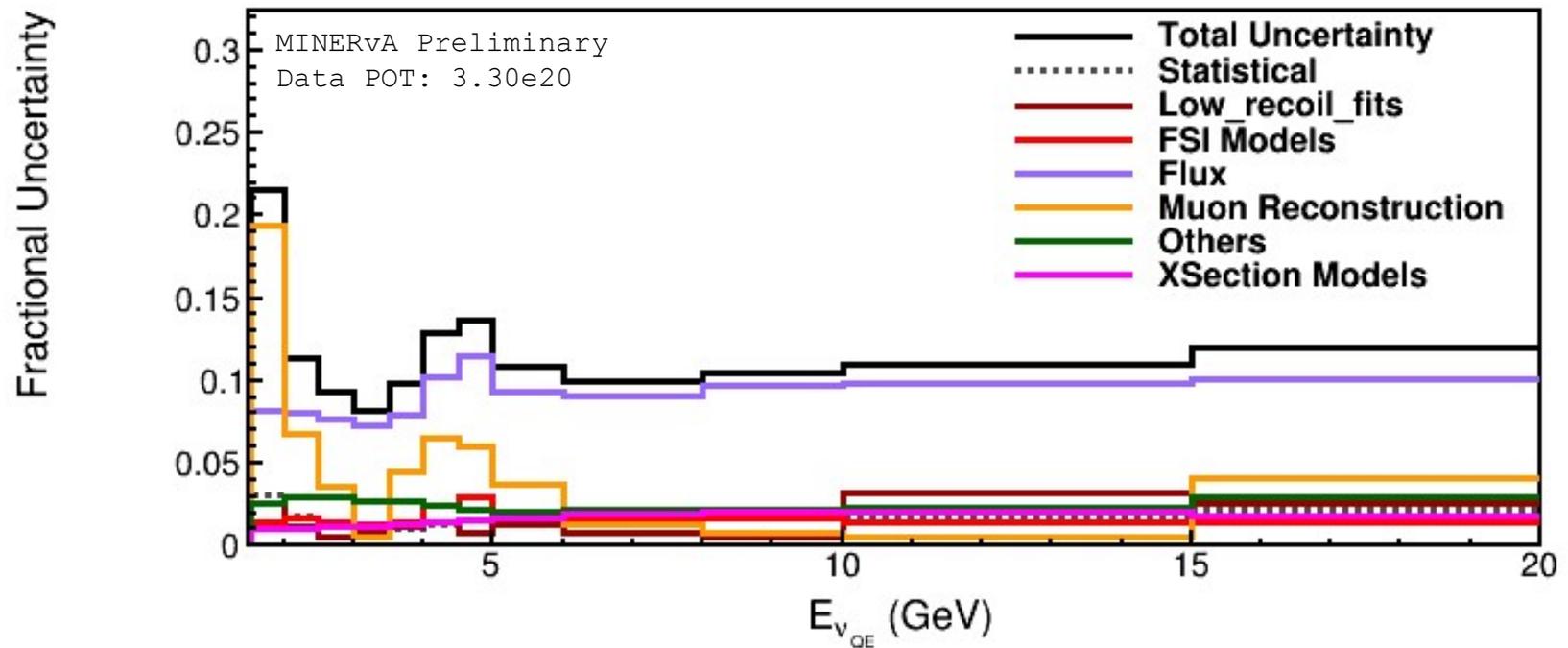
MINERvA Preliminary Data POT: 3.30e20



# $Q^2_{QE}$ systematic errors



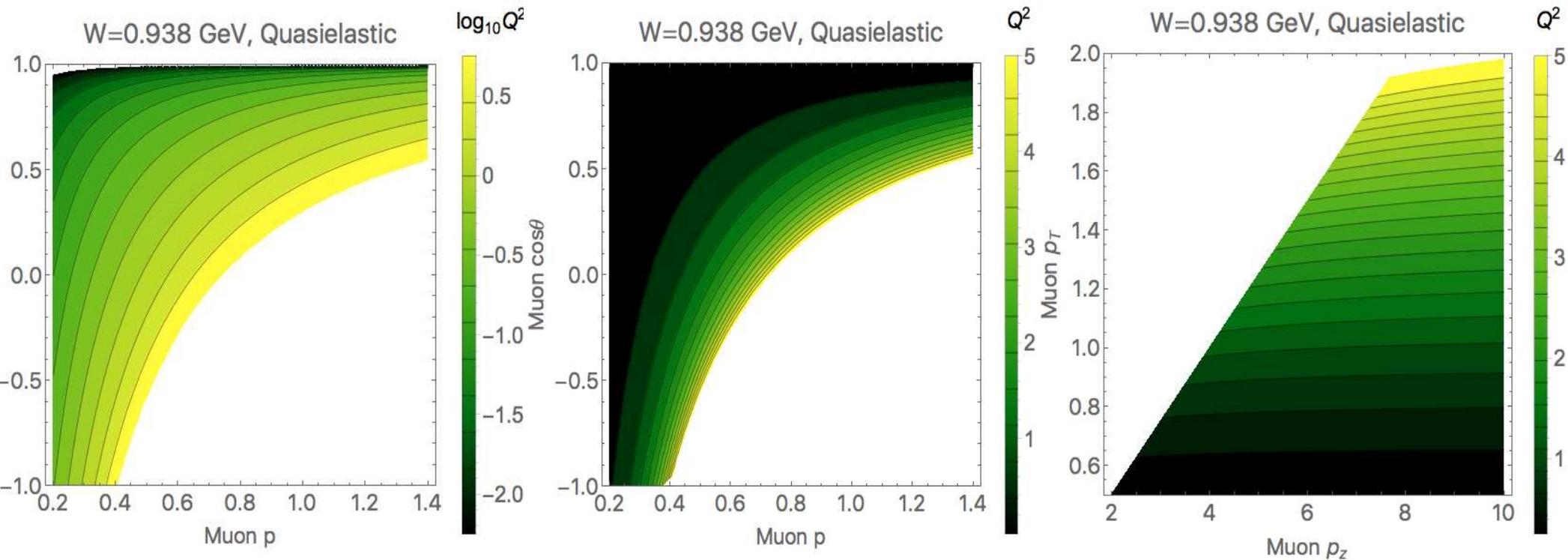
# $E_{\nu, QE}$ systematic errors



# MiniBooNE Comparison

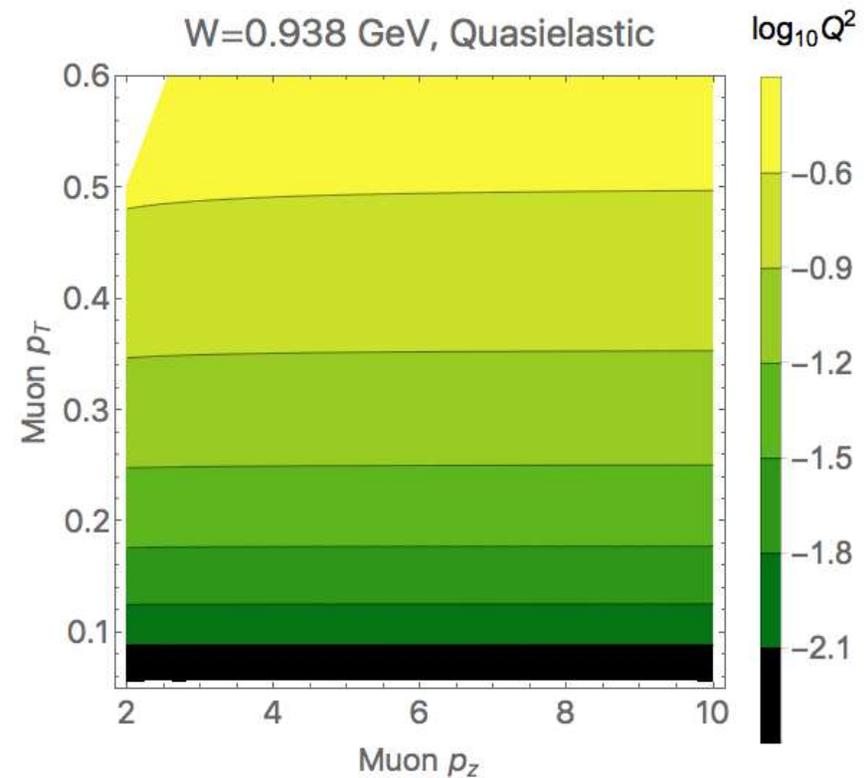
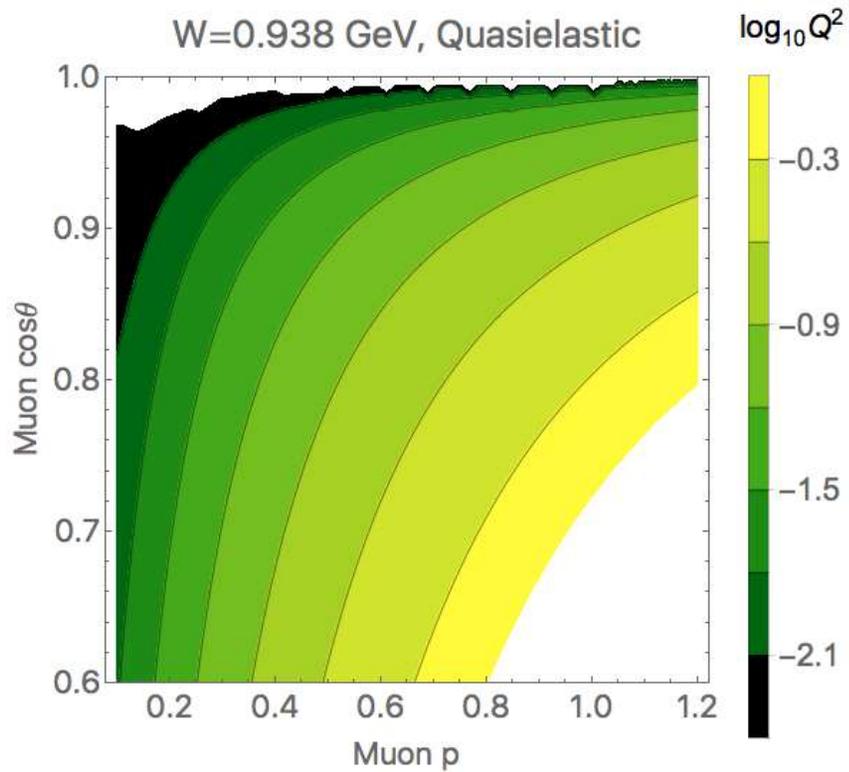
# MiniBooNE and MINERvA Kinematics

- MiniBooNE and MINERvA variables at high  $Q^2$



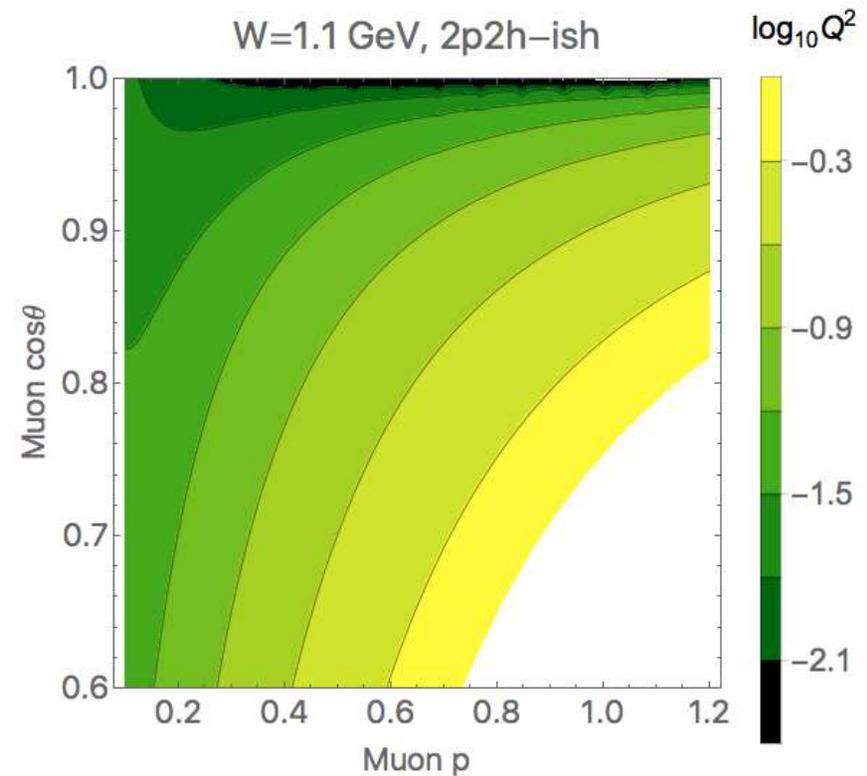
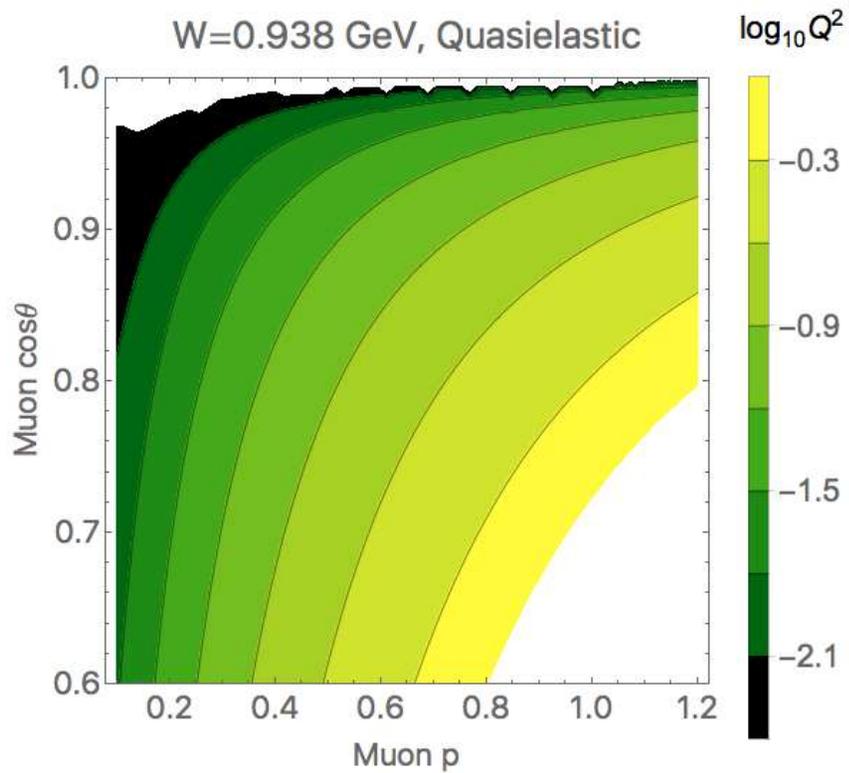
# MiniBooNE and MINERvA Kinematics

- At low  $Q^2$  for MINERvA,  $Q^2 \approx p_T^2$

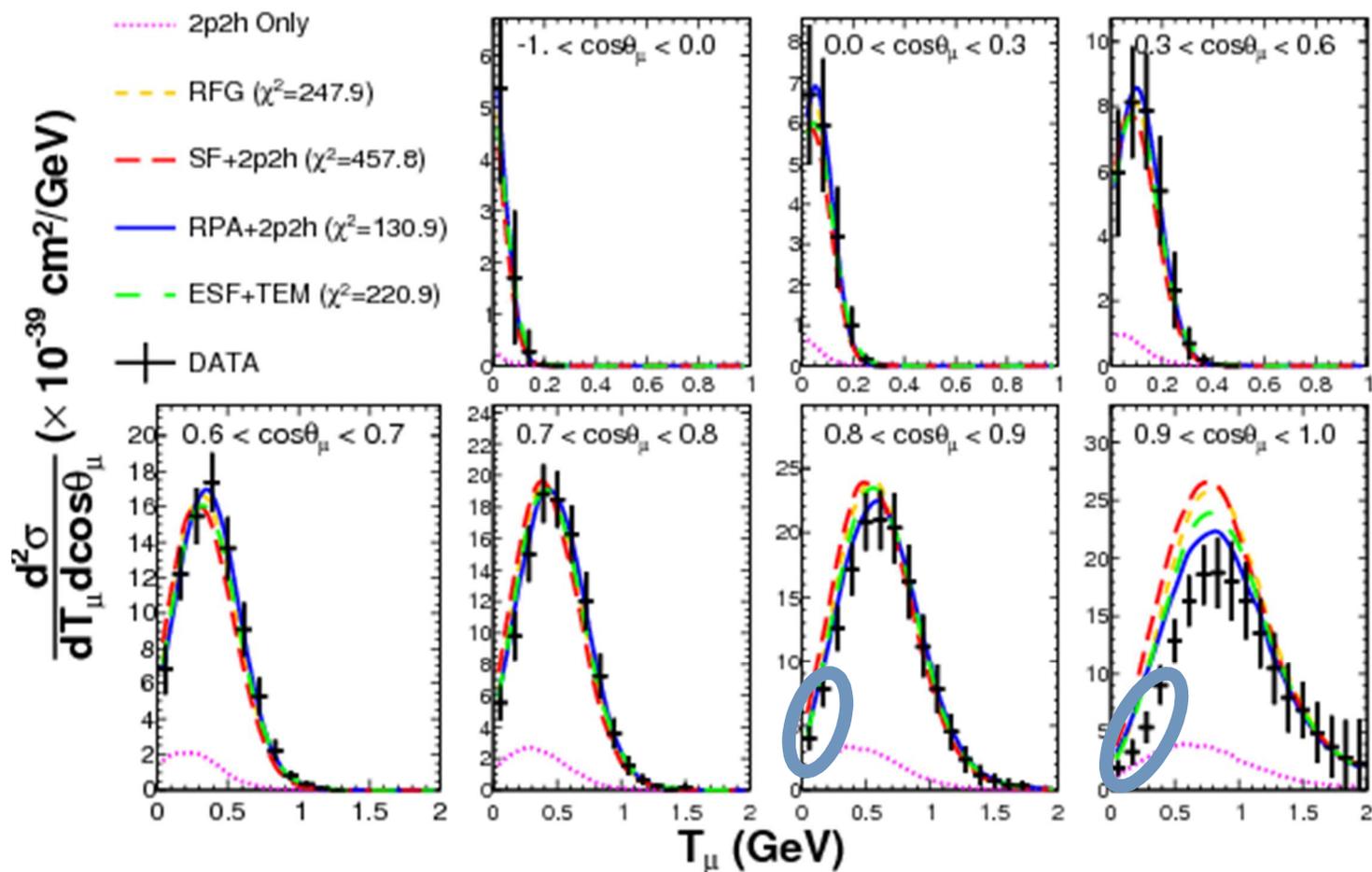


# MiniBooNE and MINERvA Kinematics

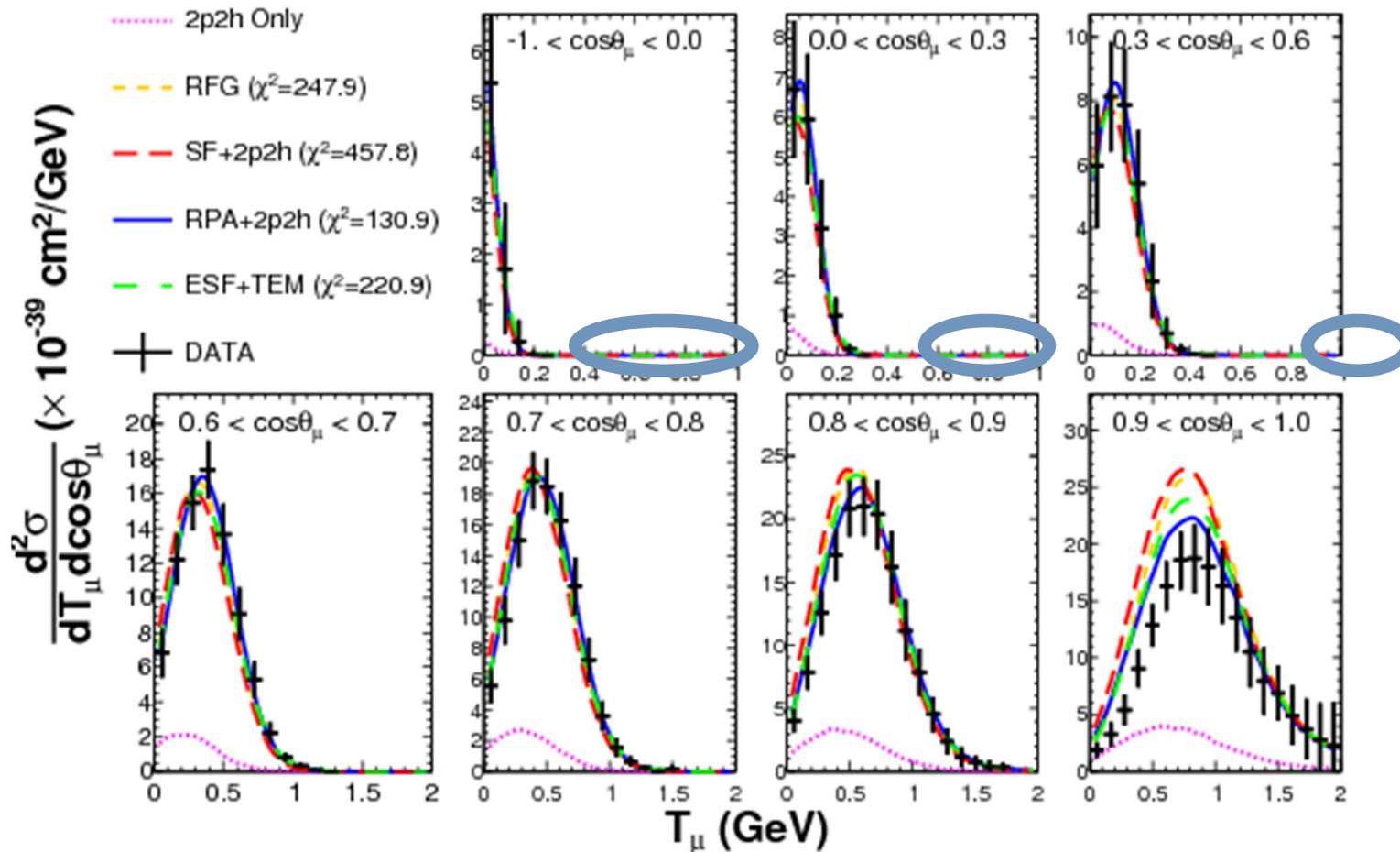
- True CCQE and 2p2h like W. Note migration of 2p2h to higher  $Q^2$



# MiniBooNE data, our lowest $Q^2$ , <.0125 GeV<sup>2</sup>

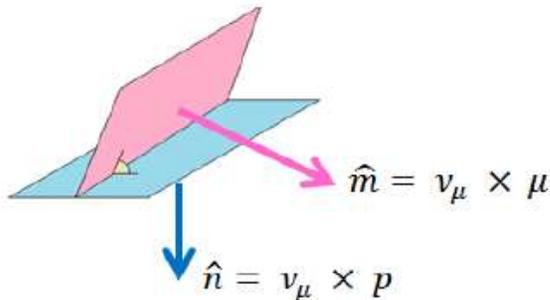


# MiniBooNE data, our high $Q^2$ , >2 GeV<sup>2</sup>



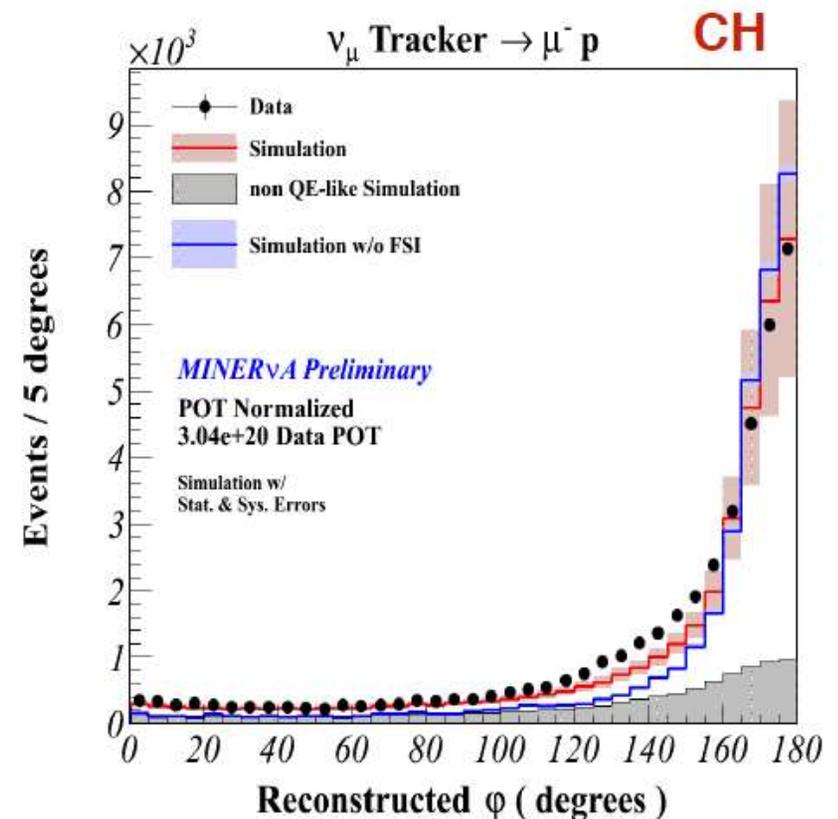
# Coplanarity Angle

- Protons are very sensitive to final state interactions
- A clear effect of final state interactions can be shown with the coplanarity angle, which is the angle between the  $\nu$ -muon and  $\nu$ -proton plane



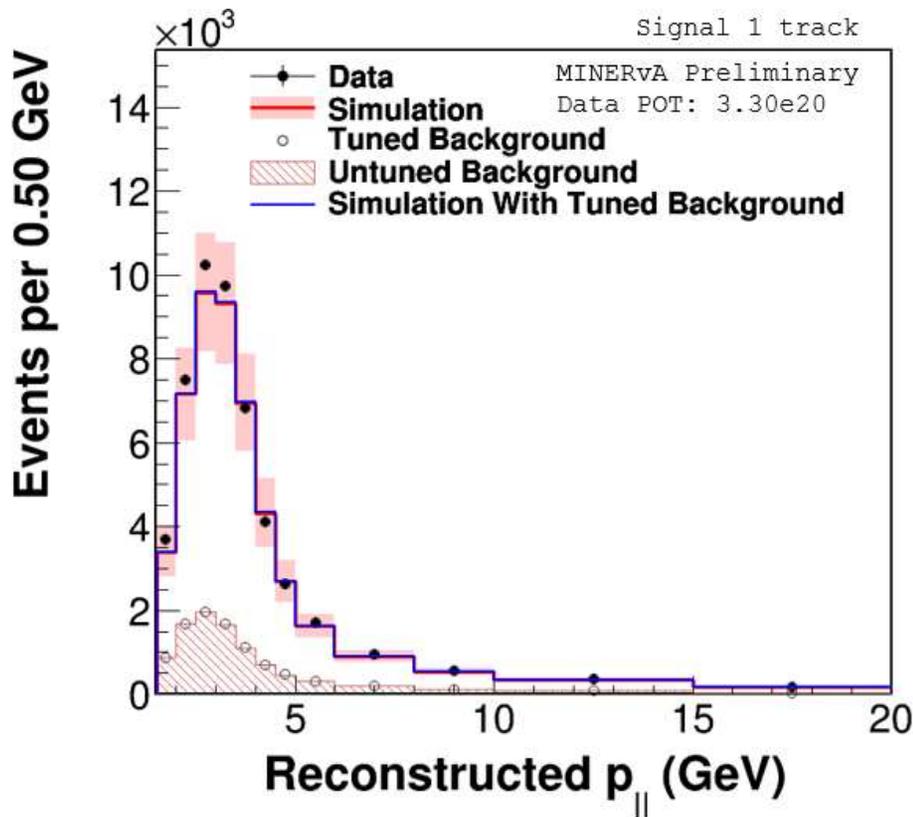
$$\varphi = \cos^{-1} \left( \frac{(\hat{\mathbf{p}}_\nu \times \hat{\mathbf{p}}_\mu) \cdot (\hat{\mathbf{p}}_\nu \times \hat{\mathbf{p}}_p)}{|\hat{\mathbf{p}}_\nu \times \hat{\mathbf{p}}_\mu| |\hat{\mathbf{p}}_\nu \times \hat{\mathbf{p}}_p|} \right)$$

- Detector resolution on  $\varphi$  is 3.8 degrees, the width is due to Fermi motion, inelastic scattering and FSI effects

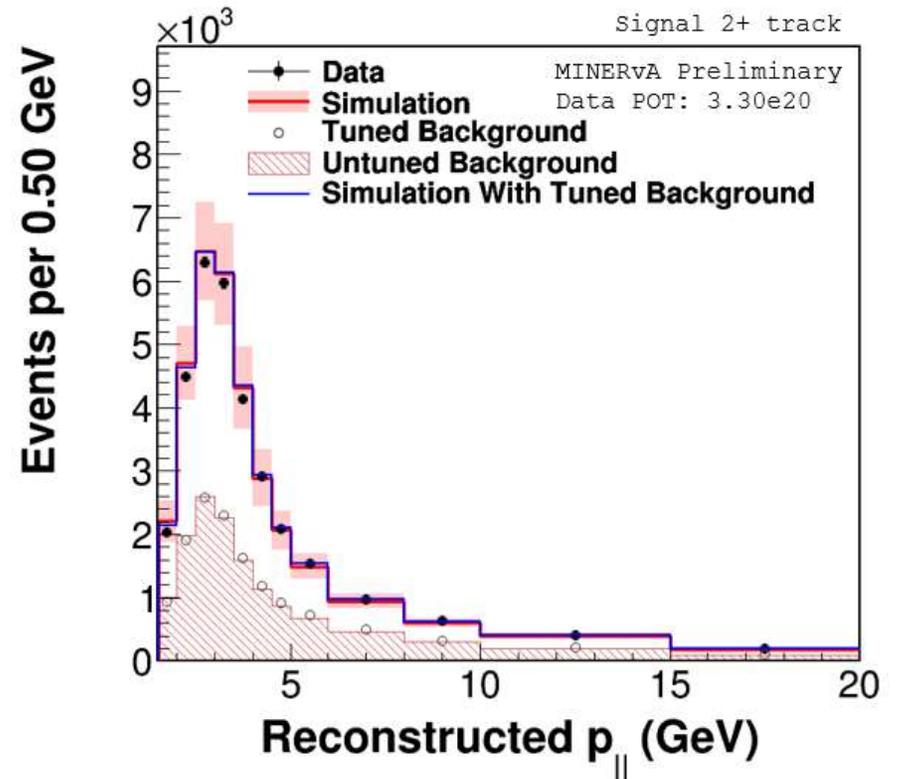


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# Tuned Signal Sample



1-track sample



2-track sample

# $\sigma$ vs. $E_\nu$ : The Teppei plot

- Because of the difference between CCQE-like and true CCQE and the problem with  $E_\nu^{CCQE}$

