

# Latest results from the NOvA experiment

Steven Calvez 53<sup>rd</sup> Fermilab Users Meeting August 13<sup>th</sup> 2020

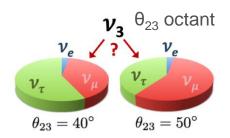




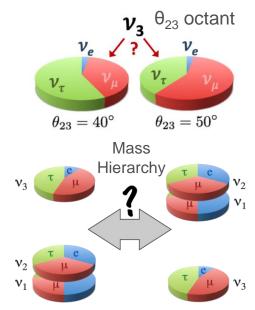
NOvA is a long baseline neutrino oscillation experiment.
 Aims to address the following open questions:



- NOvA is a long baseline neutrino oscillation experiment.
   Aims to address the following open questions:
  - o What is the **value of**  $\theta_{23}$ ?  $\theta_{23}$  < 45° or  $\theta_{23}$  > 45° ?  $v_{\mu}$   $v_{\tau}$  symmetry?

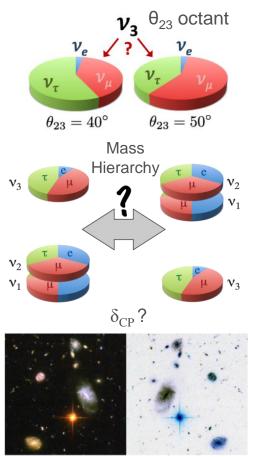


- NOvA is a long baseline neutrino oscillation experiment.
   Aims to address the following open questions:
  - o What is the **value of**  $\theta_{23}$ ?  $\theta_{23}$  < 45° or  $\theta_{23}$  > 45° ?  $v_{\mu}$   $v_{\tau}$  symmetry?
  - $\circ$  What is the **value of**  $\Delta m_{32}^2$ ? Normal or Inverted Hierarchy?





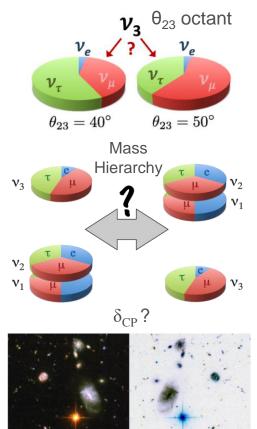
- NOvA is a long baseline neutrino oscillation experiment.
   Aims to address the following open questions:
  - o What is the **value of**  $\theta_{23}$ ?  $\theta_{23}$  < 45° or  $\theta_{23}$  > 45° ?  $v_{\mu}$   $v_{\tau}$  symmetry?
  - $\circ$  What is the **value of**  $\Delta m_{32}^2$ ? Normal or Inverted Hierarchy?
  - Is there CP violation in the lepton sector?





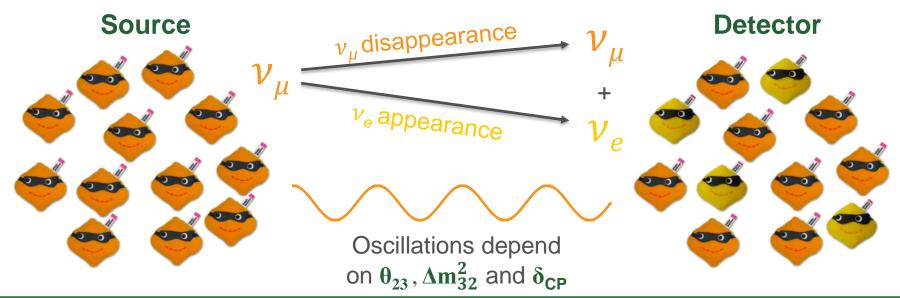
- NOvA is a long baseline neutrino oscillation experiment.
   Aims to address the following open questions:
  - o What is the **value of**  $\theta_{23}$ ?  $\theta_{23}$  < 45° or  $\theta_{23}$  > 45° ?  $v_{\mu}$   $v_{\tau}$  symmetry?
  - $\circ$  What is the **value of**  $\Delta m_{32}^2$ ? Normal or Inverted Hierarchy?
  - o Is there CP violation in the lepton sector?

- NOvA has a rich physics program:
  - **Neutrino cross-section** measurements. See Steven G.'s talk.
  - Search for **sterile neutrinos**. See Gianluca's talk.
  - Investigate astrophysical and exotics phenomena.





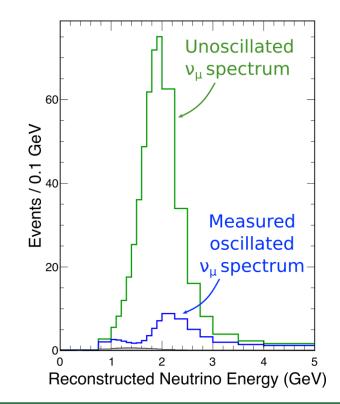
- NOvA measures the rate, energy and flavor of neutrinos detected both near its source and in its detector far away.
- Perform a joint **disappearance**  $\nu_{\mu} \rightarrow \nu_{\mu}$  and **appearance**  $\nu_{\mu} \rightarrow \nu_{e}$  analysis.





- Measure  $u_\mu \to 
  u_\mu$  and  $\overline{
  u_\mu} \to \overline{
  u_\mu}$  disappearance to constrain  $\sin^2 2\theta_{23}$  and  $|\Delta m^2_{32}|$ :
  - $v_u$  survival probability:

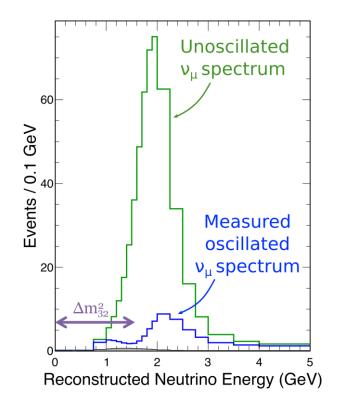
$$P(\nu_{\mu} \to \nu_{\mu}) \approx 1 - \left(\cos^4(\theta_{13})\sin^2(2\theta_{23}) + \sin^2(2\theta_{13})\sin^2(\theta_{23})\right)\sin^2\left(\frac{\Delta m^2 L}{4E}\right)$$



- Measure  $u_\mu \to 
  u_\mu$  and  $\overline{
  u_\mu} \to \overline{
  u_\mu}$  disappearance to constrain  $\sin^2 2\theta_{23}$  and  $|\Delta m^2_{32}|$ :
  - $v_{\mu}$  survival probability:

$$P(\nu_{\mu} \to \nu_{\mu}) \approx 1 - \left(\cos^4(\theta_{13})\sin^2(2\theta_{23}) + \sin^2(2\theta_{13})\sin^2(\theta_{23})\right)\sin^2\left(\frac{\Delta m^2 L}{4E}\right)$$

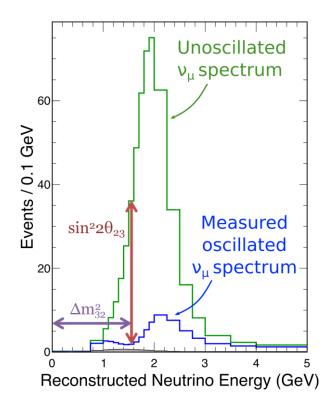
• Location of dip  $\rightarrow |\Delta m^2_{32}|$ 



- Measure  $u_{\mu} \to \nu_{\mu}$  and  $\overline{\nu_{\mu}} \to \overline{\nu_{\mu}}$  disappearance to constrain  $\sin^2 2\theta_{23}$  and  $|\Delta m^2_{32}|$ :
  - $v_u$  survival probability:

$$P(\nu_{\mu} \to \nu_{\mu}) \approx 1 - \left(\cos^4(\theta_{13})\sin^2(2\theta_{23}) + \sin^2(2\theta_{13})\sin^2(\theta_{23})\right)\sin^2\left(\frac{\Delta m^2 L}{4E}\right)$$

- Location of dip ightarrow  $|\Delta m^2_{32}|$
- Amplitude of dip  $\rightarrow sin^2 2\theta_{23}$



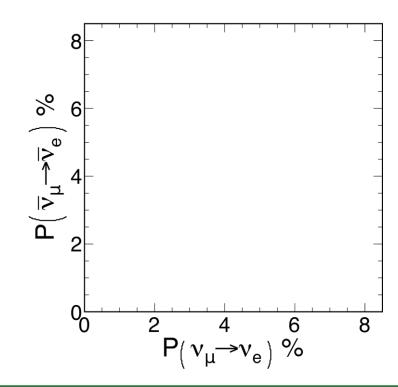


- Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :
  - $v_e$  appearance probability:

$$P(\nu_{\mu} \to \nu_{e}) \approx \left| \sqrt{P_{\text{atm}}} e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\text{sol}}} \right|^{2}$$

$$\approx P_{\text{atm}} + P_{\text{sol}} + 2\sqrt{P_{\text{atm}}} P_{\text{sol}} \left(\cos \Delta_{32} \cos \delta_{CP} \mp \sin \Delta_{32} \sin \delta_{CP}\right)$$

$$\sqrt{P_{\text{atm}}} = \sin(\theta_{23}) \sin(2\theta_{13}) \frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL} \Delta_{31}$$





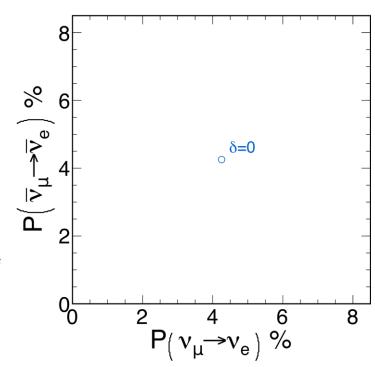
- Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :
  - $v_e$  appearance probability:

$$P(\nu_{\mu} \to \nu_{e}) \approx \left| \sqrt{P_{\text{atm}}} e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\text{sol}}} \right|^{2}$$

$$\approx P_{\text{atm}} + P_{\text{sol}} + 2\sqrt{P_{\text{atm}}} P_{\text{sol}} \left(\cos \Delta_{32} \cos \delta_{CP} \mp \sin \Delta_{32} \sin \delta_{CP}\right)$$

$$\sqrt{P_{\text{atm}}} = \sin(\theta_{23}) \sin(2\theta_{13}) \frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL} \Delta_{31}$$

> In a vacuum and with no CP-violation,  $\mathbf{v}$  and  $\overline{\mathbf{v}}$  oscillation probabilities are **equal**.



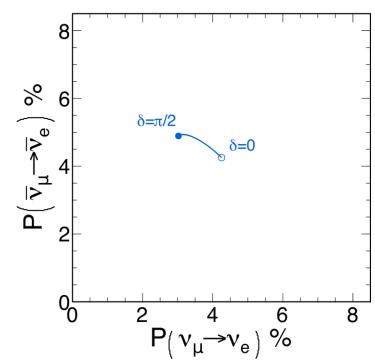


• Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :

•  $v_e$  appearance probability:

$$\begin{split} P\left(\nu_{\mu} \to \nu_{e}\right) &\approx \left|\sqrt{P_{\rm atm}}e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\rm sol}}\right|^{2} \\ &\approx P_{\rm atm} + P_{\rm sol} + 2\sqrt{P_{\rm atm}}P_{\rm sol}\left(\cos\Delta_{32}\cos\delta_{CP} \mp \sin\Delta_{32}\sin\delta_{CP}\right) \\ &\sqrt{P_{\rm atm}} = \sin(\theta_{23})\sin(2\theta_{13})\frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL}\Delta_{31} \end{split}$$

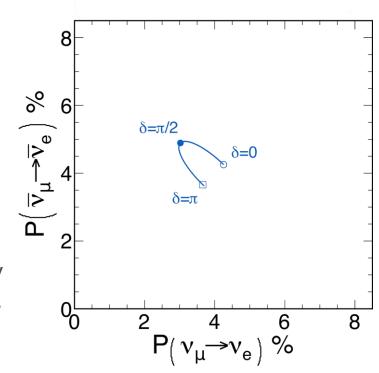
ightharpoonup CP-violation generates opposite effects in  $\mathbf{v}$  and  $\overline{\mathbf{v}}$  oscillation probabilities.



- Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :
  - $v_e$  appearance probability:

$$\begin{split} P\left(\nu_{\mu} \to \nu_{e}\right) &\approx \left|\sqrt{P_{\rm atm}}e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\rm sol}}\right|^{2} \\ &\approx P_{\rm atm} + P_{\rm sol} + 2\sqrt{P_{\rm atm}}P_{\rm sol}\left(\cos\Delta_{32}\cos\delta_{CP} \mp \sin\Delta_{32}\sin\delta_{CP}\right) \\ &\sqrt{P_{\rm atm}} = \sin(\theta_{23})\sin(2\theta_{13})\frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL}\Delta_{31} \end{split}$$

> Other **CP-conserving phase** yields slightly different oscillation probabilities.





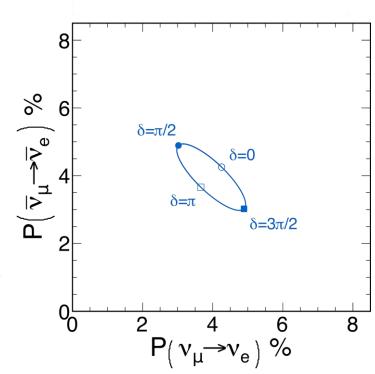
- Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :
  - $v_e$  appearance probability:

$$P(\nu_{\mu} \to \nu_{e}) \approx \left| \sqrt{P_{\text{atm}}} e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\text{sol}}} \right|^{2}$$

$$\approx P_{\text{atm}} + P_{\text{sol}} + 2\sqrt{P_{\text{atm}}} P_{\text{sol}} \left(\cos \Delta_{32} \cos \delta_{CP} \mp \sin \Delta_{32} \sin \delta_{CP}\right)$$

$$\sqrt{P_{\text{atm}}} = \sin(\theta_{23}) \sin(2\theta_{13}) \frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL} \Delta_{31}$$

 $\gt$  Other maximum violating **CP phase** enhances  $\nu_e$  appearance.  $\delta_{CP}$  is cyclical.





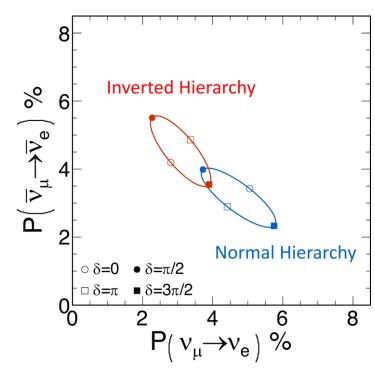
- Measure  $\nu_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{CP}$ :
  - $\nu_{\rho}$  appearance probability:

$$P(\nu_{\mu} \to \nu_{e}) \approx \left| \sqrt{P_{\text{atm}}} e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\text{sol}}} \right|^{2}$$

$$\approx P_{\text{atm}} + P_{\text{sol}} + 2\sqrt{P_{\text{atm}}} P_{\text{sol}} \left( \cos \Delta_{32} \cos \delta_{CP} \mp \sin \Delta_{32} \sin \delta_{CP} \right)$$

$$\sqrt{P_{\text{atm}}} = \sin(\theta_{23}) \sin(2\theta_{13}) \frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL} \Delta_{31}$$

> Matter effects also generate opposite effects in  $\nu - \overline{\nu}$  oscillations depending on the Mass Hierarchy.

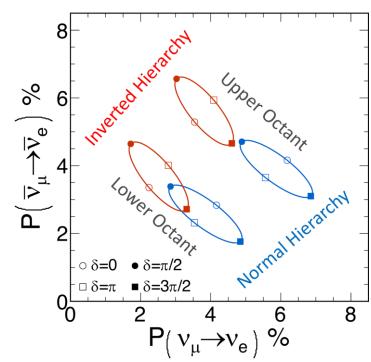




- Measure  $u_{\mu} \to \nu_e$  and  $\overline{\nu_{\mu}} \to \overline{\nu_e}$  appearance to constrain  $\sin^2 \theta_{23}$ ,  $\Delta m^2_{32}$  and  $\delta_{\rm CP}$ :
  - $v_e$  appearance probability:

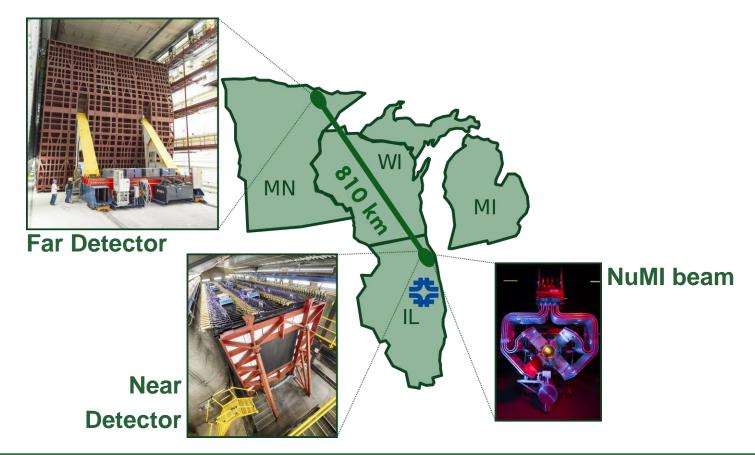
$$\begin{split} P\left(\nu_{\mu} \to \nu_{e}\right) &\approx \left|\sqrt{P_{\rm atm}}e^{-i(\Delta_{32} + \delta_{CP})} + \sqrt{P_{\rm sol}}\right|^{2} \\ &\approx P_{\rm atm} + P_{\rm sol} + 2\sqrt{P_{\rm atm}}P_{\rm sol}\left(\cos\Delta_{32}\cos\delta_{CP} \mp \sin\Delta_{32}\sin\delta_{CP}\right) \\ &\sqrt{P_{\rm atm}} = \sin(\theta_{23})\sin(2\theta_{13})\frac{\sin(\Delta_{31} - aL)}{\Delta_{31} - aL}\Delta_{31} \end{split}$$

 $\triangleright$   $\theta_{23}$  can increase or decrease  $\nu$  and  $\overline{\nu}$  oscillations probabilities.





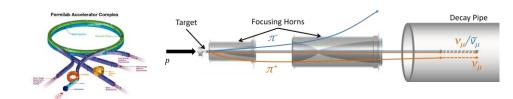
## What is the NOvA experiment?

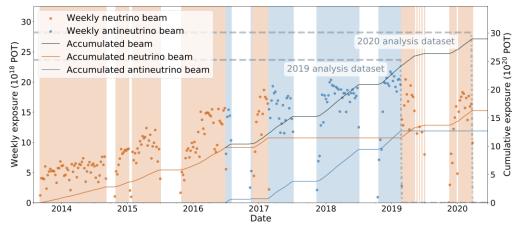


### How are neutrinos produced?

- **NuMI beam** can produce both  $\nu_{\mu}$  and  $\overline{\nu_{\mu}}$ .
- World most powerful neutrino beam: typical power of 670kW (peaks >750kW).
- +50% neutrino mode exposure last year.
- Ongoing improvements to reach 900kW.











### How are neutrinos detected?



 The NOvA Near Detector and Far Detector are both segmented liquid scintillator detectors providing 3D tracking and calorimetry.

#### Near Detector:

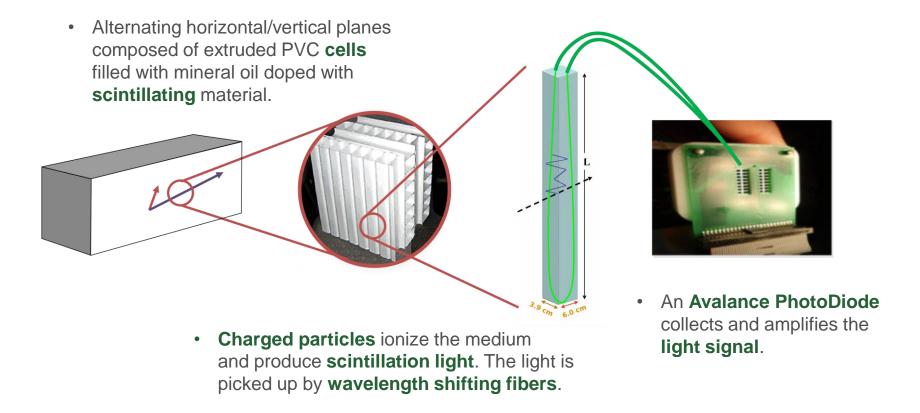
- 290 tons.
- 350 ft underground at Fermilab.

#### Far Detector:

- 14 ktons.
- 810km away on the surface in Minnesota.



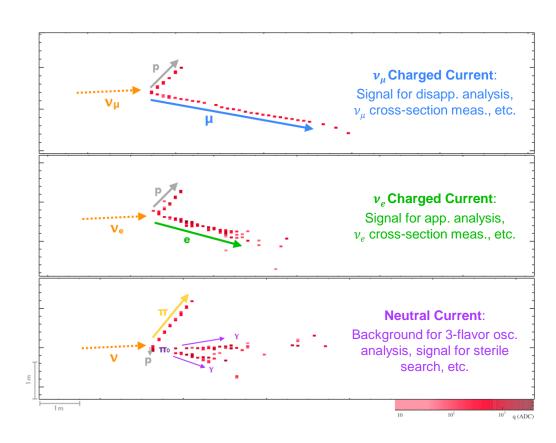
### How are neutrinos detected?



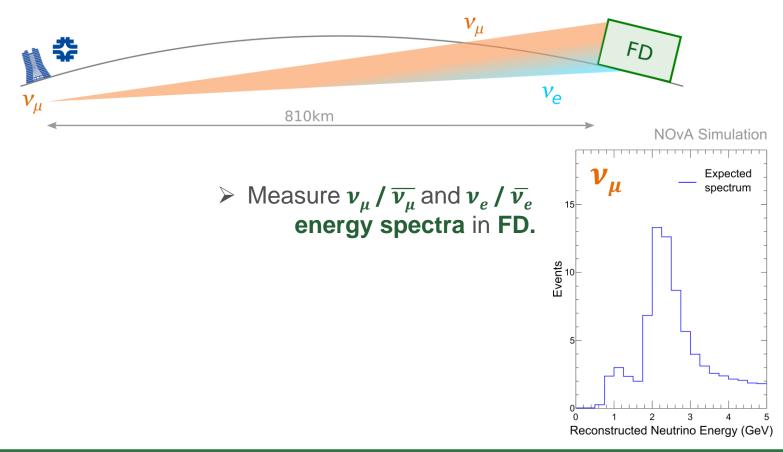


### What do neutrino events look like in NOvA?

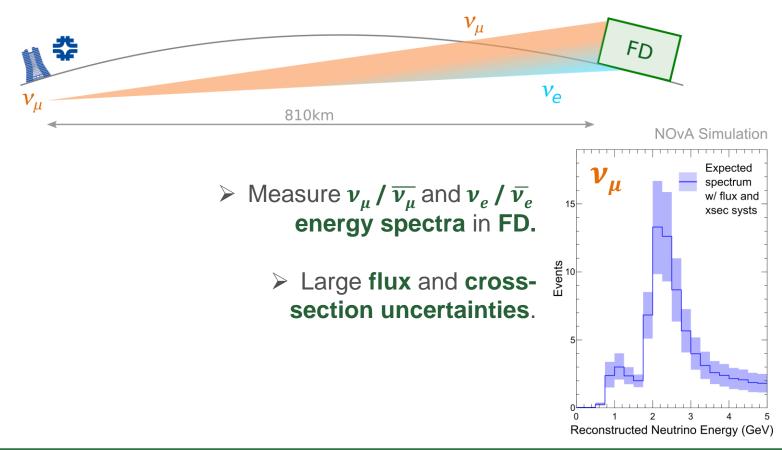
- Use Machine Learning techniques to select and identify neutrino interactions.
- Data processing, simulations, event reconstruction, network training: performed thanks to Fermilab computing resources.



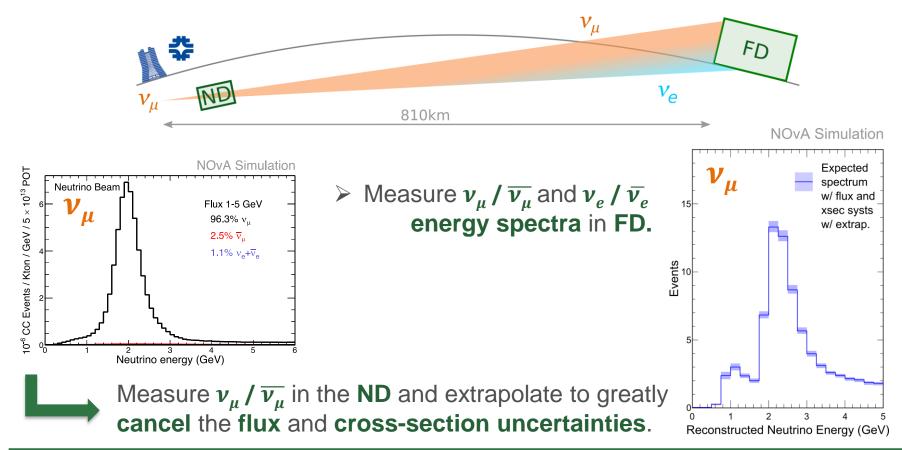


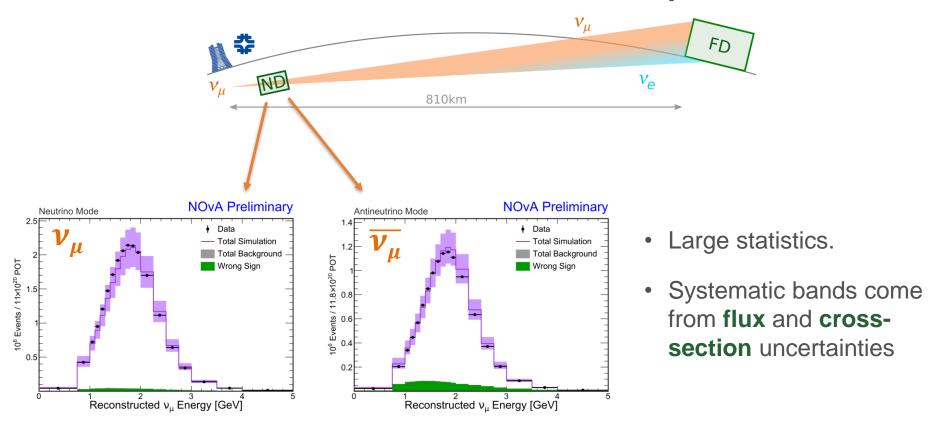




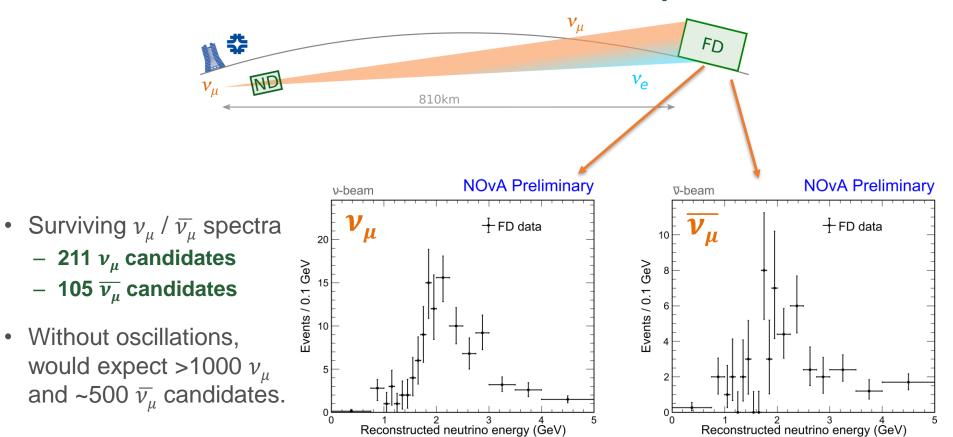




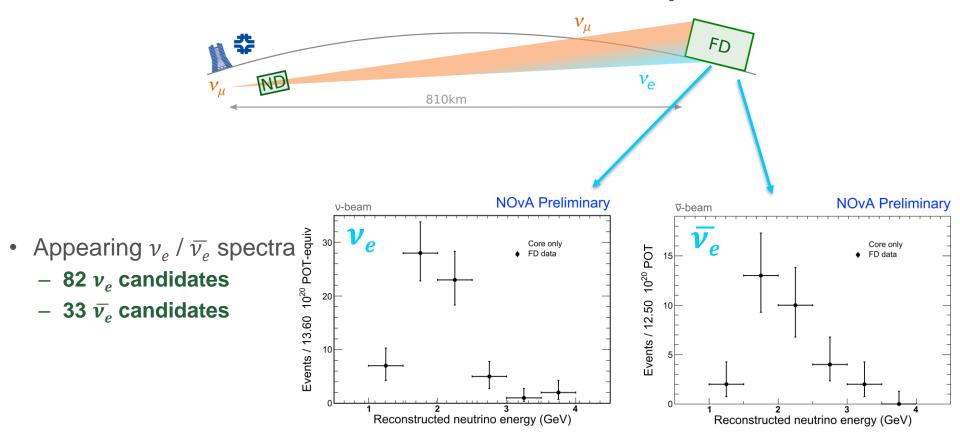






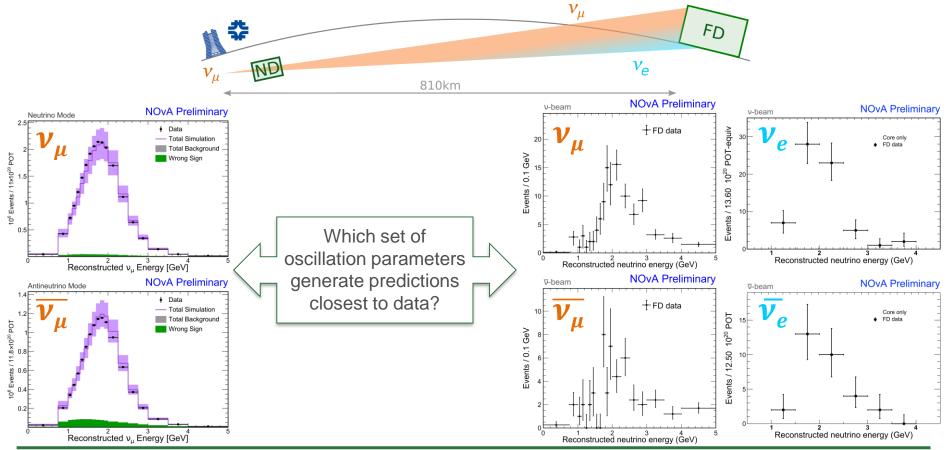








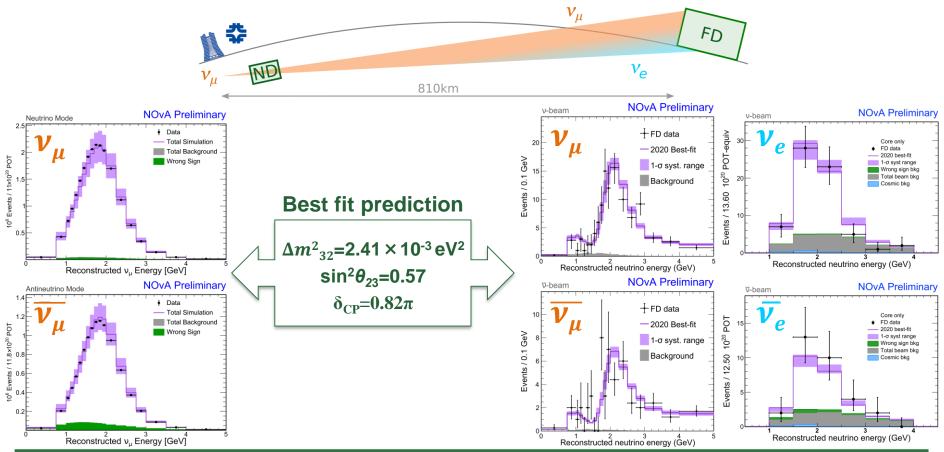
### What are NOvA's latest 3-flavor oscillation results?







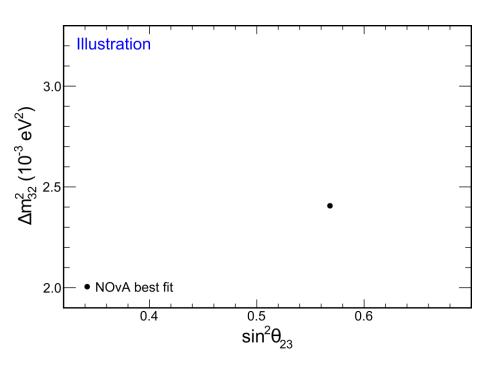
### What are NOvA's latest 3-flavor oscillation results?





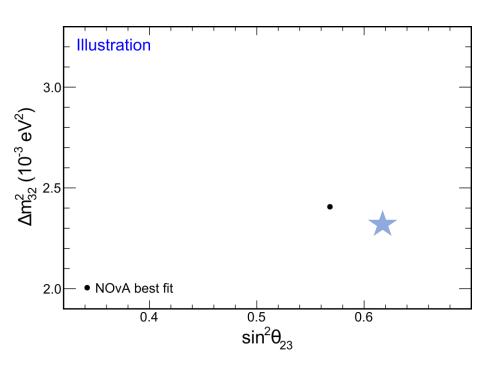


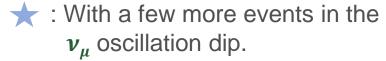
• The measurement is sensitive to statistical fluctuations.





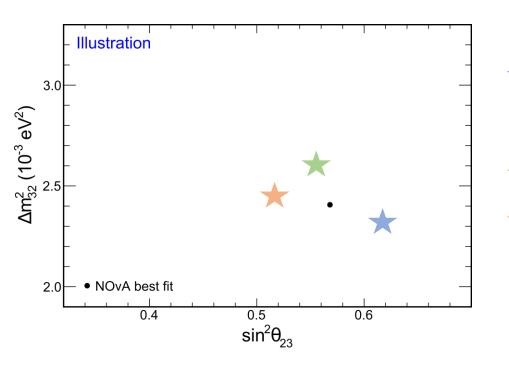
The measurement is sensitive to **statistical fluctuations**.







The measurement is sensitive to statistical fluctuations.

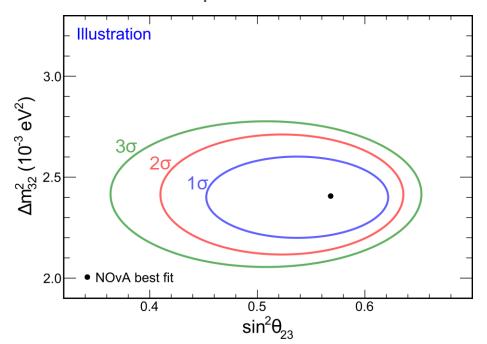


 $\star$ : With a few more events in the  $\nu_u$  oscillation dip.

: With a few less events in the  $\nu_{\mu}$  oscillation dip.

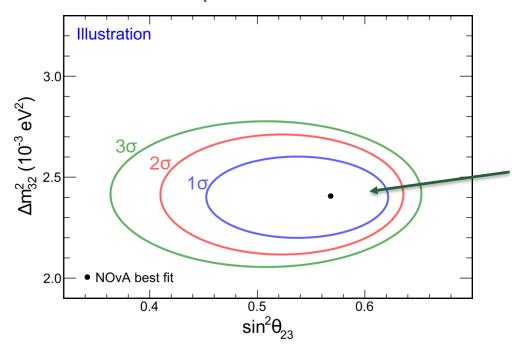


- The measurement is sensitive to statistical fluctuations
  - → Need to report **confidence intervals.**





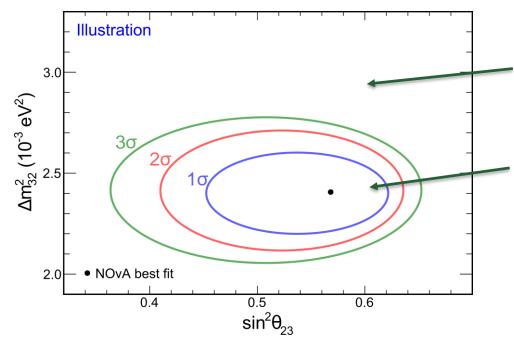
- The measurement is sensitive to **statistical fluctuations** 
  - → Need to report **confidence intervals.**



"True" values are "more likely than not" in the  $1\sigma$  interval.



- The measurement is sensitive to statistical fluctuations
  - → Need to report **confidence intervals.**

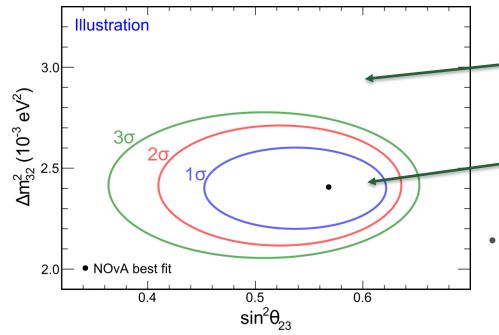


"True" values are "very unlikely" to be outside the 3σ interval.

"True" values are "more likely than not" in the  $1\sigma$  interval.

#### How confident are we in the results?

- The measurement is sensitive to **statistical fluctuations** 
  - → Need to report **confidence intervals.**



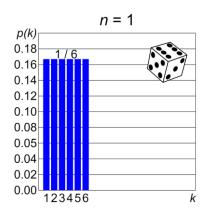
"True" values are "very unlikely" to be outside the 3 $\sigma$  interval.

"True" values are "more likely than not" in the  $1\sigma$  interval.

Because of the low statistics and the presence of physical boundaries, building statistically accurate **confidence** intervals is very challenging.

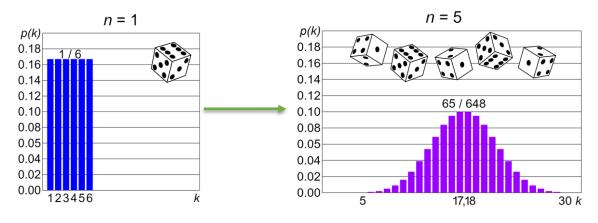






With a regular die, distribution of outcomes is flat.

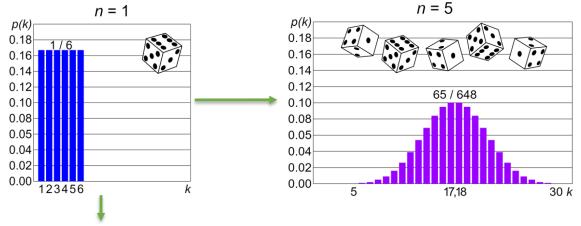




The sum of many dice follows a **normal distribution**.

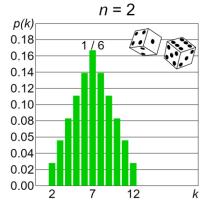
The square of the sum is  $\chi^2$ -distributed  $\rightarrow$  can mathematically predict the probability to throw  $\geq 25$ .



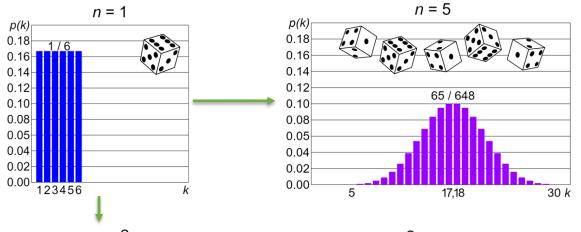


The sum of many dice follows a normal distribution.

The square of the sum is  $\chi^2$ -distributed  $\rightarrow$  can mathematically predict the probability to throw ≥25.

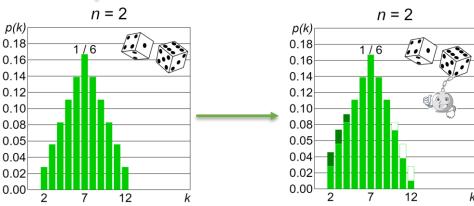


The sum of two dice is not normal distributed or "gaussian".



The sum of many dice follows a normal distribution.

The square of the sum is  $\chi^2$ -distributed  $\rightarrow$  can mathematically predict the probability to throw ≥25.



In addition, if the two dice are loaded, the only way to **predict** the distribution of outcomes is to throw the dice many times, i.e. throw pseudoexperiments.

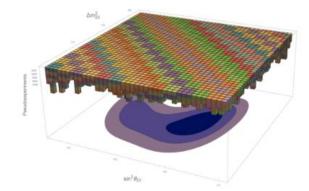


- Generate and fit **millions of pseudoexperiments** to build empirical  $\chi^2$ -distributions: **Feldman-Cousins approach**.
- Extremely computationally expensive.



• Generate and fit **millions of pseudoexperiments** to build empirical  $\chi^2$ -distributions: **Feldman-Cousins approach**.

- Extremely computationally expensive.
- Implemented a massive parallel framework on High Performance Computing platforms like NERSC, in collaboration with the SciDAC-4 HEP Data Analytics program.
- Time to results brought from 6 months on FermiGrid and OpenScience grid down to a few days/weeks on NERSC machines.





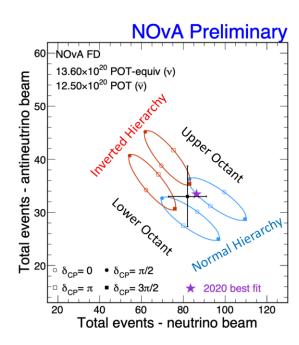






## What is NOvA's constraint on $\delta_{CP}$ ?

• Observed  $v_e$  -  $\overline{v_e}$  appearance rates fall in a degenerate region of the param. space.

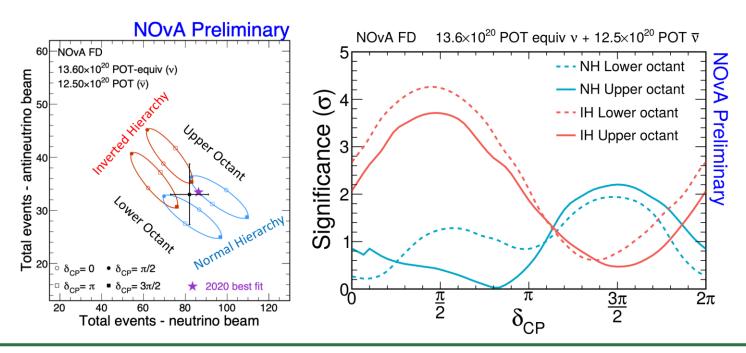




8/13/2020

## What is NOvA's constraint on $\delta_{CP}$ ?

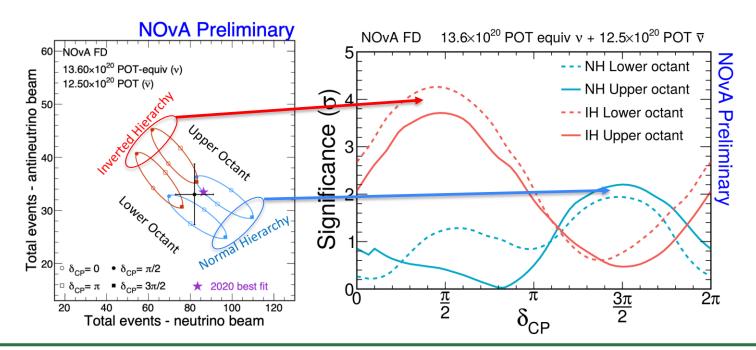
- Observed  $v_e$   $\overline{v_e}$  appearance rates fall in a degenerate region of the param. space.
- No significant  $v_e$   $\overline{v_e}$  asymmetry observed.





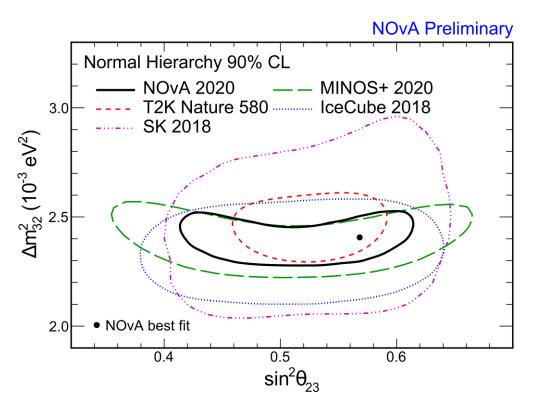
## What is NOvA's constraint on $\delta_{CP}$ ?

- Observed  $v_e$   $\overline{v_e}$  appearance rates fall in a degenerate region of the param. space.
- No significant  $\nu_e$   $\overline{\nu_e}$  asymmetry observed.
- Disfavor IH  $\delta_{\rm CP}=\pi/2$  at >3 $\sigma$  and NH  $\delta_{\rm CP}=3\pi/2$  at 2 $\sigma$ .





## What is NOvA's constraint on $\sin^2\theta_{23}$ and $\Delta m^2_{32}$ ?



 Best fit in Normal Hierarchy and Upper Octant ( $\theta_{23} > 45^{\circ}$ ).

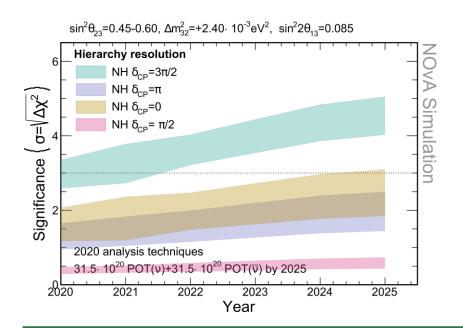
#### **Precision measurements:**

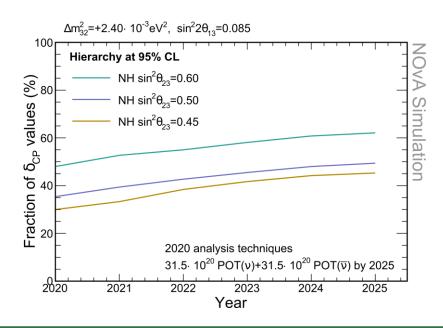
- $-\Delta m^2_{32}=2.41\pm0.07\times10^{-3}\,\text{eV}^2\ (\pm3\%)$
- $-\sin^2\theta_{23}=0.57^{+0.04}_{-0.03}~(\pm7\%)$
- Preference for:
  - Normal Hierarchy at 1.0σ
  - Upper Octant at 1.2σ
  - Non-maximal mixing at 1.1σ



## What is NOvA's future sensitivity?

- Run until **2025**, accumulating more than  $3\times10^{21}$  **POT** in both  $\nu$  and  $\overline{\nu}$  modes.
- Could reach **5σ sensitivity** to **Mass Hierarchy** for most favorable parameters.
- Probe the majority of  $\delta_{CP}$  values at  $2\sigma$ -level.







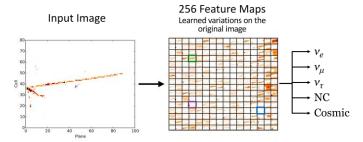
**High Performance Computing** enables great **speed ups** and previously computationally prohibitive analysis techniques to be explored.





- High Performance Computing enables great speed ups and previously computationally prohibitive analysis techniques to be explored.
- Development of Machine Learning tools to address some of the biggest reconstruction challenges, like pion energy estimation, etc.



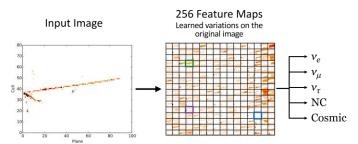






- High Performance Computing enables great speed ups and previously computationally prohibitive analysis techniques to be explored.
- Development of Machine Learning tools to address some of the biggest reconstruction challenges, like pion energy estimation, etc.
- NOvA Test Beam program is ongoing at Fermilab Test Beam Facility: reduce our largest systematics.





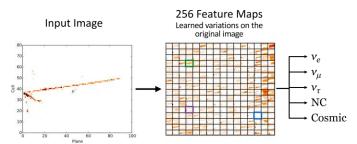






- **High Performance Computing** enables great **speed ups** and previously computationally prohibitive analysis techniques to be explored.
- Development of **Machine Learning** tools to address some of the biggest reconstruction challenges, like pion energy estimation, etc.
- NOvA Test Beam program is ongoing at Fermilab Test Beam Facility: reduce our largest systematics.
- Expect more neutrino cross-section measurements from NOvA: see past two weeks JTEP seminars on the  $\nu_u$  and  $\nu_e$  charged current inclusive measurements.











#### **Conclusions**

- New results with 50% more neutrino mode exposure and updated analysis.
- Preference for **Normal Hierarchy**  $(1.0\sigma)$  and **Upper Octant**  $(1.2\sigma)$ .
- Achieved some of the **most precise measurement** of:
  - $-\Delta m^2_{32}=2.41\pm0.07\times10^{-3}\,\mathrm{eV^2}$
  - $-\sin^2\theta_{23}=0.57^{+0.04}_{-0.03}$
- Exclude IH  $\delta_{\rm CP}=\pi/2$  at >3 $\sigma$  and NH  $\delta_{\rm CP}=3\pi/2$  at 2 $\sigma$ .
- Fermilab played a critical role in NOvA's latest results! Grateful for continued support.



8/13/2020





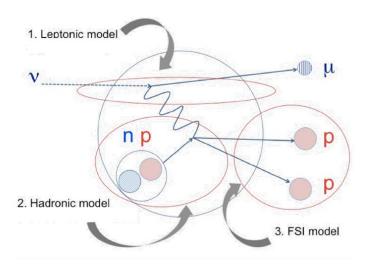
# **Backup**



8/13/2020

#### **GENIE Tune**

▶ Used **GENIE 3.0.6** in NOvA 2020 analysis: choose the most theory-driven models and retune some parameters to better match ND data.



Process	Model
Quasielastic	Valencia 1p1h
Form Factor	Z-expansion
Multi-nucleon	Valencia 2p2h
Resonance	Berger-Sehgal
DIS	Bodek-Yang
Final State Int.	hN semi-classical cascade

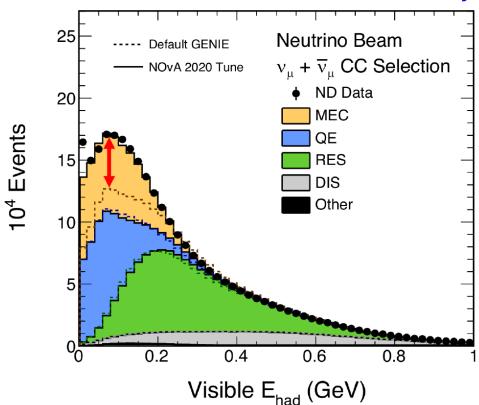


#### **GENIE Tune**

#### Largest **tunes**:

- Meson Exchange Current (MEC or 2p2h): tune to ND data
- ► Final State Interactions (FSI): use external  $\pi$ -scattering data

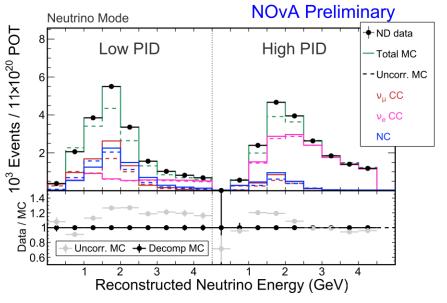
## **NOvA Preliminary**

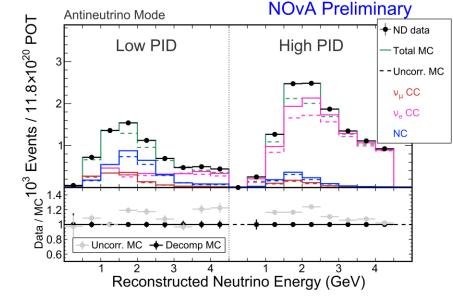




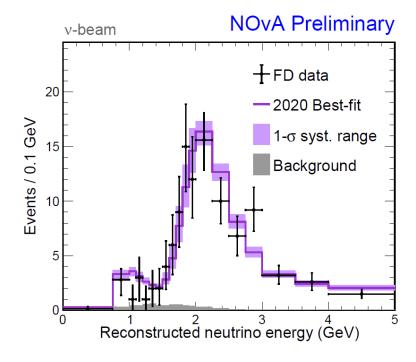
## Joint NOvA-T2K analysis

• Data-driven techniques lead to small adjustments to the  $\nu_{\mu}$  CC,  $\nu_{e}$  CC and NC rates.

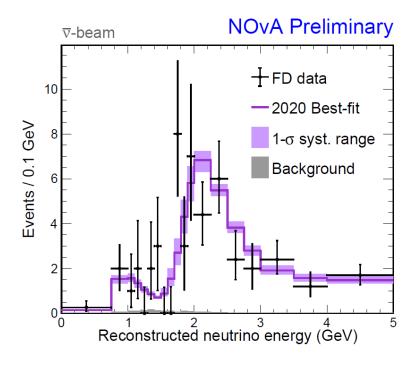




#### FD numu



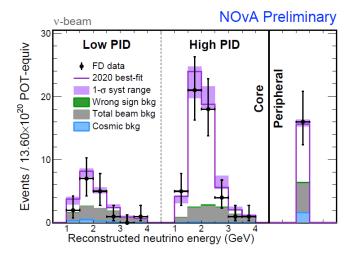
Obs.	$\nu_{\mu}$ candidates	211
Total	background	8.2



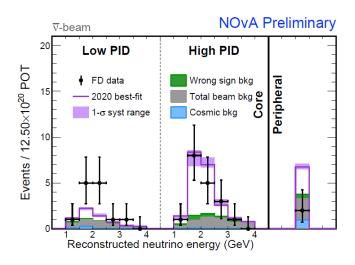
Obs.	$\overline{\nu}_{\mu}$ candidates	105
Tota	l background	2.1



#### FD nue



Obs. $v_e$ candidates	82
Best fit prediction	85.8
Total background	26.8
Beam bkg	22.7
Cosmic bkg	3.1
Wrong sign	1.0

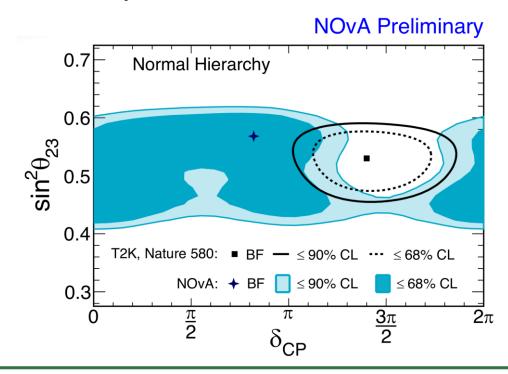


Obs. $v_e$ candidates	33
Best fit prediction	33.2
Total background	14.0
Beam bkg	10.2
Cosmic bkg	1.6
Wrong sign	2.3



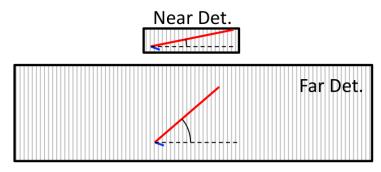
## Joint NOvA-T2K analysis

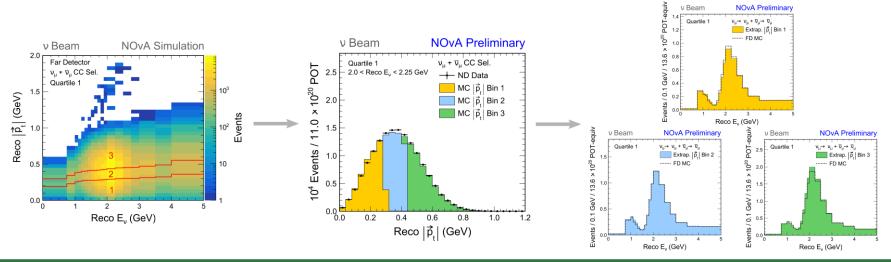
- T2K results are statistically compatible with ours.
- Ongoing effort towards a joint NOvA-T2K fit.



## p<sub>t</sub> extrapolation

- ND/FD containment difference.
- Split ND samples into 3 bins of transverse momentum and extrapolate separately.
- Reduce cross-section uncertainty by 30%. Overall systematics reduction is 10%.



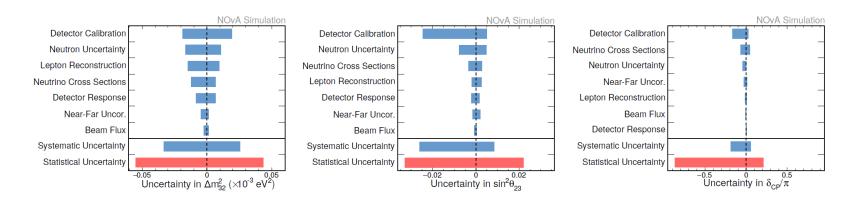




8/13/2020

## **Systematics**

- ▶ **Detector calibration**: will be improved by the ongoing test beam program at FNAL.
- ▶ Neutron uncertainty: cover discrepancies observed in low-energy  $\overline{\nu}$  data. Ongoing work to improve our simulation and understanding of neutrons in the detectors.
- ► Neutrino cross-sections: use own tuning but still noticeable nuclear effects (RPA, MEC).





8/13/2020

## **Systematics**

▶ Without the ND to FD extrapolation technique, cross-section and flux uncertainties would be dominant, especially for the appearance analysis which is extremely rate sensitive.

